

Simple Task 9

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I.

```
(*This dynamic module displays a slider and a graph
with two points: one red one which corresponds the the x-
value chosen on the slider and the y value of that x from the given function,
and one green point which stays on the y-axis and displays the y-
value of the red point.*)
```

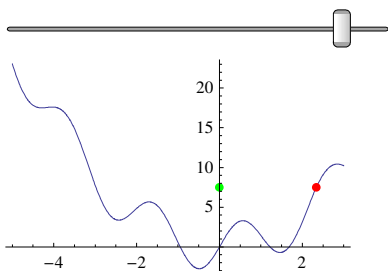
```
moveTwoPoints[fun_, {xmin_, xmax_}] :=
DynamicModule[ { sliderValue =  $\frac{(xmin + xmax)}{2}$  },
  (*The slider starts in the middle of the given range.*)
  Column[{Slider[Dynamic[sliderValue], {xmin, xmax}],
    (*Dynamic[sliderValue],*)
    Dynamic[Show[Plot[fun[x], {x, xmin, xmax}],
      Graphics[{Green, PointSize → Medium, Point[{0, fun[Dynamic[sliderValue]]}],
        Red, Point[{Dynamic[sliderValue], fun[Dynamic[sliderValue]]}]}]}],
    ]
  ]
}]
]
```

In[87]:=

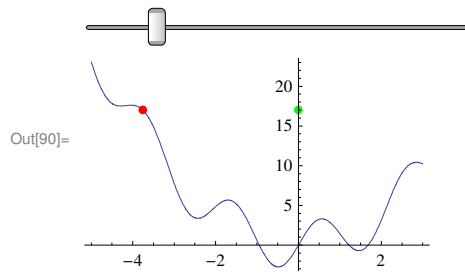
```
testFun[x_] := 3 Sin[3 x] + x^2
```

In[89]:= moveTwoPoints[testFun, {-5, 3}]

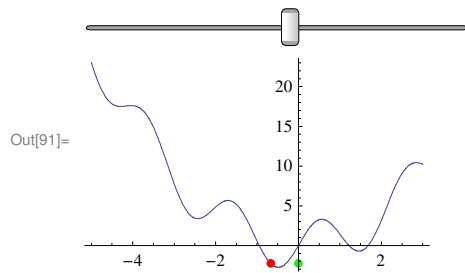
Out[89]=



```
In[90]:= moveTwoPoints[testFun, {-5, 3}]
```



```
In[91]:= moveTwoPoints[testFun, {-5, 3}]
```



Playing around...

```

In[269]:= moveThreePointsandVectors[fun_, {xmin_, xmax_}] :=
DynamicModule[ {sliderValue =  $\frac{(xmin + xmax)}{2}$ , theta},
  (*finds the angle--works for all quadrants
  since the angle labeling changes!*)
  theta = ArcTan[  $\frac{Abs[Dynamic[sliderValue]]}{Abs[fun[Dynamic[sliderValue]]]}$  ];
  Column[ {Slider[Dynamic[sliderValue], {xmin, xmax}],
    (*Dynamic[sliderValue], *)
    Dynamic[Show[Plot[fun[x], {x, xmin, xmax}, PlotStyle -> {Magenta}],
      Graphics[ {Green, PointSize -> Medium,
        (*points*)
        Point[{0, fun[Dynamic[sliderValue]]}],
        Purple, Point[{Dynamic[sliderValue], 0}], Red,
        Point[{Dynamic[sliderValue], fun[Dynamic[sliderValue]]}],
        (*rectangle*)
        Brown, EdgeForm[Directive[Thin, Dashed, Blue]], FaceForm[Opacity[.3]],
        Rectangle[{0, 0}, {Dynamic[sliderValue], fun[Dynamic[sliderValue]]}],
        (*label theta placement relative to rectangle size*)
        Inset[" $\theta$ ", {  $\frac{Dynamic[sliderValue]}{9}$ ,  $\frac{fun[Dynamic[sliderValue]]}{3}$  }],
        (*vector fun!*)
        Orange,
        Arrow[{ {0, 0}, {Dynamic[sliderValue], fun[Dynamic[sliderValue]]} }],
        Blue,
        Arrow[{ {0, 0}, {Dynamic[sliderValue], 0} }],
        Arrow[{ {0, 0}, {0, fun[Dynamic[sliderValue]]} }],
        }],
    ],
  ],
  " $\theta$  = " theta
}]
]

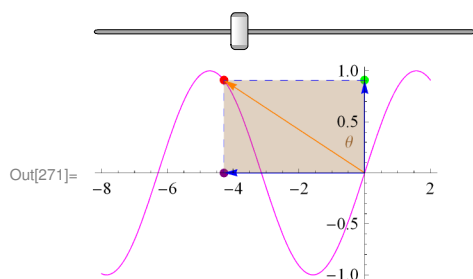
```

In[270]:=

```

fxn1[x_] := Sin[x]
moveThreePointsandVectors[fxn1, {-8, 2}]

```



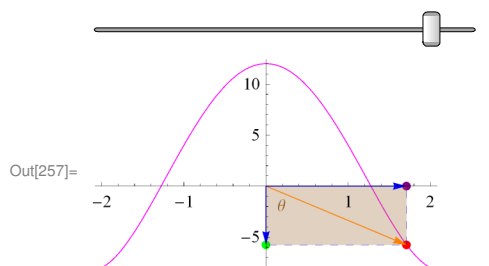
Out[271]=

$$\theta = \text{ArcTan}\left[\frac{\text{Abs}[-4.28]}{\text{Abs}[\text{Sin}[-4.28]]}\right]$$

```

fxn2[x_] := x^4 - 9 x^2 + 12
moveThreePointsandVectors[fxn2, {-2, 2}]

```



Out[257]=

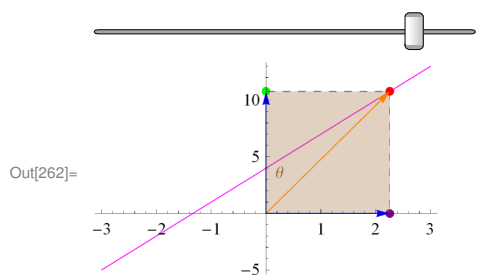
$$\theta = \text{ArcTan}\left[\frac{\text{Abs}[1.71]}{\text{Abs}[12 - 9 \cdot 1.71^2 + 1.71^4]}\right]$$

In[261]:=

```

fxn3[x_] := 3 x + 4
moveThreePointsandVectors[fxn3, {-3, 3}]

```



Out[262]=

$$\theta = \text{ArcTan}\left[\frac{\text{Abs}[2.26]}{\text{Abs}[4 + 3 \cdot 2.26]}\right]$$