## EXPERIMENTS

Aim: implement N-tran model for the given text input.

Theory:

N-gram model.

From the markor Assumption, we can formally define N-gram models where k=n-1 as the following

P(wi/wiw2. - wi-1) ≈ P(wi/wi-(n-1) .. w(i-1))

And the simplest versions of the above are defined as the unigram model (k=1) and the Bigham model (K=2)

Unigram model (K=1)  $P(\omega_1, \omega_2, \omega_n) \simeq TP(\omega_1)$ 

Biguen model (k=2)  $P(Ui(U, W2...Wi-1) \simeq P(Wi(Wi-1))$ 

These sovations can be extended to compute trigrams, 4-grams, 5-grams, etc. In general, shis is an insufficient model of language because sensences often have long distance dependencies. For example, the subject of a sentence may be at the start whilst our most word to be perdicted occurs more than 10 words (ater.

Chain Rule

la general cases, enc formula is as follows:

P(x1, x2, .. xn) = P(x1) P(x2/x1) .. P(xn/x1...xn-1)

The chain rule applied to compute the joined probability of words in a sequence is therefore  $f(\omega_1\omega_2...\omega_n) = TTP(\omega_1/\omega_1\omega_2...\omega_{i-1})$ 

For lample

P("its water is so transparent") = P(its) + P(vater/its) +
P(is (its water) \* P(so / its water is) \* P(transparent)

its water of so

marker Assumption Property

A stochastic process has the marker property if the

Conditional probability distribution of future states

Of the process (conditional on hors past and present

Nates) depends only upon the present state, not

on the seaward of event that preceded it. F)

process with this property is carred markor process.

Con other words, the probability of the next

word can be estimated given only the previous

K number of words

For example, if K=1:

P(transparent/its water aso) & P(transparent/so)

p(transparent/its water is su) = P(transparent/is so)

Crencial evolution for the markov Assumption, K=1'
P(wilw, wz. wi-1) ~ P(wilw;-k. wi-1)

overcome it:

Sensitivity to the training corpus

The N-gram model, like many statistical models,
is significantly dependent on the training corpus. As
a result, the probabilities often encode particular
facts about a given training corpus. Besides, the
performance of the N-gram model varies with
the change in the values of N

Technique to overcome is

we can have a language task in which we
know all the words that can occur, and
hence we know the vocabulary size v in advance.

The closed vocabulary assumption assumes
there are no unknown words, which is
unlikely in practical scenarios.



2) smoothing

A notable proslem with the maximum likelihood estimation approach is sparse data. meaning, any N-gram that appeared a sufficient number of times might have a reasonable estimate for lit probability. But because any corpus is limited, some perfectly acceptable english word sequences are bound to be missing.

Technique to overcome it
on way to solve this is to start with a fixed
vocabulary and convert out of vocabulary
words in training to UNK pseudo-ward.

Conclusion:

Thus, we have successfully studied and implemented N-Gram model for the given sent input

Sundaram

## Code

```
import nltk
from nltk import word_tokenize
from nltk import bigrams, trigrams
test_list = ['Hi','How are you?','I am from VESIT', 'Nice to meet you']
count=0
new list=[]
for i in test list:
  if count==0:
     i="(eos) "+i+" (eos)"
  else:
     i=i+" (eos)"
  new list.append(i)
  count+=1
word list=[]
for i in new_list:
  x=i.split()
  word list.extend(x)
res = [(x, i.split()[j + 1]) for i in new_list
for j, x in enumerate(i.split()) if j < len(i.split()) - 1]
text="Hello How are you? We are from VESIT Nice to meet you"
print("Orignal Text->",text)
unigrams = word tokenize(text)
print("<--Unigrams-->")
print(unigrams)
bigrms=nltk.bigrams(text.split())
print ("<--Bigrams-->")
print(*map(' '.join, bigrms), sep=', ')
trigrms =nltk.trigrams(text.split())
print( "<--Trigrams-->")
print(*map(' '.join, trigrms), sep=', ')
print("<--Before applying Smoothing Probability Table-->")
def prob_calc(a,b):
  prob=(res.count((b,a))+1)/(word_list.count(b)+len(set(word_list)))
  return prob
wordset=list(set(word_list))
print("\t",end="")
for i in wordset:
  print(" ",i, end="")
print()
```

```
for i in wordset:
  print(i,":\t", end="")
  for j in wordset:
     ans=prob_calc(j,i)
     print("%.3f "%ans,end="")
  print()
print()
print("<--After applying Smoothing Probability Table-->")
def prob_calc(a,b):
  prob=(res.count((b,a))+1)/(word_list.count(b)+len(set(word_list))+1)
  return prob
wordset=list(set(word_list))
print("\t",end="")
for i in wordset:
  print(" ",i, end="")
print()
for i in wordset:
  print(i,":\t", end="")
  for j in wordset:
     ans=prob_calc(j,i)
     print("%.3f "%ans,end="")
  print()
```

## **Output**

