

## **Problem Statement - Part II**

**Question 1:** What is the optimal value of alpha for ridge and lasso regression? What will be the changes in the model if you choose double the value of alpha for both ridge and lasso? What will be the most important predictor variables after the change is implemented?

### **Answer 1:**

Ridge:

Lambda = 2

R2 score (train): 0.917904

R2 score (test): 0.879608

MSE (train): 0.113599

MSE (test): 0.1407

Lasso:

Lambda = 0.001

R2 score (train): 0.9169

R2 score (test): 0.8779

MSE (train): 0.1142

MSE (test): 0.1417

After make the double alpha for ridge and lasso i.e., 4 and 0.002

For Ridge: Coefficient values of features have decreased as alpha increased. r2\_score of train data is also drop from .917 to 0.915.

For Lasso: As alpha value increased more features got their coefficient 0 and were removed from model. Coefficient values of features have decreased as alpha increased. R2\_score dropped from 0.9169 to 0.873 for train data.

Top Features: OverallQual\_Poor, BsmtQual\_No Basement, OverallQual\_Excellent, Neighborhood\_MeadowV, OverallCond\_fair

**Question 2:** You have determined the optimal value of lambda for ridge and lasso regression during the assignment. Now, which one will you choose to apply and why?

**Answer 2:**

For final model Lasso has been chosen because of higher  $r^2$  test score and lower RMSE value. Furthermore, Lasso reduced the coefficients of 24 features to 0 which were not significant and reduced overfitting. Thus, removing unwanted features from model without affecting the model accuracy. Which makes are model generalized and simple and accurate.

### **Question 3**

After building the model, you realised that the five most important predictor variables in the lasso model are not available in the incoming data. You will now have to create another model excluding the five most important predictor variables. Which are the five most important predictor variables now?

### **Answer 3:**

Top Features: OverallQual\_Poor, BsmtQual\_No Basement, OverallQual\_Excellent, Neighborhood\_MeadowV, OverallCond\_fair

After dropping them  $r^2$  score on train set reduced from 0.91 to 0.889 and on test set from 0.87 to 0.85.

Now topmost features are: Neighborhood\_NridgHt, MSSubClass\_1-STORY 1945 & OLDER, GrLivArea, Neighborhood\_Edwards, Neighborhood\_Crawfor.

### **Question 4:**

How can you make sure that a model is robust and generalisable? What are the implications of the same for the accuracy of the model and why?

### **Answer 4:**

Occam's Rule: The simplest explanation is the best one.

When simpler and fewer complex models are used accuracy will decrease slightly but the model will be more robust and generalisable. It will be immune to small changes in data.

It can be also understood using the Bias-Variance trade-off. Higher bias will make the model more robust but will also lead to decrease in accuracy and higher bias will lead to under fitting of the data. So, there should be balance between bias and variance to build a robust model which does not take a toll on accuracy/ $r^2$  score.