Lecture 17 Page 1

Int an = 0;

Int an = 0;

Int an = 0;

Int an = 100 > last bis minustre

For ( int S = 0; S < n; S + t) {

Int non = ana [s]

Yellie

Yellie

Agi Bechunga

Regit Dekhlunga

Profit Dekhlunga

Profit Dekhlunga

Out ( int S = 0; S < n; S + t) {

Int non = ana [s]

Yellie

Agi Bechunga

Profit Dekhlunga

Out ( int S = 0; S < n; S + t) {

Int non = ana [s]

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Int non = ana [s]

Out ( int S = 0; S < n; S + t) {

Int non = ana [s]

Out ( int S = 0; S < n; S + t) {

Int non = ana [s]

Out ( int S = 0; S < n; S + t) {

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Out ( int S = 0; S < n; S + t) {

Out ( int S = 0; S < n; S + t) {

Out ( int S = 0; S < n; S + t) {

Out ( int S = 0; S < n; S + t) {

Out ( int S = 0; S < n; S + t) {

Out ( int S = 0; S < n; S + t) {

Out ( int S = 0; S < n; S + t) {

Out ( int S = 0; S < n; S + t) {

Out ( int S = 0;

Lecture 17 Page 2

Target Sum Pairs

[1]3/4/2/5

target=5

(nenetate Al Pairs to calculate sum )

for ( = 0; f < n; f + r)

for ( s = f + r; s < n; s + r);

wh = arr (f) + arr (s);

if (arh = + targent)

yearst pair = 0 (n²)

3, 2

(1) Smaller, larger

(2) + S = torget

(2) Sording + Binary Search

1123145

target > 5

| (?) | V
| + s = target - ()
| (?) | (?) |

O(N) ~ 2 look O (N logn) G Merge bort G Quick sort Jon ( wh f=0; f < n-1; f + t) = 4S = target - arr []; = 5 - 1 = 4If ( binary Search ( arr, f + 1; = n - 1)) = 2If ( binary Search ( arr, f + 1; = n - 1)) = 2If = 2If = 2If = 4If = 4

(n-1) times x log n O (N log N)

Time complexity = O(NIgN) + O(N logN)
= O(N logN)

(3) Sorting + 2 Ptn sort ( vrv);

19 Second

hats regard > M. elements

target = 6
while (f < 5)  $\leq$ if (Sum = = target)  $\geq$ puint f + t;

1,5/

2,41 first second > or elements 3 Meij (sum > target) { I else ? "Harget > sum 0(1) Target Sum Templets - wr > target >1,j,k (1) - porting  $O(N^3)$ Jon (K) ? 1 (?) I + S = target Sort + 2 pt2 S+t = target -f

(1) (1)
S+t = target 579124683

10 2 3 4 5 6.7 8 9  $\frac{(3)(2)}{8+t} = +av_y^2$   $+av_y^2 = 10 - 5 = 5$ 1,2,7 1,3,6 1,4,5 2,3,5

target = 10

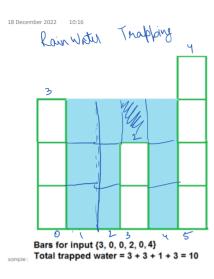
```
1) Product Except Self without using division
                                                                                                                                                                                                                                                                                                  Suffix Sum= 101 8 15 110
                                                                                                                                                      pegix Sum = 10113610
                                                                                                                                                                           pacint 1=151 \(\frac{1}{2}\)
                                                                                                                                                                        perdix [i] = perdix [i-1] + arr [i-1]i
                             24 12 (8) 6 24
                            1 Using 2 loops
                                                                   Joa (int 1=0 ; 1 < N; 1++) }
                                                                                                                                                                                                                  O(N2)
                                                                              product =1
                                                                                                1/(1!=)2

\(\frac{1}{2}\)
\(\f
                                                                                        forcintj = 0 5/2 ns 1+7) {
                                                                                            syso ( product);
                                                                                                                                                                                                                                       Space Time
                                                                                                                                                                                                                                                  TradeOft
                                                                                                                                                                 W x (N-1)
                                                         for(:=0', (Ln; (**) }
                                 2
                                                                      por (1=0; 1 <1; l++)?

2 log (modud x= arr(1))
                                                                                                                                                               (;-1) N2X
                                                                                                                                                                                                                                        O(N2) O(1)
                                                                        v righthodut *= our [n]; (n-(i-)))
                                                                                                        1,2,3,4,1
                                                    projection = 111216124
                                                    suffix broduct = 24/12/4/1/1/
                                                                                                                                                                                                                   18, 12,6
                                                                               = 24,12,8,6,24
                                                                       Jon(i=0siknsi++) &
                                                                                                                                                                                                        0(N)
                                                                      ans [i] = perelino [i] x sup lus [i];
                                                                                                                                                                                                                                                                        N
                                                                                                                                                                                                     Suffix broduct:
swg [n-1] = Y
                                                                        lujx fundat:
                                                                                                                                                                                                                                                                 O(N)
                                                                           pro[0] = 1;
                                                                                                                                                                       O(N)
                                                                                                                                                                                                    104(i=1-2; izo;i-){
                                                                                 Joaci=1; i < n;i++) {
                                                                                                                                                                                                        systil= systi+1]* anali+1];
                                                                                  1 pue [i] = pue[i-1] * ave[i-1];
```

1 23 4 [

sylix [i] = swfix (i+1]+ asr[i+1];



Requirements for each building

Deep Max, Suffix hax -> Calculate minimum

2) are [i] -> Subtract this value

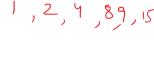
4,7,1,0 px/ ) breign man - Including only Jon (i=1; i<n;i++) }

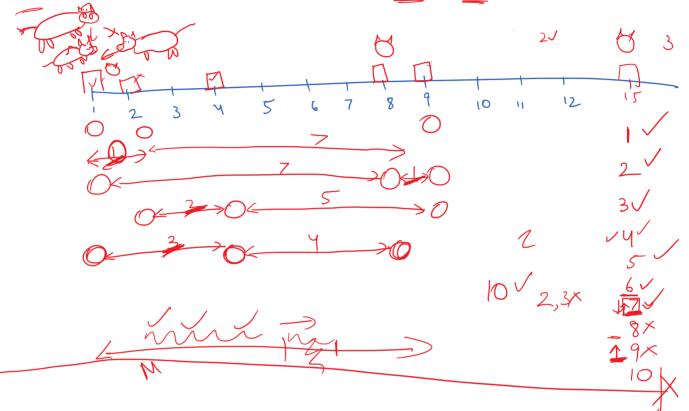
Jon (i=1; i<n;i++) } (Lother = Loterd)

- Suffix Max > Including self sig [n-1] = Orh [n-1]; for (int i=n-2; i 20; i--) { ry sy [i] = Math. max (sy [i+1], avr[i]);
  - por (1=0; 12n; 1++) { 3) cw = Moth min (preli), sufli) - everli]; total += cw; puint (total);

Farmer John has built a new long barn, with N (2 <= N <= 100,000) stalls. The stalls are located along a straight line at positions x1,...,xN (0 <= xi <= 1,000,000,000).

His C ( $2 \le C \le N$ ) cows don't like this barn layout and become aggressive towards each other once put into a stall. To prevent the cows from hurting each other, FJ wants to assign the cows to the stalls, such that the minimum distance between any two of them is as large as possible. What is the largest minimum distance?





Maximize the minimum

Minimize the maximum

100 20 500

[7] 501/200

20 100 200 20 500 100 20 500 100 3