#### PROBLEMS ENCOUNTERED AND HOW TO SOLVE

At the beginning of the task where we are asked to initialize parameters with He initialization, I was a little bit confused on what is the purpose of using random initialization and zero initialization for weight matrices and biases respectively. After doing some research, I found out that randomness is used to find a good enough set of weights for the specific mapping function. Moving forward, I encountered another issue when trying to implement the Sigmoid function. In the original function, there exists a condition such that when Z >= 0, then Sigmoid( $Z = (1/(1+\exp(Z)))$ ), otherwise, Sigmoid( $Z = \exp(Z)/(1+\exp(Z))$ ). When implementing this to my code, I did

```
 \begin{array}{ll} \text{if } Z>=0; \\ A=1/(1+\text{np.exp}(-Z)) \\ \text{cache}=Z \\ \text{else:} \\ A=\text{np.exp}(Z)/(1+\text{np.exp}(Z)) \\ \text{cache}=Z \\ \end{array}
```

However, this yields an error since I just Z is not a number, but rather an array. Hence, I decided to iterate it.

Next, I also encountered a small problem when computing the Binary cross-entropy loss. I used np.sum and np.multiply to calculate the cost at first, and it computed the correct result but returns a wrong data type (numpy.float64 instead of numpy.ndarray). I figured that this must have something to do with the way I calculate the variable cost, and I noticed that I should use np.dot instead of np.multiply and np.sum to get numpy.ndarray as the data type.

#### BINARY CLASSIFIER IMPLEMENTATION

We are implementing the function L\_layer\_model to build the Binary Classifier. In this function, we first need to initialize the parameters by calling the function initialize\_parameters\_deep and pass layers\_dims, which is the list containing the input size and each layer size as the parameter. We will get a dictionary with our parameters W<sub>1-1</sub> and b<sub>1-1</sub>.

Next, inside the for loop which iterates for a number of num\_iterations times, we want to get the last post-activation value and a list of caches, and we can do so by calling the L\_model\_forward(X, parameters, classes) function. Afterwards, we can compute the Binary cross-entropy loss by calling the implemented compute\_BCE\_cost(AL, Y). Then, we can call L\_model\_backward(AL, Y, caches, classes) for the backward propagation which will return dictionary with gradients, which will be used when we update the parameters. Finally, we can call update\_parameters(parameters, grads, learning\_rate) to update the parameters using gradient descent on every W1 and b1 for l = 1, 2, ..., L.

For the hyperparameter tuning, I used [4, 1] as the value of layer\_dims, 0.0075 as the learning rate, and 3000 as the number of iterations. In the end, my accuracy value is 1.0.

```
layers_dims = [4, 1]
parameters = L_layer_model(X_train, y_train, layers_dims, learning_rate = 0.0075, num_iterations = 3000, print_cost = True, classes=2)
```

### **FUNCTION IMPLEMENTATIONS**

To be able to implement the Binary Classifier, there are a few supporting functions that we need to implement beforehand.

#### initialize parameters( $n \times n \times v$ ):

Calculate the parameters W1 and b1 using n\_x and n\_y, which are the size of input and output layer respectively. We use random initialization and multiply it by sqrt(2./n\_x) for W1 and zero initialization and multiply it with sqrt(2./n\_y) for b1.

### *initialize\_parameters\_deep(layer\_dims):*

Given the array with the dimensions of each layer as the values, we can use this to compute the parameters W<sub>1-1</sub> and b1-1 using random and zero initialization and multiply it by sqrt(2./layer\_dims[1-1]) where layer\_dims[1-1] represents the dimension of the previous layer, since dimension of current layer is represented by layer\_dims[1].

### *linear\_forward(A, W, b):*

Here, we just need to calculate Z, the pre-activation parameter, which is the dot product of W and A and then summed with b.

### sigmoid(Z):

Calculates the activation value using the given formula: Sigmoid:  $\sigma(Z) = \begin{cases} \frac{1}{1+e^{-Z}}, & \text{if } Z >= 0 \\ \frac{e^{Z}}{1+e^{-Z}}, & \text{otherwise} \end{cases}$ 

## relu(Z):

Relu(Z) returns the greater value between Z and 0.

### *linear\_activation\_forward(A\_prev, W, b, activation):*

In this function, we just need to call linear\_forward(A\_prev, W, b) and store it to Z and linear\_cache, and depending on the value stored in the string activation, we call the respective function, either sigmoid or relu, and pass Z as the parameter.

### compute\_BCE\_cost(AL, Y):

Calculate the cost using the given formula:

$$-\frac{1}{m}\sum_{i=1}^{m}(y^{(i)}\log\left(a^{[L](i)}\right)+(1-y^{(i)})\log\left(1-a^{[L](i)}\right))$$

$$dW^{[l]}=\frac{1}{l}$$
If we get, the above and  $(dZ, access a)$ :

# *linear\_backward(dZ, cache):*

$$\begin{split} dW^{[l]} &= \frac{\partial \mathcal{J}}{\partial W^{[l]}} = \frac{1}{m} dZ^{[l]} A^{[l-1]T} \\ db^{[l]} &= \frac{\partial \mathcal{J}}{\partial b^{[l]}} = \frac{1}{m} \sum_{i=1}^m dZ^{[l](i)} \\ dA^{[l-1]} &= \frac{\partial \mathcal{L}}{\partial A^{[l-1]}} = W^{[l]T} dZ^{[l]} \end{split}$$
Calculate dW, db, and dA\_prev using the given formulas:

## sigmoid\_backward(dA, cache):

Calculate dZ using the formula  $dZ^{[l]} = dA^{[l]} * g'(Z^{[l]})$ , where  $g'(Z^{[l]})$  can be found by counting the derivative of the sigmoid function using the formula:  $\sigma'(Z^{[l]}) = \sigma(Z^{[l]})(1 - \sigma(Z^{[l]}))$ . This can be implied in Python code by:

$$dZ = dA * ((1/(1+np.exp(-Z))) * (1-(1/(1+np.exp(-Z)))))$$

#### relu\_backward(dA, cache):

First convert dA to numpy.array and set dZ to 0 when  $Z \le 0$ .

## *linear\_activation\_backward(dA, cache, activation):*

Depends on the value of the string activation (either "relu" or "sigmoid"), call relu\_backward or sigmoid backward to find the value of dZ which we will use to find the value of dA prev, dW, and db by calling linear\_backward(dZ, linear\_cache).

### ipdate\_parameters(parameters, grads, learning\_rate):

 $W^{[l]} = W^{[l]} - \alpha dW^{[l]}$ Here we just need to update the parameters Wl and bl for l = 1, 2, ..., L using gradient descent:  $b^{[l]} = b^{[l]} - \alpha db^{[l]}$ where  $\alpha$  is the learning rate. This can be done in Python using:

```
parameters["w" + str(1+1)] = parameters['W' + str(1+1)] - learning_rate | * grads['dw' + str(1+1)] |
parameters["b" + str(1+1)] = parameters['b' + str(1+1)] - learning_rate | * grads['db' + str(1+1)]
```