Practice 3

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• Definition equation model

$$x_{1}(t_{k+1}) = \sum_{i=1}^{n} b_{i} x_{i}(t_{k})$$

$$x_{2}(t_{k+1}) = p_{1} \bullet x_{1}(t_{k})$$

$$x_{i}(t_{k+1}) = p_{i-1} \bullet x_{i-1}(t_{k})$$

• Table of all state variables of the model with columns

$$x_i(t_k)$$
 The number of individuals in the age group i at the time k
$$x_1(0)=1494370; x_2(0)=2075652; x_3(0)=2474329; x_4(0)=2142379; x_5(0)=1626214; \\ x_6(0)=665283; x_7(0)=28586$$
 individuals

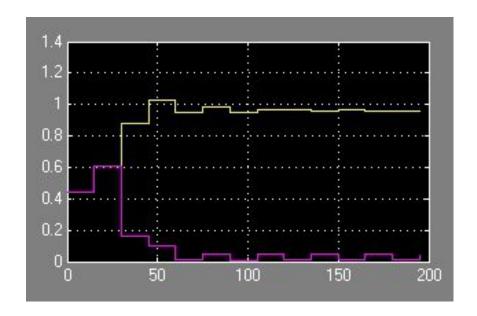
• Table of all model parameters:

b_i	p_i
Birth rate of age group i	Probability of age group i
$b_1 = 0;$	$p_1 = (1 - 0.822164/1000)^15;$
$b_2 = (26.67422/1000)*15;$	$p_2 = (1 - 0.465078/1000)^15;$
$b_3 = (23.029775/1000)*15;$	$p_3 = (1-1.16375/1000)^15;$
$b_4 = (0.0380419/1000)*15;$	$p_4 = (1-5.48891/1000)^15;$
$b_5=0;$	$p_5 = (1-21.34731/1000)^15;$
$b_6 = 0;$	$p_6 = (1-21.34731/1000)^15;$
$b_7 = 0;$	$p_7 = 0$
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• Table of all model parameters with a modified birth rate:

Modified birth rate	
$b_1 = 0;$	
$b_2 = (26.67422/1000)*15 + 0.25*15;$	
$b_3 = (23.029775/1000)*15+0.25*15;$	
$b_4 = (0.0380419/1000)*15 + 0.25*15;$	
$b_{\scriptscriptstyle 5}=0;$	
$b_6 = 0;$	
$b_7 = 0$;	
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• Graphical representation



Maximum limit of the ratio:
Original model:45-60 year
Modified model:15-30 year

Overall population

