# UiO Department of Mathematics University of Oslo

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# Awesome title

**MAT2000** — Project Work in Mathematics

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#### **Abstract**

Brief summary of the paper.

#### 1 Introduction

Purpose of the paper, historical context, necessary background information and notation.

## 2 Body of the Work

Full proofs, numerical implementations. Remember to cite your sources, such as  $[\mathrm{Hel}17].$ 

**Theorem 2.1** (Pythagoras). In a right triangle, the square of the hypotenuse is equal to the sum of the squares of the other two sides. That is,

$$a^2 + b^2 = c^2, (1)$$

where c is the length of the hypotenuse and a and b are the lengths of the two other sides.

*Proof.* Draw a figure.

#### 3 Conclusions

Optional. Results, consequences, future work.

Table 1 lists some integers satisfying Equation (1) of Theorem 2.1.

$\boldsymbol{a}$	$\boldsymbol{b}$	$\boldsymbol{c}$
3	4	5
65	72	97

Table 1: Some interesting numbers

### References

[Hel17] Helsø, M. Rational Quartic Symmetroids. Aug. 2017. arXiv: 1708. 04101.