# NonSc Sc

March 29, 2020

# 1 Study of the parallel program's effectiveness

```
[1]: import pandas as pd
import csv
import seaborn as sns
import matplotlib.pyplot as plt
%matplotlib inline
sns.set_style("darkgrid")
```

## 2 1. Non-Scalable

constant problem size

```
[2]: df = pd.read_csv('./non_scalable.csv', header=0)
```

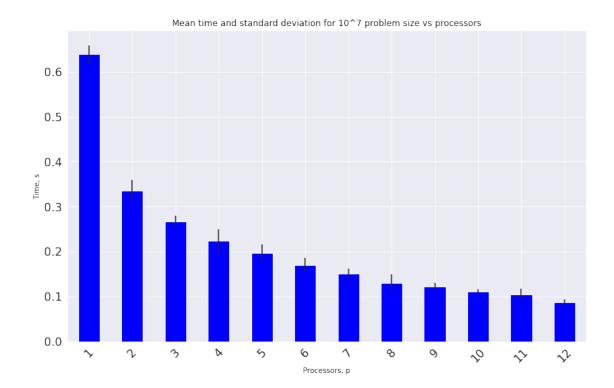
number of repetitions

```
[3]: df.groupby(["m","p"], as_index= False).count()['n'].head(1)
```

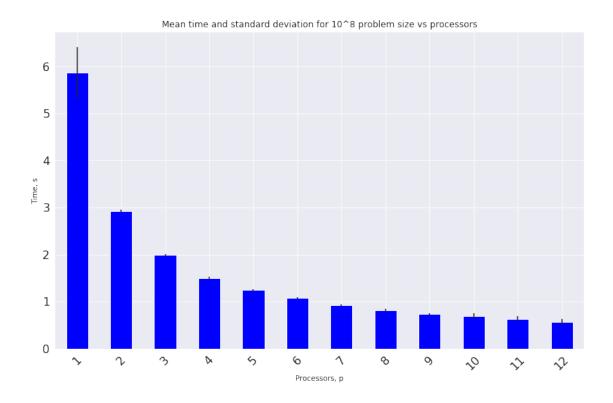
```
[3]: 0 10
Name: n, dtype: int64
```

initial data check

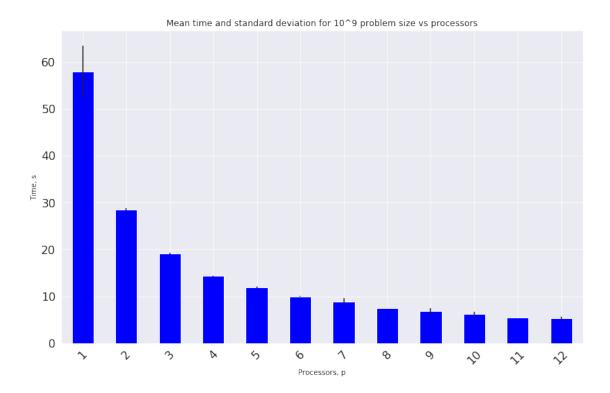
```
[4]: std = df.groupby(["m","p"], as_index= False)['s'].std()
std = std.iloc[:12,2]
std.index+=1
s = df.groupby(["m","p"], as_index= False)['s'].mean()
s = s.iloc[:12,2]
s.index+=1
p = s.plot(legend=False,kind="bar",rot=45,color="blue",fontsize=16,yerr=std);
p.set_title("Mean time and standard deviation for 10^7 problem size vs_\_\times_processors")
p.set(xlabel='Processors, p', ylabel='Time, s')
p.figure.set_size_inches(13, 8)
```



noticeably greater variance in calculation time for the smallest problem compared to the others



```
[6]: std = df.groupby(["m","p"], as_index= False)['s'].std()
    std = std.iloc[24:36,2]
    std.reset_index(drop=True, inplace=True)
    std.index+=1
    s = df.groupby(["m","p"], as_index= False)['s'].mean()
    s = s.iloc[24:36,2]
    s.reset_index(drop=True, inplace=True)
    s.index+=1
    p = s.plot(legend=False,kind="bar",rot=45,color="blue",fontsize=16,yerr=std);
    p.set_title("Mean time and standard deviation for 10^9 problem size vs_\( \) \rightarrow processors")
    p.set(xlabel='Processors, p', ylabel='Time, s')
    p.figure.set_size_inches(13, 8)
```



### 2.1 Calculations

```
[7]: s = df.groupby(["m","p"], as_index= False).mean()
s['s_1p'] = 0
s.iloc[:12, 5] = s['s'][0]
s.iloc[12:24, 5] = s['s'][12]
s.iloc[24:36, 5] = s['s'][24]
s['n_1p'] = 0
s.iloc[:12, 6] = s['n'][0]
s.iloc[12:24, 6] = s['n'][12]
s.iloc[24:36, 6] = s['n'][24]
s['speedup'] = s['s_1p']/s['s']
s['speedup'] = s['s_1p']/s['s']
s['speedup_sk'] = s['speedup']*(s['n']/s['n_1p'])
s['effectiveness'] = s['speedup']/s['p']
s['effectiveness_sk'] = s['speedup_sk']/s['p']
s['sequential_part'] = (1/s['speedup_sk'] - 1/s['p'])/(1-1/s['p'])
s.head(3)
```

```
[7]:
                                                  s_1p
                                                            n_1p
                                                                  speedup \
                р
                         n
                                           рi
    0 10000000 1
                  10000000 0.639018 3.141678 0.639018 10000000
                                                                 1.000000
    1 10000000 2 10000000 0.334852 3.141488
                                              0.639018 10000000
                                                                 1.908357
    2 10000000 3
                    9999999 0.267095
                                     3.140878 0.639018 10000000 2.392476
```

|   | speedup_sk | effectiveness | effectiveness_sk | sequential_part |
|---|------------|---------------|------------------|-----------------|
| 0 | 1.000000   | 1.000000      | 1.000000         | NaN             |
| 1 | 1.908357   | 0.954179      | 0.954179         | 0.048022        |
| 2 | 2.392476   | 0.797492      | 0.797492         | 0.126966        |

## 3 Plots

points connected with lines were used for the charts the points show accurate results, and the connecting lines allow easier observation of trends

```
[8]: g = sns.lineplot(x="p", y="s", style="m", hue="m", palette=["blue", "green", \"

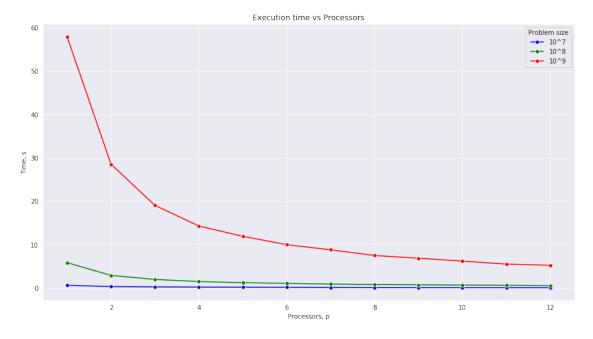
-"red"], marker="o", dashes=False, data=s)

g.set_title("Execution time vs Processors")

g.set(xlabel='Processors, p', ylabel='Time, s')

plt.legend(title='Problem size', labels=['10^7', '10^8', '10^9'])

g.figure.set_size_inches(15, 8)
```

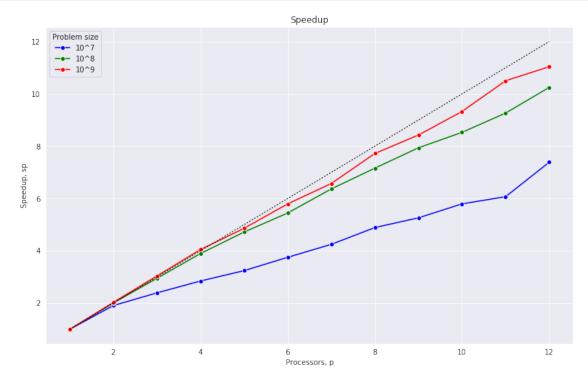


because the size of the task is constant and the number of processors increases, the calculation time decreases

```
[9]: g = sns.lineplot(x="p", y="speedup", hue="m", palette=["blue", "green", "red"], 

→marker="o", dashes=False, data=s)
g.plot([1, 12], [1, 12], 'k-', lw=1,dashes=[2, 2])
g.set_title("Speedup")
```

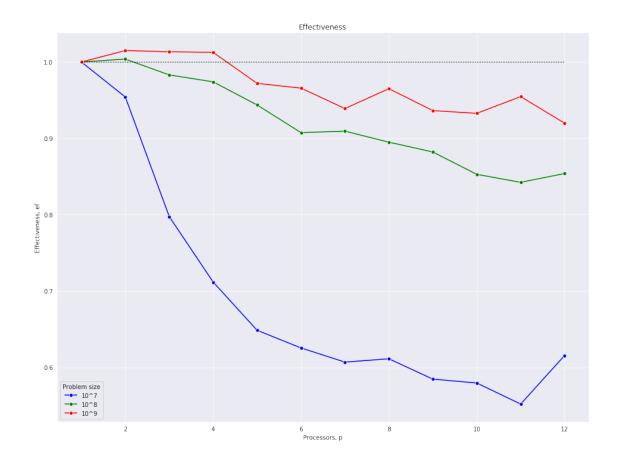
```
g.set(xlabel='Processors, p', ylabel='Speedup, sp')
plt.legend(title='Problem size', labels=['10^7', '10^8', '10^9'])
g.figure.set_size_inches(13, 8)
```



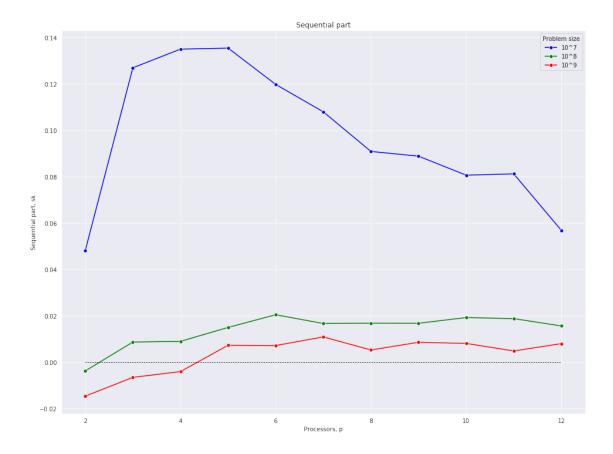
perfect speedup for the largest problem size up to four processors due to the large amount of computation compared to communication

noticeably less speedup for the smallest size of the problem, the impact of a large amount of communication in relation to calculations

in the version with unscaled problem size, both scaled and unscaled acceleration are the same



much worse effectiveness for the smallest problem size coused by large communication



the smaller the problem, the greater part of it is communication, which translates into a larger sequential part

### 3.1 2. Scalable

```
[12]: df = pd.read_csv('./scalable.csv', header=0)
```

number of repetitions

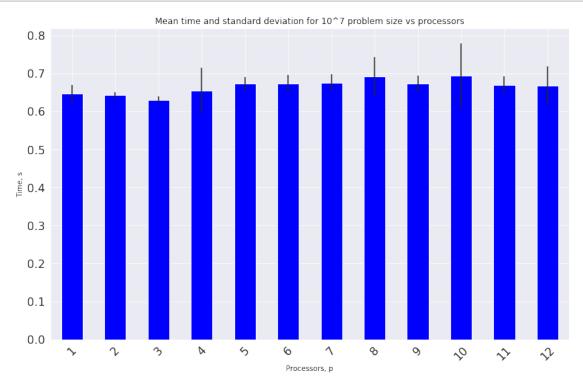
```
[13]: df.groupby(["m","p"], as_index= False).count()['n'].head(1)
```

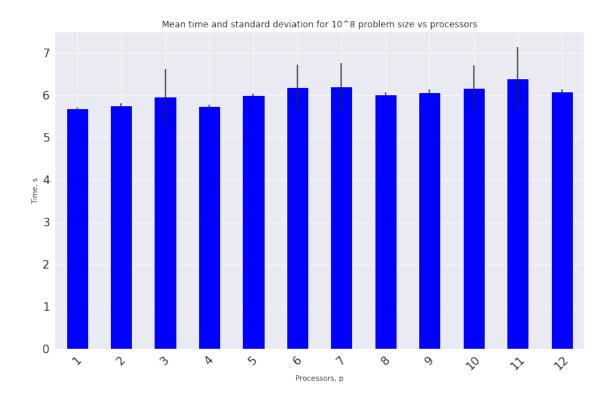
[13]: 0 10 Name: n, dtype: int64

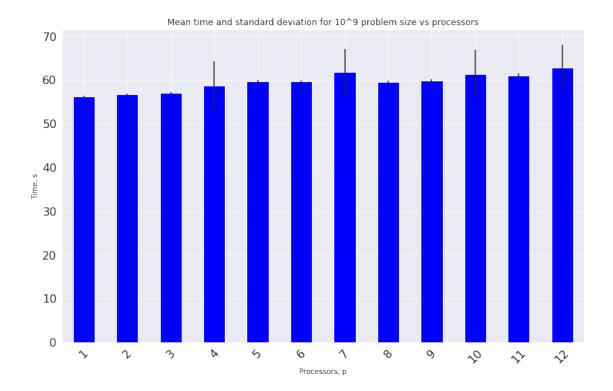
initial data check

```
[14]: std = df.groupby(["m","p"], as_index= False)['s'].std()
std = std.iloc[:12,2]
std.index +=1
s = df.groupby(["m","p"], as_index= False)['s'].mean()
s = s.iloc[:12,2]
```

```
s.index+=1
p = s.plot(legend=False,kind="bar",rot=45,color="blue",fontsize=16,yerr=std);
p.set_title("Mean time and standard deviation for 10^7 problem size vs_u
→processors")
p.set(xlabel='Processors, p', ylabel='Time, s')
p.figure.set_size_inches(13, 8)
```







### 3.2 Calculations

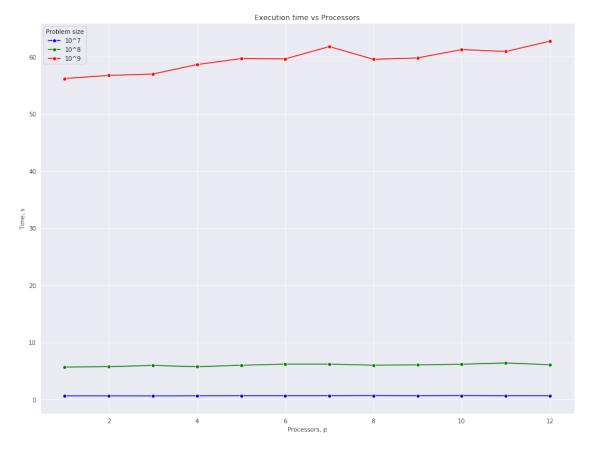
```
[17]: s = df.groupby(["m","p"], as_index= False).mean()
    s['s_1p'] = 0
    s.iloc[:12, 5] = s['s'][0]
    s.iloc[12:24, 5] = s['s'][12]
    s.iloc[24:36, 5] = s['s'][24]
    s['n_1p'] = 0
    s.iloc[:12, 6] = s['n'][0]
    s.iloc[12:24, 6] = s['n'][12]
    s.iloc[24:36, 6] = s['n'][24]
    s['speedup'] = s['s_1p']/s['s']
    s['speedup_sk'] = s['speedup']*(s['n']/s['n_1p'])
    s['effectiveness'] = s['speedup']/s['p']
    s['effectiveness_sk'] = s['speedup_sk']/s['p']
    s['sequential_part'] = (1/s['speedup_sk'] - 1/s['p'])/(1-1/s['p'])
    s.head(3)
```

```
[17]:
                                                     s_1p
                                                              n_1p
                                                                     speedup \
                           n
                                             рi
       10000000 1
                    10000000 0.646524 3.141561 0.646524
                                                          10000000
                                                                    1.000000
     1 10000000
                 2
                    20000000 0.642632 3.141683
                                                0.646524
                                                          10000000
                                                                    1.006056
        10000000
                    30000000 0.631140
                                       3.141372 0.646524
                                                          10000000
                                                                    1.024373
```

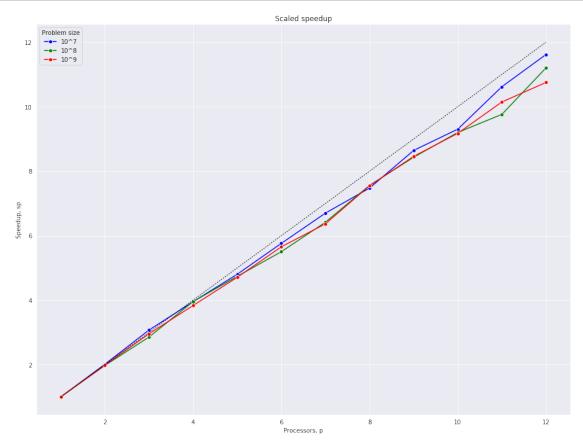
| sequential_part | effectiveness_sk | effectiveness | speedup_sk |   |
|-----------------|------------------|---------------|------------|---|
| NaN             | 1.000000         | 1.000000      | 1.000000   | 0 |
| -0.006019       | 1.006056         | 0.503028      | 2.012111   | 1 |
| -0.011897       | 1.024373         | 0.341458      | 3.073120   | 2 |

# 4 Plots

```
[18]: g = sns.lineplot(x="p", y="s", style="m", hue="m", palette=["blue", "green", \u00c4 \u00f3", marker="o", dashes=False, data=s)
g.set_title("Execution time vs Processors")
g.set(xlabel='Processors, p', ylabel='Time, s')
plt.legend(title='Problem size', labels=['10^7', '10^8', '10^9'])
g.figure.set_size_inches(16, 12)
```

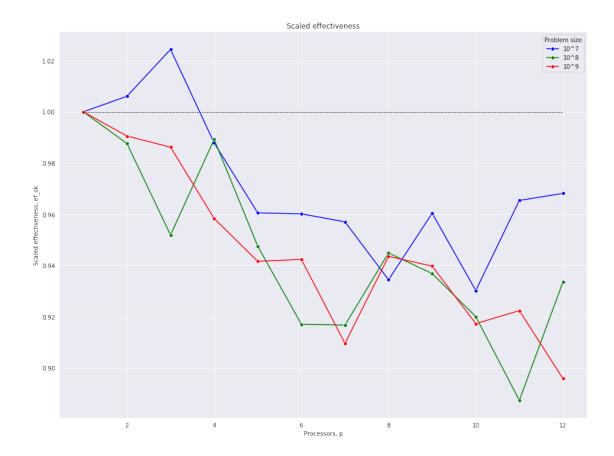


the size of the problem increases with the number of processors, the calculation time increases slightly



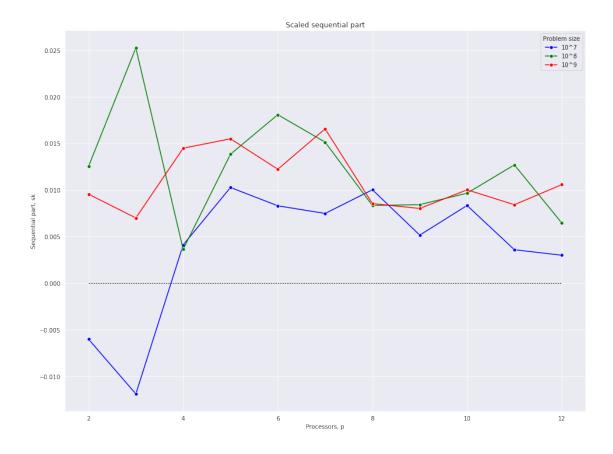
scaled speedup was used, it allows comparing the calculation with unscaled and scaled problem size

```
[20]: g = sns.lineplot(x="p", y="effectiveness_sk", hue="m", palette=["blue", output of the content of the con
```



disturbances in the scaled effectiveness for the smallest problem caused by the fact that the time for equivalent sequential program was calculated

```
[21]: g = sns.lineplot(x="p", y="sequential_part", hue="m", palette=["blue", "green", \( \times \) "red"], marker="o", dashes=False, data=s)
g.set_title("Scaled sequential part")
g.set(xlabel='Processors, p', ylabel='Sequential part, sk')
plt.legend(title='Problem size', labels=['10^7', '10^8', '10^9'])
g.plot([2, 12], [0, 0], 'k-', lw=1,dashes=[2, 2])
g.figure.set_size_inches(16, 12)
```



again disturbances in the scaled sequential part for the smallest problem caused by the fact that the time for equivalent sequential program was calculated