Introduction to SLAT

Seismic Loss Assessment Tool

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Quake Centre

2019-03-08 Fri

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Seismic Loss Assessment Tool

 \underline{S} eismic \underline{L} oss \underline{A} ssessment \underline{T} ool

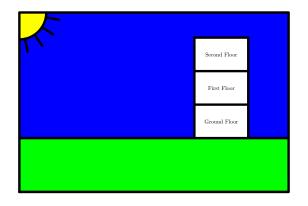
The Big Question:

Seismic Loss Assessment Tool

The Big Question:

What is the cost of seismic activity likely to be, over the lifetime of the building?

A Building

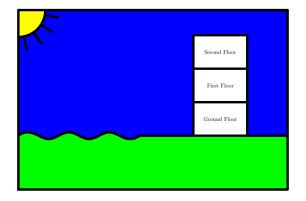


... peacefully minding its own business.

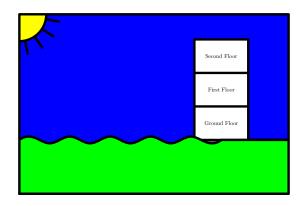
A Distant Rumble...



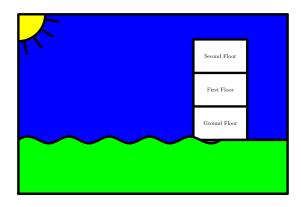
The Disturbance Generates Seismic Waves



The waves reach the building site

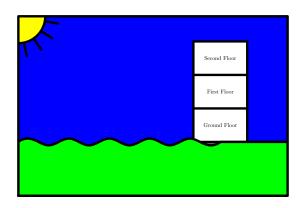


The waves reach the building site



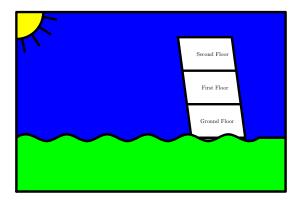
• Motion at the site is characterised by the spectral acceleration.

The waves reach the building site

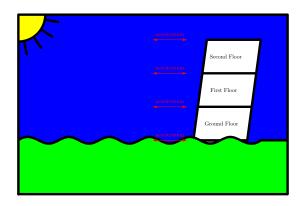


- Motion at the site is characterised by the spectral acceleration.
- SLAT calls this the *intensity measure* (im).

The building moves

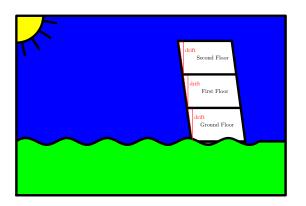


Acceleration



Each level (including the base and the roof) experience acceleration.

Drift



When the floor and ceiling don't move together, we get inter-story drift.

State | Description

Repairs

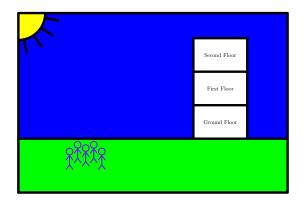
Demand | Cost

State Description	Repairs	Demand Cost	
DS1 Small cracks in GIB	Patch	0.0025 \$ 35	

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DS1 Small cracks in GIB	Patch	0.0025 \$ 35
DS2 Large cracks in GIB	Replace (GIB 0.006 \$ 55
DS3 Damage to metal fram	ne Reframe	0.014 \$130

Back to normal?



The Performance-Based Earthquake Engineering (PBEE) framework

From the Pacific Earthquake Engineering Research Center (PEER)

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$$\lambda(DV) = \int_{IM=0}^{\inf} \int_{EDP=0}^{\inf} \sum_{DS=1}^{n} G(DV|DS) |\Delta G(DS|EDP)| |dG(EDP|IM)| |d\lambda(IM)|$$

The Left-Hand Side

$$\lambda(DV) = \int_{IM=0}^{\circ} \int_{EDP=0}^{\circ} \sum_{DS=1}^{n} G(DV|DS) |\Delta G(DS|EDP)| |dG(EDP|IM)| |d\lambda(IM)|$$

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 λ means 'annual rate of exceedence'.

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 λ means 'annual rate of exceedence'.

DV is the 'decision variable', which for SLAT is cost.

The Outer Integral

$$\lambda(DV) = \int_{IM=0}^{\inf} \int_{EDP=0}^{\inf} \sum_{DS=1}^{n} G(D \bigcirc S \square S I \square M) ||dG(EDP|IM)|| d\lambda(IM)|$$

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Integrating over all possible accelerations

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- Integrating over all possible accelerations
- ..with respect to the rate-of-exceedance

The Inner Integral

$$\lambda(DV) = \int_{IM=0}^{\inf} \int_{EDP=0}^{\inf} \sum_{DS=1}^{n} \textbf{GOST} |\textbf{PP}\rangle | dG(EDP|IM) | |d\lambda(IM)|$$

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Integrating over all possible demands

The Inner Integral

$$\lambda(DV) = \int_{IM=0}^{\circ} \int_{EDP=0}^{\inf} \underbrace{\int_{DS=1}^{n} COST} \frac{PP}{|PP|} dG(EDP|IM) ||d\lambda(IM)|$$

- Integrating over all possible demands
- ..with respect to the probability of that demand, given a specific acceleration.

The Summation

$$\lambda(DV) = \int_{IM=0}^{\circ} \int_{EDP=0}^{\circ} \sum_{DS=1}^{n} \boxed{\text{COST-DS}} \Delta G(DS|EDP) ||dG(EDP|IM)||d\lambda(IM)|$$

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Summing over all possible damage states

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- Summing over all possible damage states
- Cost of damage, weighted by the likelihood of that damage occurring at the given demand

Not So Scary Now

$$\lambda(DV) = \int_{IM=0}^{\inf} \int_{EDP=0}^{\inf} \sum_{DS=1}^{n} G(DV|DS) |\Delta G(DS|EDP)| |dG(EDP|IM)| |d\lambda(IM)|$$

Hazard Curve

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Annual rate-of-exceedence of IM



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- Annual rate-of-exceedence of IM
- Use NZS 1170 to generate the *hazard curve*.

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• Probability curve of demand given IM



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- Probability curve of demand given IM
- Results of structural analysis

Fragility Function

$$\Delta(DV) = \int_{IM=0}^{\circ} \int_{EDP=0}^{\circ} \sum_{DS=1}^{n} G(DV|DS) \Delta G(DS|EDP) | dG(EDP|IM) | |d\lambda(IM)|$$

Fragility Function

• Probability of each damage state given demand ('fragility curve').

Fragility Function

$$\boxed{ \lambda(DV) = \int_{IM=0}^{\circ} \int_{EDP=0}^{\circ} \sum_{DS=1}^{n} G(DV|DS) } \Delta G(DS|EDP) | \boxed{ dG(EDP|IM) || d\lambda(IM)|}$$

- Probability of each damage state given demand ('fragility curve').
- Stored in the SLAT component database

Cost Function

$$\lambda(DV) = \int_{IM=0}^{\circ} \int_{EDP=0}^{\circ} \sum_{DS=1}^{n} G(DV|DS) \left[\Delta G(DS|EDP) ||dG(EDP|IM)||d\lambda(IM)|| \right]$$

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 Probability cost exceeding a given value, for each damage state ('cost function')

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- Probability cost exceeding a given value, for each damage state ('cost function')
- Also stored in the SLAT component database

Hazard curve

- Hazard curve
- Demand Curves

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- Component Fragility Curves

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- Mapping of Components to Demands

Where do we get the demand curves?

• Non-linear Response History Analysis

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 - Apply Corrections:
 - Non-linear effects

- Non-linear Response History Analysis
 - Difficult & Time-consuming
 - May not be meaningful in early stages
- Simplified Approach
 - Equivalent Static Analysis
 - Modal Response Spectral Analysis
 - Apply Corrections:
 - Non-linear effects
 - Higher-order effects

The Corrections

FEMA P-58

"Seismic Performance Assessment of Buildings"

The Corrections

FEMA P-58

"Seismic Performance Assessment of Buildings"

- From ETABS
 - Fundamental Period
 - Height of Each Story
 - Mass
 - Story Drift at design acceleration
 - Story Acceleration at design acceleration

Additional Information:

- Return Period
- Type of frame in each direction
- Constants from ASCE/SEI 7-10:
 - R Response Modification Coefficient
 - I Importance Factor
 - Ω_0 Overstrength Factor

Yield Strength

FEMA's simplified approach provides an estimate range for the yield strength:

$$\frac{1.5S_a(T)W}{R/I} \le V_y \le \frac{\Omega_0 S_a(T)W}{R/I}$$

SLAT will do this calculation for you, and offer the middle of the range as a default value.

FEMA Corrections

The FEMA framework applies the following correction to drift (acceleration is similar):

$$\Delta_i^* = H_{\Delta_i}(S, T_1, h_i, H) \times \Delta_i$$

where:

- *S* is the strength ratio $(\frac{S_a(T_1)W}{V_y})$.
- \bullet T_1 is the fundamental period
- h_i is the height above ground of level i
- H is the total height of the building



FEMA Corrections

 $H_{\Delta_i}(S, T_1, h_i, H)$ is computed from:

$$ln(H_{\Delta_i}) = a_0 + a_1 T_1 + a_2 S + a_3 \frac{h_{i+1}}{H} + a_4 \left(\frac{h_{i+1}}{H}\right)^2 + a_5 \left(\frac{h_{i+1}}{H}\right)^3$$

for $S \ge 1$, i = 1toN.

Limitations

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 - Consult FEMA P-58 for more details.

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With SLAT, you won't have to!

But what is SLAT, really?

<u>Seismic</u> <u>Loss</u> <u>A</u>ssessment <u>T</u>ool

But what is SLAT, really?

Seismic Loss Assessment Tool

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Demo

WebSLAT is installed on a virtual machine, which you'll be able to run on your own PC, using VirtualBox.

Let's have a look at it in action.