# Introduction to R

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## Element of the editor

In an R Markdown document, we can interweave code and text. The code goes in a code chunk, and text outside of the code chunks. When you knit, the code is executed. Note that running code is not the same as knitting!

# Some coding basics

#### R as calculator

```
1 + 2

## [1] 3

3 * 4

## [1] 12

5^2

## [1] 25

sqrt(9)

## [1] 3

# this calculates e^2
exp(2)

## [1] 7.389056

# this calculates 5!
factorial(5)

## [1] 120
```

```
# this evaluates the binomial coefficient "5 choose 3"
choose(5, 3)
## [1] 10
```

R respects PEMDAS:

```
1 + 1/2
```

```
## [1] 1.5
```

```
(1+1)/2
```

## [1] 1

#### Booleans

Booleans/logicals can be formed with (in)equality symbols:

```
1 > 2
```

```
## [1] FALSE
```

```
2 >= -1
```

```
## [1] TRUE
```

```
3 == 4
```

## [1] FALSE

#### Variables

Storing/saving values into variables is achieved by using the syntax <variable name> <- <value>. Note that the variable name cannot begin with a number!

Note: storing means the result is not displayed to the user. Type out the variable name after storing to explicitly show the values.

```
a <- 1
a
```

## [1] 1

#### Vectors

Create vectors of values using the concatenate  ${\tt c}(\tt)$  function:

```
v <- c(1, 4, 9, 16)
v
```

## [1] 1 4 9 16

The syntax a:b creates a sequence of integers from a to b.

```
c <- 1:4
c
```

## [1] 1 2 3 4

R is vectorized language. Also, under the hood, booleans/logicals are treated at 1/0 for TRUE/FALSE.

c + v

## [1] 2 6 12 20

c \* v

## [1] 1 8 27 64

sqrt(c)

## [1] 1.000000 1.414214 1.732051 2.000000

```
u <- v >= 3
u
```

## [1] FALSE TRUE TRUE TRUE

sum(u)

## [1] 3

#### **Functions**

A function takes in some argument(s) as input and returns something back as output. We can write custom functions using function(). We need to specify the name of the function for future use, as well as what to output based on inputs.

Suppose a group of k people each choose a number at random from a list of n possibilities. The probability of at least one match is 1 minus the probability of no matches:

$$1 - \frac{n!}{(n-k)!n^k} = 1 - \binom{n}{k} \frac{k!}{n^k}$$

We can write this as a function:

```
prob_match <- function(n, k){</pre>
  1 - choose(n, k) * factorial(k) / n^k
}
```

Note that the function name is prob\_match, and the inputs are n and k. The output is the probability for the specific n and k. For example, probability of at least one match among 3 people choosing a number between 1 and 10 is:

```
prob_match(10, 3)
```

## [1] 0.28

#### Basic plotting

We can plot one variable against another (e.g. input and output of a function) using the plot() function. The first argument is the x-axis variable (e.g. input), and the second argument is the y-axis variable (e.g. output).

For example, suppose we want to see the outputs of prob\_match for picking one number out of n=100possible numbers, for groups of size  $k = 2, 3, \dots, 40$ .

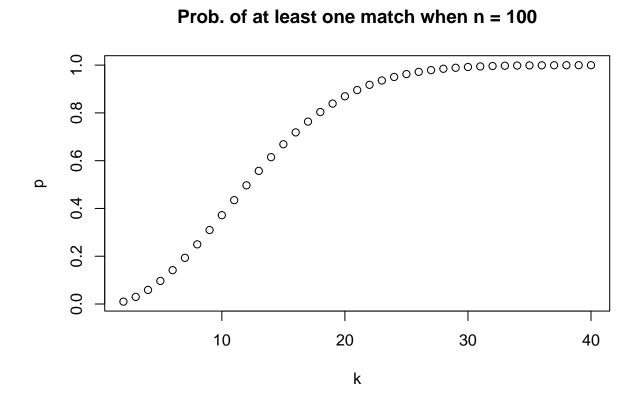
We begin by creating a vector of inputs:

```
k < -2:40
p <- prob_match(100, k)</pre>
```

Then we pass k and p into the plot function, plus an optional title:

```
plot(k, p, main = "Prob. of at least one match when n = 100")
```

## Prob. of at least one match when n = 100



## Sampling and simulating

The sample() function generates random values from a pool of values contained in a specific vector. You can twist many knobs to get sampling with or without replacement, uneven probabilities, and different sized samples.

```
x <- 1:10
sample(x)

## [1] 6 7 9 1 8 3 2 5 4 10

sample(x, size = 5)

## [1] 1 7 4 6 2

sample(x, size = 5, replace = T)

## [1] 10 10 2 6 7</pre>
```

#### Card matching problem

We can use the sample() function to simulate the card matching problem. Here, we have n = 10 cards. We can ask what is the probability of winning the game (i.e. at least one card match)?

This is a single game:

```
n <- 10
deck <- 1:n
game <- sample(deck)
game == deck</pre>
```

## [1] FALSE TRUE FALSE FALSE TRUE FALSE TRUE FALSE FALSE

```
sum(game == deck)
```

```
## [1] 3
```

We can use the replicate() function to repeatedly simulate the game for N = 1000 times. Notice that both of the following are acceptable, and that the only difference is where we check whether we have a match:

```
r <- replicate(10000, sum(sample(deck) == deck))
sum(r >= 1)/ 10000

## [1] 0.6288

r2 <- replicate(10000, sum(sample(deck) == deck) >= 1)
sum(r2) / 10000
```

```
## [1] 0.6347
```