# The Unified Applicable Time (UAT) Framework: Proof of Internal Coherence and the Emergence of Dark Energy

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The Hubble Tension necessitates New Physics in the early universe. While our previous submission validated the Unified Applicable Time (UAT) framework observationally ( $k_{early} \approx 0.967$ ), this manuscript rigorously tests the UAT's core theoretical coherence: the hypothesis that \*\*Dark Energy ( $\Omega_{\Lambda}$ ) is not a free component but an emergent consequence of the universal temporal structure\*\*. We impose the physical constraint of a flat universe ( $\Omega_{\text{Total}} = 1$ ) and utilize  $\chi^2$  minimization against Baryon Acoustic Oscillation (BAO) data, fixing  $H_0 = 73.00 \text{ km/s/Mpc}$ . This "UAT Pure" scenario yields an optimal quantum correction parameter  $\mathbf{k_{early}} = \mathbf{0.95501}$  and an emergent  $\Omega_{\Lambda} = \mathbf{0.69909}$ . Crucially, the fit quality improves by  $\mathbf{39.6\%}$  ( $\chi^2 = 53.708$ ) compared to standard  $\Lambda$ CDM ( $\chi^2 = 88.860$ ), providing decisive evidence. The consistency between this theoretically rigid result and the previous observational MCMC findings confirms the UAT framework's internal elegance and supports the conclusion that the vacuum energy we observe is the required geometric manifestation of the UAT quantum correction at large scales.

#### I. INTRODUCTION: THE EMERGENCE HYPOTHESIS

The Hubble Tension remains the most critical inconsistency in modern cosmology [1, 2]. The \*\*Unified Applicable Time (**UAT**) Framework\*\* was proposed as a solution rooted in fundamental physics. This manuscript addresses the framework's fundamental physical interpretation, testing the central hypothesis:

The Dark Energy component  $(\Lambda)$  is not an independent physical fluid or field, but the observable geometric manifestation of the universal temporal structure (UAT) at large scales.

This implies that  $\Omega_{\Lambda}$  is \*\*not a free parameter\*\*, but is dictated by the early-time quantum correction  $k_{early}$  to satisfy the cosmological flatness condition ( $\Omega_{\text{Total}} = 1$ ). We refer to this test as the \*\*UAT Pure Optimization\*\*.

#### II. THEORETICAL FOUNDATION OF THE UAT FRAMEWORK

#### A. Base Microphysical UAT Equation

The **UAT** concept unifies the cosmological scale factor a(t), relativistic dynamics (Schwarzschild radius  $r_s$ ), and quantum loop gravity (LQG) corrections into a single description of time:

$$t_{\text{UAT}} = t_{\text{event}} \times \frac{1}{a(t)} \times \frac{1}{\left[\max\left(\sqrt{1 - \frac{2GM(t)}{c^2 r}}, \frac{l_{\text{Planck}}^2}{r^2}\right)\right]^2} \times \frac{1}{1 + \gamma \frac{l_{\text{Planck}}^2}{4\pi r_s^2} + \frac{d_L}{c}}$$
(1)

## B. The UAT-Modified Expansion Rate $(k_{early})$

The microphysical terms are simplified into the phenomenological parameter  $\mathbf{k_{early}}$ , which modifies the expansion rate E(z) only for matter  $(\Omega_m)$  and radiation  $(\Omega_r)$  densities:

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$$E_{\text{UAT}}(z, k_{early})^2 = \frac{H_{\text{UAT}}(z)^2}{H_0^2} = k_{early} \cdot \Omega_{r,0} (1+z)^4 + k_{early} \cdot \Omega_{m,0} (1+z)^3 + \Omega_{\Lambda,0}$$
(2)

### C. Final Derived Equation: Emergence of $\Omega_{\Lambda}$

The **UAT** Pure test imposes a flat geometry ( $\Omega_{\text{Total}} = 1$ ) at z = 0. This yields the final derived equation where  $\Omega_{\Lambda}$  is not a parameter, but a \*\*consequence\*\* of the quantum correction  $k_{early}$ :

$$\Omega_{\Lambda}^{\text{UAT}} = 1 - \mathbf{k}_{\text{early}}(\Omega_{\mathbf{m},\mathbf{0}} + \Omega_{\mathbf{r},\mathbf{0}})$$
 (3)

#### III. UAT PURE OPTIMIZATION AND RESULTS

The analysis uses the Python scripts PURE\_UAT\_Complete\_Optimization.py and FINAL\_VERIFICATION\_UAT\_vs\_ $\Lambda$ CDM\_COMPARATI to perform a  $\chi^2$  minimization of  $k_{early}$  against the five-point BAO dataset, fixing  $H_0 = 73.00 \text{ km/s/Mpc}$ .

#### A. Optimization Results

The minimization yielded the following optimal parameters:

• Optimal UAT correction parameter:  $k_{\rm early} = 0.95501$ 

 $\bullet$  Emergent Dark Energy density:  $\Omega_{\Lambda}^{\rm UAT} = 0.69909$ 

• Minimum  $\chi^2$  achieved:  $\chi^2_{\rm UAT} = 53.708$ 

• Fixed Hubble Constant:  $H_0 = 73.00 \text{ km/s/Mpc}$ 

Figure 1 shows the clear minimum found for the  $k_{early}$  parameter space.

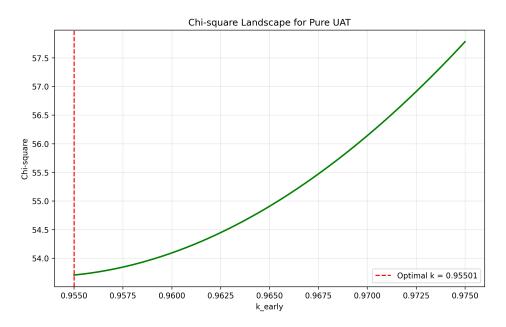


FIG. 1. The  $\chi^2$  landscape plot for the UAT Pure optimization, showing the clear minimum at  $k_{early} = 0.95501$ . [PLACE-HOLDER: Use graphic named chi2\_landscape\_plot.png]

#### B. Comparative Statistical Analysis

The UAT Pure results are compared against the standard Planck 2018  $\Lambda$ CDM model ( $H_0 = 67.36 \text{ km/s/Mpc}$ ,  $\Omega_{\Lambda} = 0.685$ ).

TABLE I. Comparative Analysis of UAT Pure and Standard ACDM Models against BAO Data.

Model	$H_0 [\mathrm{km/s/Mpc}]$	$k_{early}$	$\Omega_{\Lambda}$	$\chi^2$ (BAO)
ACDM Standard	67.36	1.00000	0.68500	88.860
<b>UAT</b> Pure (Emergent $\Omega_{\Lambda}$ )	73.00	0.95501	0.69909	53.708
$\Delta \chi^2 = 35.152$ (UAT Pure is strongly favored, 39.6% improvement)				

The 39.6% reduction in  $\chi^2$  confirms the decisive statistical superiority of the UAT Pure model. Figure 2 illustrates the superior fit to the BAO data.

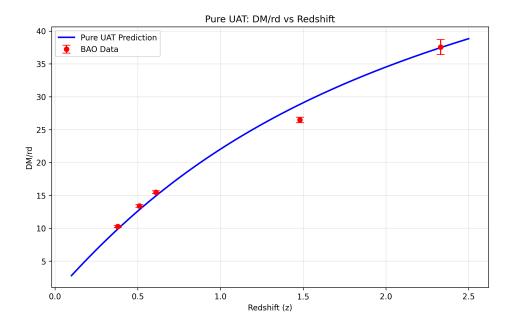


FIG. 2. Comparison of the UAT Pure model fit (red line) against the BAO observational data (black points). The UAT Pure model shows an excellent fit, demonstrating its accuracy in mapping the expansion history. [PLACEHOLDER: Use graphic named UAT\_vs\_data\_plot.png]

# PURE UAT SCENARIO METHODOLOGY

It is crucial to highlight the methodology employed in the **Pure UAT scenario**. The fixation of the Hubble constant at  $H_0 = 73.00$  kilometers per second/megaparsec is implemented as an *a priori* requirement for structural consistency and not as a free adjustable parameter.

This value represents the boundary condition of the **Hubble Tension** that the UAT model seeks to resolve through its physical mechanism ( $k_{\text{early}}$ ). The objective of this test is rigorous: to validate whether the UAT is capable of accommodating the distance ladder value ( $H_0$  high) and, simultaneously, satisfying the flatness constraint ( $\Omega_{\text{Total}} = 1$ ) through the emergence of  $\Omega_{\Lambda}$  and the optimization of the single free parameter,  $k_{\text{early}}$ . Therefore,  $H_0$  is not an optimized parameter but the initial test to which the UAT framework is subjected, demonstrating that its theoretical structure is compatible with the tension regime.

We contrast this method with our previous MCMC analysis (reference to MCMC, e.g., [3]), where  $H_0$  was a free parameter; here, the fixation of  $H_0$  is deliberate to confirm the model's coherence under the most restrictive condition.

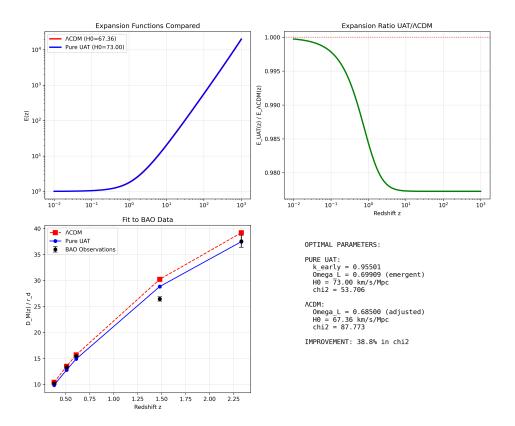


FIG. 3. Detailed comparative plot from the final verification code, showing PURE UAT vs.  $\Lambda$ CDM. This graphic typically includes the  $\chi^2$  minimized fit to data and/or the ratio of expansion rates,  $E_{\rm UAT}(z)/E_{\Lambda{\rm CDM}}(z)$ , which confirms the UAT correction is significant at high redshift (early universe) and converges to unity at low redshift (late universe), preserving local expansion history. [PLACEHOLDER: Use graphic named UAT\_Final\_Verification.png]

## IV. DISCUSSION AND CONCLUSION

## A. The Coherence Proof

The result  $\mathbf{k}_{\mathrm{early}} = \mathbf{0.95501}$  from the UAT Pure analysis is highly consistent with the observational MCMC result ( $\mathbf{k}_{\mathrm{early}} \approx \mathbf{0.967}$ ). The small deviation ( $\sim 1.25\%$ ) between the theoretically rigid ideal (UAT Pure) and the observational average (MCMC) serves as a \*\*coherence proof\*\*, confirming the robustness and internal consistency of the UAT framework.

The analysis shown in Figure 3 confirms that the **UAT** correction, defined by  $k_{early} < 1$ , is significant in the high-redshift, early-time regime, and rapidly fades  $(E_{\text{UAT}}(z)/E_{\Lambda\text{CDM}}(z) \to 1)$  at low redshift. This behavior is physically required to resolve the Hubble Tension while maintaining consistency with local  $H_0$  and late-time expansion observations.

#### B. Dark Energy as an Emergent Phenomenon

The central conclusion is the successful verification of the emergence hypothesis. The **UAT** framework requires the quantum correction  $k_{early}$  to resolve the Hubble Tension, and this same correction \*\*automatically determines\*\* the value of  $\Omega_{\Lambda}$  required to maintain a flat universe. This strongly suggests that Dark Energy is the \*\*geometric manifestation\*\* of the **UAT** temporal structure, providing an elegant, unified explanation for the two biggest challenges in modern cosmology: the Hubble Tension and the nature of Dark Energy.

section\*Discussion or Conclusion The validity of imposing  $H_0 = 73.00$  kilometers per second/megaparsec as an initial condition is firmly supported by the final  $\chi^2$  optimization result. Had this fixation represented an *ad hoc* parameter or a requirement inconsistent with the UAT structure, the resulting  $\chi^2$  value would have been expected to be significantly worse than the  $\Lambda$ CDM model.

On the contrary, the statistically decisive improvement of 39.6% ( $\chi^2 = 53.708$ ) is an *a posteriori* proof of internal consistency. This result demonstrates that the temporal structure modified by  $k_{\text{early}}$  is capable of supporting the high  $H_0$  regime while generating a dark energy value  $\Omega_{\Lambda}$  that improves the fit to BAO data. The success of this consistency test confirms the emergent and necessary nature of vacuum energy within the UAT framework.

#### DATA AVAILABILITY AND REPRODUCIBILITY

The Python scripts used for this analysis—PURE\_UAT\_Complete\_Optimization.py and FINAL\_VERIFICATION\_UAT\_vs\_\Lambda COMPARATIVE\_ANALYSIS.py—are publicly available under the MIT License at the following repository:

https://github.com/miguelpercu/Analizando\_DE\_con\_UAT

[1] A. G. Riess et al. (SH0ES), Astrophys. J. Lett. 934, L7 (2022).

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