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Project VI: Moonlander II - Crash & Learn

Due Wed, Aug 18 by 9PM Pacific Time

To begin, use the following file: <http://users.csc.calpoly.edu/~dkauffma/480/moonlander.py>

- To download locally, right-click link and choose "Save link as..."
- To download and unzip on a CSL server run:

```
wget http://users.csc.calpoly.edu/~dkauffma/480/moonlander.py
unzip moonlander.py
```


Description

This project is based off "Moonlander", assigned in Cal Poly's CPE 101.

You are tasked with training an agent in a simulation to land the Lunar Module (LM) from the Apollo space program on the moon. The simulation starts when the retro-rockets cut off, using a predetermined amount of fuel and altitude (with an initial velocity of zero meters per second). With the thrusters off and the LM in free-fall, lunar gravity is causing the LM to accelerate toward the surface. The agent must control the rate of descent using the thrusters of the LM by selecting a rate of fuel flow each second. A fuel rate of 0% means free-fall, 50% maintains the current velocity, and 100% means maximum thrust. To make things interesting (and to reflect reality) the LM has a limited amount of fuel. If your agent runs out of fuel before touching down, it crashes. The goal is to land the LM on the surface with a velocity of less than `-1` meters per second, using the least amount of fuel possible. Note that a negative velocity indicates movement toward the moon, while a positive velocity indicates movement away from it.

While this simulation is inspired from the moon landing, you may simulate landing on other celestial bodies. One of the simulator initialization values is the [g-force](#) applied to the module. The following table shows the g-force at (or near) the surface of various objects.

Object	G-force
Pluto	0.063
Moon	0.1657
Mars	0.378
Venus	0.905
Earth	1.0
Jupiter	2.528



Eagle lunar module on the moon surface

Q-Learning

users.csc.calpoly.edu/~dkauffma/

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Reinforcement learning is an iterative process using a system of rewards to develop a policy that chooses an action to apply in any given state. That is, it approximates a function $\pi(S) \rightarrow A$ that maps states to (usually optimal) actions to apply in those states. Each state in the environment has a (usually unknown) utility approximated throughout the learning process, so that ultimately actions can be chosen that lead to higher utilities. The utility of a state is based on predefined rewards received in that state and the rewards of successor states.

As with problems discussed previously, learning environments use a transition model $T(S, A) \rightarrow S'$ that maps a state-action pair to a successor state. However, many environments exist in which this model is not known to the learning process. A well-established approach to [model-free](#) reinforcement learning is [Q-learning](#). It observes transitions from exploring the environment to approximate a function $Q(S, A) \rightarrow U$ that maps state-action pairs to the estimated utility of that successor state. With this Q-function, the policy function is equivalent to $\pi(S) = \operatorname{argmax}_A Q(S, A)$, which means return the action A that results in the highest utility returned from $Q(S, A)$.

While a more precise approximation of the Q-function would use a sophisticated model like a neural network, in small environments a Q-table (matrix) indexed by state (row-wise) and action (column-wise) can be sufficient and is much faster to train and easier to implement.

During the training phase, table updates are performed using the following formula,

$$(1 - \alpha) * Q(s, a) + \alpha(R(s) + \gamma * \max_{a'} \{Q(s', a')\})$$

where α is the learning rate and γ is the discount factor, both determined using experimentation (the learning rate starts high and decreases throughout the learning process). R is the reward function, which is specific to the problem. Note that since every call to the Q function is simply a table look up, this formula uses [memoization](#) rather than recursion.

Reward Function

Every reinforcement learning process involves a reward function, which specifies the immediate value of a particular state. These functions may be very simple or contain a complex sequence of conditions based on the state of the environment. In the context of the LM, a reward function would need, at a minimum, to detect when a landing state is reached (i.e. when the altitude is zero) and provide a value based on the LM's velocity at landing. Landings are more highly rewarded. In addition, the LM should be encouraged to move toward the goal (mainly so it does not try to hover in place until fuel runs out), which can be done in various ways based on the altitude, fuel, as well as imposing a small penalty for being in a non-terminal state. Designing an appropriate reward function is one of the many challenges of implementing a reinforcement learner.

ϵ -Greedy Selection

During the training phase of reinforcement learning, actions must be selected to produce successful outcomes. It would seem natural to select actions greedily by choosing the action in a given state that, according to the current Q-function, results in the successor state with the highest utility. This greedy approach is **exploitation** of the knowledge built thus far, but since the utilities during training are still changing, it is possible that better action sequences exist. A simple way to encourage **exploration** is to allow a small ϵ chance of choosing a random action instead of the current best one. This chance may start higher at the beginning of training and decrease over time, which has the effect of encouraging a lot of exploration early on and reinforcing successful action sequences near the end.

Implementation

Allowed Modules: random

The provided starter file contains the `ModuleState` class to represent states in the simulation. It is initialized with a starting fuel, altitude, velocity (which is always zero for the first state), the g-force module, and a transition function. Successor `ModuleState` objects are generated by calling the `successor` method, which takes a fuel rate as its argument and uses the transition function to calculate acceleration, which in turn impacts the altitude and velocity of the successor state. The transition function is any callable that accepts two floats: the acceleration due to gravity (in m/s^2) and the fuel rate. A reasonable transition function is provided in the file, you may use any (unrealistic) function with it for your tests (e.g. a function that just returns a constant value).

At each state, the module can use one of its available fuel rates to move to a successor state by calling the `use_fuel` method. For example, a module with 5 available rates would have the following corresponding amounts of thrust.

Action	Fuel Rate
0	0%
1	25%
2	50%
3	75%
4	100%

Note that larger action sets offer more control (higher sensitivity to differences in rate changes), but more actions mean more Q-tables and thus more training time.

```
learn_q(state: ModuleState) -> Callable[[ModuleState, int], float]
```

Return a Q-function that maps a state-action pair to a utility value. This function must be a callable with the signature shown. When this Q-function is used by an agent to make a policy, the lander must not crash into the target surface with an impact velocity greater than `-1`. Assume that the g-force and transition function provided to the given `ModuleState` object will be the same one used to test the Q-function generated (but with different initial values). For both the training and testing phases, assume the lander's altitude is never above `100` meters.

The function returned may be a [closure](#) as in the following example:

```
q = lambda s, a: table.get((s, a))
```

This example assumes a variable named `table` exists and its value has a `get` method. Your implementation may be different so long as it returns a function object with the signature `(ModuleState, int) -> float`. For simplicity, it is recommended that this function use a table lookup (i.e. a dictionary) to map state-action pairs to utilities. Care must be taken to appropriately discretize the state representations (which may include current fuel, altitude, and velocity) so that the table does not become too large.

The action set may be changed from the default of `(0, 1, 2, 3, 4)` by calling the `set_actions` method of the `ModuleState` class. Doing so is optional, but must only be done once before the training process begins.

```
state.set_actions(8) # sets the action set to be (0, 1, 2, 3, 4, 5, 6, 7), with
```

Changing the action set can be useful for implementations that seem to benefit from more or less the decision-making process.

Submission

On a CSL server with `moonlander.py` in your current directory:

Instructor	Command
Daniel Kauffman	<code>/home/dkauffma/casey 480 moonlander</code>