

Chapter One

Introduction

Fourth Academic Year
Power, E/C, and C/C
Electrical Engineering Department
College of Engineering
Salahaddin University - Erbil

September 2021

What is a Control System?

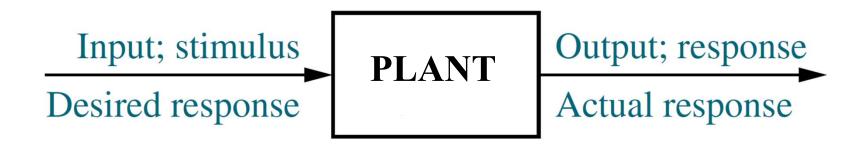
A SYSTEM is anything with inputs and outputs.

In OPTIMAL Control, there are two sets of inputs and outputs:

INPUTS: Actuators and Disturbance

OUTPUTS: Sensor Measurements and Regulated Output

The SYSTEM to be controlled is called the PLANT.

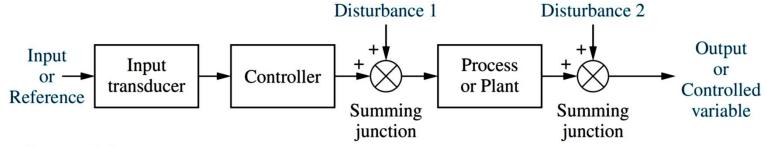


What is a Control System?

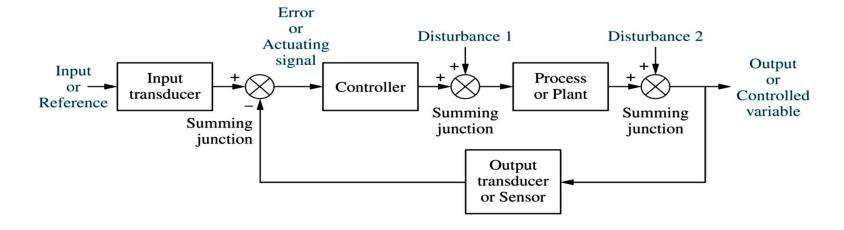
A CONTROL SYSTEM is a system which modifies the inputs to the plant to produce a desired output.

There are two types of Control System:

1. Open Loop Control System



2. Closed Loop Control System



Control System Definition Cont.

Plant - is a piece of equipment, perhaps just a set of machine parts functions together, the purpose of which is to perform a particular operation.

Processor - a natural progressively continuing operation or development maker by a series of gradual changes that succeed on another irrelatively fixed way and lead toward a particular result or end. In other word, any operation to be controlled is a process.

Disturbance - is a signal which tends to adversary affecting the value of the output of system. If its external signal it's an input.

Feedback control - is an operation in which a disturbance tends to reduce the difference between the output of a system and the reference input (or an arbitrarily varied desired state) and which dies so on the basic of this difference.

Feedback Control System – A control system which monitors its effect on the system it is controlling and modifies its output accordingly.

Fundamentals of Control

Any controller must have one fundamental part: The Actuator

The ACTUATOR is the mechanism by which the controller affects the input to the plant

Example

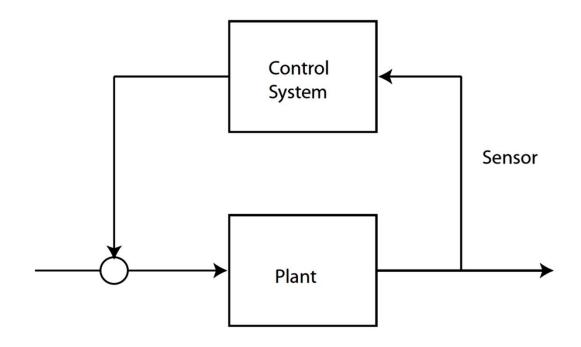
- . Force Transducers: Servos/ Motors
- . Furnace/ Boiler



Fundamentals of Control Cont'd

An OPEN LOOP CONTROLLER has actuation but no measurement.

A CLOSED LOOP CONTROLLER uses Sensors in addition to Expatiators.



History of Feedback Control Systems

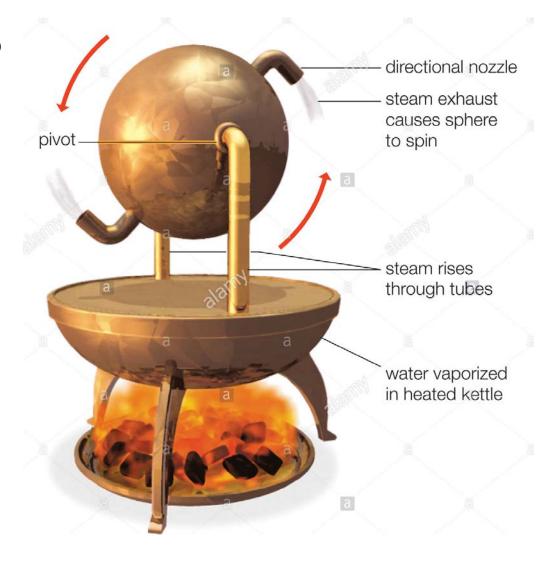
Egyptian Water Clocks 1200BC



Time left is given by the amount of water left in the pot.

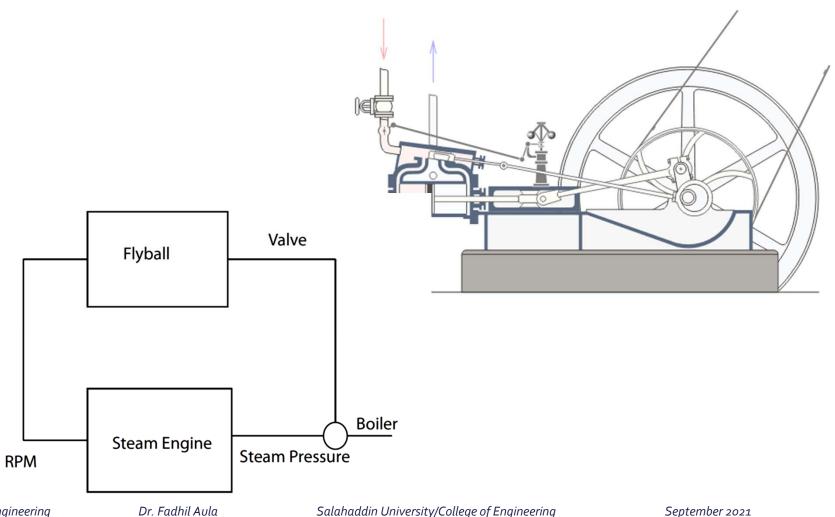
History of Feedback Control Systems Cont'd

Heron's Aeolipile 10-70 AD



History of Feedback Control Systems Cont'd

Steam Engines: Flyball Governor



Rovers

Rovers on Mars:

Opportunity Rover: 2004 - 2019

Spirit Rover: 2004 to 2010

Both rovers were designed with an expected 90 <u>sols</u> (92 Earth days) lifetime, but each lasted much longer than expected



Curiosity Rover: Active since 2012

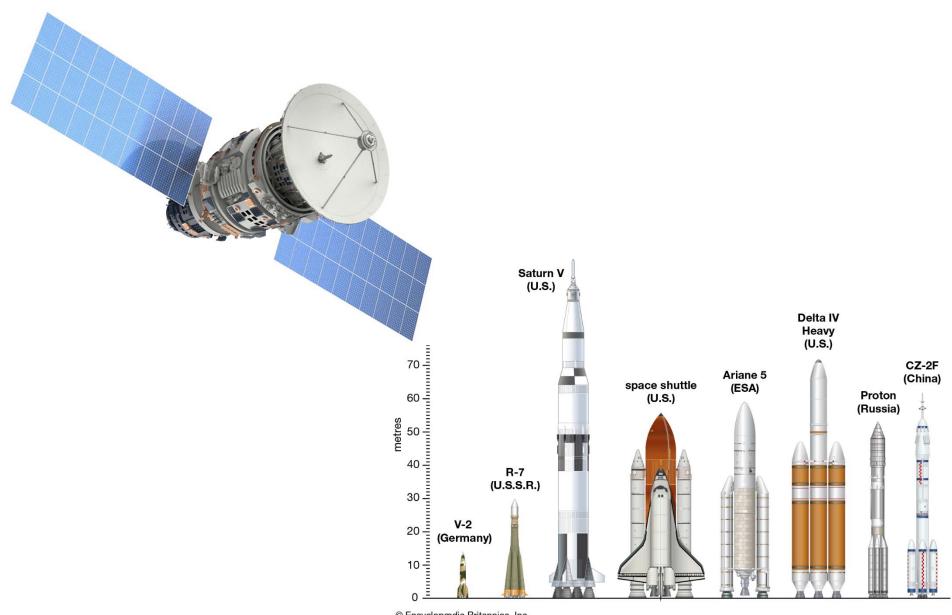
A two mission years rover

Perseverance Rover:
Active since Feb. 2020

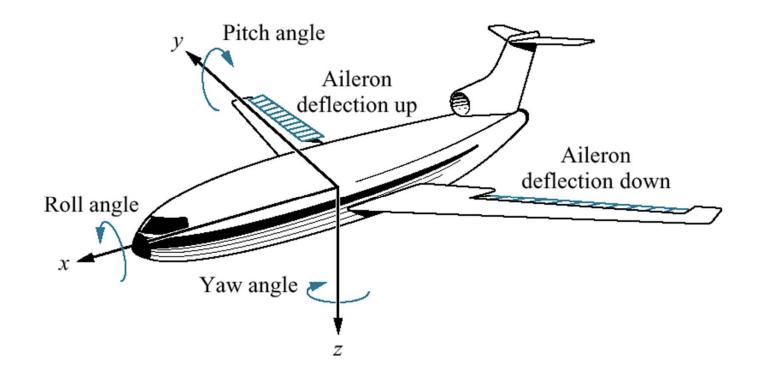




Satellite and Launch Vehicles



Airplane System



Heating System

Home Heating Control System

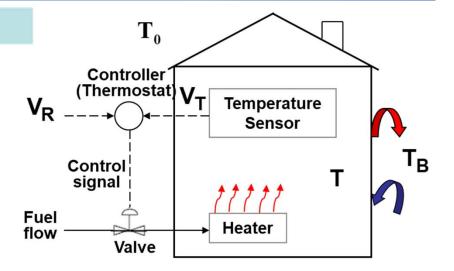
V_R: Reference temp.

V_T: Measured temp.

T_B: Disturbance

(heat transfer: door,

window, wall, etc.)



Error

Status

Control action

$$V_R - V_T > 0$$

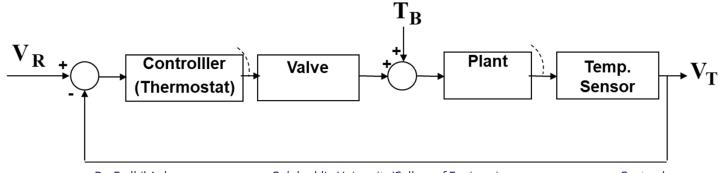
Cold

....▶ Open valve

$$V_R - V_T < 0$$
 ·····

Hot

.... Close valve

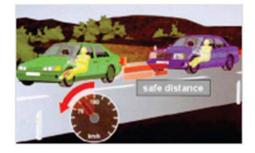


Vehicle Controller

Cruise Control System



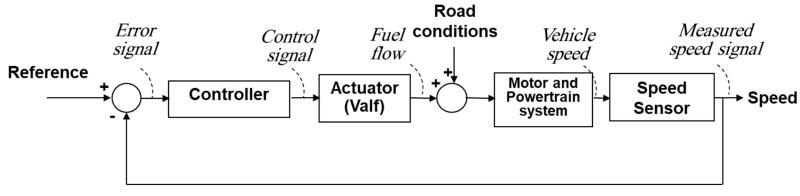




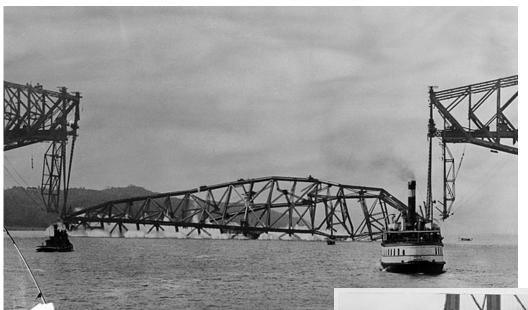








Role of Control Systems



September 11, 1916: Quebec Bridge, Canada

Tacoma Narrows Bridge, Washington, USA, 1940



Role of Control Systems Cont'd



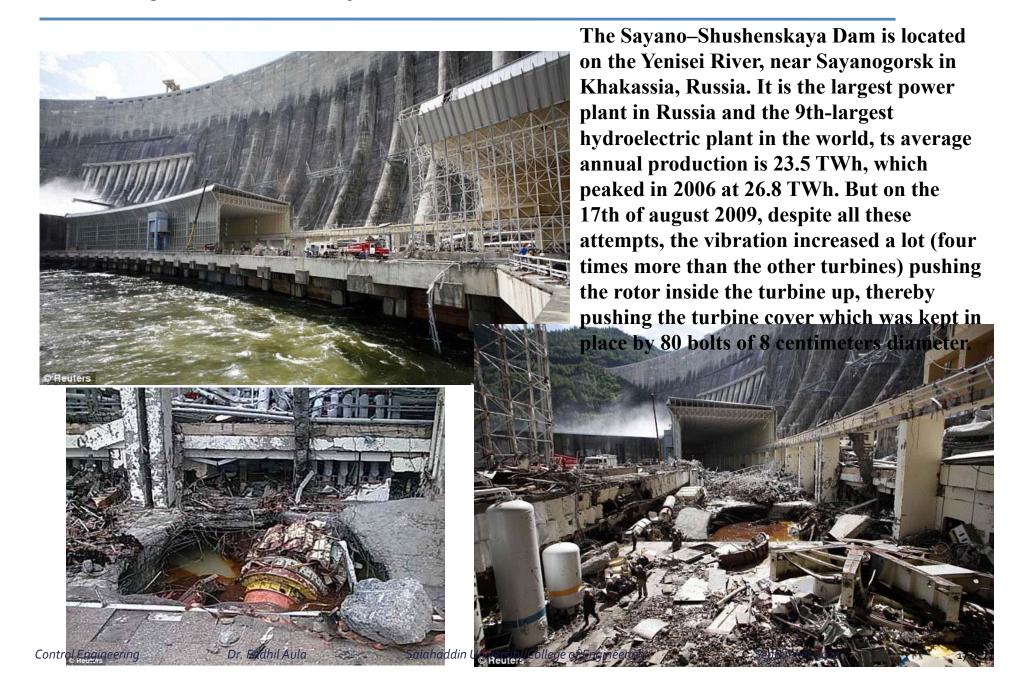
Dr. Fadhil Aula

A wind turbine near Dalry and Ardrossan in North Ayrshire caught fire during Scotland's extreme weather on Dec 8th 2011.

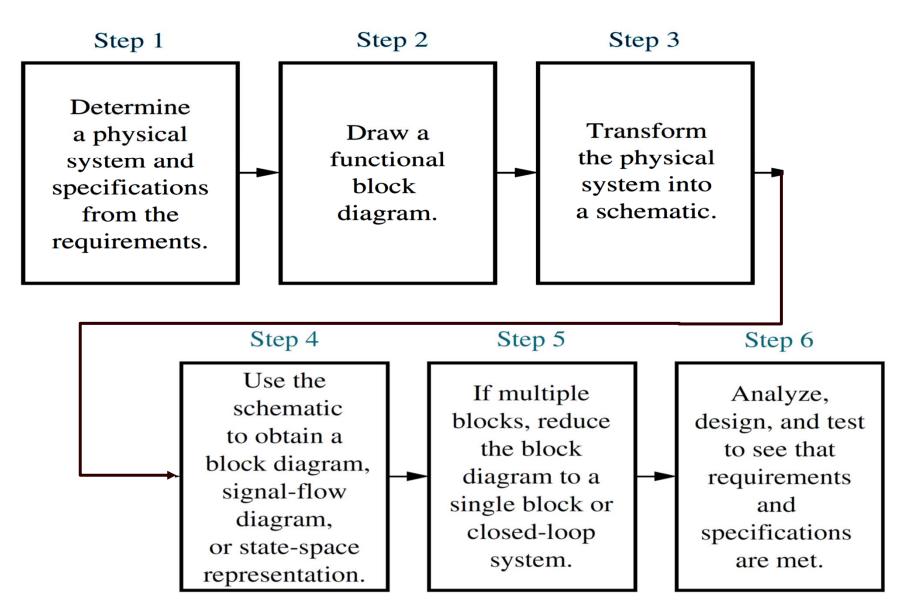


Fire: The wind turbine in North Ayrshice went up in flames on Thursday. Pic: Stuart McMahon Salahaddin University/College of Engineering

Role of Control Systems Cont'd



The Design Process



Testing Signals

Input	Function	Description	Sketch	Use
Impulse	$\delta(t)$	$\delta(t) = \infty \text{ for } 0 - < t < 0 +$ $= 0 \text{ elsewhere}$	f(t)	Transient response Modeling
		$\int_{0-}^{0+} \delta(t)dt = 1$	$\delta(t)$	
Step	u(t)	u(t) = 1 for t > 0 $= 0 for t < 0$	f(t)	Transient response Steady-state error
Ramp	tu(t)	$tu(t) = t \text{ for } t \ge 0$	f(t)	Steady-state error
		= 0 elsewhere	t	

Testing Signals Cont'd

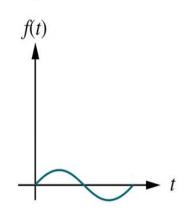
$$\frac{1}{2}t^2u(t)$$

Parabola
$$\frac{1}{2}t^2u(t)$$
 $\frac{1}{2}t^2u(t) = \frac{1}{2}t^2$ for $t \ge 0$
= 0 elsewhere

Steady-state error

Sinusoid

 $\sin \omega t$



Transient response Modeling Steady-state error

End of Chapter One!