



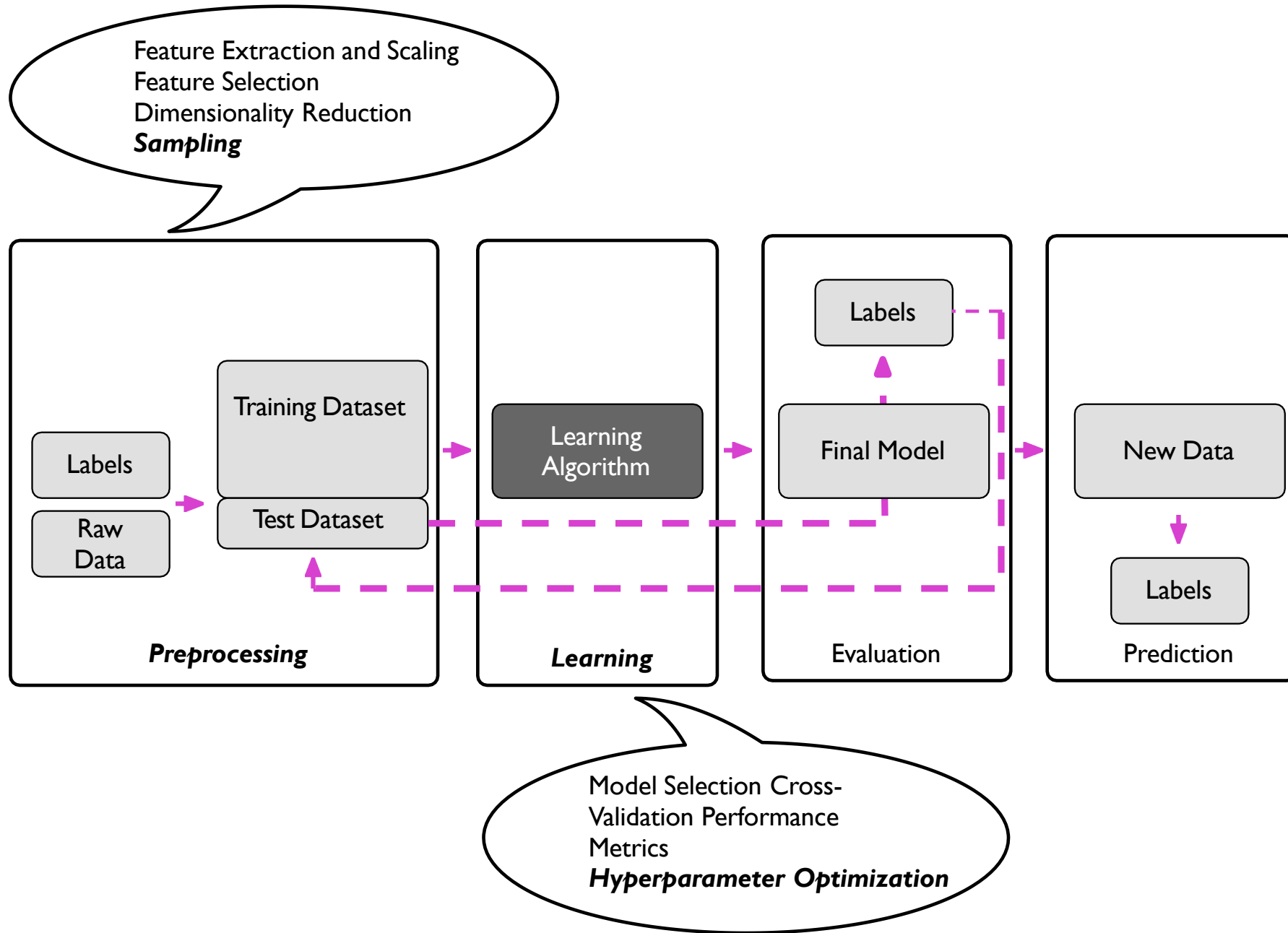
EM 538-001: PRACTICAL MACHINE LEARNING FOR ENGINEERING ANALYTICS

LECTURE 006
Fred Livingston, Ph.D.

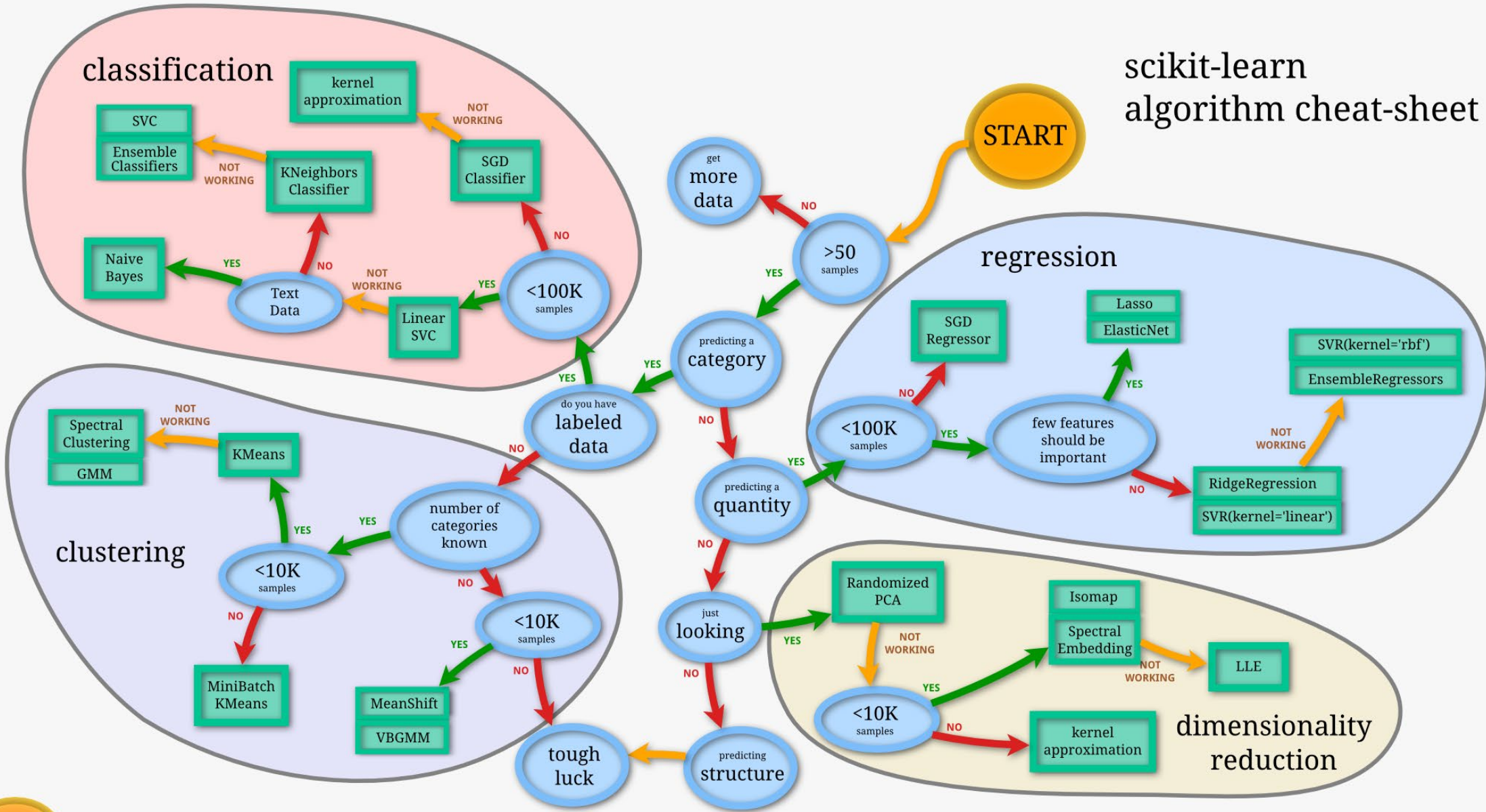
KNN — SUPERVISED LEARNING MODEL (CONT)

- ☐ Preprocessing and Hyperparameter Tuning
 - ☐ Simple Holdout
 - ☐ 3-way Holdout
 - ☐ K-Fold Cross-Validation
- ☐ Model Performance
- ☐ Homework 1

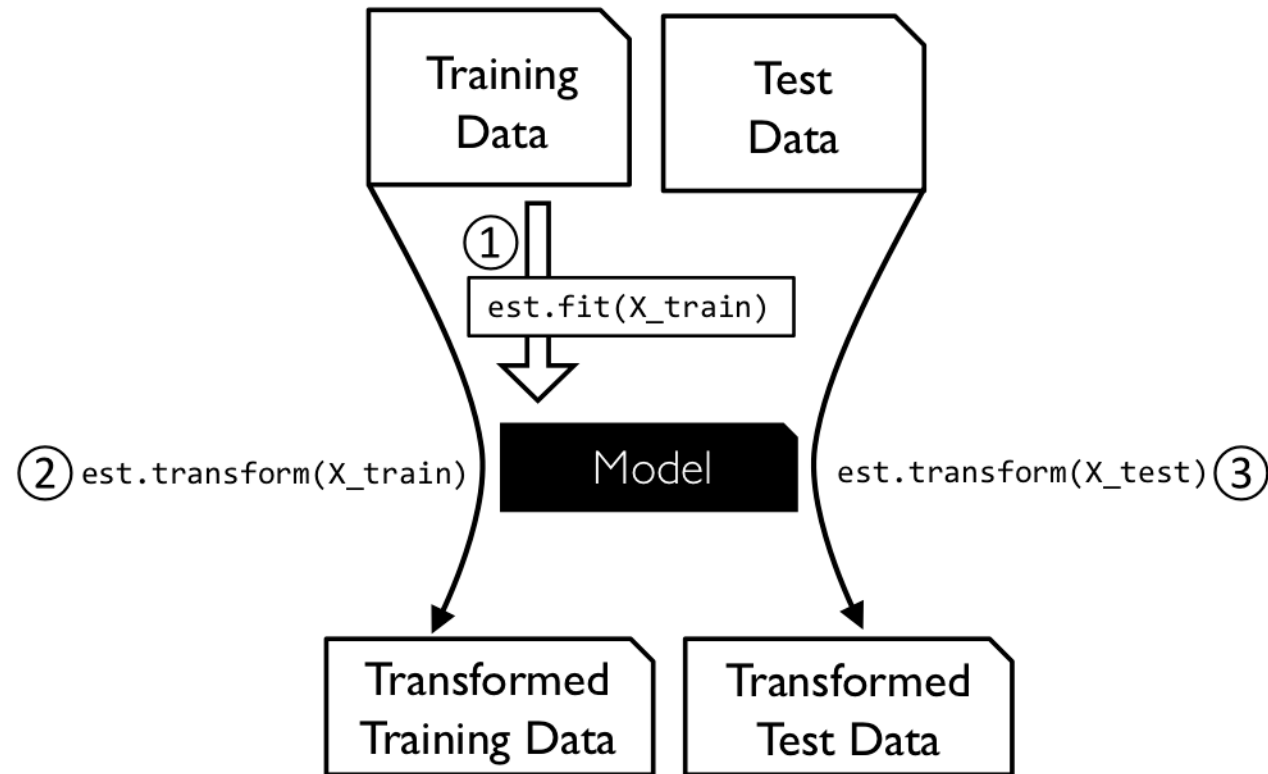
MACHINE LEARNING WORKFLOW



scikit-learn
algorithm cheat-sheet



PREPROCESSING: SAMPLING WITH SIMPLE HOLDOUT



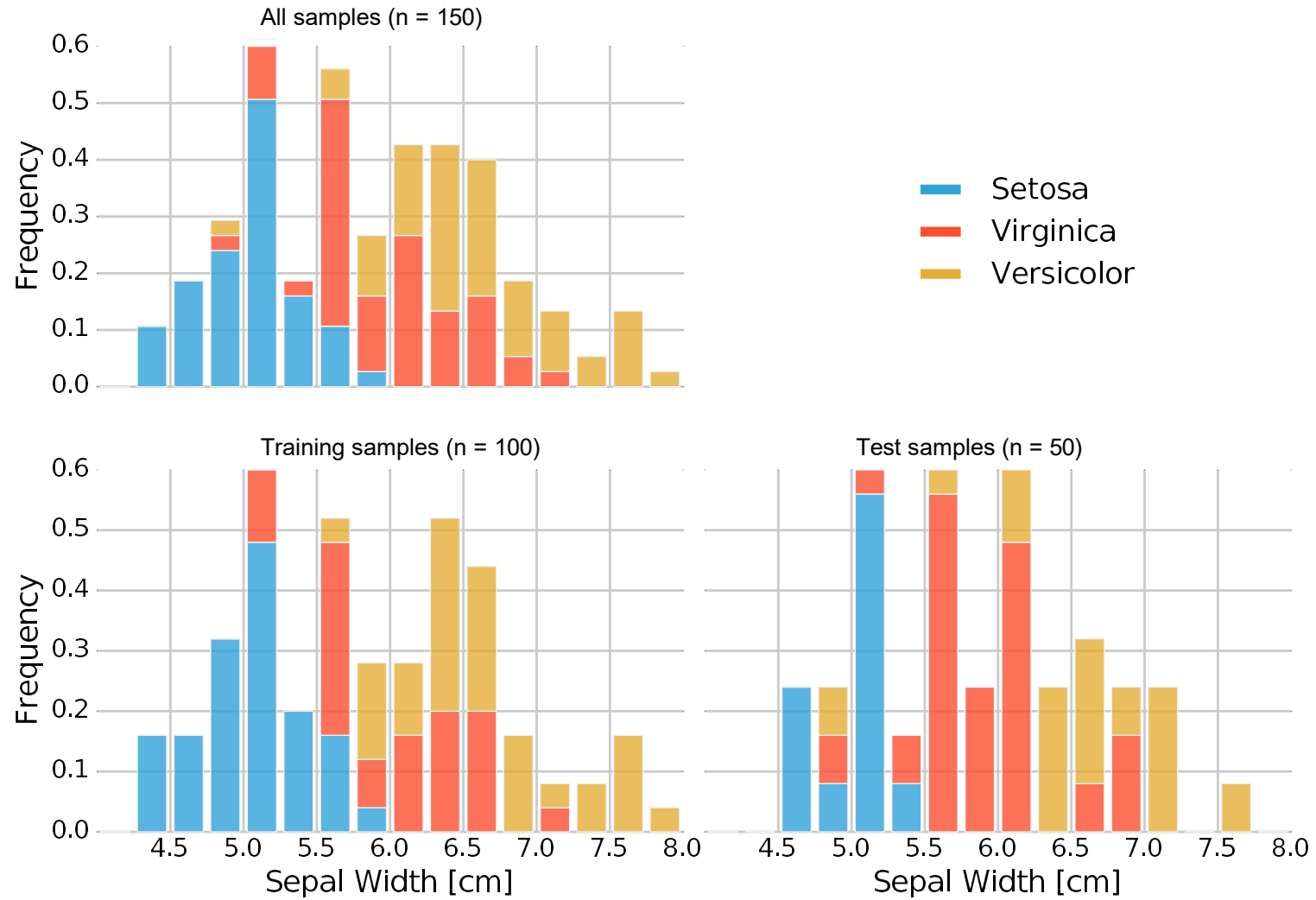
HOLDOUT USING SKLEARN

Simple Holdout Method

```
from sklearn.model_selection import train_test_split  
  
X_train, X_test, y_train, y_test = train_test_split(X, y,  
                                                    test_size=0.33,  
                                                    random_state=123,  
                                                    shuffle=True, stratify=y)
```

]

RANDOM SUBSAMPLING ...



SUPERVISED LEARNING: K-NEAREST NEIGHBOR

<https://scikit-learn.org/stable/modules/generated/sklearn.neighbors.KNeighborsClassifier.html>

🏠 > API Reference > sklearn.neighbors > KNeighborsClassifier

KNeighborsClassifier

```
class sklearn.neighbors.KNeighborsClassifier(n_neighbors=5, *, weights='uniform',  
algorithm='auto', leaf_size=30, p=2, metric='minkowski', metric_params=None,  
n_jobs=None)
```

[\[source\]](#)

KNeighborsRegressor

```
class sklearn.neighbors.KNeighborsRegressor(n_neighbors=5, *, weights='uniform',  
algorithm='auto', leaf_size=30, p=2, metric='minkowski', metric_params=None,  
n_jobs=None)
```

[\[source\]](#)

Regression based on k-nearest neighbors.

The target is predicted by local interpolation of the targets associated of the nearest neighbors in the training set.

LEARNING: ***HYPERPARAMETER OPTIMIZATION***

HYPERPARAMETERS

- Value of k
- Scaling of the feature axes
- Distance measure
- Weighting of the distance measure

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Install scikit-learn library

```
# !pip install scikit-learn scipy
```

[]

Python

Import Data

```
import pandas as pd

df_iris = pd.read_csv('iris.csv')
df_iris.head()
```

[]

📊 Open 'df_iris' in Data Wrangler

Python

Preprocessing

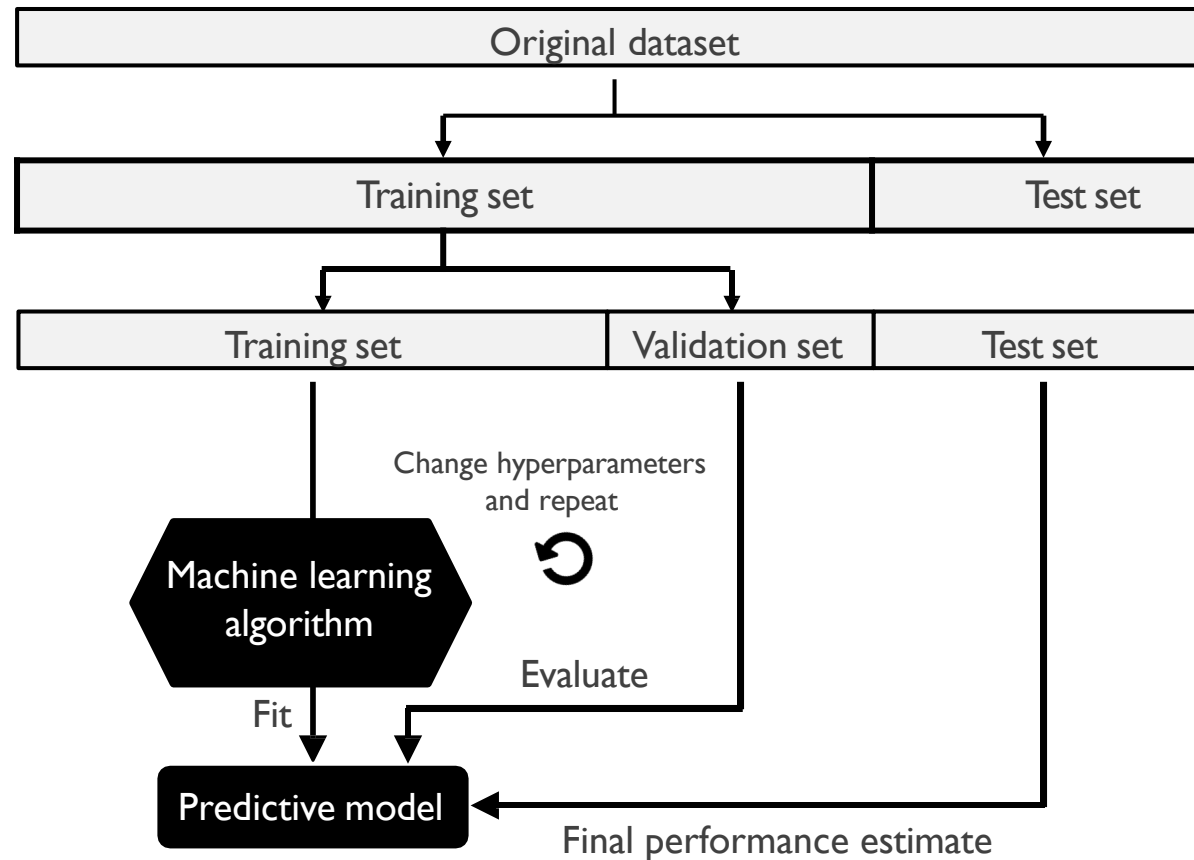
```
df_iris_simple = df_iris.drop(['Id', 'SepalLength[cm]', 'SepalWidth[cm]'], axis=1)
df_iris_simple.head()
```

[]

📊 Open 'df_iris_simple' in Data Wrangler

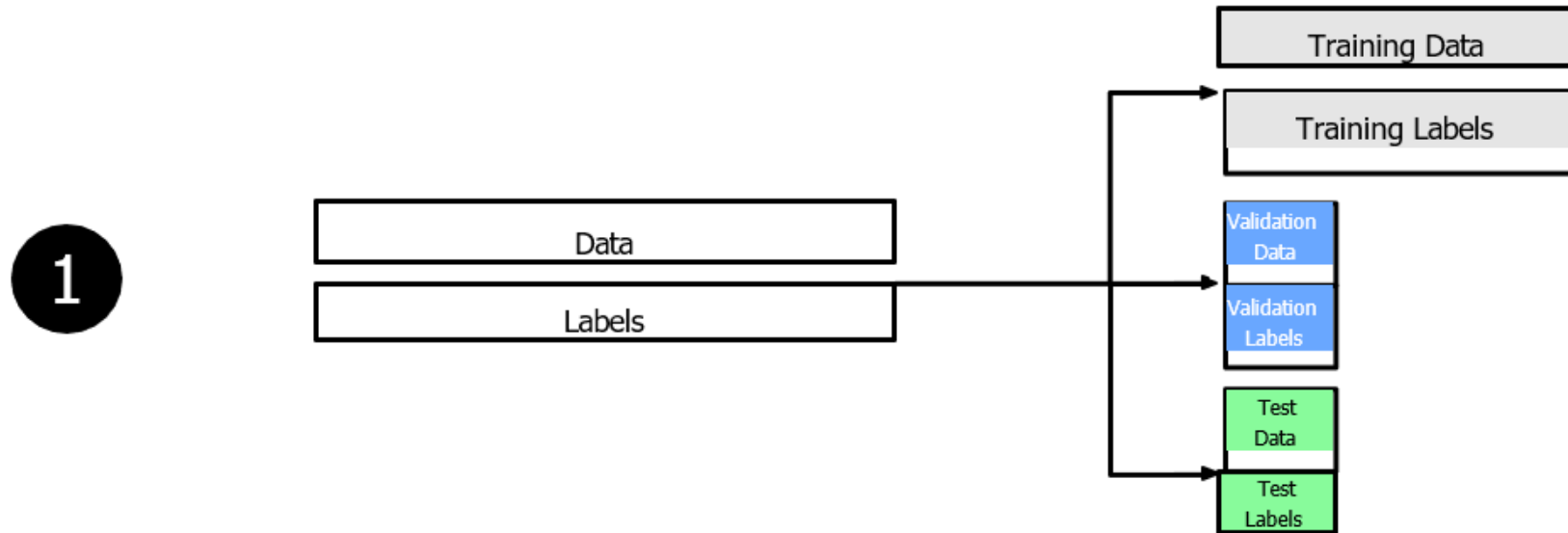
Python

3-WAY HOLDOUT METHOD



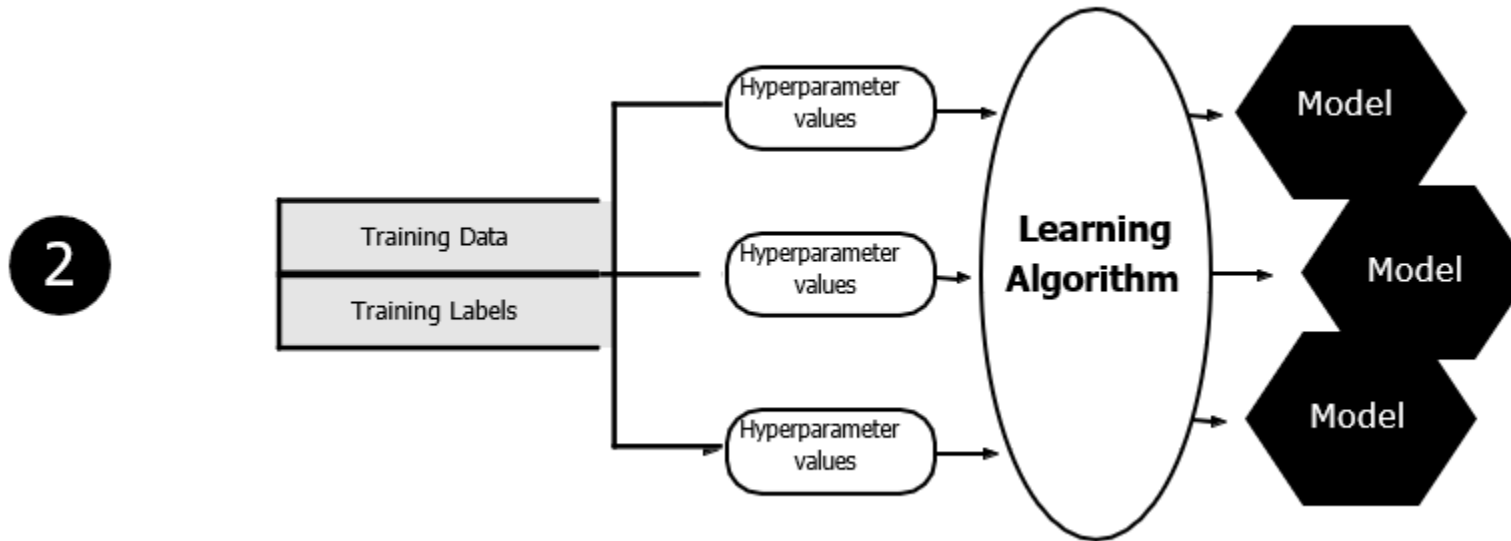
3-WAY HOLDOUT

instead of "regular" holdout to avoid "***data leakage***" during hyperparameter optimization



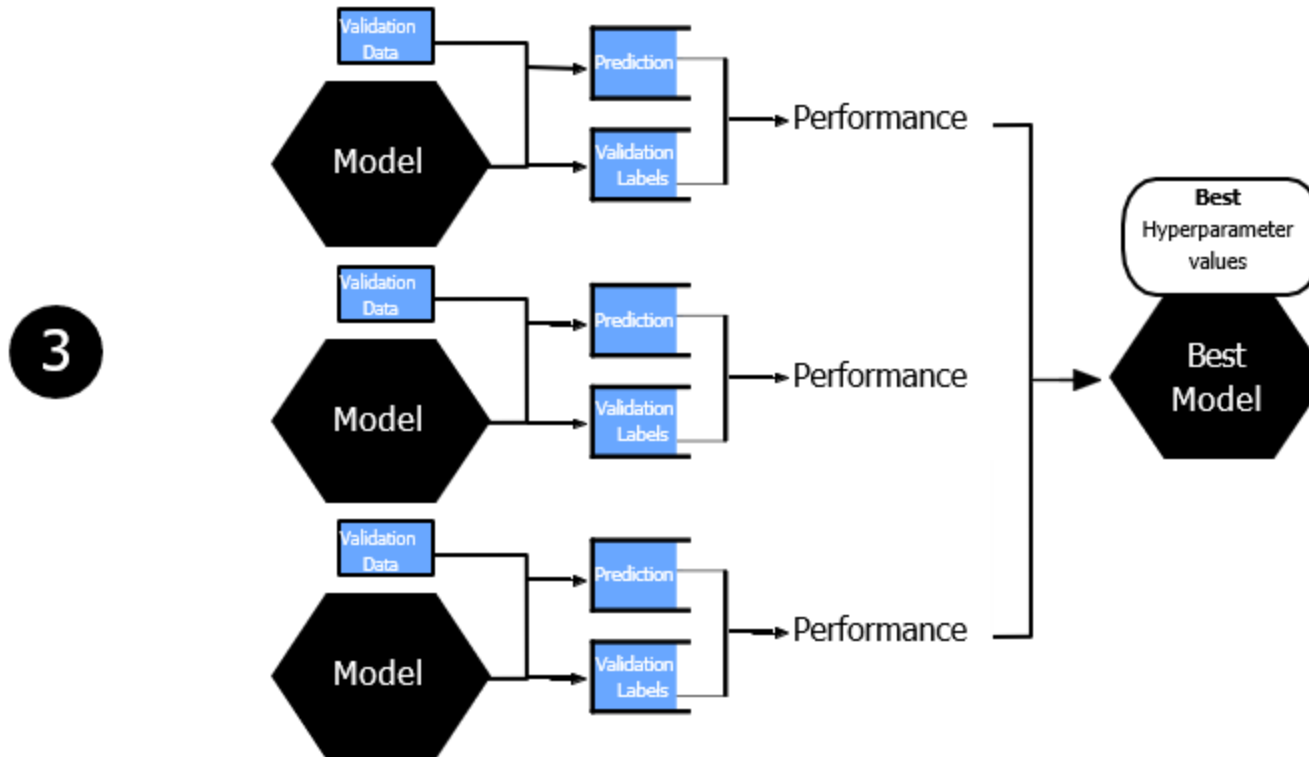
3-WAY HOLDOUT

instead of "regular" holdout to avoid "***data leakage***" during hyperparameter optimization



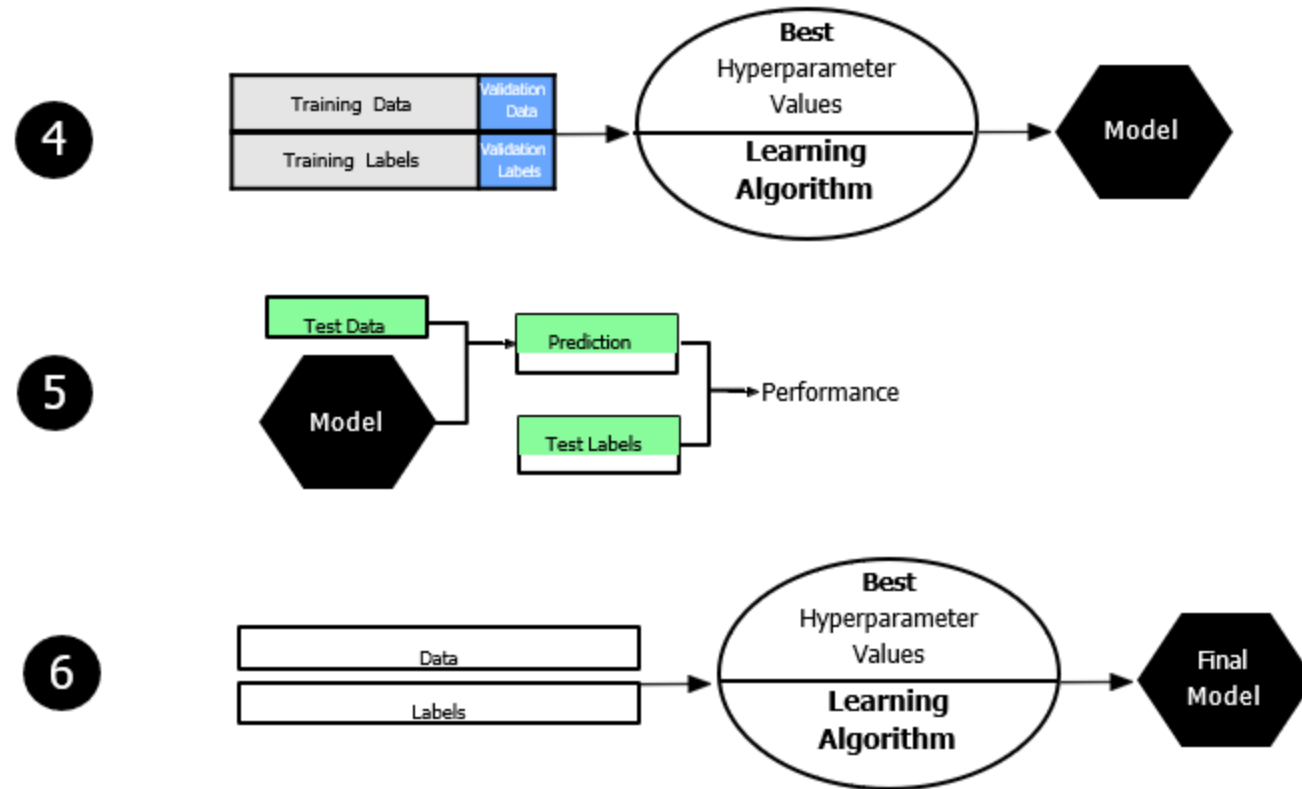
3-WAY HOLDOUT

instead of "regular" holdout to avoid "data leakage" during hyperparameter optimization



3-WAY HOLDOUT

instead of "regular" holdout to avoid "data leakage" during hyperparameter optimization



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Install scikit-learn library

```
[55] # !pip install scikit-learn scipy
```

Python

Import Data

```
[56] import pandas as pd

df_iris = pd.read_csv('iris.csv')
df_iris.head()
```

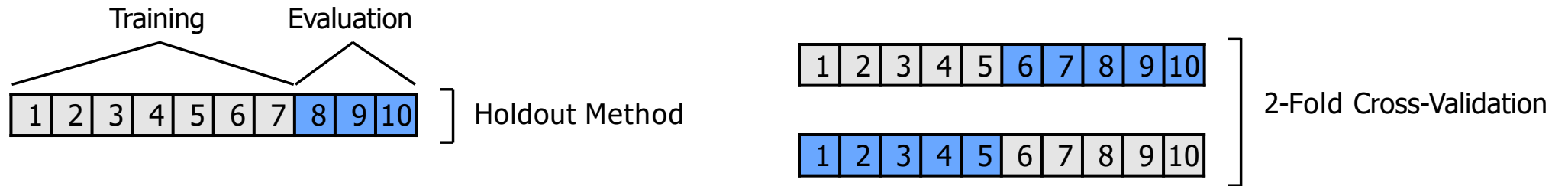
Python

...		Id	SepalLength[cm]	SepalWidth[cm]	PetalLength[cm]	PetalWidth[cm]	Species
0	1		5.1	3.5	1.4	0.2	Iris-setosa
1	2		4.9	3.0	1.4	0.2	Iris-setosa
2	3		4.7	3.2	1.3	0.2	Iris-setosa
3	4		4.6	3.1	1.5	0.2	Iris-setosa
4	5		5.0	3.6	1.4	0.2	Iris-setosa

The background of the image features several interlocking gears and a ring, rendered in a dark, monochromatic style. The gears are of various sizes and are scattered across the frame, with some in sharp focus and others blurred in the background. A prominent ring is located in the lower center of the image. The overall aesthetic is technical and mechanical, suggesting a theme of precision and engineering.

K-FOLD CROSS- VALIDATION MODEL SELECTION

K-FOLD CROSS VALIDATION



Note that k-fold cross-validation is to evaluate the model design, not a particular training. Because you re-trained the model of the same design with different training sets.

The general procedure is as follows:

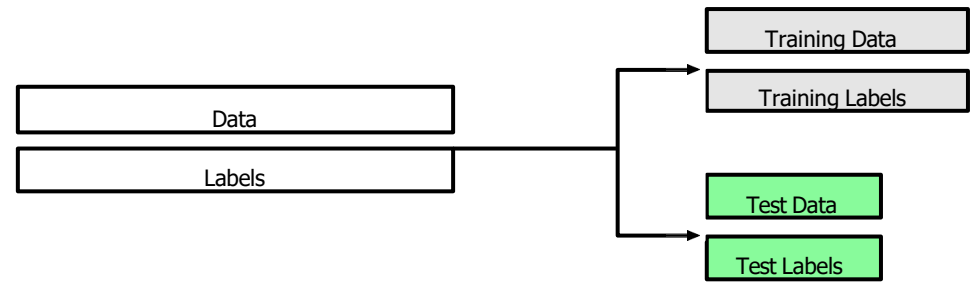
- 1.Shuffle the dataset randomly.
- 2.Split the dataset into k groups
- 3.For each unique group:
 - Take the group as a hold out or test data set
 - Take the remaining groups as a training data set
 - Fit a model on the training set and evaluate it on the test set
 - Retain the evaluation score and discard the model
- 4.Summarize the skill of the model using the sample of model evaluation scores

Imagine we have a data sample with 6 observations:

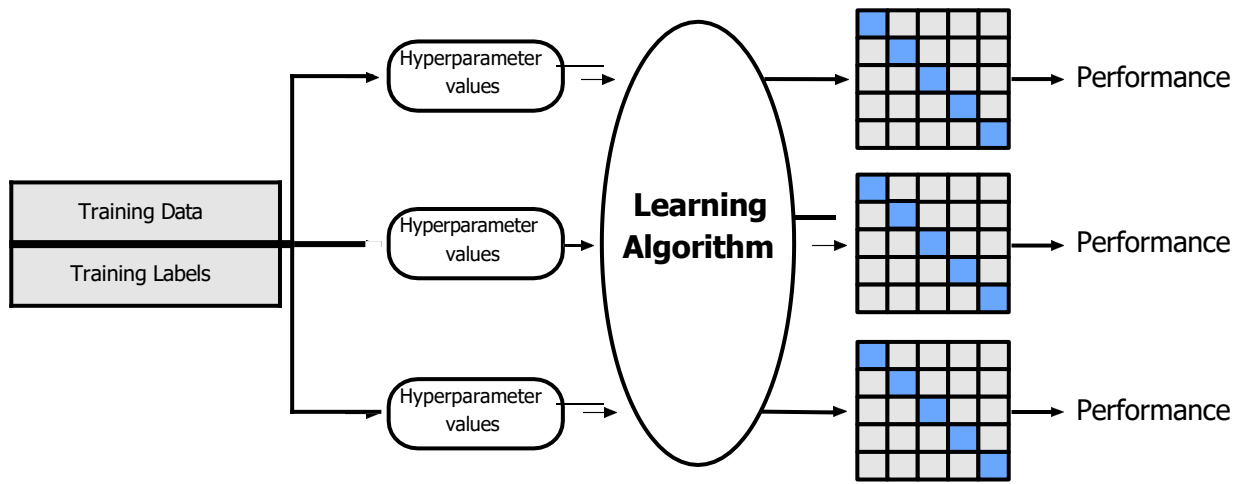
[0.1, 0.2, 0.3, 0.4, 0.5, 0.6]

The first step is to pick a value for k in order to determine the number of folds used to split the data. Here, we will use a value of $k=3$. That means we will shuffle the data and then split the data into 3 groups. Because we have 6 observations, each group will have an equal number of 2 observations.

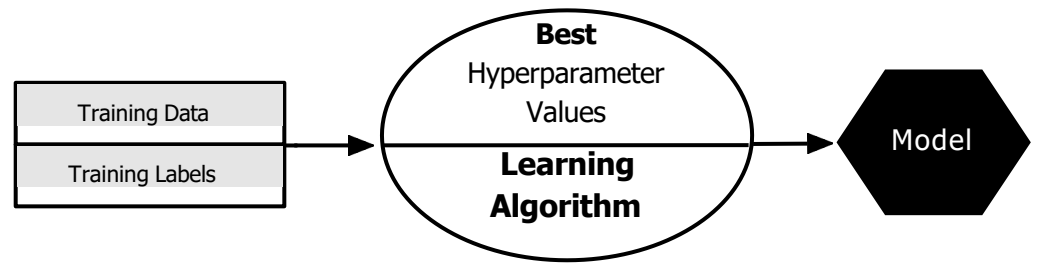
1



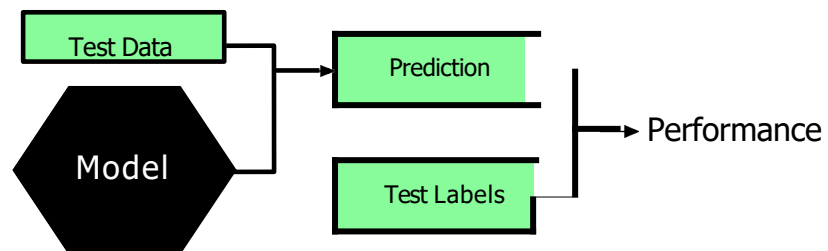
2



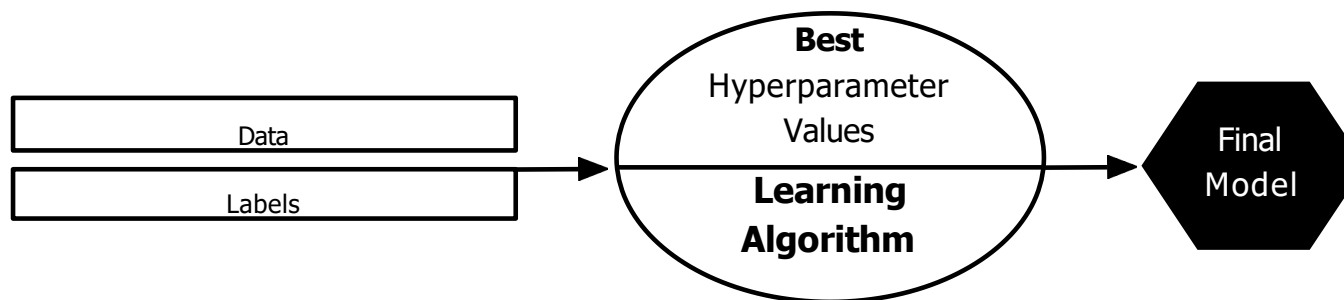
3



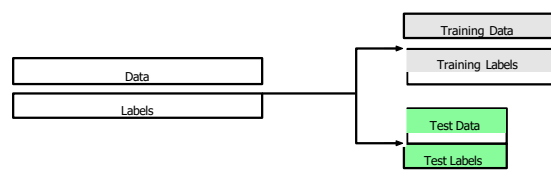
4



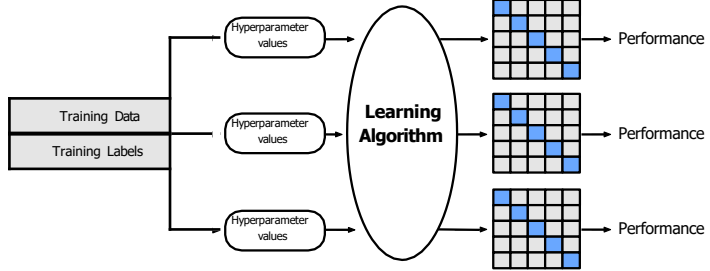
5



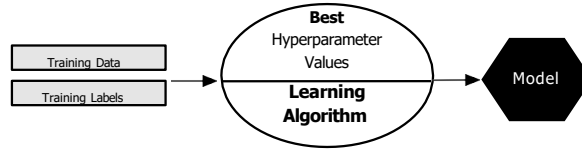
1



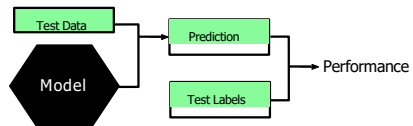
2



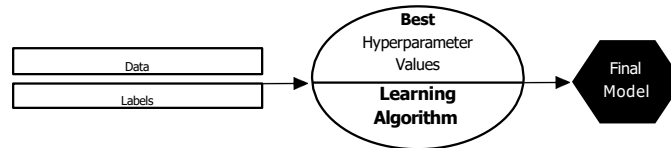
3



4



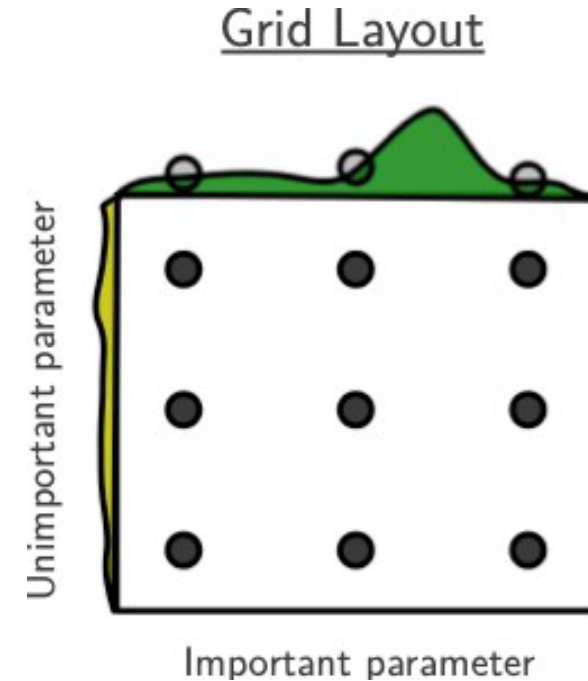
5



GRID SEARCH

GridSearchCV

- Exhaustive search
- Thorough but expensive
- Specify grid for parameter search
- Can be run in parallel
- Can suffer from poor coverage
- Often run with multiple resolutions



Bergstra, J., & Bengio, Y. (2012). Random search for hyperparameter optimization. *The Journal of Machine Learning Research*, 13(1), 281-305.

https://scikit-learn.org/stable/modules/generated/sklearn.model_selection.GridSearchCV.html

RANDOMIZED SEARCH

RandomizedSearchCV

- Search based on a time budget
- Preferred if there are many hyperparameters (e.g. > 3 distinct ones)
- specify distribution for parameter search
- can be run in parallel

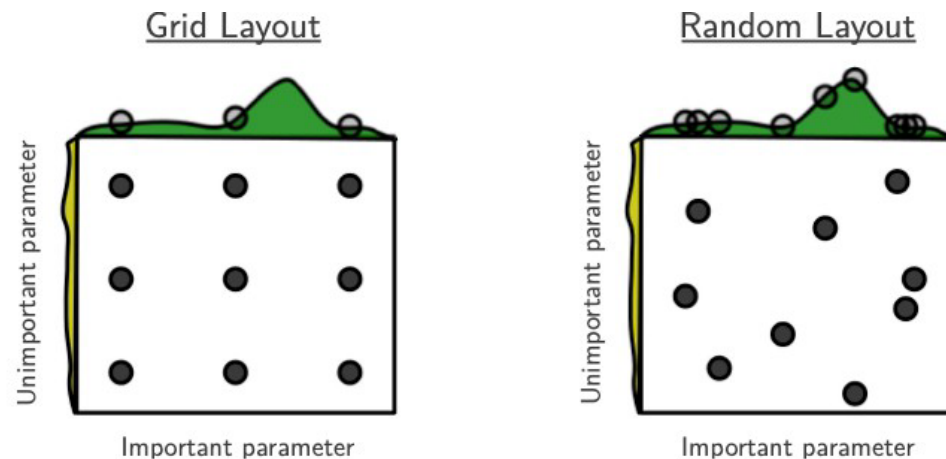
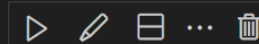


Figure 1: Grid and random search of nine trials for optimizing a function $f(x,y) = g(x) + h(y) \approx g(x)$ with low effective dimensionality. Above each square $g(x)$ is shown in green, and left of each square $h(y)$ is shown in yellow. With grid search, nine trials only test $g(x)$ in three distinct places. With random search, all nine trials explore distinct values of g . This failure of grid search is the rule rather than the exception in high dimensional hyper-parameter optimization.



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Load and Prepare Datasets

```
from sklearn.model_selection import train_test_split
import pandas as pd

df_iris = pd.read_csv('iris.csv')

X = df_iris[['PetalLength[cm]', 'PetalWidth[cm]']]
y = df_iris['Species']

X_train, X_test, y_train, y_test = train_test_split(X, y,
                                                    test_size=0.33,
                                                    random_state=123,
                                                    shuffle=True, stratify=y)
```

[]

Python

```
X_train.shape
```

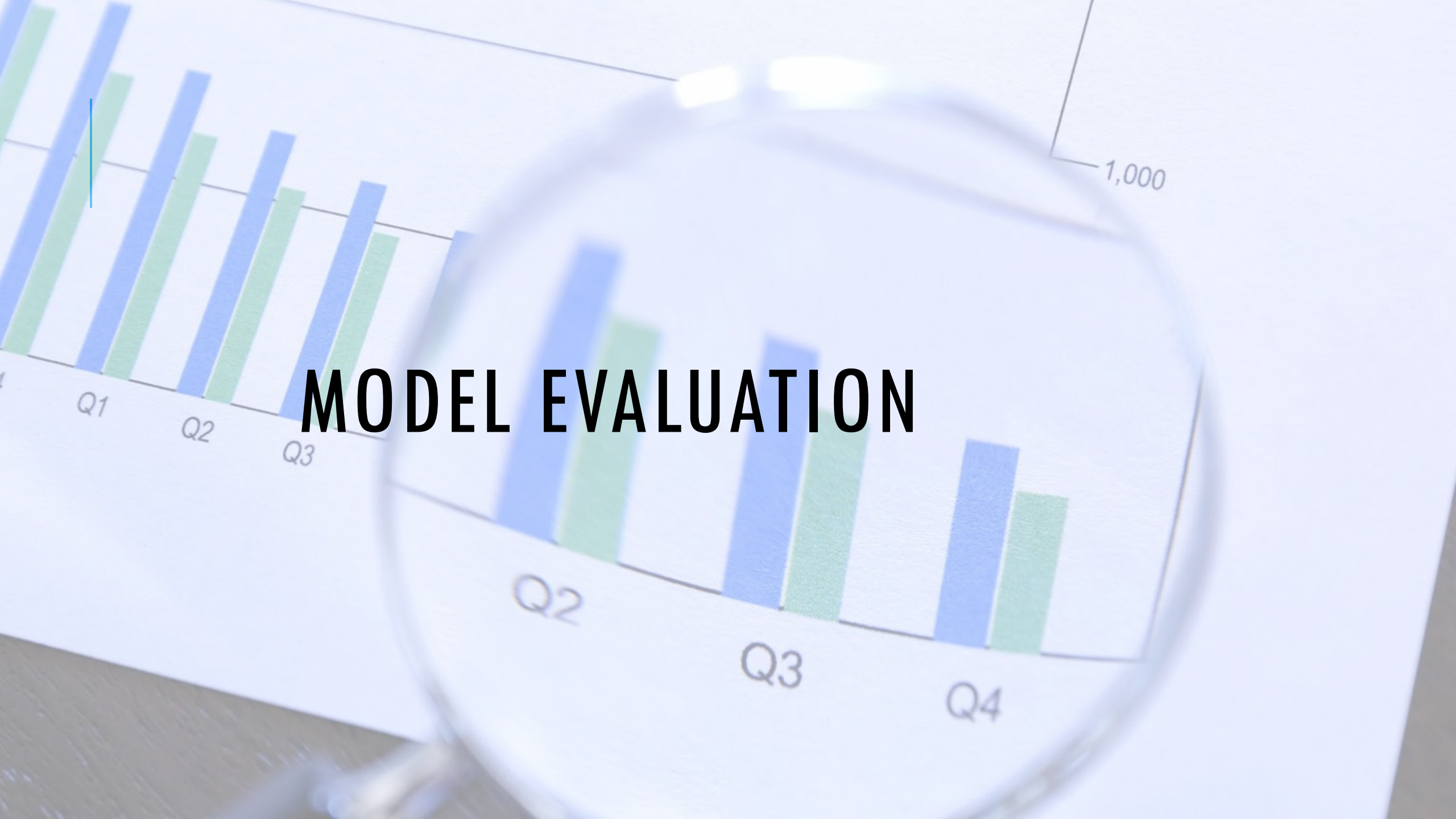
[]

Python

```
X_test.shape
```

[]

Python



MODEL EVALUATION

2X2 CONFUSION

		Predicted class	
		P	N
Actual class	P	True positives (TP)	False negatives (FN)
	N	False positives (FP)	True negatives (TN)

$$ERR = \frac{FP + FN}{FP + FN + TP + TN} = 1 - ACC$$

$$ACC = \frac{TP + TN}{FP + FN + TP + TN} = 1 - ERR$$

COMPUTE CONFUSION MATRIX

```
pipe.fit(X_train, y_train)
pipe.predict(X_test)
```

[3] ✓ 0.0s Python

```
array([1, 0, 2, 2, 0, 0, 2, 2, 2, 0, 0, 2, 2, 1, 2, 1, 0, 0, 0, 0, 2,
       2, 1, 2, 2, 1, 1, 1, 1])
```

▼

```
y_test
```

[5] ✓ 0.0s Python

```
array([1, 0, 2, 2, 0, 0, 2, 1, 2, 0, 0, 1, 2, 1, 2, 1, 0, 0, 0, 0, 0, 2,
       2, 1, 2, 2, 1, 1, 1, 1])
```

		Predicted class	
		P	N
Actual class	P	True positives (TP)	False negatives (FN)
	N	False positives (FP)	True negatives (TN)

$$ERR = \frac{FP + FN}{FP + FN + TP + TN} = 1 - ACC$$

$$ACC = \frac{TP + TN}{FP + FN + TP + TN} = 1 - ERR$$

False Positive Rate and False Negative Rate

$$\text{TPR}^* = \frac{\text{TP}}{\text{P}} = \frac{\text{TP}}{\text{TP} + \text{FN}} = 1 - \text{FNR}$$

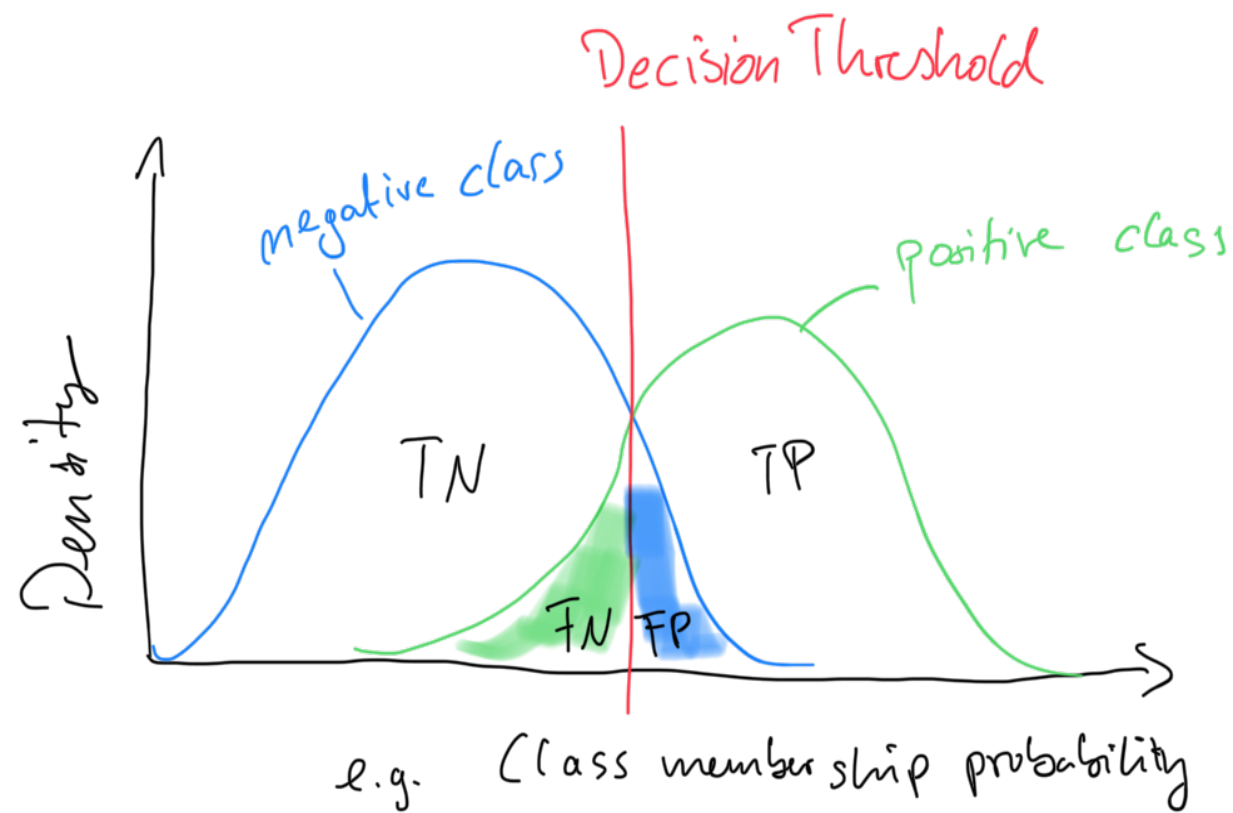
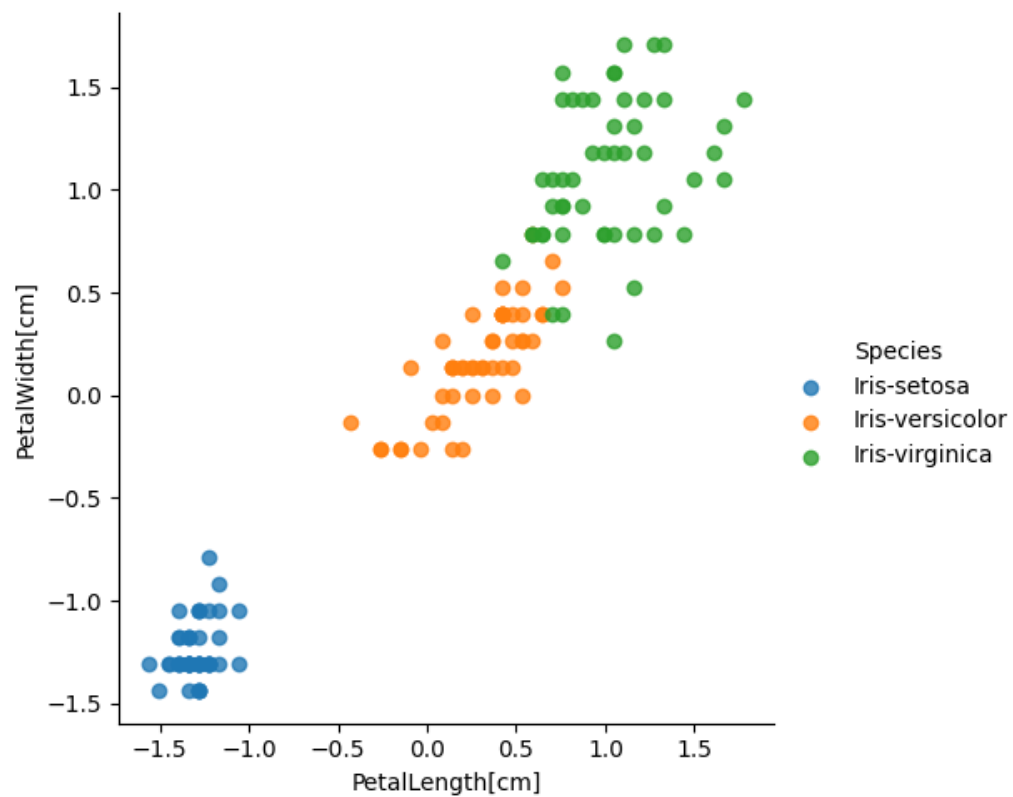
* Relevant later for ROC

$$\text{FPR}^* = \frac{\text{FP}}{\text{N}} = \frac{\text{FP}}{\text{FP} + \text{TN}} = 1 - \text{TNR}$$

$$\text{FNR} = \frac{\text{FN}}{\text{P}} = \frac{\text{FN}}{\text{FN} + \text{TP}} = 1 - \text{TPR}$$

$$\text{TNR} = \frac{\text{TN}}{\text{N}} = \frac{\text{TN}}{\text{TN} + \text{FP}} = 1 - \text{FPR}$$

Think of it in a spam classification problem (what are true positives, and if you had to pick one at the expense of the other: would you rather decrease the FPR or increase the TPR?)



PRECISION, RECALL, AND F1 SCORE

$$PRE = \frac{TP}{TP + FP}$$

$$REC = TPR = \frac{TP}{P} = \frac{TP}{FN + TP}$$

$$F_1 = 2 \cdot \frac{PRE \cdot REC}{PRE + REC}$$

- Terms that are more popular in Information Technology
- Recall is actually just another term for True Positive Rate (or "sensitivity")

OTHERS: MATTHEW'S CORRELATION COEFFICIENT

- Matthews correlation coefficient (MCC) was first formulated by Brian W. Matthews [1] in 1975 to assess the performance of protein secondary structure predictions
- The MCC can be understood as a specific case of a linear correlation coefficient (Pearson r) for a binary classification setting
- Considered as especially useful in unbalanced class settings
- The previous metrics take values in the range between 0 (worst) and 1 (best)
- The MCC is bounded between the range 1 (perfect correlation between ground truth and predicted outcome) and -1 (inverse or negative correlation) — a value of 0 denotes a random prediction.

$$MCC = \frac{TP \cdot TN - FP \cdot FN}{\sqrt{(TP + FP)(TP + FN)(TN + FP)(TN + FN)}} \quad (10)$$

[1] Brian W Matthews. Comparison of the predicted and observed secondary structure of T4 phage lysozyme. *Biochimica et Biophysica Acta (BBA)- Protein Structure*, 405(2):442–451, 1975.

CONFUSION MATRIX FOR MULTI-CLASS SETTINGS

$ACC = \frac{T}{n}$

		Predicted Labels		
		Class 0	Class 1	Class 2
True Labels	Class 0	T(0,0)		
	Class 1		T(1,1)	
	Class 2			T(2,2)

Confusion matrices are traditionally for binary class problems but we can generalize it to multi-class settings

$$PRE = \frac{TP}{TP + FP}$$

$$ACC = \frac{T}{n}$$

Predicted Labels

True Labels	Predicted Labels	
	Class 0	Neg Class
Class 0		
Neg Class		

Predicted Labels

True Labels	Predicted Labels	
	Class 1	Neg Class
Class 1		
Neg Class		

Predicted Labels

True Labels	Predicted Labels	
	Class 2	Neg Class
Class 2		
Neg Class		

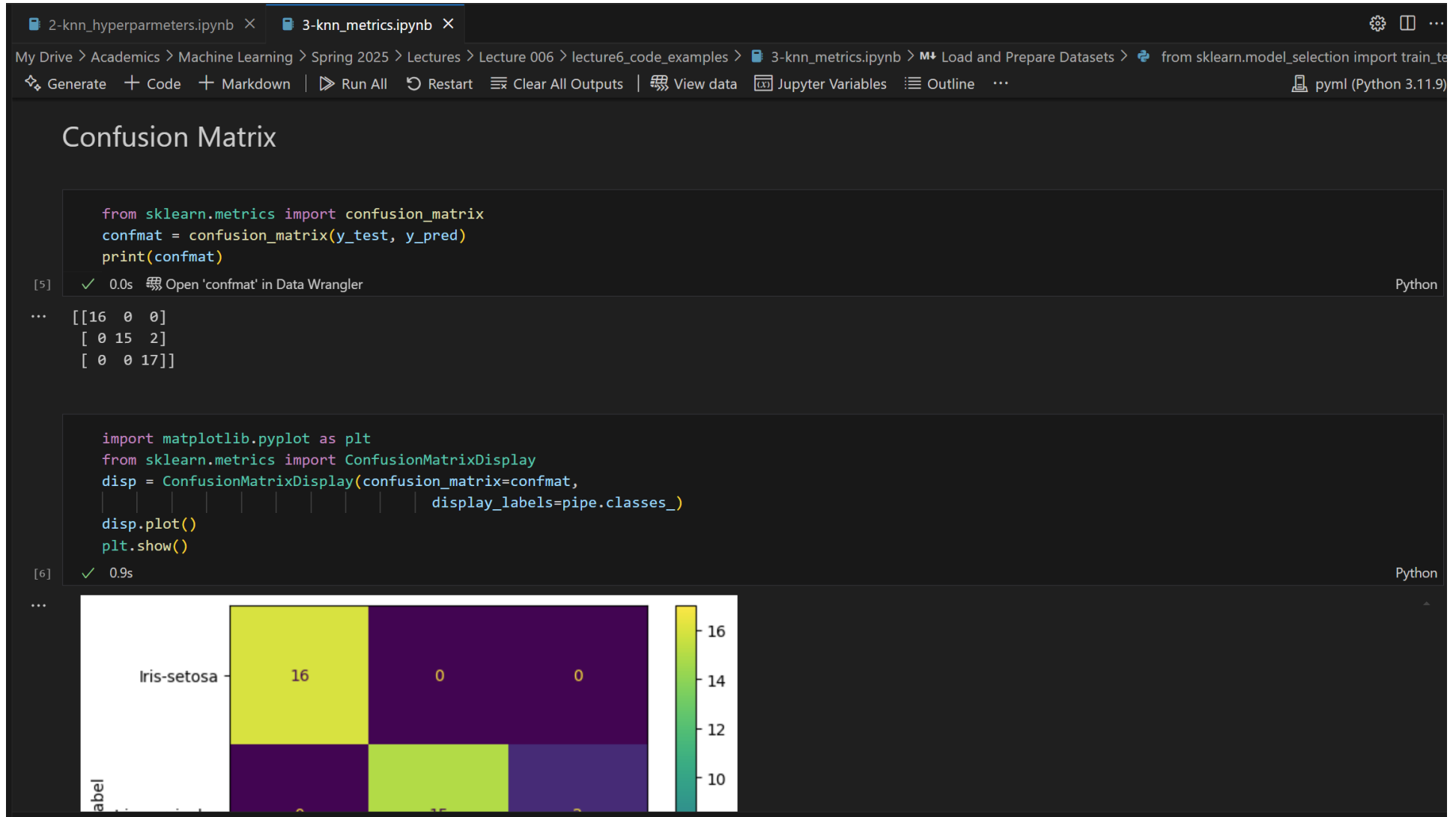
```
[3] ✓ 0.0s
... array([1, 0, 2, 2, 0, 0, 2, 2, 2, 0, 0, 2, 2, 1, 2, 1, 0, 0, 0, 0, 0, 2,
          2, 1, 2, 2, 1, 1, 1, 1])

y_test
[5] ✓ 0.0s
... array([1, 0, 2, 2, 0, 0, 2, 1, 2, 0, 0, 1, 2, 1, 2, 1, 0, 0, 0, 0, 0, 2,
          2, 1, 2, 2, 1, 1, 1, 1])
```

Predicted Labels

True Labels	Predicted Labels		
	Class 0	Class 1	Class 2
	Class 0		
	Class 1		
	Class 2		

CONFUSION MATRIX FOR KNN





Q/A?
