

Ejercicios AC

Ejercicio 1.

$$T_{CPU} = N \cdot CPI \cdot T_{clock} = N \cdot \left[\sum_{i=1}^n \frac{N_i \cdot CPI_i}{N} \right] \cdot \frac{1}{f_{clk}}$$

$$= 24 \cdot \left[\frac{5}{24} \right] \cdot \frac{1}{300 \text{ MHz}}$$

	N_i	CPI_i	$N_i \cdot CPI_i$
LOAD	0'2	4	0'8
STORE	0'1	3	0'3
INT	0'25	6	1'5
FLOAT	0'15	8	1'2
JMP	0'3	5	1'5
	<u>1</u>	<u>24</u>	<u>5'1</u>

$$S = \frac{T_p}{T_b} = \frac{N \cdot CPI \cdot T_{clock}}{N \cdot CPI \cdot T_{clock}} = \frac{CPI_b}{CPI_p}$$

a)

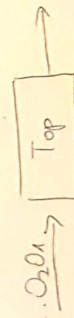
$$S = \frac{5'1}{4'35} = 1'1724$$

b)

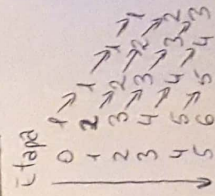
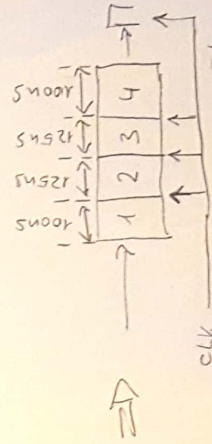
$$S = \frac{5'1}{3'95} = 1'2911$$

Ejercicio 2.

$$T_{op} = T_{rep} = 450 \text{ ns}$$



$$T_c = 125 \text{ ns} + 25 \text{ ns} = 150 \text{ ns}$$



a)

$$S = \frac{T_b(n)}{T_p(n)} = \frac{n \cdot 450 \text{ ns}}{4 \cdot T_c + (n-1) \cdot T_c} = \frac{n \cdot 450 \text{ ns}}{(450 + (n-1) \cdot 150) \text{ ns}}$$

$$= \frac{3n}{4 + (n-1)} = \frac{3n}{3+n} = \frac{3}{\frac{4}{n} + 1} \xrightarrow{n \rightarrow \infty} 3$$

Continuación ejercicio 2.

a)

$$P(h) = \frac{n}{T_s(h)} = \frac{n}{3 \cdot T_c + n \cdot T_c} \xrightarrow{h \rightarrow \infty} \frac{1}{T_c} = \frac{1}{150}$$

b)

$$\frac{n}{3 \cdot T_c + n \cdot T_c} = 0.9 \cdot \frac{1}{T_c} ; \quad \frac{n}{T_c(3+n)} = \frac{0.9}{T_c} ; \quad \frac{n}{3+n} = T_c \cdot \frac{0.9}{T_c} ;$$

$$n = 0.9(3+n); \quad n = 2.7 + 0.9n; \quad n - 0.9n = 2.7, \quad 0.1 \cdot n = 2.7, \quad \boxed{n = 27 \text{ ops}}$$

Ejercicio 3.

Suponemos que N es igual para ALT1 y ALT2.

$$S = \frac{T_{ALT1}}{T_{ALT2}} = \frac{\cancel{N/1} \cdot CPI_1 \cdot T_{c1}}{\cancel{N/2} \cdot CPI_2 \cdot T_{c2}} = \frac{\left(\frac{0.8 \cdot 3 + 0.2 \cdot 4}{N_1} \right) \cdot \frac{3}{4} \cdot \cancel{T_{c2}}}{\left(\frac{n \cdot 0.3 + (1-n) \cdot 4}{N_1} \right) \cdot \cancel{T_{c2}}}$$

$$= \frac{2.4 / \cancel{N}}{(-3.2 \cdot n + 4) / \cancel{N}} = \frac{2.4}{4 - 3.2 \cdot n}$$

Ejercicio 4.

El tiempo de ALT2 se vería multiplicado por 1.10, quedando la ecuación final de este modo:

$$S = \frac{2.4}{(4 - 3.2 \cdot n) \cdot 1.10}$$

Ejercicio 5.

Tipo ¹ _i	CPI ¹ _i	Ni ¹
ALU r,r	3	0'43 NI
LD	4	0'21 NI
ST	4	0'12 NI
BR	4	0'24 NI

Tipo ² _i	CPI ² _i	Ni ²
ALU r,m	4	0'25 · (0'43 NI)
ALU r,r	3	0'75 · (0'43 NI)
LD	4	0'21 NI
ST	4	0'12 NI
BR	5	0'24 NI

$$T_{CPU}^1 = NI^1 \cdot \left[\frac{3 \cdot 0'43 NI + 4 \cdot 0'21 NI + 4 \cdot 0'12 NI + 4 \cdot 0'24 NI}{NI^1} \right] \cdot T_c$$

$$= 3'57 \cdot T_c$$

$$T_{CPU}^2 = NI^2 \cdot \left[\frac{4 \cdot [0'25 (0'43 NI)] + 3 \cdot [0'75 (0'43 NI)] + 4 \cdot 0'21 NI + 4 \cdot 0'12 NI + 5 \cdot 0'24 NI}{NI^2} \right] \cdot T_c$$

$$= 3'4875 \cdot T_c$$

$T_{CPU}^2 < T_{CPU}^1$; T_{CPU}^2 es mejor, Se mejorarían las prestaciones.

Ejercicio 6.

Tipo ² _i	CPI ² _i	Ni ²
ALU r,r	3	0'5 · 0'43 NI
LD	4	0'21 NI
ST	4	0'12 NI
BR	4	0'24 NI
		<u>0'785</u>

$$T_{CPU}^2 = NI^2 \cdot [0'645 + 0'84 + 0'48 + 0'96] T_c$$

$$T_{CPU}^2 = 0'785 \cdot 2'915 \cdot \frac{1}{50 \cdot 10^6 \text{ Hz}}$$

$$T_{CPU}^2 = 4'57655 \cdot 10^{-8} \text{ s}$$

$$= 45'77 \text{ ns}$$

$$T_{CPU}^2 < T_{CPU}^1$$

$$\text{MIPS} = \frac{\text{Freq}}{\text{CPI} \cdot 10^6} = \frac{50 \cdot 10^6 \text{ Hz}}{2'915 \cdot 10^6} = \boxed{17'15 \text{ MIPS}}$$

Ejercicio 7

Tipo ¹	CPI ¹	Ni ¹
LOAD	4	0'2NI
STORE	3	0'15NI
ALU	6	0'4NI
JMP	3	0'25NI
		NI

$$T_c = \frac{1}{100 \cdot 10^6} = 1 \text{ ns}$$

$$T_{CPU}^1 = NI^1 \cdot \left[\frac{4 \cdot 0'2NI + 3 \cdot 0'15NI + 6 \cdot 0'4NI + 3 \cdot 0'25NI}{NI} \right] T_c$$

$$T_{CPU}^1 = 4'4 NI^1 T_c$$

Tipo ²	CPI ²	Ni ²
LOAD	4	0'2NI
STORE	3	0'15NI
ALU	4	0'4NI
JMP	3	0'25NI

$$T_{CPU}^2 = [4 \cdot 0'2NI + 3 \cdot 0'15NI + 4 \cdot 0'4NI + 3 \cdot 0'25NI] \cdot \frac{T_c}{2}$$

$$= NI^2 \cdot 3'6 \cdot \frac{T_c}{2}$$

a)

$$S = \frac{T_b}{T_p} = \frac{NI \cdot 4'4 \cdot T_c}{NI \cdot 3'6 \cdot \frac{T_c}{2}} = 2'4$$

b)

$$T_{CPU}^2 = [4 \cdot 0'2NI + 3 \cdot 0'15NI + 4 \cdot xNI + 3 \cdot 0'25NI] \cdot \frac{T_c}{2}$$

$$= NI(2 + 4x) \cdot \frac{T_c}{2}$$

$$S = \frac{T_b}{T_p} = \frac{NI \cdot 4'4 \cdot T_c}{NI \cdot (2 + 4x) \cdot \frac{T_c}{2}} > 2 ; \frac{2 \cdot 4'4}{2 + 4x} > 2 ; \frac{2 \cdot 4'4}{2} > 2 + 4x ;$$

$$4'4 > 2 + 4x ; \frac{4'4 - 2}{4} > x ; 0'6 > x$$

Con cualquier porcentaje menor a 0'6NI.

Ejercicio 8

$$a) S = \frac{4/3}{1 + 0.5(\frac{4}{3} - 1)} = \frac{4/3}{1 + 0.666} = 1.2284$$

$$b) S = \frac{T_b}{T_p} = \frac{M \cdot CPI \cdot T_c}{M \cdot CPI \cdot T_c \cdot (3/4)} = \frac{4}{3}$$

c)

$$S = \frac{T_b}{T_p} = \frac{M \cdot CPI \cdot T_c}{M \cdot CPI \cdot T_c \cdot x} = 4 ; S = \frac{1}{x} = 4 ; x = 1/4$$

$$d) S = \frac{T_b}{T_p} = \frac{M \cdot CPI \cdot T_c / 4}{M \cdot CPI \cdot T_c \cdot x} = 2 ; S = \frac{1}{4x} = 2 ; x = 1/8$$

Ejercicio 9

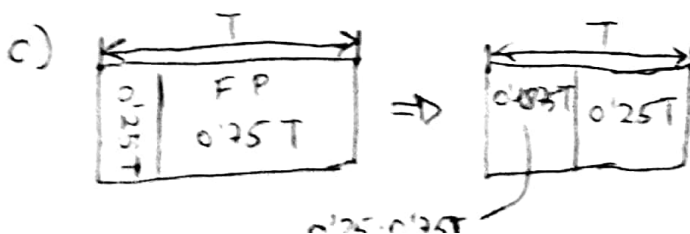
$$a) GFLOPS = \frac{n^3 FP}{T(N) \cdot 10^9} = \frac{3 \cdot 10^9}{0.55 \cdot 10^9} = 6 < GFLOPS$$

b)

$$T_{CPU} < 0.55,$$

$$T_{CPU} = CPI \cdot T_c ; \frac{M \cdot CPI}{F} < 0.5 ; CPI < \frac{0.5 \cdot 2 \cdot 10^9}{3 \cdot 10^9} ; CPI \leq \frac{1}{3}$$

$$IPC = \frac{1}{CPI} ; IPC = \frac{1}{3} < 7$$



$$T_p = 0.25T + 0.4875T = 0.7375T$$

$$\frac{T_p}{T} = 0.7375 \quad T_p \text{ es un } 73.75\% \text{ de } T$$

T disminuye un 56.25%