$$\frac{\mathrm{d}([\mathrm{Bid}]V_{\mathrm{Cyto}})}{\mathrm{d}t} = -((\mathrm{k1}_{(1)}[\mathrm{casp8}][\mathrm{Bid}] - \mathrm{k2}_{(1)}[\mathrm{casp8}.\mathrm{Bid}])) \qquad (1)$$

$$-((\mathrm{k1}_{(18)}[\mathrm{casp3}][\mathrm{Bid}] - \mathrm{k2}_{(18)}[\mathrm{casp3}.\mathrm{Bid}]))$$

$$\frac{\mathrm{d}([\mathrm{casp8}]V_{\mathrm{Cyto}})}{\mathrm{d}t} = -((\mathrm{k1}_{(1)}[\mathrm{casp8}][\mathrm{Bid}] - \mathrm{k2}_{(1)}[\mathrm{casp8}.\mathrm{Bid}])) \qquad (2)$$

$$+(\mathrm{k1}_{(2)}[\mathrm{casp8}.\mathrm{Bid}])$$

$$\frac{\mathrm{d}([\mathrm{casp8}.\mathrm{Bid}]V_{\mathrm{Cyto}})}{\mathrm{d}t} = +((\mathrm{k1}_{(1)}[\mathrm{casp8}][\mathrm{Bid}] - \mathrm{k2}_{(1)}[\mathrm{casp8}.\mathrm{Bid}])) \qquad (3)$$

$$-(\mathrm{k1}_{(2)}[\mathrm{casp8}.\mathrm{Bid}])$$

$$+(\mathrm{k1}_{(19)}[\mathrm{casp3}.\mathrm{Bid}]) \qquad (4)$$

$$-(\mathrm{k1}_{(29)}[\mathrm{tBid}_{\mathrm{Cyto}}])$$

$$\frac{\mathrm{d}([\mathrm{Apaf1}]V_{\mathrm{Cyto}})}{\mathrm{d}t} = -((\mathrm{k1}_{(3)}[\mathrm{cyc}_{\mathrm{Cyto}}][\mathrm{Apaf1}] - \mathrm{k2}_{(3)}[\mathrm{cyc}.\mathrm{Apaf1}]))$$

$$+(\mathrm{k1}_{(23)}[\mathrm{Bax2}][\mathrm{cyc}_{\mathrm{Mito}}])$$

$$\frac{\mathrm{d}([\mathrm{cyc}_{\mathrm{Cyto}}]V_{\mathrm{Cyto}})}{\mathrm{d}t} = -((\mathrm{k1}_{(3)}[\mathrm{cyc}_{\mathrm{Cyto}}][\mathrm{Apaf1}] - \mathrm{k2}_{(3)}[\mathrm{cyc}.\mathrm{Apaf1}]))$$

$$+(\mathrm{k1}_{(23)}[\mathrm{Bax2}][\mathrm{cyc}_{\mathrm{Mito}}])$$

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$$+(\mathrm{k1}_{(23)}[\mathrm{Bax2}][\mathrm{cyc}_{\mathrm{Mito}}])$$

 $+(k1_{(28)}[Bak2][cyc_{Mito}])$

$$\frac{d([\text{cyc.Apaf1}]V_{\text{Cyto}})}{dt} = +((k1_{(3)}[\text{cyc}_{\text{Cyto}}][\text{Apaf1}] - k2_{(3)}[\text{cyc.Apaf1}]))$$

$$-7((k1_{(4)}[\text{cyc.Apaf1}]^7 - k2_{(4)}[\text{apop}]))$$
(9)

$$\frac{d([apop]V_{Cyto})}{dt} = +((k1_{(4)}[cyc.Apaf1]^7 - k2_{(4)}[apop]))$$

$$-((k1_{(5)}[apop][pro9] - k2_{(5)}[apop.pro9]))$$

$$+((k1_{(9)}[apop.casp9] - k2_{(9)}[apop][casp9]))$$
(10)

$$\frac{d([apop.pro9]V_{Cyto})}{dt} = +((k1_{(5)}[apop][pro9] - k2_{(5)}[apop.pro9]))$$

$$-((k1_{(6)}[apop.pro9][pro9] - k2_{(6)}[apop.(pro9)2]))$$
(11)

$$\frac{d([\text{pro}9]V_{\text{Cyto}})}{dt} = -((k1_{(5)}[\text{apop}][\text{pro}9] - k2_{(5)}[\text{apop.pro}9]))$$

$$-((k1_{(6)}[\text{apop.pro}9][\text{pro}9] - k2_{(6)}[\text{apop.}(\text{pro}9)2]))$$
(12)

$$\frac{d([apop.(pro9)2]V_{Cyto})}{dt} = +((k1_{(6)}[apop.pro9][pro9] - k2_{(6)}[apop.(pro9)2]))$$

$$-(k1_{(7)}[apop.(pro9)2])$$
(13)

$$\begin{split} \frac{\mathrm{d}([\mathrm{apop.}(\mathrm{casp9})2]V_{\mathrm{Cyto}})}{\mathrm{d}t} &= -((\mathrm{k1}_{(14)}[\mathrm{apop.}(\mathrm{casp9})2][\mathrm{IAP}] - \mathrm{k2}_{(14)}[\mathrm{apop.}(\mathrm{casp9})2.\mathrm{IAP}])) \\ &- ((\mathrm{k1}_{(16)}[\mathrm{apop.}(\mathrm{casp9})2][\mathrm{pro3}] - \mathrm{k2}_{(16)}[\mathrm{apop.}(\mathrm{casp9})2.\mathrm{pro3}])) \\ &+ (\mathrm{k1}_{(17)}[\mathrm{apop.}(\mathrm{casp9})2.\mathrm{pro3}]) \\ &+ (\mathrm{k1}_{(7)}[\mathrm{apop.}(\mathrm{pro9})2]) \\ &- ((\mathrm{k1}_{(8)}[\mathrm{apop.}(\mathrm{casp9})2] - \mathrm{k2}_{(8)}[\mathrm{apop.}\mathrm{casp9}][\mathrm{casp9}])) \end{split}$$

$$\frac{\mathrm{d}([\mathrm{apop.(casp9)2]V_{Cyto})}}{\mathrm{d}t} = -((\mathrm{k1}_{(14)}[\mathrm{apop.(casp9)2}][\mathrm{IAP}] - \mathrm{k2}_{(14)}[\mathrm{apop.(casp9)2.IAP}]))$$

$$-((\mathrm{k1}_{(16)}[\mathrm{apop.(casp9)2}][\mathrm{pro3}] - \mathrm{k2}_{(16)}[\mathrm{apop.(casp9)2.pro3}]))$$

$$+(\mathrm{k1}_{(17)}[\mathrm{apop.(pro9)2}])$$

$$+(\mathrm{k1}_{(17)}[\mathrm{apop.(pro9)2}])$$

$$-((\mathrm{k1}_{(8)}[\mathrm{apop.(casp9)2}] - \mathrm{k2}_{(8)}[\mathrm{apop.casp9}][\mathrm{casp9}]))$$

$$-((\mathrm{k1}_{(12)}[\mathrm{casp9}]V_{Cyto}) = +(\mathrm{k1}_{(11)}[\mathrm{casp9.pro3}])$$

$$-((\mathrm{k1}_{(12)}[\mathrm{casp9}][\mathrm{IAP}] - \mathrm{k2}_{(12)}[\mathrm{casp9.IAP}]))$$

$$+((\mathrm{k1}_{(8)}[\mathrm{apop.(casp9)2}] - \mathrm{k2}_{(8)}[\mathrm{apop.casp9}][\mathrm{casp9}]))$$

$$-((\mathrm{k1}_{(10)}[\mathrm{casp9}][\mathrm{pro3}] - \mathrm{k2}_{(19)}[\mathrm{casp9.pro3}]))$$

$$-((\mathrm{k1}_{(10)}[\mathrm{casp9}][\mathrm{pro3}] - \mathrm{k2}_{(10)}[\mathrm{casp9.pro3}]))$$

$$+((\mathrm{k1}_{(8)}[\mathrm{apop.casp9}] - \mathrm{k2}_{(8)}[\mathrm{apop.casp9}][\mathrm{casp9}]))$$

$$-((\mathrm{k1}_{(8)}[\mathrm{apop.casp9}] - \mathrm{k2}_{(8)}[\mathrm{apop.casp9}][\mathrm{casp9}]))$$

$$-((\mathrm{k1}_{(9)}[\mathrm{apop.casp9}] - \mathrm{k2}_{(9)}[\mathrm{apop}][\mathrm{casp9}]))$$

$$-((\mathrm{k1}_{(10)}[\mathrm{casp9}][\mathrm{pro3}] - \mathrm{k2}_{(10)}[\mathrm{casp9.pro3}]))$$

$$+((\mathrm{k1}_{(10)}[\mathrm{casp9}][\mathrm{pro3}] - \mathrm{k2}_{(10)}[\mathrm{casp9.pro3}]))$$

$$-((\mathrm{k1}_{(10)}[\mathrm{casp9}][\mathrm{pro3}] - \mathrm{k2}_{(10)}[\mathrm{casp9.pro3}]))$$

$$-((\mathrm{k1}_{(10)}[\mathrm{casp9}][\mathrm{pro3}] - \mathrm{k2}_{(10)}[\mathrm{casp9.pro3}]))$$

$$-((\mathrm{k1}_{(10)}[\mathrm{casp9}][\mathrm{pro3}] - \mathrm{k2}_{(10)}[\mathrm{casp9.pro3}]))$$

$$-((\mathrm{k1}_{(10)}[\mathrm{casp9}][\mathrm{pro3}] - \mathrm{k2}_{(10)}[\mathrm{casp9.pro3}]))$$

$$\frac{d([casp3]V_{Cyto})}{dt} = +(k1_{(11)}[casp9.pro3])$$

$$-((k1_{(15)}[casp3][1AP] - k2_{(15)}[casp3.1AP]))$$

$$+(k1_{(17)}[apop.(casp9)2.pro3])$$

$$-((k1_{(18)}[casp3][Bid] - k2_{(18)}[casp3.Bid]))$$

$$-((k1_{(18)}[casp3][Bid] - k2_{(18)}[casp3.Bid]))$$

$$-((k1_{(29)}[casp3][Bc1 - x1.Cyto] - k2_{(29)}[casp3.Bc1 - x1]))$$

$$+(k1_{(39)}[casp3.Bc1 - x1])$$

$$+(k1_{(39)}[casp3.Bc1 - x1])$$

$$-((k1_{(13)}[apop.casp9][1AP] - k2_{(12)}[casp9.IAP]))$$

$$-((k1_{(13)}[apop.casp9][1AP] - k2_{(13)}[apop.casp9.1AP]))$$

$$-((k1_{(13)}[apop.(casp9)2][1AP] - k2_{(14)}[apop.(casp9)2.IAP]))$$

$$-((k1_{(15)}[casp3][1AP] - k2_{(15)}[casp3.IAP]))$$

$$\frac{d([casp9.IAP]V_{Cyto})}{dt} = +((k1_{(12)}[casp9][1AP] - k2_{(12)}[casp9.IAP]))$$

$$\frac{d([apop.casp9.1AP]V_{Cyto})}{dt} = +((k1_{(13)}[apop.casp9)2[IAP] - k2_{(13)}[apop.casp9.1AP]))$$

$$\frac{d([apop.(casp9)2.IAP]V_{Cyto})}{dt} = +((k1_{(14)}[apop.(casp9)2][IAP] - k2_{(14)}[apop.(casp9)2.IAP]))$$

$$\frac{d([apop.(casp3.Bid]V_{Cyto})}{dt} = +((k1_{(14)}[apop.(casp3)[Bid] - k2_{(14)}[apop.(casp3.Bid]))$$

$$-(k1_{(19)}[casp3.Bid])$$

$$\frac{d([apop.(casp9)2.pro3]V_{Cyto})}{dt} = +((k1_{(16)}[apop.(casp9)2][pro3] - k2_{(16)}[apop.(casp9)2.pro3]))$$

$$\frac{d([casp3.IAP]V_{Cyto})}{dt} = +((k1_{(15)}[casp3][IAP] - k2_{(15)}[casp3.IAP]))$$
 (27)

$$\frac{\mathrm{d}([\mathrm{tBid}_{\mathrm{Mito}}]V_{\mathrm{Mito}})}{\mathrm{d}t} = +(\mathrm{k1}_{(20)}[\mathrm{tBid}_{\mathrm{Cyto}}])$$

$$-(k1_{(21)}[tBid_{Mito}][Bax_{Mito}])+(k1_{(22)}[tBid.Bax][Bax_{Mito}])$$

$$(28)$$

$$-(k1_{(25)}[\mathrm{Bak}][\mathrm{tBid}_{\mathrm{Mito}}]) + (k1_{(26)}[\mathrm{tBid}.\mathrm{Bak}][\mathrm{Bak}])$$

$$\frac{d([Bax_{Mito}]V_{Mito})}{dt} = -(k1_{(21)}[tBid_{Mito}][Bax_{Mito}])$$

$$-(k1_{(22)}[tBid.Bax][Bax_{Mito}])$$

$$-(k1_{(24)}[Bax_{Mito}][Bcl - xLMito])$$
(29)

$$\frac{\mathrm{d}([\mathrm{tBid.Bax}]V_{\mathrm{Mito}})}{\mathrm{d}t} = +(\mathrm{k1}_{(21)}[\mathrm{tBid}_{\mathrm{Mito}}][\mathrm{Bax}_{\mathrm{Mito}}])$$

$$-(\mathrm{k1}_{(22)}[\mathrm{tBid.Bax}][\mathrm{Bax}_{\mathrm{Mito}}])$$
(30)

$$\frac{\mathrm{d}([\mathrm{cyc_{Mito}}]V_{\mathrm{Mito}})}{\mathrm{d}t} = -(\mathrm{k1_{(23)}}[\mathrm{Bax2}][\mathrm{cyc_{Mito}}])$$

$$-(\mathrm{k1_{(28)}}[\mathrm{Bak2}][\mathrm{cyc_{Mito}}])$$
(31)

$$\frac{\mathrm{d}([\mathrm{Bax.Bcl} - \mathrm{xL}]V_{\mathrm{Mito}})}{\mathrm{d}t} = +(\mathrm{k1}_{(24)}[\mathrm{Bax}_{\mathrm{Mito}}][\mathrm{Bcl} - \mathrm{xLMito}])$$

$$-(\mathrm{k1}_{(27)}[\mathrm{Bax.Bcl} - \mathrm{xL}])$$
(32)

$$\frac{\mathrm{d}([\mathrm{Bcl} - \mathrm{xLMito}]V_{\mathrm{Mito}})}{\mathrm{d}t} = -(\mathrm{k1}_{(24)}[\mathrm{Bax}_{\mathrm{Mito}}][\mathrm{Bcl} - \mathrm{xLMito}])$$
(33)

$$\frac{\mathrm{d}([\mathrm{Bak}]V_{\mathrm{Mito}})}{\mathrm{d}t} = -(\mathrm{k}1_{(25)}[\mathrm{Bak}][\mathrm{tBid}_{\mathrm{Mito}}])$$

$$-(\mathrm{k}1_{(26)}[\mathrm{tBid}.\mathrm{Bak}][\mathrm{Bak}])$$
(34)

$$\frac{\mathrm{d}([\mathrm{Bak.tBid}]V_{\mathrm{Mito}})}{\mathrm{d}t} = +(\mathrm{k1}_{(25)}[\mathrm{Bak}][\mathrm{tBid}_{\mathrm{Mito}}]) \tag{35}$$

$$\frac{\mathrm{d}([\mathrm{tBid.Bak}]V_{\mathrm{Mito}})}{\mathrm{d}t} = -(\mathrm{k1}_{(26)}[\mathrm{tBid.Bak}][\mathrm{Bak}]) \tag{36}$$

$$\frac{\mathrm{d}([\mathrm{BaxCyto}]V_{\mathrm{Cyto}})}{\mathrm{d}t} = +(\mathrm{k}1_{(27)}[\mathrm{Bax.Bcl} - \mathrm{xL}])$$
(37)

$$\frac{\mathrm{d}([\mathrm{Bcl} - \mathrm{xLCyto}]V_{\mathrm{Cyto}})}{\mathrm{d}t} = +(\mathrm{k1}_{(27)}[\mathrm{Bax.Bcl} - \mathrm{xL}])$$
(38)

$$-((\mathrm{k1}_{(29)}[\mathrm{casp3}][\mathrm{Bcl}-\mathrm{xLCyto}]-\mathrm{k2}_{(29)}[\mathrm{casp3.Bcl}-\mathrm{xL}]))$$

$$\frac{\mathrm{d}([\mathrm{Bax2}]V_{\mathrm{Mito}})}{\mathrm{d}t} = +(\mathrm{k1}_{(22)}[\mathrm{tBid.Bax}][\mathrm{Bax}_{\mathrm{Mito}}]) \tag{39}$$

$$\frac{\mathrm{d}([\mathrm{Bak2}]V_{\mathrm{Mito}})}{\mathrm{d}t} = +(\mathrm{k1}_{(26)}[\mathrm{tBid.Bak}][\mathrm{Bak}]) \tag{40}$$

$$\frac{d([casp3.Bcl - xL]V_{Mito})}{dt} = +((k1_{(29)}[casp3][Bcl - xLCyto] - k2_{(29)}[casp3.Bcl - xL]))$$

$$-(k1_{(30)}[casp3.Bcl - xL])$$
(41)

$$\frac{\mathrm{d}([\mathrm{Bcl} - \mathrm{xL}.\mathrm{Inactive}]V_{\mathrm{Cyto}})}{\mathrm{d}t} = +(\mathrm{k}1_{(30)}[\mathrm{casp3}.\mathrm{Bcl} - \mathrm{xL}]) \tag{42}$$