

```
In[906]:= (*Pdn = {0.49219-0.50781i,1,0.47656-0.52344i}*)
```

```
Pdn = {0.458, -0.768, -0.4399}
```

```
Out[906]= {0.458, -0.768, -0.4399}
```

```
In[907]:= nPd2 = Pdn . Pdn
```

```
Out[907]= 0.9931
```

```
In[908]:= Pd =  $\frac{1}{\sqrt{nPd2}}$  Pdn
```

```
Out[908]= {0.459588, -0.770663i, -0.441426}
```

```
In[909]:= ( $\sigma Pd = Pd[[1]] * \text{PauliMatrix}[1] + Pd[[2]] * \text{PauliMatrix}[2] + Pd[[3]] * \text{PauliMatrix}[3]$ ) //  

[macierze Pauliego] [macierze Pauliego] [macierze Pauliego]  

MatrixForm  

[postać macierzy]
```

```
Out[909]/MatrixForm=  


$$\begin{pmatrix} -0.441426 & 0.459588 + 0.770663i \\ 0.459588 - 0.770663i & 0.441426 \end{pmatrix}$$

```

```
In[910]:= (wvd = Eigensystem[ $\sigma Pd$ ]) // MatrixForm  

[wartości i wektory własne] [postać macierzy]
```

```
Out[910]/MatrixForm=  


$$\left( \begin{array}{cc} -1. & 1. \\ \{0.434824 + 0.729137i, -0.528476 + 0.i\} & \{0.270681 + 0.453893i, 0.848948 + 0.i\} \end{array} \right)$$

```

```
In[911]:=
```

```
 $\psi nd = \{\{wvd[[2, 2, 1]]\}, \{wvd[[2, 2, 2]]\}\}$ 
```

```
Out[911]= {{0.270681 + 0.453893i}, {0.848948 + 0.i}}
```

```
In[912]:=
```

```
In[913]:= (*normad2= (Flatten[Chop[ $\psi nd^T . \psi nd$ ]] [[1]]) *)  

[splaszcz] [zamiana bardzo malej liczby na zero]
```

```
In[914]:=  $\psi ud = (* (\frac{1}{Sqrt[normad2]}) ** ) \psi nd$ 
```

```
Out[914]= {{0.270681 + 0.453893i}, {0.848948 + 0.i}}
```

```
In[915]:= C0 = ( $\psi ud[[1, 1]]$ );
```

```
C1 = ( $\psi ud[[2, 1]]$ );
```

```
 $\phi 0 = Arg[C0]$   

[argument liczby zespolonej]
```

```
 $\phi 1 = Arg[C1]$   

[argument liczby zespolonej]
```

```
mC0 = Abs[C0];  

[wartosc bezwzględna]
```

```
mC1 = Abs[C1];  

[wartosc bezwzględna]
```

```
 $\phi w = \phi 1 - \phi 0$ 
```

```
Out[917]= 1.03306
```

```
Out[921]= -1.03306
```

```
In[922]:= (ψd = Chop[mC0 | 0] + eDefer[i] φw mC1 | 1)] // MatrixForm
```

zamiana bardzo małej liczby na zero postać macierzy

```
Out[922]//MatrixForm=
```

$$\begin{pmatrix} 0.528476 \\ 0.848948 e^{-1.03306 i} \end{pmatrix}$$

```
In[923]:= (ψd) // MatrixForm
```

postać macierzy

```
Out[923]//MatrixForm=
```

$$\begin{pmatrix} 0.528476 \\ 0.848948 e^{-1.03306 i} \end{pmatrix}$$

```
In[924]:= ( 0.5284763229908036`  
0.848948040835315` e-1.033061898705963` i ) // N // MatrixForm
```

pr... postać macierzy

```
Out[924]//MatrixForm=
```

$$\begin{pmatrix} 0.528476 \\ 0.434824 - 0.729137 i \end{pmatrix}$$