2°tate - Colar I - cy. 4 - 2021/22 Reduga

4.  $g(n) := 2n-1-\frac{1}{2}\int_{0}^{x}e^{-t^{2}}dt$ ,  $n\in\mathbb{R}$ .

Atundend a gor f: 1R - 1R, com f(t) := et, e continue en qualque [0,6], act, I como Fundametel & Colarle permite save que 8'(n) = 2 - 12 ent, nER.

(exports) condiger universe, pois ext & e=1 < 4.

Logo glasso, their, a potent of o estatement cuscute in IR. Computation, g(n)=0 tem or millime me shipir.

los on que tem de fact uma solução:

3(0)=2x0-1-1/2 / 02-t2 H=-1<0.

Prostr bet, ling(n) = lin (2h-1-\frac{1}{2}\sigma^{\text{t}}\text{t})

N+1+00

N+1+00

L=+00 re lin s'étet for fonte, on rije,

a lim fitted for finite (for pure the

or to ) = to for Amit (for Motal tanding new Country of integrind one [0,1]) functor a production on to ) of the total and a comparable to the standard of the

ling forther = ling [-et] = ling (-en+1) = 1.

o integel imporper of et et envoye, logo, por compasse, o memor mad a first t, que us que fellere prover

Ver, me peg. 2) munic attendios a este comminher!

Sendez continues volon nighter & valors portion, o two & Bolom-Condy gazate que su and in algum bough -

Alternative pas prover que y amme un vala position en algun pontr (o que e impirate pas a condussió tival), un vet de prover que lim 3 (4) = +00:

 $g(10) = 2\times10 - 1 - \frac{1}{2} \int_{0}^{10} e^{-t^{2}} dt;$ Com  $0 < x^{-t^{2}} \le 1$ , whi  $\int_{0}^{10} e^{-t^{2}} dt \le \int_{0}^{10} 1 dt = 10$ ,  $\log_{2} g(10) \ge 20 - 1 - \frac{1}{2} \times 10 = 20 - 6 = 14 > 0$ .