

## Problem 3:

### Pseudocode:

CountingSort(A, k (range of digits, 1-9), p):

- Compute the count of each element in A

- For j = 1 to k

  - Add the value of the element before each element

- For j = len(A) to 1

  - Place each element in sorted order

RadixSort(A):

- Calculate largest element in A (max(A))

- Start at 1's column:  $p = 1$

- While the largest element still has digits to sort:

  - CountingSort(A, k (range of digits, 1-9), p)

  - Go to next significant digit:  $P = p * 10$

### Analysis:

RadixSort()

The algorithm starts by sorting the elements based on the value of the least significant digit (the ones column). It relies on a modified version of counting sort to do this. The time complexity of RadixSort() is  $O(n + k)$  where n is the size of the input and k is the largest element in either the one's, ten's, hundred's... etc. column. Counting sort will run a for loop that goes up to the last digit of the largest element in the input array. As a result, you can say that the overall time complexity for RadixSort() is  $O(d * (n + k))$ .