# Forecasting Trend in the CAISO Duck Curve using Seasonal Decomposition, ARIMA and SARIMAX

UCB AIML Capstone Project Mike Jones 12/26/2024

### **INTRODUCTION**

Electrical Energy markets are a pervasive and a constant part of people's daily lives. We live in a society that is interwoven with electrical energy and it's applications to the point where it is present everywhere, ubiquitous, and so ordinary that people hardly notice or talk about it. Electricity is constantly at work in the many devices, products, buildings, and vehicles all around us - in and among and throughout the daily activities of people going about their lives.

Electricity just works.

Yet there is a story to be told. And, the people who work in the industry (energy, utilities, and related logistics etc) perform a continual balancing and rebalancing act in order to meet the needs of consumers throughout society.

Over the past decade, both the advent of Smart Grids, in combination with the innovation and scale of new ways to produce Solar and Wind energy have created new challenges for those who operate and manage Electrical Power Systems. Being able to accurately forecast the big picture trends in electrical power consumption, especially with respect to clean energy and renewable power sources is a vitally important task for planners and operators in the world's largest energy markets.

## CRISP-DM

The analysis was conducted according to the CRISP-DM framework (where CRISP-DM stands for Cross Industry Standard Process for Data Mining). At a high level, CRISP-DM is a cyclical set of activities which goes from establishing an initial analytic objective and forming a basic understanding and then working toward achieving that objective by continually working through and refining the steps to eventually produce the result. The steps in the CRISP-DM Cycle are:

- [1] Business Understanding
- [2] Data Understanding
- [3] Data Preparation
- [4] Modeling
- [5] Evaluation
- [6] Deployment

By the nature of this particular assignment the steps [1] and [6] Business Understanding and Deployment (i.e. turning in the project) were established at the beginning and end of the project. The main concentration of effort was many multiple passes through the steps [2] - [5] of the cycle (Data Understanding, Preparation, Modeling, and Evaluation).

# **Business Understanding**

There are nine ISOs (Independent System Operators) in North America, of which CAISO is one. CAISO stands for the California Independent System Operator, and is the organization that provides electrical power to most of California as well as parts of Nevada. It is comprised of four utility companies serving the region, they are:

PGE Pacific Gas and Electric SCE Southern California Edison SDGE San Diego Gas and Electric VAE Valley Electric Association

This study uses the timeseries methods from Module 10 of the UCB AIML Course in order to understand and make forecasts with this data set. Specifically the "Duck Curve" is calculated, and then it's trend is determined using Seasonal Decomposition. ARIMA and SARIMAX are then used on the trend to produce 7-day forecasts for both The Total Caiso Load and The Duck Curve are likely to be across a seven day window.

Additionally, this work builds on the Machine Learning concept and principle of using Grid Search for the purpose of finding the optimal result of a given model which is run across many input permutations of a given hyperparameter search space. After a brief scan of the internet, it was

found that SKLearn does not have a built in facility for conducting Grid Search on ARIMA per se. As such, that methodology was "built by hand" in the cells of the notebook below.

The work represents an initial foray, and early steps toward making these 7-day forecasts. Much was discovered and learned in the process of producing these preliminary results (both in the sense of machine learning as well as human learning). The work forms a foundation for ongoing research into this data set. It represents a basis for further development as well as potential business and industrial applications of the methods and findings.

Background information can be found in the following articles:

https://aurorasolar.com/blog/the-duck-curve-a-review-of-californias-daily-load-predictions/ Understanding the California Duck Curve for Daily Load Projections

https://www.greentechmedia.com/articles/read/eia-charts-californias-real-and-growing-duck-curve

EIA Data Reveals California's Real and Growing Duck Curve

Additionally, Wikipedia has excellent introductory articles on Smart Grids and The Duck Curve and Electrical Systems in general:

```
https://en.wikipedia.org/wiki/Smart_grid
https://en.wikipedia.org/wiki/Duck_curve
https://en.wikipedia.org/wiki/Electric power transmission
```

# **Data Understanding and Preparation**

The data for the capstone was obtained from the website / firm GridStatus.io back in October 2024. It consists of two data sets: [1] Total CAISO Load and [2] Fuel Mix, documentation for which can be found here:

```
https://www.gridstatus.io/datasets/caiso_load
https://www.gridstatus.io/datasets/caiso_fuel_mix
```

These appear to be an evolving product offering from the Grid status.

The documentation found on the site, continues to evolve and become more detailed and comprehensive in scope. Its appearance is becoming more corporate and I suspect that the company is rapidly growing and professionalizing its services. Whereas CAISO Load and Fuel Mix were previously freely available, they are now apparently behind a paywall and require api keys in order to access.

Some aspects of the previously accessible data still remains freely available at the time of this writing. For example, for NYISO (New York Independent System Operator), the following python code:

```
import gridstatus
nyiso = gridstatus.NYISO()

gls0 = gridstatus.list_isos()
print(f' gls0 { gls0 }')
print(f' gridstatus.__version__ { gridstatus.__version__ }')

load0 = nyiso.get_load("today")
print(load0)

fuel0 = caiso.get_fuel_mix("today")
print(fuel0)
```

# produces results, returning the following for list\_isos():

gl	s0	Name	Id Class
0	Midcontinent ISO	miso	MISO
1	California ISO	caiso	CAISO
2	РЈМ	pjm	PJM
3	Electric Reliability Council of Texas	ercot	Ercot
4	Southwest Power Pool	spp	SPP
5	New York ISO	nyiso	NYISO
6	ISO New England	isone	ISONE

#### And, for NYISO get load('today') returns:

Name Time Load CAPITL CENTRL DUNWOD GENESE HUDVL LONGIL MHKVL MILLWD N.Y.C. NORTH WEST

- $0 \quad 2024 12 26\ 00:00:00 05:00 \quad 17240.7136 \quad 1444.5430 \quad 1739.3518 \quad 655.1893 \quad 1007.5286 \quad 1176.1653 \quad 2241.7060 \quad 971.4618 \quad 348.3720 \quad 5250.8840 \quad 736.2094 \quad 1669.3024$
- 1 2024-12-26 00:05:00-05:00 17215.0717 1434.8036 1726.4724 645.1801 1006.7183 1194.5466 2217.9062 964.7794 353.7157 5236.6850 764.6216 1669.6428
- 2 2024-12-26 00:10:00-05:00 17103.0779 1430.3510 1737.2461 672.1261 1007.2386 1176.1284 2207.2320 985.0500 361.6034 5190.7910 671.5379 1663.7734
- 3 2024-12-26 00:15:00-05:00 16968.4203 1443.9225 1720.1631 654.9122 1006.0508 1153.6467 2200.9420 982.3648 356.3033 5189.7393 606.7305 1653.6451
- 4 2024-12-26 00:20:00-05:00 16956.4011 1425.3980 1736.9382 662.0627 1004.7451 1162.4446 2194.0810 953.2435 344.7347 5190.6504 631.0508 1651.0521
- 5 2024-12-26 00:25:00-05:00 16908.4444 1428.0290 1726.0913 656.2340 999.7396 1174.0730 2181.3780 975.3463 342.8573 5178.6255 605.7811 1640.2893
- 6 2024-12-26 00:30:00-05:00 16903.0264 1425.3310 1725.5776 654.1423 994.6881 1147.2715 2185.0250 973.3925 350.5370 5173.7646 613.5656 1659.7312

...

265 2024-12-26 21:55:00-05:00 19748.2583 1708.4192 2052.7760 757.1603 1198.2270 1379.1693 2623.3936 1167.7213 418.7491 5928.8710 614.9772 1898.7943

266 2024-12-26 22:00:00-05:00 19637.9511 1709.2439 2068.3284 756.7487 1192.1921 1381.0676 2605.5188 1156.8776 411.1213 5874.6700 612.7719 1869.4108

```
267 2024-12-26 22:05:00-05:00 19526.3248 1677.2137 2040.6318 765.5911 1191.6926 1410.9977 2597.9695 1149.0791 397.2191 5825.2130 616.1946 1854.5226 268 2024-12-26 22:10:00-05:00 19309.8087 1655.7572 2013.1125 741.6625 1178.5254 1355.9497 2576.2870 1130.0137 403.3360 5825.6910 599.9683 1829.5054 269 2024-12-26 22:15:00-05:00 19252.6951 1672.3241 1976.7744 753.4548 1177.6731 1371.5371 2550.3145 1119.3281 418.2089 5785.9175 609.4955 1817.6671
```

showing the five minute incremental data for total load, and split apart into it's component operators. However, NYISO fuel\_mix('today') is not available at this time, returning the following error:

```
urllib.error.HTTPError: HTTP Error 404: Not Found
```

That same error is what has been returned for CAISO Load and Fuel Mix for the last few weeks at this point. It seems unlikely to change without signing up for a paid subscription.

Fortunately in my initial Exploratory Data Analysis looking into the data set, I was able to collect and save nearly six years of data for both CAISO Load and Fuel Mix. The Python code I ran back in October which I used to create the files is:

```
caiso = gridstatus.CAISO()
start = pd.Timestamp("Jan 1, 2019").normalize()
end = pd.Timestamp.now().normalize()
fm1 = caiso.get_fuel_mix(start, end=end, verbose=True)
fm1.to_csv('fuel_mix_20190101_20241003.csv',index=False)
lod0 = caiso.get_load('2019-10-01',end='2024-10-03')
lod0.to csv('load 20190101 20241003.csv',index=False)
```

I saved the six years of data (at five minute sample intervals) aside in two CSV files, just to have it handy. The files are:

```
fuel_mix_20190101_20241003.csv load_20190101_20241003.csv
```

The files are somewhat large. The fuel\_mix file is 95.6 MB and has 605,091 records ranging from between 2019-01-01 and 2024-10-02. The load file is 45.3 MB has 526,486 records ranging from between 2019-10-01 and 2024-10-02. Working with files of this magnitude in combination was too much and overwhelmed the Jupyter Notebook.

For this project I used my laptop and did all of the work locally. When I ran into the "Big Data like" issues, I decided to do some preprocessing outside of the notebook in order to reduce the data size to something more manageable. This is depicted in the following diagram:

# Data Flow Diagram - preparing the CAISO Data Set

See the files in the directory "\_other" for the BASH, ETL and SQL scripts used to reduce the total data size to something more manageable. Aspects of the Feature Engineering and Data Preparation were done in the database, including: filling in missing timestamps, joining the Load and Fuel\_Mix tables, adding together Solar and Wind and subtracting both from the total load to calculate The Duck Curve:

Duck = Load - (Solar + Wind)

The results were saved to a CSV so that it could be loaded up to GitHub along with the Jupyter Notebook so as to form a consistent whole. As such, the code and the data could be distributed in such a way where nothing other than the Notebook and the CSV data was needed in order to duplicate and perform the calculations. That file is:

ucb aiml capstone caiso.csv

and holds data in the following format, where the last full day of data looks like:

ts0	dt0	hr0	solar	wind	caiso load	sol wind	duck
2024-10-02 00:00	10/2/24	0	-56	917	26333	8 <del>6</del> 1	25472
2024-10-02 01:00	10/2/24	1	-59	1059	25552	1000	24552
2024-10-02 02:00	10/2/24	2	-60	1152	24259	1092	23167
2024-10-02 03:00	10/2/24	3	-59	1101	23123	1042	22081
2024-10-02 04:00	10/2/24	4	-59	1085	22757	1026	21731
2024-10-02 05:00	10/2/24	5	-61	1140	23152	1079	22073
2024-10-02 06:00	10/2/24	6	-60	1189	24497	1129	23368
2024-10-02 07:00	10/2/24	7	269	1245	25889	1514	24375
2024-10-02 08:00	10/2/24	8	7712	1044	26449	8756	17693
2024-10-02 09:00	10/2/24	9	14825	969	26858	15794	11064
2024-10-02 10:00	10/2/24	10	16580	906	26753	17486	9267
2024-10-02 11:00	10/2/24	11	16444	844	27269	17288	9981
2024-10-02 12:00	10/2/24	12	16695	801	28470	17496	10974
2024-10-02 13:00	10/2/24	13	16675	801	31104	17476	13628
2024-10-02 14:00	10/2/24	14	16467	824	33908	17291	16617
2024-10-02 15:00	10/2/24	15	16224	1033	37133	17257	19876
2024-10-02 16:00	10/2/24	16	15032	1619	39782	16651	23131
2024-10-02 17:00	10/2/24	17	10912	1740	40997	12652	28345
2024-10-02 18:00	10/2/24	18	1927	1877	41185	3804	37381

2024-10-02 19:00	10/2/24	19	-48	2295	39724	2247	37477
2024-10-02 20:00	10/2/24	20	-37	2407	37673	2370	35303
2024-10-02 21:00	10/2/24	21	-29	2451	35253	2422	32831
2024-10-02 22:00	10/2/24	22	-31	2727	33028	2696	30332
2024-10-02 23:00	10/2/24	23	-32	2772	30162	2740	27422

# **Modeling and Evaluation**

The plan for modeling is to run:

Seasonal Decomposition ARIMA SARIMAX

in that order.

Use the Seasonal Decomposition method to establish the component trend, seasonality, and residue from the original timeseries given by the equation:

```
y = t * s * r (multiplicative), or
y = t + s + r (additive)
```

#### where:

- y is the original timeseries,
- t is the trend,
- s is the seasonal component, and
- r is the residue.

note that seasonality can be determined by additive or multiplicative combination of the components, and either can be used. Additive is used in the current IPYNB file, however both could be tested and included in future hyperparameter gridsearch testing.

The Seasonal Decomposition Trend was determined for both CAISO Load and Duck Curve. Once the trend was isolated, it was then used for further analysis and forecasting by ARIMA and SARIMAX. Grid search was used for determining optimal ARIMA hyper parameters, however SARIMAX forecasts did not use gridsearch.

Grid Search does not appear to be immediately and directly available for SKLearn's ARIMA and SARIMAX as indicated by the following google search result:

While scikit-learn's GridSearchCV doesn't directly support ARIMA models, you

can still use it with a bit of customization.

As such, in the absence of a built in grid search method, I decided to create my own model scoring mechanism for the purpose of optimizing hyperparameters. I performed my DIY GridSearch on ARIMA over three hyperparameters:

In essence I created a triply nested for loop to search through many combinations of:

```
[d1] arima order,
```

- [d2] arima period, and
- [d3] forecasts date range (7 day window starting on diff days/date).

For any one arima\_order and one arima\_period, several 7-day forecasts are run and the accuracy of the forecasts are scored with:

```
Mean Square Error (MSE),
Root Mean Square Error (RMSE),
Mean Absolute Error (MAE), and
Mean Absolute Percentage Error (MAPE).
```

This triply nested for loop was used to produce 100 different model runs for both Caiso Load and Duck Curve. They are based on the first two dimensions [d1] & [d2] form a 10x10 cross product / cartisian grid denoted as X\_Y where X is the arima\_order, and Y is the arima\_period. I give the column containing these values the name "IDX" for "index" in the result files as well as the excel file mentioned below. Then, once all of the gridsearch runs with the different hyperparameters are completed their result is collected are written out to the files:

```
result_caiso_load.txt , and result_duck.txt
```

and then put into the following excel file for further analysis:

```
rpt_0_caiso_load_duck_matrix.xlsx
```

The file has three sheets:

```
caiso_scores
duck_scores
matrix
```

where the caiso\_scores and duck\_scores sheets correspond to the result\_caiso\_load.txt and result\_duck.txt files.

The results can then be cross compared and evaluated by looking at which runs have lower or higher values for MSE, RMSE, MAE, and MAPE. The IDX's with lower scores indicate the most accurate forecasts, and the IDX's with higher scores indicate the least accurate forecasts. Scores for MSE, RMSE, MAE and MAPE are colored in from blue to red or green to red to show how that forecast performed.

Strongly blue or green cells indicate the best relative scores in the column and strongly red cells indicates the least accurate hyper parameters. The matrix shows a condensed picture of the best and worst scores for MAPE, with worst and best identified:

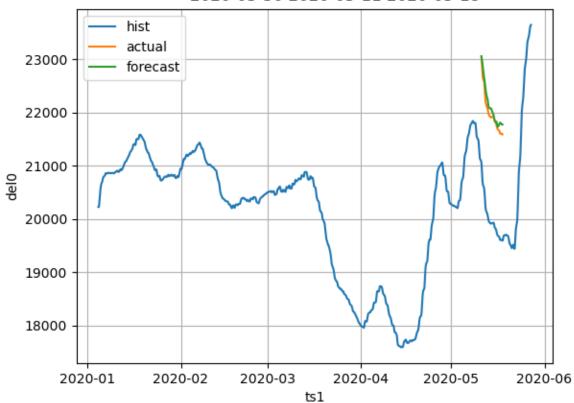
worst best duck 0.104 0.054 load 0.051 0.025

Α	В	C	D	E	F	G	Н	- 1	J	K	L	M		
Optim	nizatior	Matr	ices us	sing M	APE									
	1													
		24	72	120	168	216	264	312	360	408	456	<<< arima	period	
	ord1	mape3	mape3	mape3	mape3	mape3	mape3	mape3	mape3	mape3	mape3			
duck	(0,0,1)	0.058	0.056	0.061	0.067	0.069	0.071	0.075	0.072	0.072	0.067			
	(0,1,0)	0.089	0.083	0.088	0.083	0.086	0.087	0.102	0.092	0.084	0.081			
	(0,1,1)	0.088	0.082	0.087	0.088	0.087	0.088	0.102	0.093	0.084	0.080			
	(1,0,0)	0.065	0.056	0.055	0.063	0.066	0.073	0.079	0.075	0.075	0.068			
	(1,0,1)	0.059	0.054	0.055	0.063	0.067	0.072	0.077	0.073	0.073	0.066			
	(1,1,0)	0.089	0.084	0.083	0.091	0.087	0.088	0.104	0.091	0.080	0.078			
	(1,1,1)	0.089	0.082	0.086	0.093	0.087	0.089	0.102	0.093	0.083	0.080			
	(1,1,2)	0.083	0.082	0.086	0.092	0.088	0.090	0.101	0.095	0.083	0.078			
	(2,1,1)	0.089	0.082	0.087	0.091	0.087	0.089	0.102	0.091	0.087	0.085			
	(2,1,2)	0.074	0.074	0.069	0.076	0.081	0.089	0.100	0.085	0.081	0.082			
load	(0,0,1)	0.032	0.026	0.028	0.030	0.032	0.032	0.036	0.033	0.031	0.033			
	(0,1,0)	0.039	0.033	0.042	0.041	0.037	0.037	0.039	0.044	0.037	0.036			
	(0,1,1)	0.026	0.026	0.027	0.028	0.030	0.032	0.033	0.030	0.031	0.032			
	(1,0,0)	0.029	0.025	0.027	0.029	0.031	0.031	0.035	0.031	0.031	0.033			
	(1,0,1)	0.038	0.039	0.051	0.051	0.040	0.039	0.039	0.046	0.034	0.034			
	(1,1,0)	0.039	0.033	0.042	0.043	0.037	0.037	0.039	0.044	0.037	0.036			
	(1,1,1)	0.038	0.035	0.044	0.048	0.037	0.038	0.038	0.045	0.035	0.035			
	(1,1,2)	0.038	0.034	0.041	0.042	0.034	0.038	0.038	0.038	0.034	0.033			
	(2,1,1)	0.038	0.034	0.043	0.048	0.037	0.038	0.038	0.045	0.034	0.033			
	(2,1,2)	0.032	0.030	0.034	0.039	0.035	0.031	0.038	0.037	0.034	0.033			
	Optim	ord1 duck (0,0,1) (0,1,0) (0,1,1) (1,0,0) (1,1,1) (1,1,0) (1,1,1) (1,1,2) (2,1,1) (2,1,2)  load (0,0,1) (0,1,0) (0,1,1) (1,0,0) (1,0,1) (1,0,0) (1,1,1) (1,1,0) (1,1,1) (1,1,2) (2,1,1)	Optimization Matr  24  ord1 mape3  duck (0,0,1) 0.058 (0,1,0) 0.089 (0,1,1) 0.088 (1,0,0) 0.065 (1,0,1) 0.089 (1,1,1) 0.089 (1,1,1) 0.089 (1,1,2) 0.083 (2,1,1) 0.089 (2,1,2) 0.074  load (0,0,1) 0.032 (0,1,0) 0.039 (0,1,1) 0.026 (1,0,0) 0.039 (1,0,1) 0.038 (1,1,0) 0.038 (1,1,1) 0.038 (1,1,1) 0.038 (1,1,1) 0.038 (1,1,1) 0.038 (1,1,1) 0.038 (1,1,1) 0.038 (1,1,1) 0.038 (2,1,1) 0.038	Optimization Matrices us           24         72           ord1         mape3         mape3           duck         (0,0,1)         0.058         0.056           (0,1,0)         0.089         0.083           (0,1,1)         0.088         0.082           (1,0,0)         0.065         0.056           (1,0,1)         0.059         0.084           (1,1,1)         0.089         0.082           (1,1,2)         0.083         0.082           (2,1,1)         0.089         0.082           (2,1,1)         0.089         0.082           (2,1,2)         0.074         0.074           load         (0,0,1)         0.032         0.026           (0,1,0)         0.039         0.033           (0,1,1)         0.026         0.026           (1,0,0)         0.029         0.025           (1,0,1)         0.038         0.039           (1,1,1)         0.038         0.034           (1,1,1)         0.038         0.034           (1,1,1)         0.038         0.034           (2,1,1)         0.038         0.034	Optimization Matrices using Mat	Optimization Matrices using MAPE           24         72         120         168           ord1         mape3         mape3         mape3         mape3           duck         (0,0,1)         0.058         0.056         0.061         0.067           (0,1,0)         0.089         0.083         0.088         0.083           (0,1,1)         0.088         0.082         0.087         0.088           (1,0,0)         0.065         0.056         0.055         0.063           (1,0,1)         0.089         0.084         0.083         0.091           (1,1,1)         0.089         0.084         0.083         0.091           (1,1,1)         0.089         0.082         0.086         0.093           (1,1,2)         0.083         0.082         0.086         0.092           (2,1,1)         0.089         0.082         0.087         0.091           (2,1,1)         0.089         0.082         0.087         0.091           (2,1,1)         0.089         0.082         0.087         0.091           (2,1,2)         0.074         0.074         0.069         0.076           load         (0,1,1)         0.032 </td <td>Optimization Matrices using MAPE           24         72         120         168         216           ord1         mape3         mape3         mape3         mape3         mape3         mape3           duck         (0,0,1)         0.058         0.056         0.061         0.067         0.069           (0,1,0)         0.089         0.083         0.088         0.083         0.086           (0,1,1)         0.088         0.082         0.087         0.088         0.087           (1,0,0)         0.065         0.056         0.055         0.063         0.066           (1,1,0)         0.089         0.084         0.083         0.091         0.087           (1,1,1)         0.089         0.084         0.083         0.091         0.087           (1,1,1)         0.089         0.082         0.086         0.093         0.087           (1,1,1)         0.089         0.082         0.086         0.092         0.088           (2,1,1)         0.089         0.082         0.087         0.091         0.087           (2,1,1)         0.089         0.082         0.087         0.091         0.087           (0,1)         0.032&lt;</td> <td>Optimization Matrices using MAPE           24         72         120         168         216         264           ord1         mape3         0.081         0.087         0.088         0.087         0.088         0.087         0.088         0.087         0.088         0.087         0.089         0.088&lt;</td> <td>Optimization Matrices using MAPE           24         72         120         168         216         264         312           ord1         mape3         0.075         0.063         0.066         0.087         0.088         0.102         0.077         0.077         0.077         0.077         0.077         0.077         0.087         0.088         0.104<td>Optimization Matrices using MAPE           24         72         120         168         216         264         312         360           ord1         mape3         mape3</td><td>Optimization Matrices using MAPE         24         72         120         168         216         264         312         360         408           ord1         mape3         <th col<="" td=""><td>Optimization Matrices using MAPE</td><td>Optimization Matrices using MAPE         24         72         120         168         216         264         312         360         408         456         &lt;&lt;&lt;&lt; arima</td></th>           ord1         mape3         mape3</td></td>	Optimization Matrices using MAPE           24         72         120         168         216           ord1         mape3         mape3         mape3         mape3         mape3         mape3           duck         (0,0,1)         0.058         0.056         0.061         0.067         0.069           (0,1,0)         0.089         0.083         0.088         0.083         0.086           (0,1,1)         0.088         0.082         0.087         0.088         0.087           (1,0,0)         0.065         0.056         0.055         0.063         0.066           (1,1,0)         0.089         0.084         0.083         0.091         0.087           (1,1,1)         0.089         0.084         0.083         0.091         0.087           (1,1,1)         0.089         0.082         0.086         0.093         0.087           (1,1,1)         0.089         0.082         0.086         0.092         0.088           (2,1,1)         0.089         0.082         0.087         0.091         0.087           (2,1,1)         0.089         0.082         0.087         0.091         0.087           (0,1)         0.032<	Optimization Matrices using MAPE           24         72         120         168         216         264           ord1         mape3         0.081         0.087         0.088         0.087         0.088         0.087         0.088         0.087         0.088         0.087         0.089         0.088<	Optimization Matrices using MAPE           24         72         120         168         216         264         312           ord1         mape3         0.075         0.063         0.066         0.087         0.088         0.102         0.077         0.077         0.077         0.077         0.077         0.077         0.087         0.088         0.104 <td>Optimization Matrices using MAPE           24         72         120         168         216         264         312         360           ord1         mape3         mape3</td> <td>Optimization Matrices using MAPE         24         72         120         168         216         264         312         360         408           ord1         mape3         <th col<="" td=""><td>Optimization Matrices using MAPE</td><td>Optimization Matrices using MAPE         24         72         120         168         216         264         312         360         408         456         &lt;&lt;&lt;&lt; arima</td></th>           ord1         mape3         mape3</td>	Optimization Matrices using MAPE           24         72         120         168         216         264         312         360           ord1         mape3         mape3	Optimization Matrices using MAPE         24         72         120         168         216         264         312         360         408           ord1         mape3         mape3 <th col<="" td=""><td>Optimization Matrices using MAPE</td><td>Optimization Matrices using MAPE         24         72         120         168         216         264         312         360         408         456         &lt;&lt;&lt;&lt; arima</td></th> ord1         mape3         mape3	<td>Optimization Matrices using MAPE</td> <td>Optimization Matrices using MAPE         24         72         120         168         216         264         312         360         408         456         &lt;&lt;&lt;&lt; arima</td>	Optimization Matrices using MAPE	Optimization Matrices using MAPE         24         72         120         168         216         264         312         360         408         456         <<<< arima

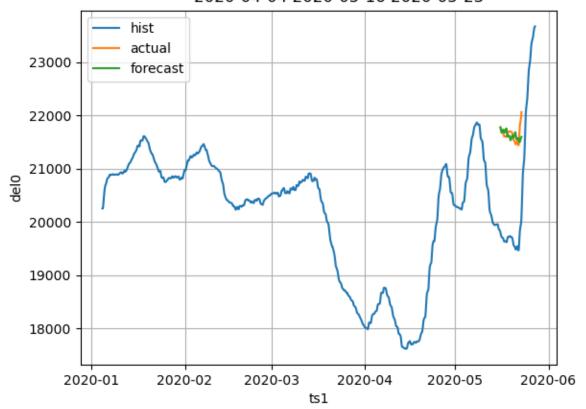
Both good and bad examples can be drawn from the best and worst performing forecasts as determined by the gridsearch hyperparameter optimization.

The best Duck Curve forecasts have relatively low MAE and MAPE scores, and the forecast / actual segments appear to overlap each other, one on top of another, as in the following plot.

3\_1\_16 caiso\_load forecast with STL & ARIMA (mae,mape) 121.8,0.006 order (1, 0, 1); period72; 2020-03-30 2020-05-11 2020-05-18

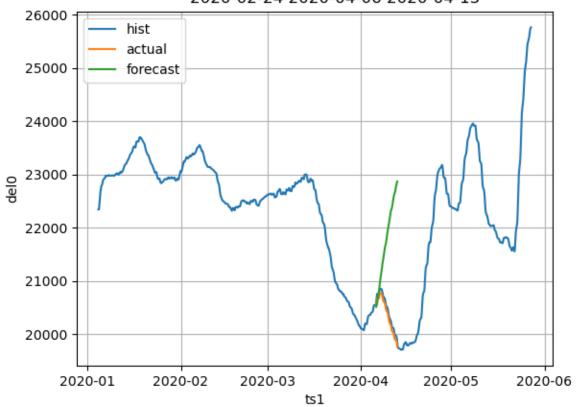


3\_1\_17 caiso\_load forecast with STL & ARIMA (mae,mape) 109.5,0.005 order (1, 0, 1); period72; 2020-04-04 2020-05-16 2020-05-23

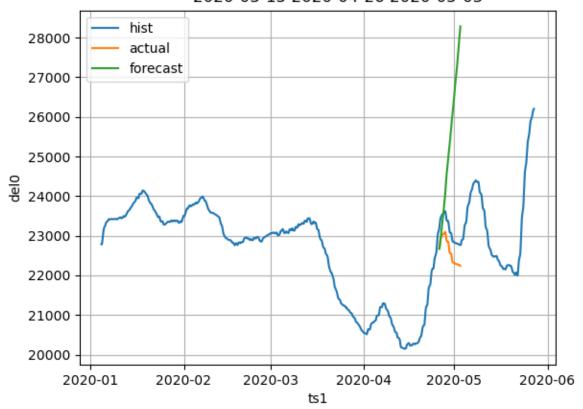


And the worst performing forecasts have relatively high MAE and MAPE scores for the forecast accuracy.

4\_6\_9 caiso\_load forecast with STL & ARIMA (mae,mape) 1413.1,0.07 order (1, 1, 0); period312; 2020-02-24 2020-04-06 2020-04-13

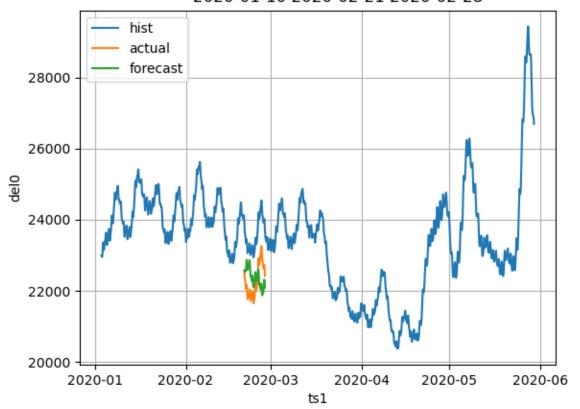


4\_6\_13 caiso\_load forecast with STL & ARIMA (mae,mape) 2747.2,0.123 order (1, 1, 0); period312; 2020-03-15 2020-04-26 2020-05-03



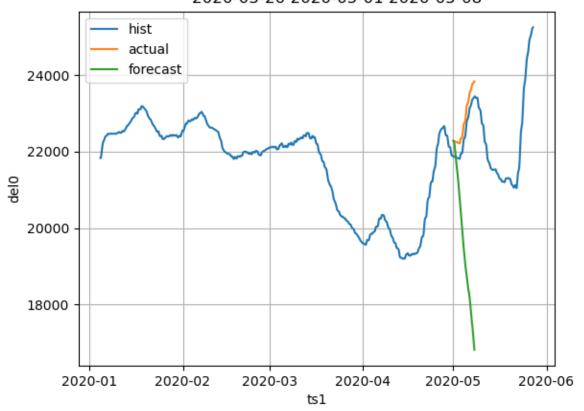
The best CAISO LOAD forecasts have relatively low MAE and MAPE scores, and the forecast / actual segments appear to overlap each other, one on top of another, as in the following plot.

3\_1\_0 caiso\_load forecast with STL & ARIMA (mae,mape) 563.5,0.025 order (1, 0, 1); period72; 2020-01-10 2020-02-21 2020-02-28

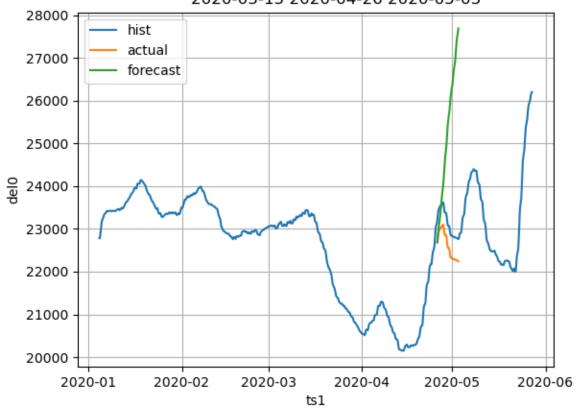


The worst CAISO LOAD forecasts have a relatively high MAE / MAPE and the forecast vs actual segments appear to diverge.

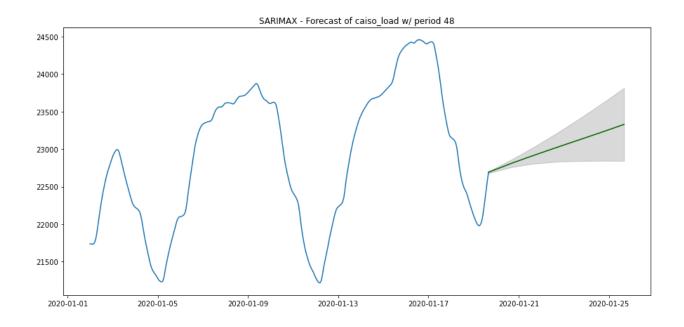
4\_2\_14 caiso\_load forecast with STL & ARIMA (mae,mape) 3238.1,0.139 order (1, 1, 0); period120; 2020-03-20 2020-05-01 2020-05-08

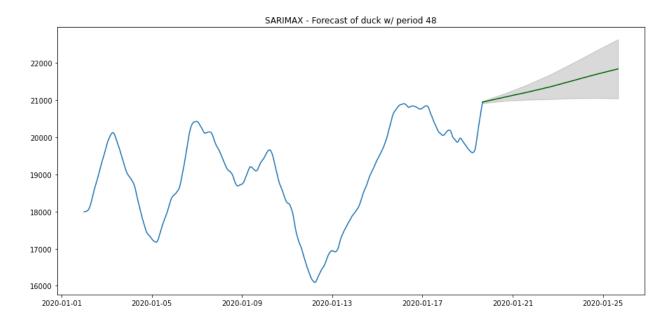


4\_3\_13 caiso\_load forecast with STL & ARIMA (mae,mape) 2641.1,0.118 order (1, 1, 0); period168; 2020-03-15 2020-04-26 2020-05-03



These SARIMAX Forecasts for Total CAISO Load and Duck Curve predict a continuation of the average with a slight upward trend.





# **Deployment**

In the context of academic schoolwork, the deployment is simply to upload and submit the assignment and it's findings to GitHub for grading.

In a industrial / commercial setting the result could be deployed into production operations and run over and over again for continual and constant updating of the sensor data and thereby

keeping the near real time data as up-to-date as possible. It is possible to envision an alerting or monitoring system that would be based on this data and/or analysis.

Additionally there would be a component to socialize the results, by communicating the findings and making recommendations for follow on actions to decision makers, equipment operators, line workers & so forth.

# **CONCLUSION**

One procedure has now been shown for creating many CAISO Load and Duck Curve forecasts using Seasonal Decomposition Trend, ARIMA and SARIMAX. By varying the model hyperparameters with Grid Search, best and worst performing forecasts can be discovered in the hyperparameter search space. These findings can then be applied in a commercial / industrial setting to make operations more efficient and effective.