

Symbiotic Organisms Search

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Partial Courtesy of Dr. Doddy Prayogo

Basics of Symbiotic organisms search

- Introduced by Cheng and Prayogo in 2014
- Optimize **continuous or real value** problems
- Stochastic, population-based search
- Requires no algorithmic parameters

Cheng, M.-Y and Prayogo, D. (2014), “Symbiotic Organisms Search: A new metaheuristic optimization”, Computers & Structures, 139, pp. 98–112.

<http://140.118.5.112:85/SOS/>



Dr. Prayogo

Prof. Cheng

Concepts (1)

- SOS iteratively a population of candidate solutions to promising areas in the search space in the process of seeking the optimal global solution.
- New solution generation is governed by imitating the biological interaction between two organisms in the ecosystem (**symbiosis**).
- Three phases that resemble the real-world biological interaction model are introduced: **mutualism phase**, **commensalism phase**, and **parasitism phase**.

Concepts (2)

- **Symbiosis**

Natural organisms rarely live in isolation. Many of them rely on other species. Some may depend on another for its survival. This interaction is known as symbiosis.

	-	0	+
-	Competition		
0	Amensalism	Neutralism	
+	Parasitism	Commensalism	Mutualism

- = is being harmed, 0 = neutral, + = get benefit

Concepts (3)



- **Mutualism**

Symbiotic relationship between organisms of different species when both benefit from the interaction.

- **Example:**

- Bee and Flower
- Rhinocero and oxpeckers

Concepts (4)



- **Commensalism**

Symbiotic relationship between organisms of different species when one benefits but the other is neutral (unaffected).

- **Example**

- Clownfish and Sea Anemone
- Remora and Shark

Concepts (5)



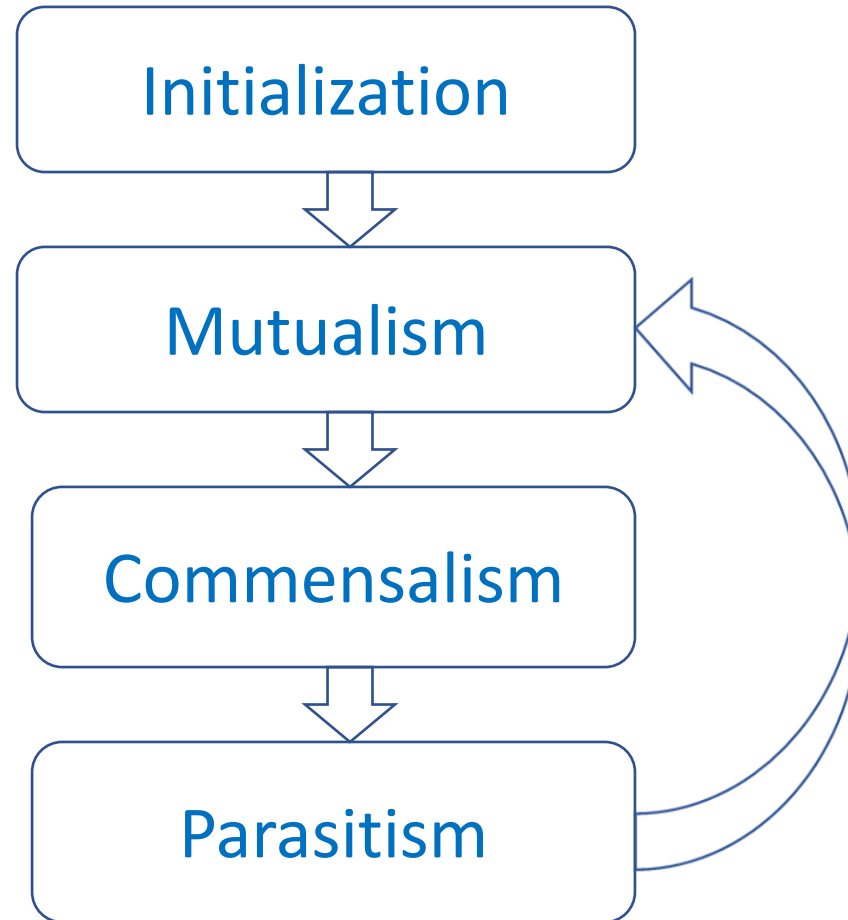
- **Parasitism**

Symbiotic relationship between organisms of different species when one benefits but the other is harmed.

- **Example**

- Cuckoo and other birds
- Malaria parasite and human

Flowchart



Initialization

- The initial population (**ecosystem**) is chosen randomly if nothing is known about the system.
- Assume a **uniform probability distribution** for all random decisions unless otherwise stated.
- It is usually required to have lower and upper bounds for every decision variables (**organisms**)

Mutualism

The mutualism symbiosis between organism i and organism j ($j \neq i$) is modeled as follows

$$\mathbf{X}_{i, \text{new}} = \mathbf{X}_{i, \text{old}} + \text{rand}[0,1] * (\mathbf{X}_{\text{best}} - \mathbf{BF1} * \mathbf{MutualVector})$$

$$\mathbf{X}_{j, \text{new}} = \mathbf{X}_{j, \text{old}} + \text{rand}[0,1] * (\mathbf{X}_{\text{best}} - \mathbf{BF2} * \mathbf{MutualVector})$$

where

$$\mathbf{MutualVector} = \text{mean} (\mathbf{X}_{i, \text{old}} + \mathbf{X}_{j, \text{old}})$$

BF1 (Benefit Factor of organism i) = random value either 1 or 2

BF2 (Benefit Factor of organism j) = random value either 1 or 2

$\mathbf{X}_{i, \text{old}}$ = Old solution of Organism i

$\mathbf{X}_{j, \text{old}}$ = Old solution of Organism j

$\mathbf{X}_{i, \text{new}}$ = New solution of Organism i after mutualism interaction

$\mathbf{X}_{j, \text{new}}$ = New solution of Organism j after mutualism interaction

Commensalism

The commensalism symbiosis between organism i and organism j ($j \neq i$) as follows

$$\mathbf{X}_{i, \text{new}} = \mathbf{X}_{i, \text{old}} + \text{rand}[-1,1] * (\mathbf{X}_{\text{best}} - \mathbf{X}_{j, \text{old}})$$

Where:

$\mathbf{X}_{i, \text{old}}$ = Old solution of Organism i

$\mathbf{X}_{j, \text{old}}$ = Old solution of Organism j

$\mathbf{X}_{i, \text{new}}$ = New solution of Organism i after mutualism interaction

Greedy rule

- For both Mutualism and Commensalism, organisms are updated **only if** their new fitness is better than their pre-interaction fitness.

Parasitism

- Organism X_i is selected randomly from the ecosystem and serves as a host to the **Parasite_Vector**.
- **Parasite_Vector** is created in the search space by duplicating organism X_i , then modifying the randomly selected dimensions using a random number.
- **Parasite_Vector** tries to replace X_j in the ecosystem.
- Both organisms are then evaluated to measure their fitness.
- If **Parasite_Vector** has a better fitness value, it will kill organism X_j and assume its position in the ecosystem.
- If the fitness value of X_j is better, X_j will have immunity from the parasite and the **Parasite_Vector** will no longer live in that ecosystem.

Loop

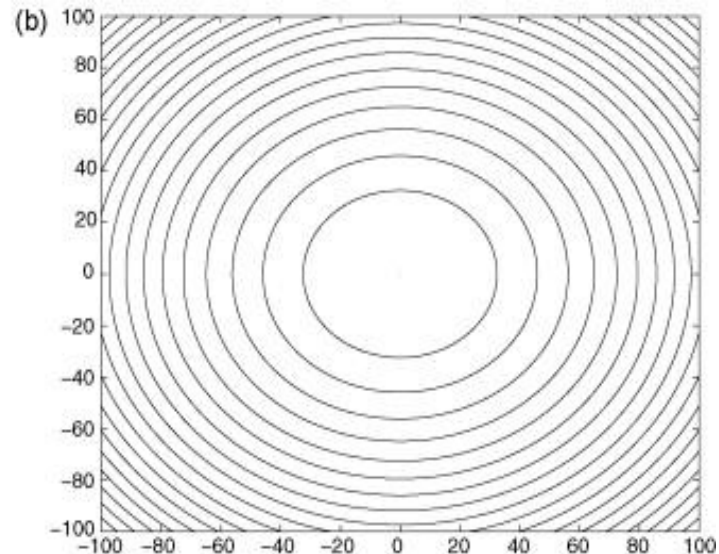
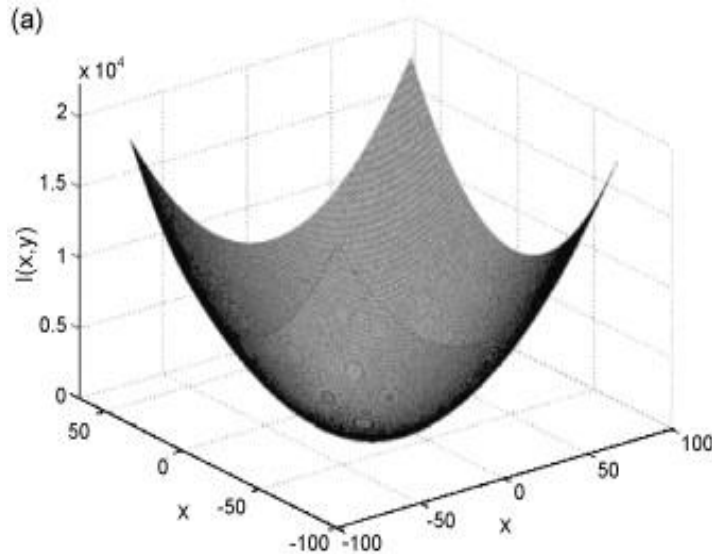
- Mutualism, Commensalism, and Parasitism continue until a stopping criterion is reached
- Stopping criterion
 - Number of iterations
 - Convergence
 - Computation time

Parameter setup

- The ecosystem size may be set between 20 to 50, according to the original paper.
- **No algorithmic parameters** (such as CR and MR for GA; w , c_1 , c_2 for PSO)

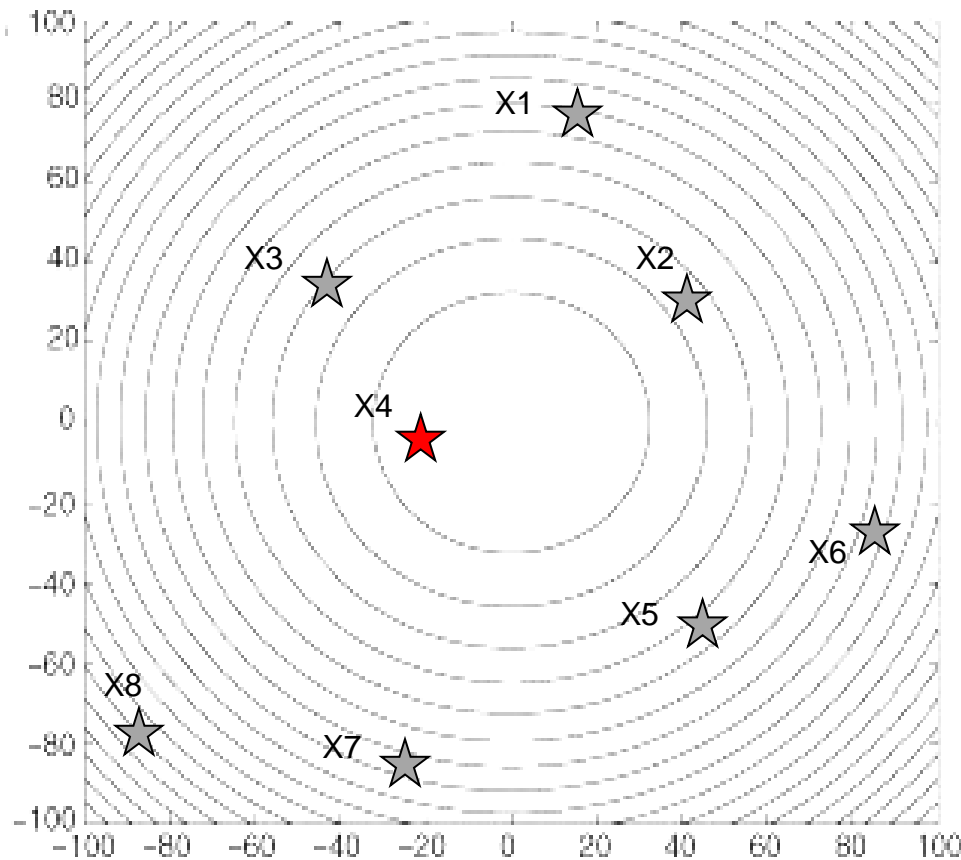
Example (1)

- 2D Sphere function
- Minimize $\sum x^2$



Example (2)

• Initialization

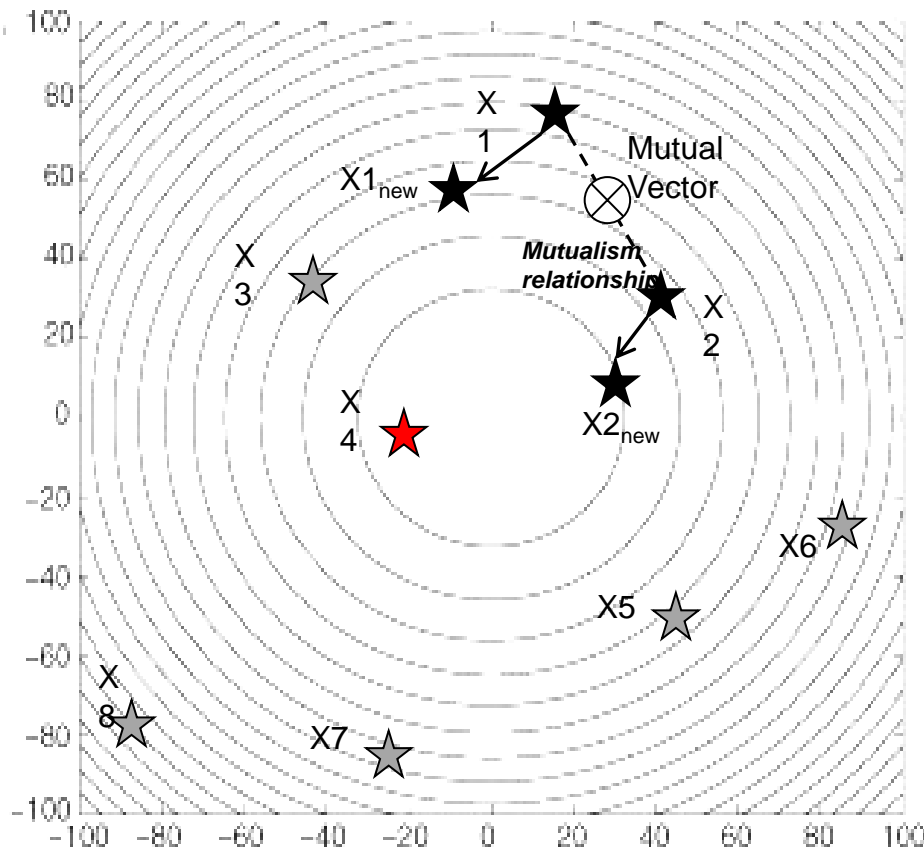


Random location of organisms

$X1 = [19, 75] \sim F(X1)$	(Fitness) =	5896
$X2 = [41, 22] \sim F(X2)$	(Fitness) =	2165
$X3 = [-40, 30] \sim F(X3)$	(Fitness) =	2500
$X4 = [-10, -4] \sim F(X4)$	(Fitness) =	116
$X5 = [44, -51] \sim F(X5)$	(Fitness) =	4537
$X6 = [83, -30] \sim F(X6)$	(Fitness) =	7789
$X7 = [-22, -84] \sim F(X7)$	(Fitness) =	7540
$X8 = [-87, -79] \sim F(X8)$	(Fitness) =	13810

Example (3)

• Mutualism



Application of Computational Intelligence in
Engineering

Organism $i \sim X1 = [19, 75]$,

$F(X1) = 5896$

Organism $j \sim X2 = [41, 22]$,

$F(X2) = 2165$

MutualVector = Average ($X1_{old} + X2_{old}$)
= **[30, 48.5]**

$X_{new} = X_{old} + \text{rand}[0,1] * (X_{best} - BF1 * \text{MutualVector})$

$X1_{new} = [19, 75] + [0.83, 0.37] * ([-10, -4] - 1 * [30, 48.5])$

= $[19, 75] + [-33.2, -19.4]$

= $[-14.2, 55.6]$

$F(X1_{new}) = 3290$ better than $F(X1_{old})$

$X_{jnew} = X_{jold} + \text{rand}[0,1] * (X_{best} - BF2 * \text{MutualVector})$

$X2_{new} = [41, 22] + [0.07, 0.21] * ([-10, -4] - 2 * [30, 48.5])$

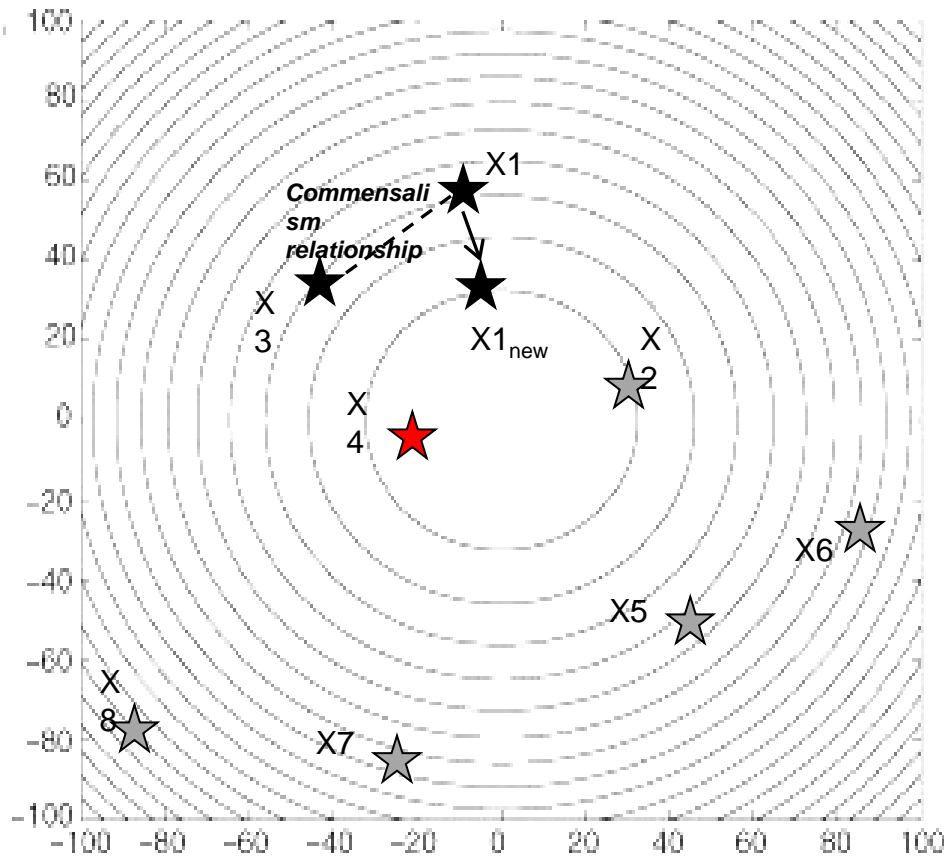
= $[41, 22] + [-4.9, -21.2]$

= $[36.1, 0.8]$

$F(X2_{new}) = 1304$ better than $F(X2_{old})$

Example (4)

• Commensalism



$X1 = [-14.2, 55.6]$ $F(X1) = 3290$

$X3 = [-40, 30]$ $F(X3) = 2500$

$X_{new} = X_{old} + \text{rand}[-1,1] * (X_{best} - X_j)$

$X1_{new} = [-14.2, 55.6] + [0.13, 0.87] * ([-10, -4] - [-40, 30])$

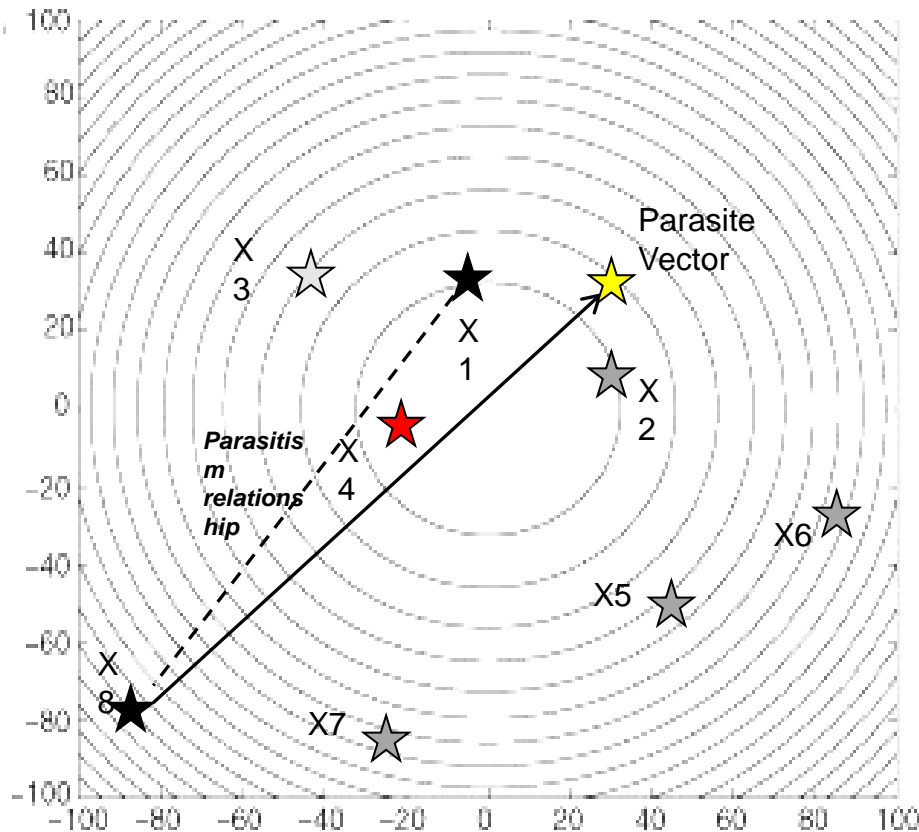
$= [-14.2, 55.6] + [3.9, -29.58]$

$= [-10.3, 26.0]$

$F(X1_{new}) = 783$ better than $F(X1_{old})$

Example (5)

• Parasitism



$$X1 = [-10.3, 26] \quad F(X1) = 783$$
$$X8 = [-87, -79] \quad F(X8) = 13810$$

Parasite Vector = X_i mutated in a random dimension (1st dimension here)

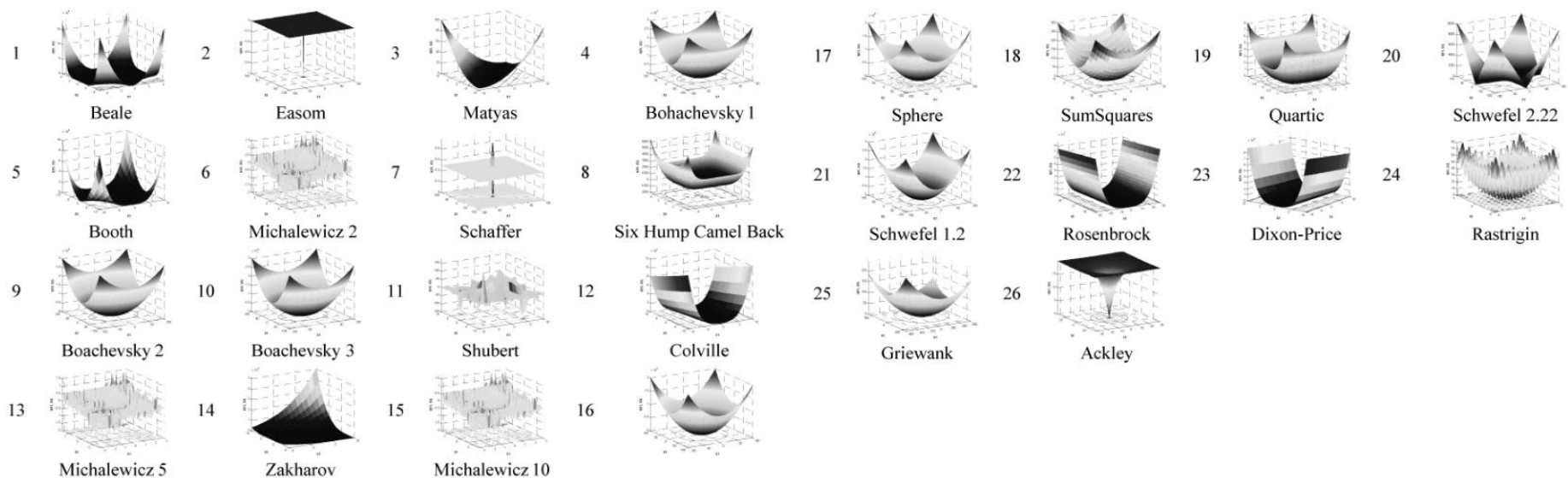
$$\text{ParasiteVector (PV)} = [30, 26]$$

$$F(\text{PV}) = 1576 \text{ better than } F(X8)$$

$X8$ will be vanished, PV will replace it as the new $X8$.

SOS Applications (1)

- Benchmark functions

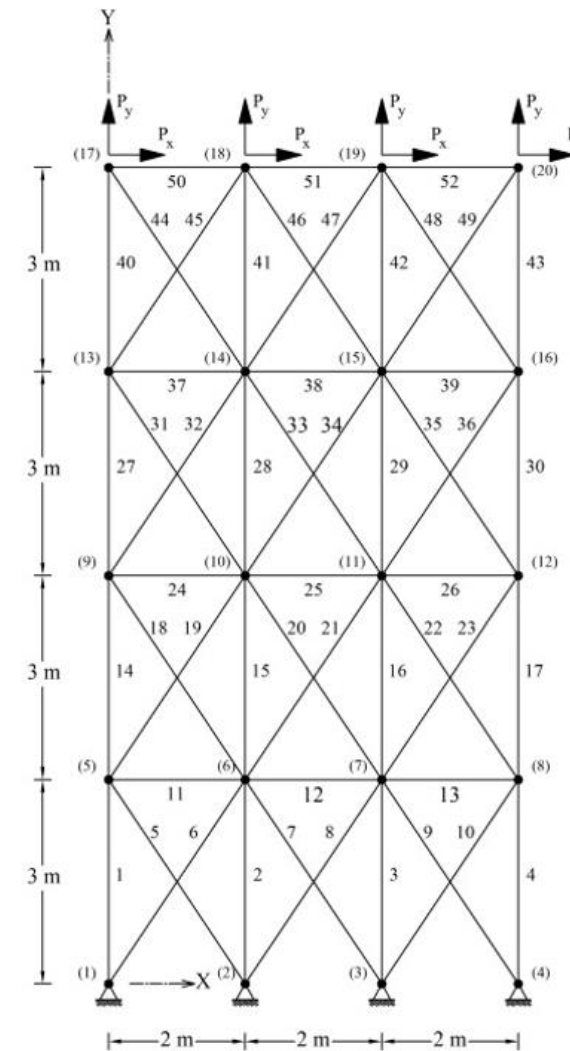
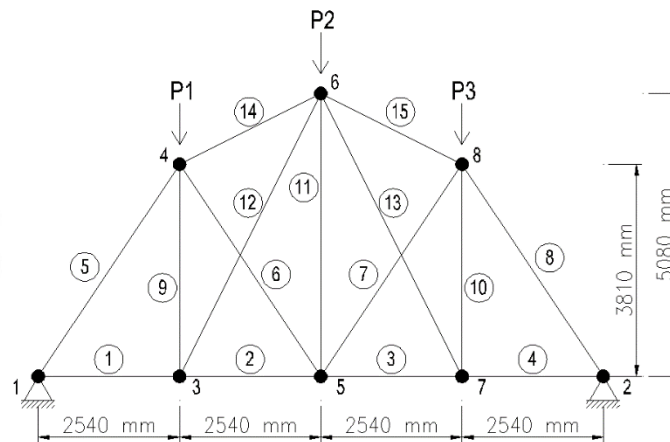
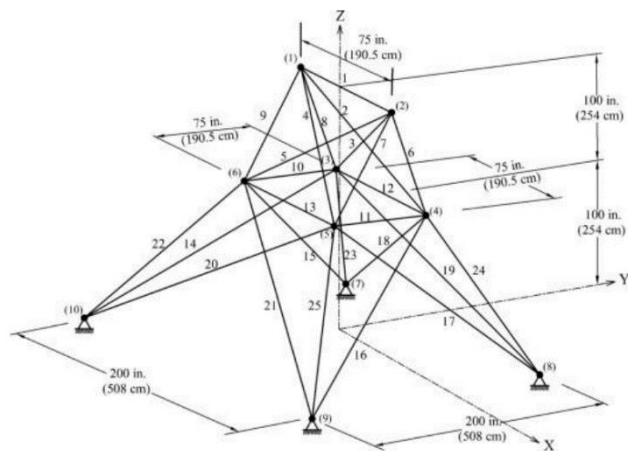


Benchmark functions

- SOS was compared with other algorithms using the result of 30 runs for every problem
- SOS found the global optimum value for 22 of the 26 functions and outperformed all the other algorithms (GA, PSO, DE).
- SOS was the only algorithm able to solve Dixon-Price and produced the best result of all on the exceptionally difficult Rosenbrock

SOS Applications (2)

- Structural engineering design optimizations



Conclusions

- SOS is simple and easy to program
- Suitable for **continuous/real-valued** domains
- **No algorithmic parameters** to adjust
- May be disadvantageous when the evaluation of objective function is time-consuming: it takes more than one evaluations per organism at each iteration
- Need some adjustments for solving discrete problems