## Zadanie 4

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```
PlotlyJSBackend()
```

interpolation (generic function with 4 methods)

```
begin
    interpolation(x, q_A, q_B, C=0) = x * q_A + (1 - x) * q_B + x * (1 - x) * C

function interpolation(x, q_A::Dict, q_B::Dict, C=0)
    @assert keys(q_A) == keys(q_B)
    res = Dict()
    for (key, v_A) in q_A
        v_B = q_B[key]
        res[key] = interpolation(x, v_A, v_B, C)
    end
    return res
end
end
```

```
Dict("Eg" \Rightarrow 0.31, "\Delta" \Rightarrow 0.5, "V_1" \Rightarrow 24.3, "V_3" \Rightarrow 8.1, "V_2" \Rightarrow 11.5, "\alpha" \Rightarrow 0.1, "Mh" = 11.5, "Carrow of the content of the 
begin
                             unknown_mass_CsSiI3 = 0.5 * (0.095 + 0.069)
                             CsPbI_3 = Dict(zip(["Eg", "\Delta", "Y_1", "Y_2", "Y_3", "m_h", "Ep", "a", "\alpha"], [
                                                  1.73, # Eg eV
                                                  1.44, # △
                                                 9.1, # \gamma_1
                                                 3.6, # \gamma_2
                                                 0.7, # y_3
                                                 0.095, \# m_h
                                                 41.6, # Ep
                                                 6.238, # a
                                                 0.9, # \alpha meV/K
                             ]))
                             CsSiI_3 = Dict(zip(["Eg", "\Delta", "\gamma_1", "\gamma_2", "\gamma_3", "m_h", "Ep", "a", "\alpha"], [
                                                  0.31, # Eg
                                                  0.50, \# \Delta
                                                 24.3, # \gamma_1
                                                 11.5, # \gamma_2
                                                 8.1, # \gamma_3
                                                 unknown_mass_CsSiI3, # mh
                                                 18.9, # Ep
                                                 5.892, # a
                                                  0.1, # \alpha meV/K
                             ]))
end
```

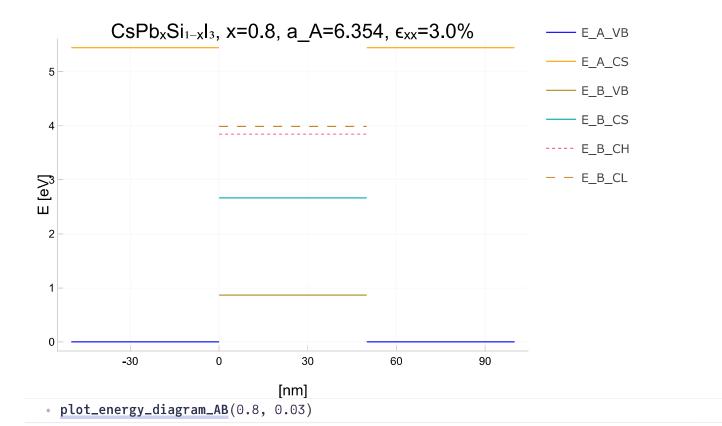
## 0.24733333333333333

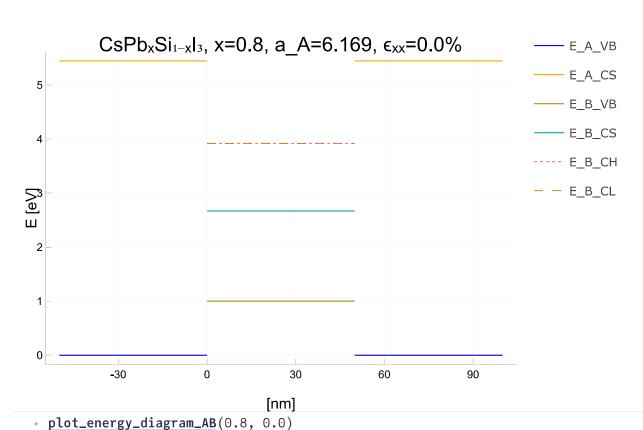
```
begin
      # https://www.sciencedirect.com/science/article/pii/S003040261631021X?
      casa_token=o33T8v5jN3QAAAAA:I8IBYsFMKtk-aXxKz1GThGbqQfDKschBqnRRVHBQsx-ikcQH4iS-
      iV1YZ3D08YZtA5JtWPR9eBo
      CsPbI_{3}["c_{11}"] = 34.405 \# GPa
      CsPbI_3["c_{12}"] = 4.709 \# GPa
      CsPbI_{3}["a^{v}"] = -2.762 \# eV
      CsPbI_{3}["a^{c}"] = -0.177 \# eV
      \# CsSiI_3[val] = 1/3 (CsPbI_3 + CsSnI_3 + CsGeI_3)
      # https://www.worldscientific.com/doi/abs/10.1142/S0217984921500561 - CsSiI3
      # https://www.mdpi.com/2076-3417/10/15/5055 - CsGeI<sub>3</sub>
      CsSiI_3["c_{11}"] = (CsPbI_3["c_{11}"] + 41.31 + 60.07) / 3
      CsSiI_3["c_{12}"] = (CsPbI_3["c_{12}"] + 3.69 + 48.61) / 3
      CsSiI_3["a^v"] = (CsPbI_3["a^v"] + -3.651 + -2.257) / 3
      CsSiI_3["a^c"] = (CsPbI_3["a^c"] + -0.052 + 0.971) / 3
end
```

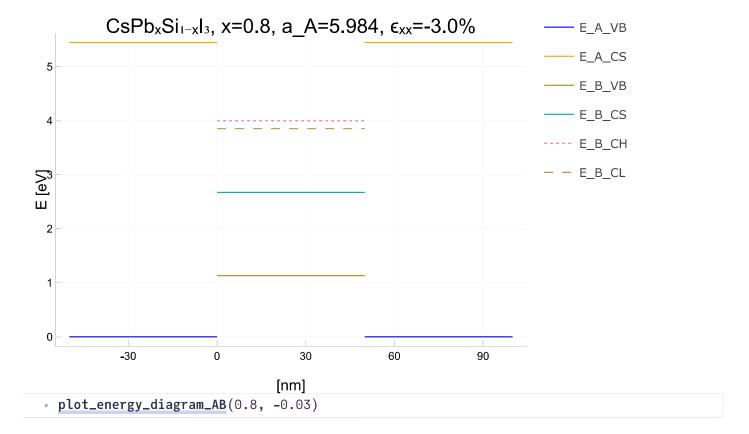
```
function plot_energy_diagram_AB(x, percentage)
      b = -2 \# like GaAs
      T = 300 \# K
      mat_B = interpolation(x, CsPbI<sub>3</sub>, CsSiI<sub>3</sub>)
      mat_B["EgT"] = mat_B["Eg"] + mat_B["\alpha"] * 1e-3 * T
      a_A = mat_B["a"] * (1 + percentage)
      \epsilon_{xx} = (a_A - mat_B["a"]) / mat_B["a"]
      \delta E_H^V = 2 * mat_B["a^V"] * (1 - mat_B["c_{12}"] / mat_B["c_{11}"]) * \epsilon_{xx}
      \delta E_H^c = 2 * mat_B["a^c"] * (1 - mat_B["c_{12}"] / mat_B["c_{11}"]) * \epsilon_{xx}
      \delta E_S = b * (1 + mat_B["c_{12}"] / mat_B["c_{11}"]) * \epsilon_{xx}
      VBO_A = 0 \# eV
      VBO_B = 1 \# eV
      Eg_A = VBO_B + mat_B["Eg"] + 3 # eV
      VB_B = VBO_B
      CS_B = VBO_B + mat_B["EgT"]
      CH_B = VBO_B + mat_B["EgT"] + mat_B["\Delta"]
      CL_B = CH_B
      VB_A = VBO_A
      CS_A = VBO_A + Eg_A
      E_VB = VB_B + \delta E_H^V
      E_CS = CS_B + \delta E_H^c
      E_CH = CH_B .+ \delta E_H^c .+ \delta E_S
      E_CL = CL_B + \delta E_H^c - \delta E_S
      d = 50 \# nm
      X_A = vcat(-d:0, d:2d)
      X_B = 0:d
      fig = plot(-d:0, ones(d + 1) * VB_A, color=:blue, label="E_A_VB")
      plot!(fig, d:2d, ones(d + 1) * VB_A, color=:blue, label=:none)
      plot!(fig, -d:0, ones(d + 1) * CS_A, color=:orange, label="E_A_CS")
      plot!(fig, d:2d, ones(d + 1) * CS_A, color=:orange, label=:none)
      plot!(fig, 0:d, ones(d + 1) * E_VB, label="E_B_VB")
      plot!(fig, 0:d, ones(d + 1) * E_CS, label="E_B_CS")
      plot!(fig, 0:d, ones(d + 1) * E_CH, label="E_B_CH", linestyle=:dot)
      plot!(fig, 0:d, ones(d + 1) * E_CL, label="E_B_CL", linestyle=:dash)
      title!(fig, "CsPb<sub>x</sub>Si<sub>1-x</sub>I<sub>3</sub>, x=x, a_A=x(round(a_A, digits=x)),
  \epsilon_{xx}=$(round(\epsilon_{xx}*100,digits=3))%")
      xlabel!(fig, "[nm]")
      ylabel!(fig, "E [eV]")
      return fig
end
```

## Wykresy

$$x = 0.8$$







x = 0.2

