Assignment 1

Please refer to the code for implementation of mlParams(). Figure 1 shows the result.

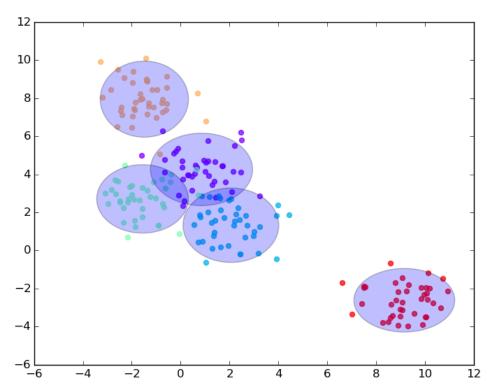


Figure 1: 95 % confidence intervals for data generated by genBlobs(centers = 5)

Assignment 2

Refer to code for implementations of computePrior() and classifyBayes().

Assignment 3

The result of running testClassifier(BayesClassifier(), dataset='iris', split=0.7) and testClassifier(BayesClassifier(), dataset='vowel', split=0.7) is given:

```
Trial: 0 Accuracy 84.4
Trial: 10 Accuracy 95.6
Trial: 20 Accuracy 93.3
Trial: 30 Accuracy 86.7
Trial: 40 Accuracy 88.9
Trial: 50 Accuracy 91.1
Trial: 60 Accuracy 86.7
Trial: 70 Accuracy 91.1
Trial: 80 Accuracy 86.7
Trial: 90 Accuracy 91.1
Final mean classification accuracy 89 with standard deviation 4.16
Trial: 0 Accuracy 61
Trial: 10 Accuracy 66.2
Trial: 20 Accuracy 74
Trial: 30 Accuracy 66.9
Trial: 40 Accuracy 59.7
Trial: 50 Accuracy 64.3
Trial: 60 Accuracy 66.9
Trial: 70 Accuracy 63.6
Trial: 80 Accuracy 62.3
Trial: 90 Accuracy 70.8
Final mean classification accuracy 64.7 with standard deviation 4.03
```

The decision boundary for the 2D-iris data is depicted in Figure 2.

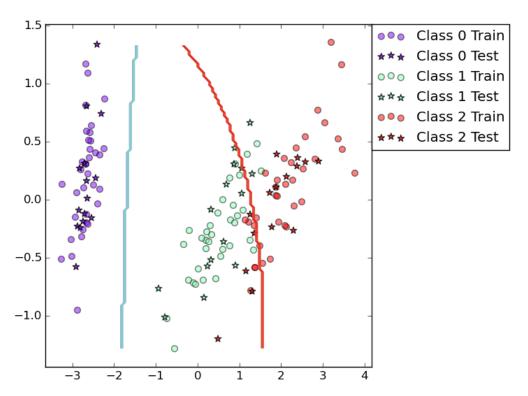


Figure 2: Boundary for the iris data.

Questions:

- 1) When can feature independence assumption be reasonable?
- A: When one may assume that there is no or little correlation between the features. In the Iris-set one may assume that there is positive correlation between petal width and petal length (or sepal width & length), c.f. https://archive.ics.uci.edu/ml/datasets/Iris.
- 2) How does the decision boundary look for the iris dataset? How could one improve the results for this scenario by changing the classifier, or by manipulating the data?
- A: It looks like class 0 is has fairly uncorrelated features while class 1 and class 2 has not. One could use a "non-naive" Bayes classifier, i.e. where it is not necissarily the case that $\Sigma(m,n)=0, \quad n\neq m$. One could possibly make non linear transformation of the data.

Assignment 4

Refer to code for the augmented functions mlParams()

Assignment 5

Refer to code for augmented function computePrior(). Also for implementations of trainBoost() and classifyBoost(). The results of running

```
testClassifier (BoostClassifier (BayesClassifier (), T=10), dataset='iris', split=0.7) \\ testClassifier (BoostClassifier (BayesClassifier (), T=10), dataset='vowel', split=0.7) \\
```

are given below. Decision boundary for the iris data using boosting is given in Figure 5.

```
Trial: 0 Accuracy 95.6
Trial: 10 Accuracy 100
Trial: 20 Accuracy 93.3
Trial: 30 Accuracy 91.1
Trial: 40 Accuracy 97.8
Trial: 50 Accuracy 93.3
Trial: 60 Accuracy 93.3
Trial: 70 Accuracy 97.8
Trial: 80 Accuracy 95.6
Trial: 90 Accuracy 93.3
Final mean classification accuracy \ 94.7 \ with \ standard \ deviation \ 2.82
Trial: 0 Accuracy 76.6
Trial: 10 Accuracy 86.4
Trial: 20 Accuracy 83.1
Trial: 30 Accuracy 80.5
Trial: 40 Accuracy 72.7
Trial: 50 Accuracy 76
Trial: 60 Accuracy 81.8
Trial: 70 Accuracy 82.5
Trial: 80 Accuracy 79.9
Trial: 90 Accuracy 83.1
Final mean classification accuracy 80.2 with standard deviation 3.52
```

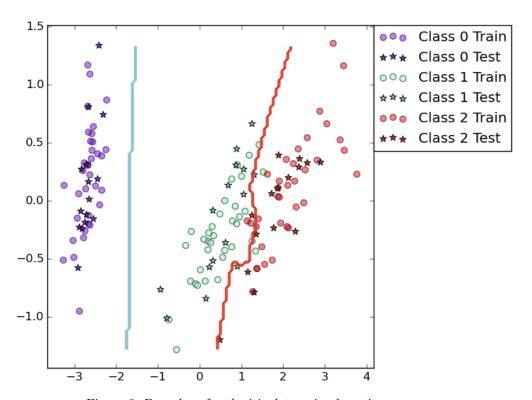


Figure 3: Boundary for the iris data using boosting.

Questions:

- 1) Is there any improvement in classification accuracy? Why/why not?
- A: Yes, this is because the boosting puts more weight on the missclassified points

TODO, har vi koll på detta?

- 2) Plot the decision boundary of the boosted classifier for the iris set. What differences do you notice? Is the boundary of the boosted version more complex?
- A: See Figures 2 and 5. Yes, more complex. Also copes better with the correlation
- 3) Can we make up for not using a more complex model by using boosting? E.g. not using independent features.
- A: Yes, at least to some extent.

Assignment 6

Result of running

```
testClassifier(DecisionTreeClassifier(), dataset='iris', split=0.7)
testClassifier(BoostClassifier(DecisionTreeClassifier(), T=10), dataset='iris', split=0.7)
testClassifier(DecisionTreeClassifier(), dataset='vowel', split=0.7)
testClassifier(BoostClassifier(DecisionTreeClassifier(), T=10), dataset='vowel', split=0.7)
```

is given:

```
Trial: 0 Accuracy 95.6
Trial: 10 Accuracy 100
Trial: 20 Accuracy 91.1
Trial: 30 Accuracy 91.1
Trial: 40 Accuracy 93.3
Trial: 50 Accuracy 91.1
Trial: 60 Accuracy 88.9
Trial: 70 Accuracy 88.9
Trial: 80 Accuracy 93.3
Trial: 90 Accuracy 88.9
Final mean classification accuracy 92.4 with standard deviation 3.71
Trial: 0 Accuracy 95.6
Trial: 10 Accuracy 100
Trial: 20 Accuracy 95.6
Trial: 30 Accuracy 93.3
Trial: 40 Accuracy 93.3
Trial: 50 Accuracy 95.6
Trial: 60 Accuracy 88.9
Trial: 70 Accuracy 93.3
Trial: 80 Accuracy 93.3
Trial: 90 Accuracy 93.3
Final mean classification accuracy 94.6 with standard deviation 3.65
Trial: 0 Accuracy 63.6
Trial: 10 Accuracy 68.8
Trial: 20 Accuracy 63.6
Trial: 30 Accuracy 66.9
Trial: 40 Accuracy 59.7
Trial: 50 Accuracy 63
Trial: 60 Accuracy 59.7
Trial: 70 Accuracy 68.8
Trial: 80 Accuracy 59.7
Trial: 90 Accuracy 68.2
Final mean classification accuracy 64.1 with standard deviation 4
Trial: 0 Accuracy 85.7
Trial: 10 Accuracy 90.3
Trial: 20 Accuracy 88.3
Trial: 30 Accuracy 90.9
Trial: 40 Accuracy 84.4
Trial: 50 Accuracy 81.2
Trial: 60 Accuracy 87.7
Trial: 70 Accuracy 86.4
Trial: 80 Accuracy 87
Trial: 90 Accuracy 90.3
Final mean classification accuracy 86.7 with standard deviation 2.7
```

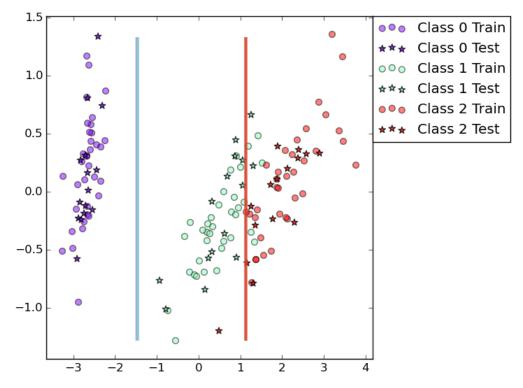


Figure 4: Decision tree.

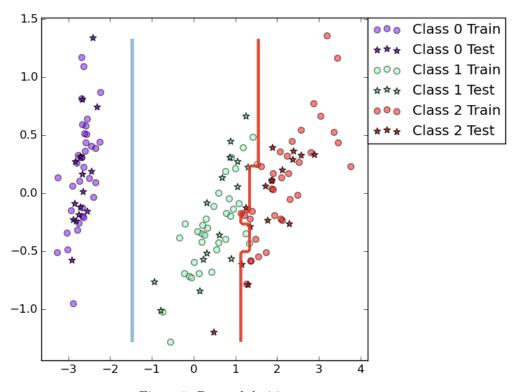


Figure 5: Boosted decision tree.

Questions:

- 1) Is there any improvement in classification accuracy? Why/why not?
- A: Yes, in particular for the vowel data set. The mean accuracy increases from 64.1~% to 86.7~%. Not so much for the iris data set.
- 2) Plot the decision boundary of the boosted classifier for the iris set. What differences do you notice? Is the boundary of the boosted version more complex?
- A: Boosted version is more complex. Both seems to find a boundary that runs in parallell to the axes.
- 3) Can we make up for not using a more complex model by using boosting?
- A: Yes

Assignment 7

If you had to pick a classifier, naive Bayes or a decision tree or the boosted versions of these, which one would you pick? Motivate from the following criteria:

- Outliers
- Naive Bayes with no or little boosting.
- Irrelevant inputs: part of the feature space is irrelevant
- Decision tree, with pruning should be good.
- Predictive power
- Naive Bayes with boosting
- Mixed types of data: binary, categorical or continuous features, etc.
- Decision tree should cope well binary, categorical and mixtures of these and continous. Maybe Naive Bayes too if we have suitable probability distributions for the data.
- Scalability: the dimension of the data, D, is large or the number of instances, N , is large, or both.
- Naive Bayes require moderate or large training set.