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No. 4 Supp. Cond. (1) ≥ \(\frac{\mu(\omega)^2(\alpha,\omega)}{\infty} \leq 1 \ \ta \in A
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                            (2) = \frac{\( \mu(\omega) \) \( \lambda(\omega) \) \( \lambda(\om
          Real YA(W)=P(Wlack)= Had PrackIW)
            \begin{split} \zeta(A,\widetilde{\eta}) = \zeta(A,\widetilde{\widetilde{\eta}}) &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \\ &= \sum_{\mathbf{x} \in \mathbb{R}_{0}} \psi(\mathbf{x}(\omega)) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) \widetilde{\mathbf{x}}(\mathbf{x}(\omega)) 
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                               (3) MH (mt. P(a.lw) = P(a)2(a,w) Va EA
                                                                                      - S [S MW) Plack [W] [S Plumed) when when [
                                 an P(w)) P(w) P(ach (a))

T(w)

T(w)
                                      Pa
Harywy
                                                                                           = Z Plack) Z Plukch) which)
                                                                                           · Z Z HW) Plack(w) U(e(w))
                                                                                      + hz [[w][-cz]+(1-hz) [-w]h[H)[-ct]
+ hz [[w][-cz]+(1-hz) [-w]h[H)[-ct]
                                                                                      . PI Pail)[s-cz]+(1-pz)PaiH)[-cx]-pz s
                                             <u>UiAC</u>
GCA,TEU+G(A,TEU)+GCA,TEU)+GCA,TEU)
                                                                                                                                                                                                                                                                                                                                   ~ (P(m) [ (a(m) - n(P(m))] > 0
                                                                                                                                                                                                                                                                                                                                   με P(d)[[(-c1)-(-λ)] + ((-με)P(d)H)[-c+-0] > 0
                                                             pe Bullil [[x-ce] +(1-pe) Buld | H) (-cn) - pex
                                                + he ge(q1) [10-55] +(4-h5) Le(q14)(-14) -hay
                                                                                                                                                                                                                                                                                                              co μz AdII)[s-cz]+(1-μz)AdIH)[-cμ]>0
                                           * pr Bidili)[0.5] +(1-pr)BidiH)[-5]-pr.
                                                                                                                                                                                                                                                                                                                                με P(m[[(-λ)-(-c]]+(1-με)P(miH)[0-(-c]]>0
                                           + pe B(d12)[x-ce] +(1-pe)Ps(d1H)(-cn)-pex
                                                                                                                                                                                                                                                                                                                              · pr PMT[[2-C]-(1-pr]PMH)[-C1]20
                                      05 p=8/dt)[c=-c=]+(1-p=)8/d1H)[c+-c+]>
                                                                                                                                                                                                                                                                                                                                · Pz [y-cl]-(1-bz)[-ch] +
                                        3 pz?{(dt)[cz-cz]+(1-pz)?(d1H)[cq-cq]
                                                                                                                                                                                                                                                                                                                           . pr Platr[[s-cr]+(1-pr]PlatH)[-ch] > 0
                                 65 PIR (dt)[CI-G]+(1-PI)B(d1H)[CH-G] >
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                P(U)=1, P(m)=0
                                                                                                                                                                                                                                                                                                                         ~ pr P(d 1][x.cz]+(1-px)P(d 14)[-c4]>
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                              (3) + \mathbf{r} \cdot \operatorname{Opt}(-\frac{(-2\pi)}{\lambda}) + (1-\mu_{\perp}) \cdot \operatorname{opt}(-\mu_{\lambda}) \cdot \operatorname{obsertions}(a_{1}\mu_{\lambda} \Rightarrow \chi_{1} \cdot \operatorname{Bull}(b) = 1 \Rightarrow \operatorname{B}(b) = 1 \Rightarrow \operatorname{Opt}(-\frac{(-2\pi)}{\lambda}) \cdot \operatorname{Opt}(-\frac{(-2\pi)}{\lambda}), \quad \operatorname{opt}(-\mu_{\lambda}) \cdot \operatorname{opt}(\pi_{1}\lambda) \cdot \operatorname{opt}(\pi_{1}\lambda)
                                   > p= R(de)[c=-G]+(1-p=)R(d1H)[cH-G] ~
                                                                                                                                                                                                                                                                                                                                                     max { \mu[x-ci]+(1-\mu[Cu],0}
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                   (2) rap ( 2-(1) > cat ( 2-(1) ) rat (-(4) > cat (-(4)
                                      · ( CI-G = CH-GH= 6>0
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                P(d)=0, P(m)=1
                                                                                                                                                                                                                                                                                                                                     W br=CI-CI>0
                            03 hz.8 (4E)[6]+(1-hz)8(41H)[6] >
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                             HI con(\(\frac{\sigma - C_\infty}{\sigma}\) + (1-\(\mu_\infty\) exp(-CH/\(\sigma\) ≤ 1 => upproconduct \(\sigma\) = \(\begin{align*}{c} \begin{align*}{c} 
                                                                                                                                                                                                                                                                                                                                                       BH=CH-TH>O
                                   > PIR(UI)[6]+(1-PI)R(UIH)[6]
                                                                                                                                                                                                                                                                                                              max { \mu_{\text{$\exititit{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\text{$\
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                P(d)>0, P(m)>0
                      e> B(q) = hzB(qt)+(1-hz)B(q1H) >
                                                                                                                                                                                                                                                                                                                                   pr 8 (dt)[cr-4]+(1-pr)8(d1+)[c4-4] >
                            > prR(dI)+(1-pr)R(diH) = Pv(d)
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                με υη(-x/λ)
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                              1 - exp(-c4/2)
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                             \frac{|\mu_{E} \cos(-\epsilon_{E}\lambda)|}{\text{Robert}(-\epsilon_{E}\lambda) \cdot i(-Rob) \cos(-\epsilon_{E}\lambda)} + \frac{(t + \mu_{E})}{\text{Robert}(-\epsilon_{E}\lambda) + i(-Rob)} = \frac{|\mu_{E} \cos(-\epsilon_{E}\lambda)|}{\text{Robert}(-\epsilon_{E}\lambda) \cdot i(-Rob) \cos(-\epsilon_{E}\lambda)} + \frac{1 - \exp(-\epsilon_{E}\lambda)}{\text{Robert}(-\epsilon_{E}\lambda) + i(-Rob)} = \frac{1 - \exp(-\epsilon_{E}\lambda)}{\text{Robert}(-\epsilon_{E}\lambda) + i(-Rob)}
                                                                                                                                                                                                                                                                                                                    > p=Blot[)[c=-G]+(1-p=)Pdd1H)[cH-G]
     \mu_{\overline{z}} \Delta P(d \Pi) G_{\overline{z}} \ge \Delta P(d H) G_{H}
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                              we can also say that it "manasa mahaput \sim \Re(\text{Im}) \cdot 
                                                                                                                                                                                                                                                                                          . P 0 > max { h=[v-ci]+(1-ha]-CH]0}
                                                                                                                                                                                                                                                                                                                                   BOH) > CH [ME] > 1 = PU(dII) > PU(dII)
                                                                                                        2
          . f 0 > max {h [ [ 2 - CE ] + (1 - h E [ CH ] 0 ]
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                dP(d) > 0
                                                                                                                                                                                                                                                                                                                                        B(1)>B(1)
                                                                                                                                                                                                                                                                                                                      L. 161,164 - 1 max | pr[s-ci]+(1-pri[-ch],0]
3 P(11[)> P(dH)
                                                                                                                                                                                                                                                                                                                                                          bia cooling to go to death => (gotor parties; (d.141) they allow

No constraints of to the dates, are belled the seas, in Palith and
                            M < 1/2 => Mrgal
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                        Say given u, A and \lambda, \mu s.t. induce patrions Y^d, Y^m / Y^m(I) < \mu(I) < Y^d(I)
                                                                                                                                                                                                                                                                                               => Ps(d [] [ pz bz +(1-pz)b+]> To(d 1H) [pzbz +(1-pz)b+]
                         M> 2
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                          If h(I) & [Y'(I), Y'(I)]
                                                                                                                                                                                                                                                                                                                                B(dII)>R(dIH)
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                          "> potenior induced by \mu are the rapic at those induced by \mu ; :=1,2
                                                                                                                                                                                                                                                                                                                 > Pu(m/H)> Ps(m/I)
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                  \mu_2(\Gamma) < \gamma^n(\Gamma) \Rightarrow \text{ for any equation in Section } h^* \text{ and section and equation}
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                        Whether the parent yes man often to the dotte (in yound manather) on the state)
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                           is not possible definence; P(IId) always appeals on the pain
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                        and we do not know what is the path of he and he
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                        Assuming it is an informative adjustment, it cours like from better of
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as 1 (at least weekly) beaus diltano miz