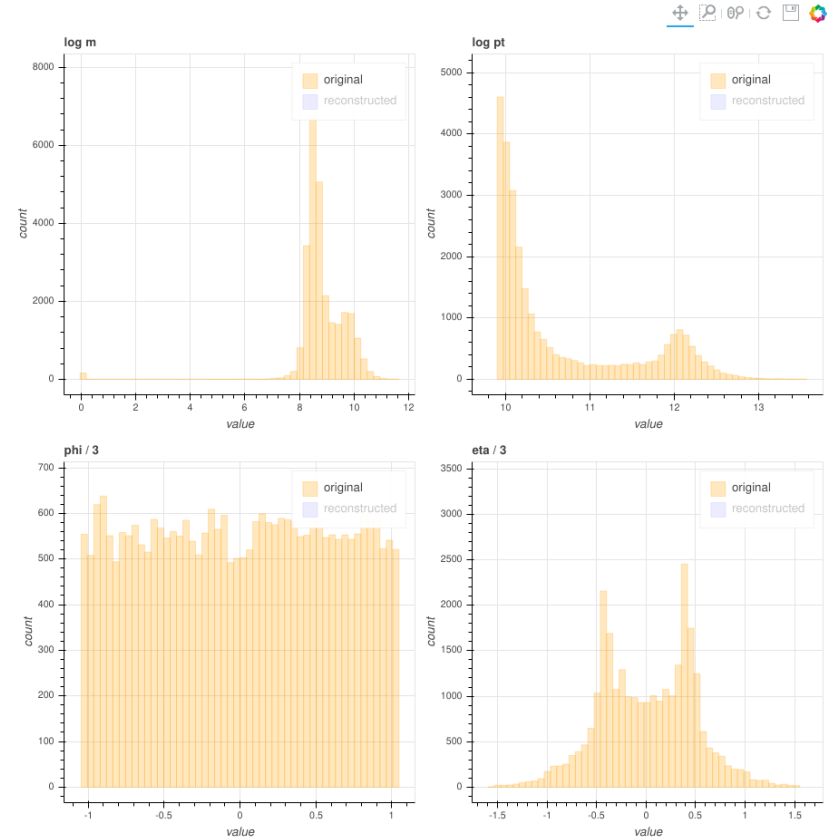


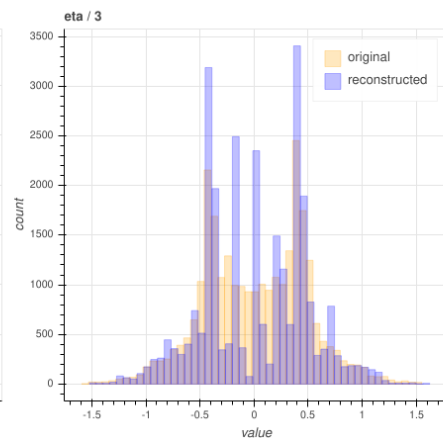
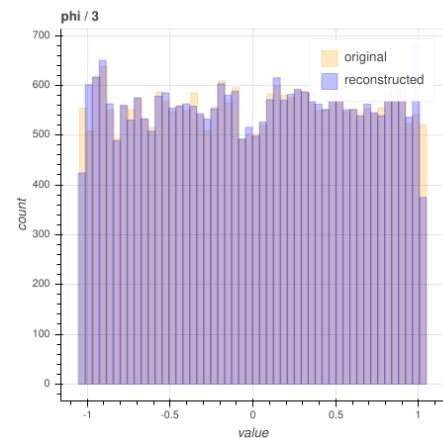
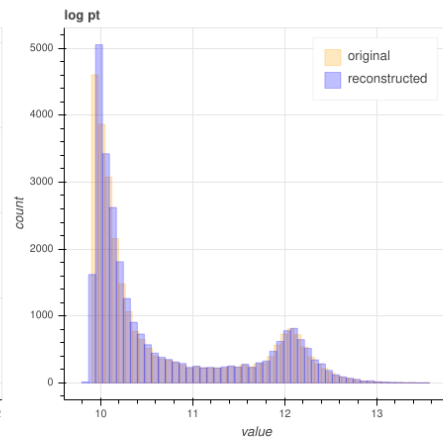
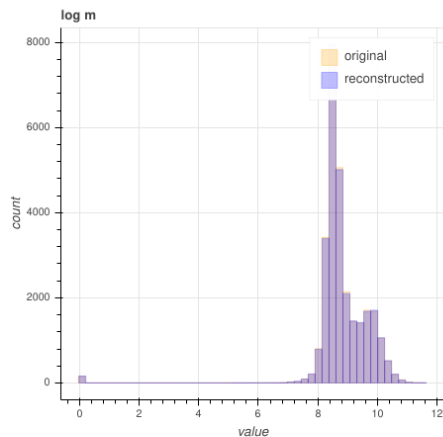
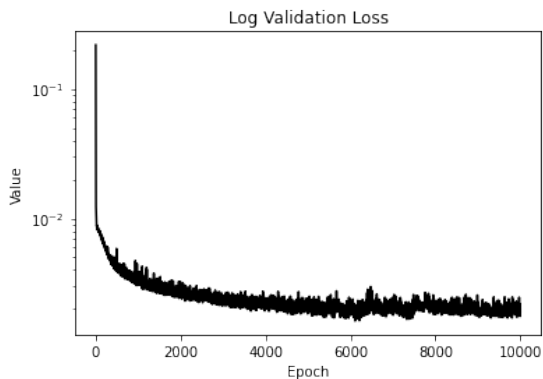
Original data

- 111778 data points for training, 27945 for validation
- Each point representing 4 variables
- Data was processed so that all variables are approximately with the same ranges
- Goal: use neural networks (autoencoders) to compress the 4 variables into 3 latent ones



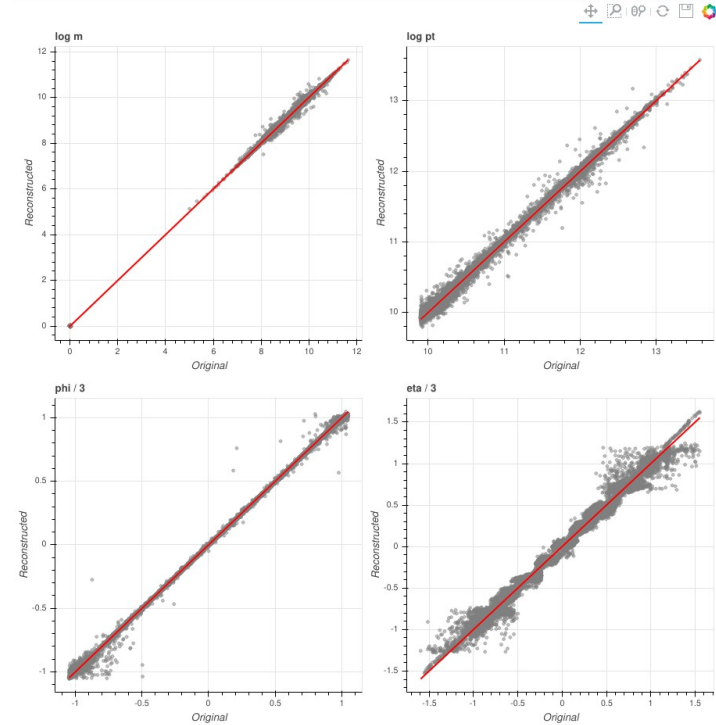
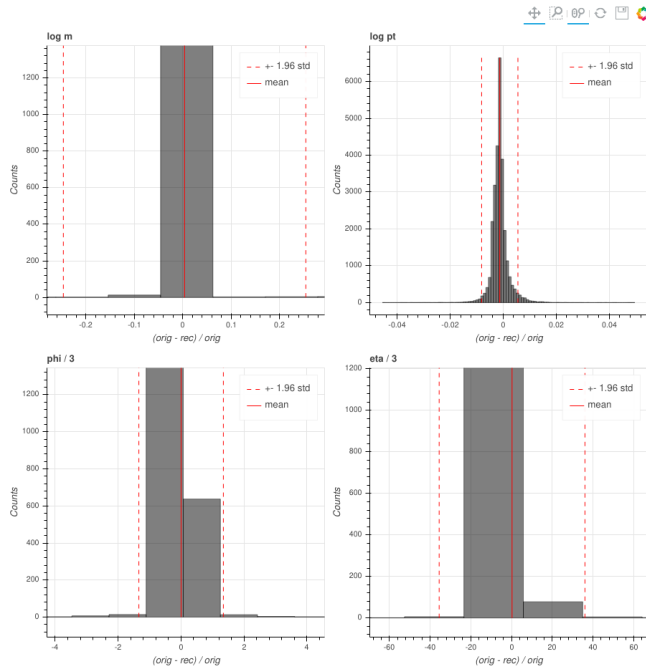
Reconstructed data

- Captured well the bimodality of ` pt ` and the uniformity of ` ϕ `
- Failed to capture the distribution of ` η `
- Not/very slightly overfitting after 10000 epochs
 - Larger network could be used
 - Final training MSE loss: 0.001898
 - Final validation MSE loss: 0.001919



Reconstructed vs original

- The red lines represents a perfect reconstruction
- Most noticeable reconstruction failures are at the extremal values, see ``phi`` or ``eta``



Improvements

- Try out different architectures using Neural Architecture Search, hyperparameter search
- Transfer learning – use the network from previous project
- Using our current knowledge of being unable to properly reconstruct variable ``eta``, we could:

Used weighted random sampling to resample points with high reconstruction error

Switch Mean Squared Error loss function to a weighted equivalent (or use different loss)

- assign higher weights to badly reconstructed variables

Instead of compression $4 \rightarrow 3$, try compressing $3 \rightarrow 2$

- could be an easier task, especially $3 \rightarrow 2$, excluding ``eta``

Other ideas to investigate

- Try out different normalization schemes for the input variables, e.g. z-score
- Try combining Generative Adversarial Networks into the framework (such as energy-based EBGAN)
 - useful for modeling distribution – generate more samples
 - adversarial training for robustness
- Investigate different initialization schemes for the network
 - interesting because we can use true gradients (whole dataset fits into the memory), so good initialization is crucial