

Cancer survival analysis using population-based data

Granada, 27-28 March 2017

Age-standardised Net Survival & Cohort and Period Net Survival Estimates



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Outline

1. Age-standardised Net Survival.
2. Cohort and Period Estimation of Age-standardised Net Survival.
3. Practical implementation.



Introduction

- **Net Survival** deals with Competing Risk.
- **Pohar Perme...to deal with censoring (IPCW): because the probability of death is increased for the majority of cancer sites during the first years of follow-up.**
- **OK, great. But ...**
- The **excess risk of death** from cancer is itself often **dependent from the structure of AGE of the Background POPULATION.**



Why Age-Standardised Net Survival?

So, the Comparison of **all-ages survival** between two or more populations (regions or countries), or when analysing survival trends over time can be **misleading** if the **age structure** of the cancer patient populations is very **different**.

Imaging a Net Survival comparison between JAPAN and GUATEMALA

We need to control for the different STRUCTURE OF AGE when comparing Net Survival between populations



What can we do about it?

- Compare **age-specific survival**
(not convenient if there are too many strata)
- Calculate a summary survival value which “*controls*” or “*adjusts*” for the effect of age
 - **Direct age-standardisation** is one such approach
 - commonly used in the analysis of routinely-collected data



Direct age-standardisation

Produces an **overall summary measure** for each population whilst **removing the effect of differences in age structure** of cancer patients that may compromise the comparison of un-standardised survival



Constraints of the direct age standardisation method

- Requires estimation of survival for each age group
- Requires at least one patient at risk within each age group for each time interval of follow-up, unless all patients died before the end of the study
- May not be feasible when data are sparse

Interpretation

- Age-standardised survival **does not reflect** the actual experience of the population being examined.
- **It is an artificial (hypothetical) survival** estimate that allow comparisons across populations while “adjusting” for age.
- It is **interpretable as** the overall survival that would have occurred if the age distribution of the patient group under study had been the same as that of the standard population.
- Age-standardised survival estimates should be compared to each other **only if they have been calculated using the same reference population.**

Examples of (external) standard cancer patient populations

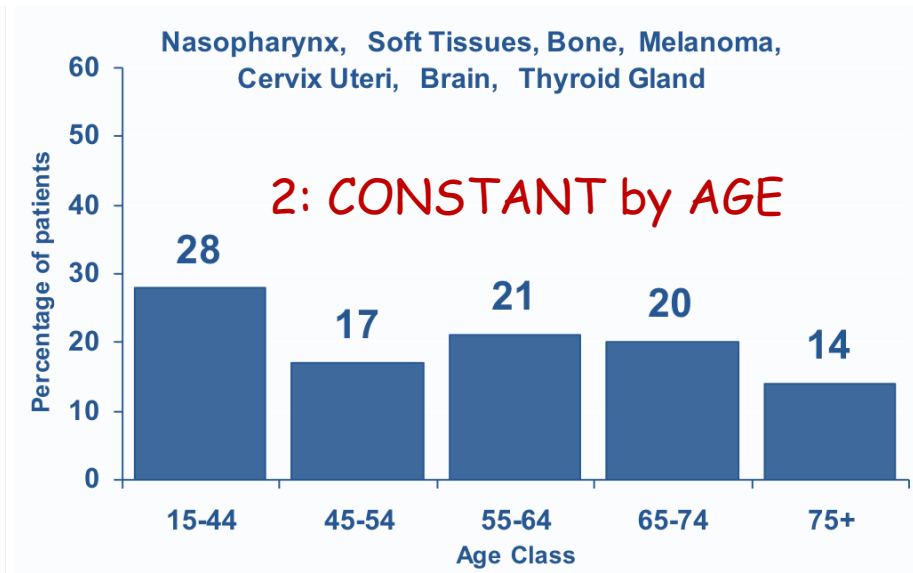
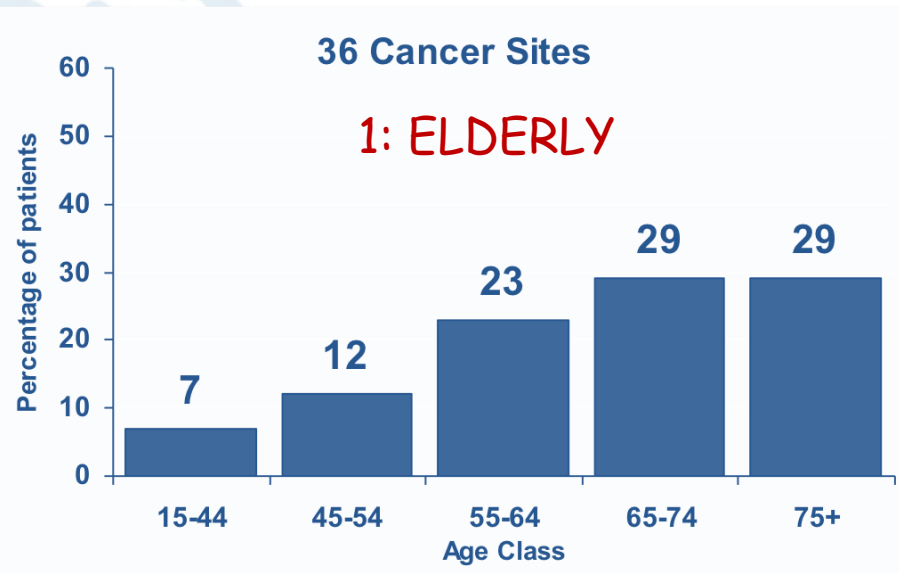
3. International cancer survival standard (ICSS)

Recommended standard population

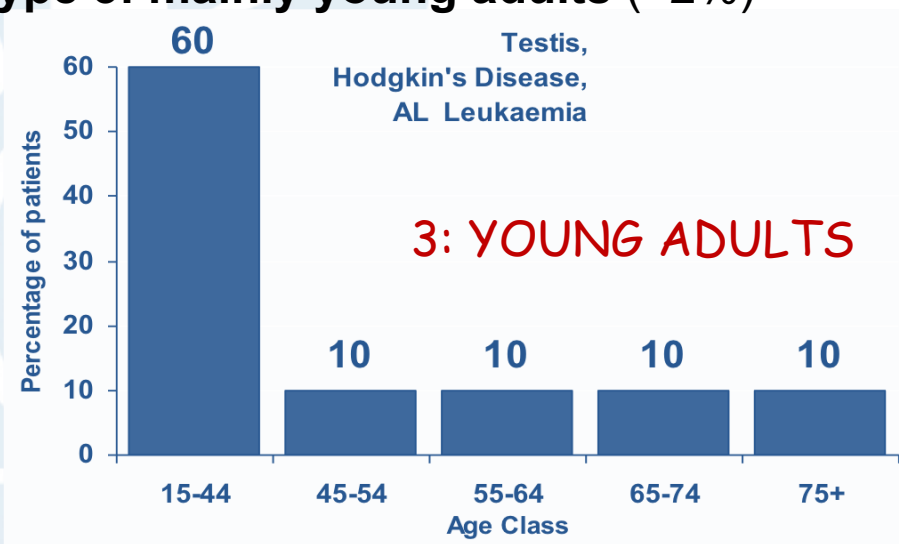
3 standards for 3 types of cancer derived from the EUROCare-2 dataset

- **Type 1:** increasing with age (91% of cases)
- **Type 2:** constant with age (7% of cases)
- **Type 3:** mainly young adults (<2%)
 - Minimise difference between raw and standardised
 - Smallest number of standards
 - Not arbitrary (specific to one study)
 - Males and females combined

Type 1: increasing with age (91% of cases) **Type 2: constant with age (7% of cases)**



Type 3: mainly young adults (<2%)



From *Corazziari et al., 2004*

Example: Age-standardised cancer survival (salivary gland cancer)

Unstandardised Survival Estimates at 5 years:

	1971-75	1976-80	1981-85	1986-90
All ages	67.3	63.1	60.7	58.6

Age Specific Survival Estimates at 5 years:

Age Group	1971-75	1976-80	1981-85	1986-90
15-44	91.3	86.8	84.4	84.7
45-54	72.1	76.8	65.1	67.3
55-64	61.9	55.6	57.9	51.2
65-74	45.8	53.4	48.7	51.4
75+	29.2	33.9	37.7	32.3

ICSS Population Standard

Age Group	weight	proportion
15-44	7	0.07
45-54	12	0.12
55-64	23	0.23
65-74	29	0.29
75+	29	0.29
All ages	100	1.00

Using other standards

Age Group	EUROCARE		World Standard	
	weight	proportion	weight	proportion
15-44	515	0.15	18.7	0.19
45-54	452	0.13	19.1	0.19
55-64	674	0.19	23.1	0.23
65-74	905	0.26	18.9	0.19
75+	992	0.28	20.2	0.20
All ages	3539	1	100	1.0

Standardised Survival Estimates at 5 years

Age Group	1971-75	1976-80	1981-85	1986-90
-----------	---------	---------	---------	---------

15-44	6.4	6.1	5.9	5.9
45-54	8.6	9.2	7.8	8.1
55-64	14.2	12.8	13.3	11.8
65-74	13.3	15.5	14.1	14.9
75+	8.5	9.8	10.9	9.4

Age standardised	51.0	53.4	52.1	50.1
------------------	------	------	------	------

$51.0 = 6.4 + 8.6 + 14.2 + 13.3 + 8.5$

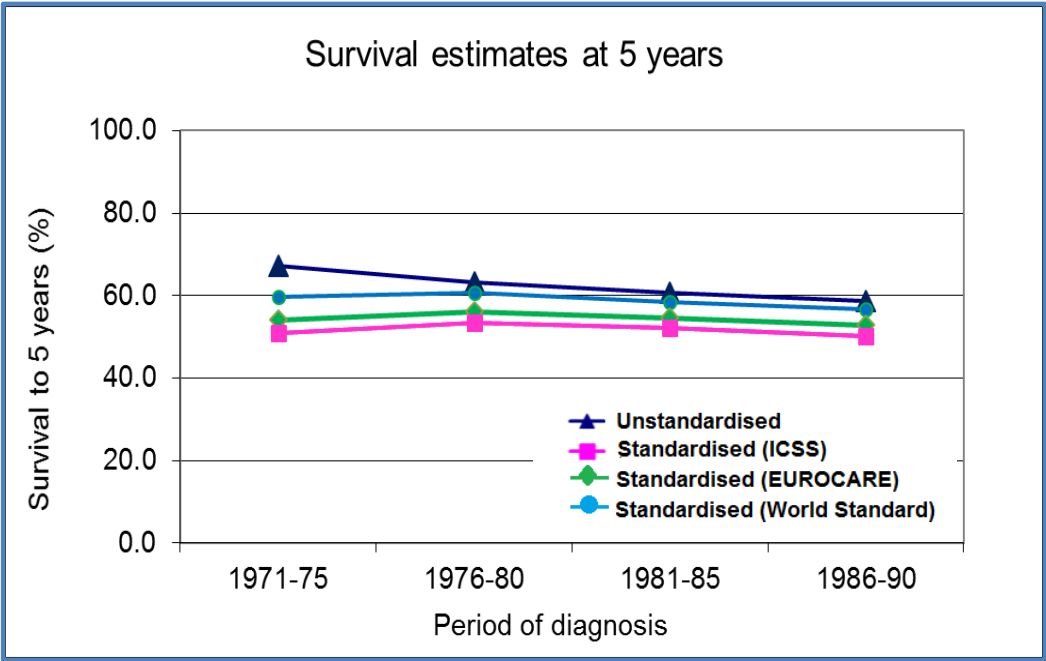
$5.9 = 84.7 \times 0.07$

$8.1 = 67.3 \times 0.12$

$11.8 = 51.2 \times 0.23$

$14.9 = 51.4 \times 0.29$

$9.4 = 32.3 \times 0.29$



Calculation: age-standardised survival

1. Estimate age-specific survival for each age-group
2. Combine these estimates in a weighted average

Age-standardised survival (AS)

$$\begin{aligned} &= S_1 \cdot w_1 + S_2 \cdot w_2 + \dots + S_n \cdot w_n = \\ &= \sum_{i=1}^n S_i \cdot w_i \end{aligned} \quad \longrightarrow \text{Sum weights: } w_1 + w_2 + \dots + w_n = 1$$

where

S_i = survival estimate for age group i

w_i = proportion of patients in age group i in the standard population

Calculation: standard error for age-standardised survival

$$SE(AS) = \sqrt{\sum_{i=1}^n w_i^2 \cdot SE(S_i)^2}$$

where,

$SE(S_i)$ = standard error for the survival estimate in age group i

w_i = proportion of patients in age group i in the standard population

Calculation: 95% confidence interval for age standardised survival

$$\text{Lower Limit} = AS / \exp[1.96 * SE(AS) / AS]$$

$$\text{Upper limit} = AS * \exp[1.96 * SE(AS) / AS]$$



Based on a logarithmic transformation of the survival function

Conclusions

- When comparing net survival estimates between groups there is still a residual impact of patient age on the estimates.
- This can be remedied by age-standardisation of the net survival estimates. Confidence intervals can be generated for age-standardised estimates, allowing comparisons between them.
- The reference population can be chosen to maximise:
 - Comparability with other studies
 - Maximum agreement between un-standardised and standardised estimates
 - Computational ease
- ICSS reference population is a very good choice for all these... though you may be required to use another one!

References

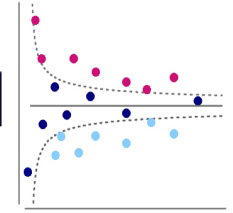
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Granada, 27-28 March - 2017

Cancer
Survival
Group



Day 2 – Practical Study designs

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Learning objectives

1. To **estimate net survival** using **cohort** and **period** approach, and to **compare the results**.



Stata: stset

Setting the structure of your survival data

```
stset(end of follow-up: date), fail(dead==1) origin(time date) enter(time date) exit(time date) scale(value)
```

Scale: scale(30) = monthly data; scale(365.25) = yearly data

$$t = \frac{time - origin(0)}{scale()}; \text{ by default: } t = \frac{time - origin(0)}{scale(1)}$$

enter: When the subject enter the study (date)

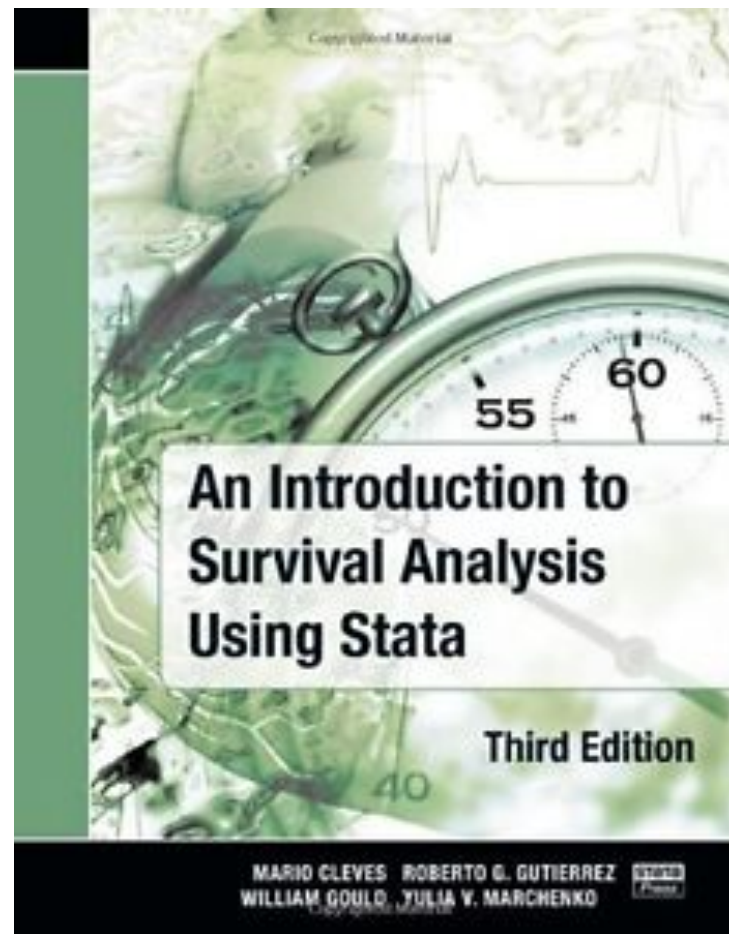
origin: When the subject becomes at risk and needed if you have only **calendar dates** in your dataset

exit: When the subject leaves the study (date)

_t0 and **_t:** Record the **time span**, in analysis time t. _t0= start and _t= end

_d: Record the outcome at the end of the span.

_st: Record whether the observation is going to be used in the current analysis



Chapters 4, 5, 6



Breast_stns.dta

	Calendar year of follow-up																																			
	1971	1972	1973	1974	1975	1976	1977	1978	1979	1980	1981	1982	1983	1984	1985	1986	1987	1988	1989	1990	1991	1992	1993	1994	1995	1996	1997	1998	1999	2000	2001	2002	2003			
1971	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	1971		
1972		0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	1972		
1973			0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	1973		
1974				0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	1974		
1975					0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	1975		
1976						0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	1976		
1977							0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	1977		
1978								0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	1978		
1979									0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	1979		
1980										0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	1980		
1981											0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	1981		
1982												0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	1982		
1983													0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	1983		
1984														0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	1984		
1985															0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	1985		
1986																0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	1986		
1987																	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	1987		
1988																		0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	1988		
1989																			0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	1989		
1990																				0	1	2	3	4	5	6	7	8	9	10	11	12	13	1990		
1991																					0	1	2	3	4	5	6	7	8	9	10	11	12	1991		
1992																						0	1	2	3	4	5	6	7	8	9	10	11	1992		
1993																							0	1	2	3	4	5	6	7	8	9	10	1993		
1994																								0	1	2	3	4	5	6	7	8	9	1994		
1995																									0	1	2	3	4	5	6	7	8	1995		
1996																										0	1	2	3	4	5	6	7	1996		
1997																											0	1	2	3	4	5	6	1997		
1998																												0	1	2	3	4	5	1998		
1999																													0	1	2	3	4	1999		
2000																														0	1	2	3	2000		
2001																															0	1	2	2001		



Breast_stns.dta

	Calendar year of follow-up																																	
	1971	1972	1973	1974	1975	1976	1977	1978	1979	1980	1981	1982	1983	1984	1985	1986	1987	1988	1989	1990	1991	1992	1993	1994	1995	1996	1997	1998	1999	2000	2001	2002		2003
1971	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	1971
1972		0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	1972
1973			0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	1973
1974				0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	1974
1975					0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	1975
1976						0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	1976
1977							0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	1977
1978								0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	1978
1979									0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	1979
1980										0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	1980
1981											0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	1981
1982												0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	1982
1983													0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	1983
1984														0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	1984
1985															0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	1985
1986																0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	1986
1987																	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	1987
1988																		0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	1988
1989																			0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	1989
1990																				0	1	2	3	4	5	6	7	8	9	10	11	12	13	1990
1991																					0	1	2	3	4	5	6	7	8	9	10	11	12	1991
1992																						0	1	2	3	4	5	6	7	8	9	10	11	1992
1993																							0	1	2	3	4	5	6	7	8	9	10	1993
1994																								0	1	2	3	4	5	6	7	8	9	1994
1995																									0	1	2	3	4	5	6	7	8	1995
1996																										0	1	2	3	4	5	6	7	1996
1997																											0	1	2	3	4	5	6	1997
1998																												0	1	2	3	4	5	1998
1999																													0	1	2	3	4	1999
2000																														0	1	2	3	2000
2001																															0	1	2	2001



```
. stset finmdy, fail(dead==1) origin(time diagmdy) enter(time diagmdy)
```

```
failure event:    dead == 1
obs. time interval:  (origin, finmdy]
enter on or after:  time diagmdy
exit on or before:   failure
t for analysis:     (time-origin)
                    origin: time diagmdy
```

```
355801 total observations
      0 exclusions
```

```
355801 observations remaining, representing
212121 failures in single-record/single-failure data
920269050 total analysis time at risk and under observation
              at risk from t =                0
              earliest observed entry t =        0
              last observed exit t =            12052
```



Stata: stset

```
stset finmdy, fail(dead==1) origin(time diagmdy) enter(time diagmdy) scale(365.25)
```

```
list diagmdy finmdy _t0 _t _d _st in 1/10
```

	diagmdy	finmdy	_t0	_t	_d	_st
1.	01jan2000	31dec2003	0	3.9972621	1	1
2.	29jul1998	31dec2003	0	5.4236824	0	1
3.	30jan1998	31dec2003	0	5.9164956	0	1
4.	09jul1998	31dec2003	0	5.4784394	0	1
5.	22dec1998	31dec2003	0	5.0239562	0	1
6.	23jan1998	31dec2003	0	5.9356605	0	1
7.	16jul1998	31dec2003	0	5.4592745	0	1
8.	07jul1999	31dec2003	0	4.4845996	0	1
9.	18aug1998	31dec2003	0	5.3689254	0	1
10.	01sep1999	01oct2003	0	4.0821355	1	1



Net Survival Estimates

Hypothetical Scenario:

9 Cohorts from 1971 to 1979

5 incident cases per year

Recursive survival pattern:

1 individual survives 15 years

1 individual survives 10 years

1 individual survives 7 years

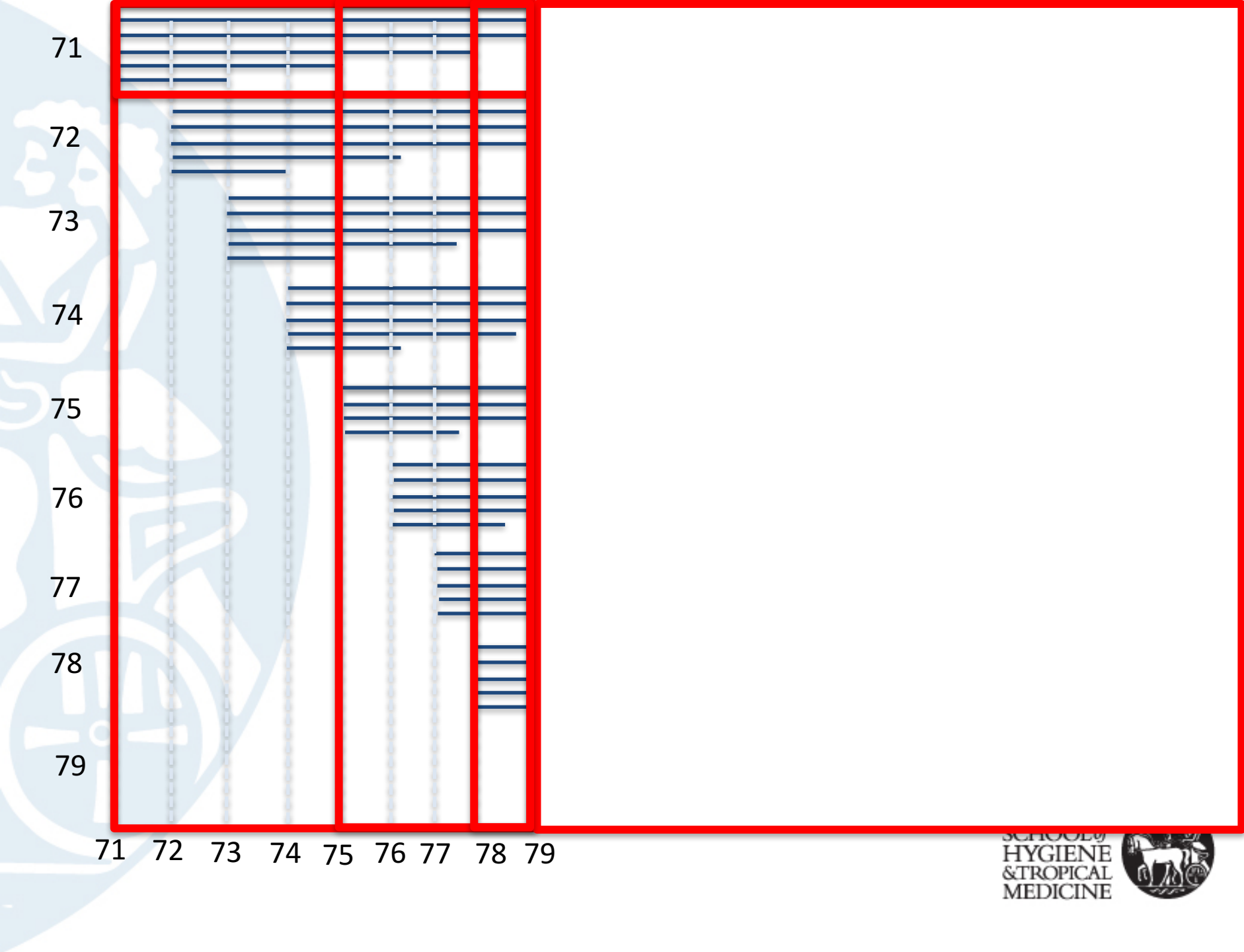
1 individual survives 4 years

1 individual survives 2 years

Several options to estimate Net Survival answering different questions:

1. The complete data (considering the last update date)
2. From one particular cohort
3. From one or several aggregated calendar periods





Q1: Cohort and Period

Calendar year of diagnosis

Cohort approach, 1971

*cohort approach 1971

```
stset finmdy, fail(dead==1) origin(time diagmdy) enter(time diagmdy) scale(365.25)
```

```
stns list using lifestable_stns.dta if year(diagmdy)==1971, ///  
    age(agediagindays=_age) period(diagmdy=yearindays) ///  
    strata(sex dep) rate(rate_day) ///  
    at(.5 1 5 10 15, scalefactor(365.25) unit(year)) ///  
    saving(cohort_1971, replace)
```

```
type of estimate: kaplan-meier  
    failure _d:    dead == 1  
    analysis time _t: (finmdy-origin)  
        origin:    time diagmdy  
    enter on or after: time diagmdy
```

Time (year)	Event Time	Beg. Total	Fail	Net Lost	Net Surv. Function	[95% Conf. Int.]	
.5	182	6061	838	0	0.8722	0.8634	0.8810
1	365	5223	480	1	0.8013	0.7906	0.8120
5	1826	4742	2056	7	0.4992	0.4844	0.5139
10	3646	2679	1024	1	0.3485	0.3306	0.3664
15	5467	1654	474	3	0.3126	0.2907	0.3345



Cohort, 1971

The survival of **women diagnosed in 1971**, as computed with the **cohort approach**, was:

one-year survival:	0.80	(95% CI 0.79-0.81)
five-year survival:	0.50	(95% CI 0.48-0.51)
ten-year survival:	0.35	(95% CI 0.33-0.37)
fifteen-year survival:	0.31	(95% CI 0.31-0.33)



Period approach, 1986

Calendar year of diagnosis	Calendar year of follow-up																																					Calendar year of diagnosis
	1971	1972	1973	1974	1975	1976	1977	1978	1979	1980	1981	1982	1983	1984	1985	1986	1987	1988	1989	1990	1991	1992	1993	1994	1995	1996	1997	1998	1999	2000	2001	2002	2003					
1971	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15																			1971			
1972		0	1	2	3	4	5	6	7	8	9	10	11	12	13	14																				1972		
1973			0	1	2	3	4	5	6	7	8	9	10	11	12	13																				1973		
1974				0	1	2	3	4	5	6	7	8	9	10	11	12																				1974		
1975					0	1	2	3	4	5	6	7	8	9	10	11																				1975		
1976						0	1	2	3	4	5	6	7	8	9	10																				1976		
1977							0	1	2	3	4	5	6	7	8	9																				1977		
1978								0	1	2	3	4	5	6	7	8																				1978		
1979									0	1	2	3	4	5	6	7																				1979		
1980										0	1	2	3	4	5	6																				1980		
1981											0	1	2	3	4	5																				1981		
1982												0	1	2	3	4																				1982		
1983													0	1	2	3																				1983		
1984														0	1	2	3																			1984		
1985															0	1	2																			1985		
1986																0	1																			1986		
1987																	0																			1987		
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Calendar year of diagnosis

Calendar year of diagnosis

JUSTIFICATION:

- Need of **UPDATED SURVIVAL estimates** that account for recent **improvements in treatment**
- All observations included in the analysis are **LEFT TRUNCATED and RIGHT CENSORED at 1986**
 - Then from the survivors of the cohort of 1971 we will have **15 years of follow-up** (5480 days)
 - **STNS account for the informative censoring**
(cancer deaths that occurs during the first years following diagnosis)

Period approach, 1986

Calendar year of follow-up																																																
	1971	1972	1973	1974	1975	1976	1977	1978	1979	1980	1981	1982	1983	1984	1985	1986	1987	1988	1989	1990	1991	1992	1993	1994	1995	1996	1997	1998	1999	2000	2001	2002	2003															
1971	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15																	1971															
1972			1	2	3	4	5	6	7	8	9	10	11	12	13	14																	1972															
1973			0	1	2	3	4	5	6	7	8	9	10	11	12	13																	1973															
1974				0	1	2	3	4	5	6	7	8	9	10	11	12																	1974															
1975					0	1	2	3	4	5	6	7	8	9	10	11																	1975															
1976						0	1	2	3	4	5	6	7	8	9	10																	1976															
1977							0	1	2	3	4	5	6	7	8	9																	1977															
1978								0	1	2	3	4	5	6	7	8																	1978															
1979									0	1	2	3	4	5	6	7																	1979															
1980										0	1	2	3	4	5	6																	1980															
1981										0	1	2	3	4	5	6																	1981															
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2001																	2001																															

Calendar year of diagnosis

***Period approach 1986**

```
stset finmdv, fail(dead==1) origin(time diagmdv) ///
```

```
enter(time mdy(1, 1, 1986)) exit(time mdy(12, 31, 1986))
```

```
stns list using lifetable_stns.dta, ///
```

```
age(agediagindays=_age) period(diagmdy=yearindays) ///
```

```
begin(time(origin), strata(sex dep), rate(rate_day)) ///
```

```
at(.5 1 5 10 15, scalefactor(365.25) unit(year)) end_followup(5480) ///
```

saving(period_1986, replace)

Pohar-Perme estimate:

Needs to account for
Informative censoring
from the date of diagnosis

15 years



Period approach, 1986

	Calendar year of follow-up																																			
	1971	1972	1973	1974	1975	1976	1977	1978	1979	1980	1981	1982	1983	1984	1985	1986	1987	1988	1989	1990	1991	1992	1993	1994	1995	1996	1997	1998	1999	2000	2001	2002	2003			
1971	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15																	1971			
1972		0	1	2	3	4	5	6	7	8	9	10	11	12	13	14																	1972			
1973			0	1	2	3	4	5	6	7	8	9	10	11	12	13																	1973			
1974				0	1	2	3	4	5	6	7	8	9	10	11	12																	1974			
1975					0	1	2	3	4	5	6	7	8	9	10	11																	1975			
1976						0	1	2	3	4	5	6	7	8	9	10																	1976			
1977							0	1	2	3	4	5	6	7	8	9																	1977			
1978								0	1	2	3	4	5	6	7	8																	1978			
1979									0	1	2	3	4	5	6	7																	1979			
1980										0	1	2	3	4	5	6																	1980			
1981											0	1	2	3	4	5																	1981			
1982												0	1	2	3	4																	1982			
1983													0	1	2	3																	1983			
1984														0	1	2																	1984			
1985															0	1																	1985			
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The **PERIOD** approach corresponds to the **survival which would be observed** amongst **NEWLY DIAGNOSED patients** if the currently observed conditional survival probabilities were to remain constant.

Period approach, 1986

In **1986**, the predicted survival for women with breast cancer, obtained through **period analysis**:

one-year survival:	0.88	(95% CI 0.87-0.88)
five-year survival:	0.63	(95% CI 0.62-0.64)
ten-year survival:	0.48	(95% CI 0.46-0.50)
fifteen-year survival:	0.41	(95% CI 0.39-0.44)

In situations where **SURVIVAL is improving over time** the PERIOD approach will always be lower than the corresponding cohort estimate.

ADVANTAGE:

It can estimate the NET SURVIVAL for the cohort 1986 **SEVERAL YEARS EARLIER**.



Period approach, 1986

The survival of **women diagnosed in 1971**, as computed with the **cohort approach**, was:

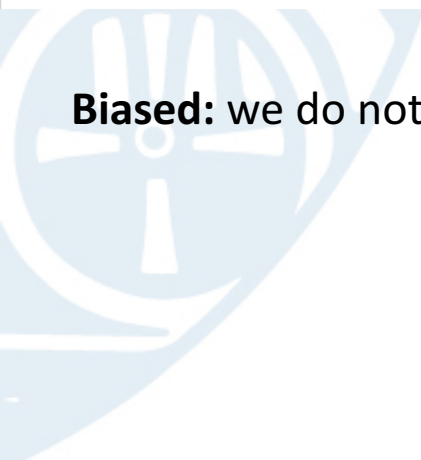
one-year survival:	0.80 (95% CI 0.79-0.81)
five-year survival:	0.50 (95% CI 0.48-0.51)
ten-year survival:	0.35 (95% CI 0.33-0.37)
fifteen-year survival:	0.31 (95% CI 0.31-0.33)

In 1986, the predicted survival for women with breast cancer, obtained through **period analysis**:

one-year survival:	0.88 (95% CI 0.87-0.88)
five-year survival:	0.63 (95% CI 0.62-0.64)
ten-year survival:	0.48 (95% CI 0.46-0.50)
fifteen-year survival:	0.41 (95% CI 0.39-0.44)



Calendar year of diagnosis

Calendar year of diagnosis

Biased: we do not

Hybrid approach: 1986

	Calendar year of follow-up																															
	1971	1972	1973	1974	1975	1976	1977	1978	1979	1980	1981	1982	1983	1984	1985	1986	1987	1988	1989	1990	1991	1992	1993	1994	1995	1996	1997	1998	1999	2000	2001	2002
Calendar year of diagnosis	1971	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15											1971				
	1972		0	1	2	3	4	5	6	7	8	9	10	11	12	13	14											1972				
	1973			0	1	2	3	4	5	6	7	8	9	10	11	12	13											1973				
	1974				0	1	2	3	4	5	6	7	8	9	10	11	12											1974				
	1975					0	1	2	3	4	5	6	7	8	9	10	11											1975				
	1976						0	1	2	3	4	5	6	7	8	9	10											1976				
	1977							0	1	2	3	4	5	6	7	8	9											1977				
	1978								0	1	2	3	4	5	6	7	8											1978				
	1979									0	1	2	3	4	5	6	7											1979				
	1980										0	1	2	3	4	5	6											1980				
	1981											0	1	2	3	4	5											1981				
	1982												0	1	2	3	4											1982				
	1983													0	1	2	3											1983				
	1984														0	1	2											1984				
	1985															0	1											1985				

Hybrid 1986

gen entermdy = cond(diagmdy>=mdy(1, 1, 1985), diagmdy, mdy(1, 1, 1986))

stset finmdy, fail(dead==1) origin(time diagmdy) **enter(time entermdy) ///**
 exit(time mdy(12, 31, 1986))

Cohort 85

stns list using lifetable_stns.dta, ///
 age(agediagindays=_age) period(diagmdy=yearindays) ///
begintime(origin) strata(sex dep) rate(rate_day) **end_followup(5480) ///**
at(.5 1 5 10 15, scalefactor(365.25) unit(year)) ///
 saving(hybrid_1986, replace)

LONDON
 SCHOOL of
 HYGIENE
 & TROPICAL
 MEDICINE



Hybrid approach: 1986

		Calendar year of follow-up																														
		1971	1972	1973	1974	1975	1976	1977	1978	1979	1980	1981	1982	1983	1984	1985	1986	1987	1988	1989	1990	1991	1992	1993	1994	1995	1996	1997	1998	1999	2000	2001
Calendar year of diagnosis	1971	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15														1971	
	1972		0	1	2	3	4	5	6	7	8	9	10	11	12	13	14														1972	
	1973			0	1	2	3	4	5	6	7	8	9	10	11	12	13														1973	
	1974				0	1	2	3	4	5	6	7	8	9	10	11	12														1974	
	1975					0	1	2	3	4	5	6	7	8	9	10	11														1975	
	1976						0	1	2	3	4	5	6	7	8	9	10														1976	
	1977							0	1	2	3	4	5	6	7	8	9														1977	
	1978								0	1	2	3	4	5	6	7	8														1978	
	1979									0	1	2	3	4	5	6	7														1979	
	1980										0	1	2	3	4	5	6														1980	
1981											0	1	2	3	4	5														1981		
1982												0	1	2	3	4														1982		
1983													0	1	2	3														1983		
1984														0	1	2														1984		
1985															0	1														1985		

Hybrid 1986

If date of diagnosis ≥ 1985 (then) $\rightarrow 1985$

else date of diagnosis < 1985 (then) $\rightarrow 1,1,1986$

Combined information:

Cohort 1985 + most updated information for other cohorts (**the most recent year**).

stset finmdy, fail(dead==1) origin(time diagmdy) ///

enter(time entermdy) **exit**(time mdy(12, 31, 1986))



Hybrid approach: 1986

The **'biased' period estimates** using the modified dataset were:

- one-year survival: 0.84 (95% CI 0.80-0.87)
- five-year survival: 0.60 (95% CI 0.57-0.63)
- ten-year survival: 0.46 (95% CI 0.43-0.48)
- fifteen-year survival: 0.39 (95% CI 0.36-0.42)

The estimates obtained with **hybrid analysis** were:

- one-year survival: 0.88 (95% CI 0.88-0.89)
- five-year survival: 0.63 (95% CI 0.62-0.64)
- ten-year survival: 0.48 (95% CI 0.47-0.50)
- fifteen-year survival: 0.41 (95% CI 0.39-0.44)



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