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```
function SOL = GJel(Awork)
```

```
% HW 1 Problem 2 (b)
% Gauss-Jordan elimination
% The input is the concatenated matrix Awork = [2, A, b, b2, ... , bn]
```

#### Illustrate vanilla forward elimination

```
nrefr = size(Awork,1);
                     % # of rows
nrefc = size(Awork,2);
                    % # of columns
Aworkut = Awork:
                   %loop over rows from 2 to nrefr performing elimination
for ir1 = 2 : nrefr
   for ir2 = ir1 : nrefr
                          %this index marks the present position where elimination is being performed
      %subtract off previous row modified by a factor that eliminates the ir-1 \ensuremath{\text{c}}
      Aworkut(ir2,:) = Aworkut(ir2,:) - fact/Aworkut(ir1-1,ir1-1).*Aworkut(ir1-1,:);
   end %for
end %for
disp('The upper triangular matrix is: ');
disp(Aworkut);
```

```
Not enough input arguments.

Error in GJel (line 9)

nrefr = size(Awork,1);  % # of rows
```

## Illustrate vanilla backward elimination

# Get Reduced Row-Echelon Form

```
AworkRE = Aworkdiag;
for dg = 1 : nrefr
    AworkRE(dg,:) = AworkRE(dg,dg);
end % for

disp('The reduced row-echelon form is: ');
disp(AworkRE);
```

### Get the solution

```
SOL = AworkRE(1:end , nrefr+1:end);
```

```
end % function
```

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