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Link is here or:

https://github.com/miladshiraniUCB/dsc-nonparametric-models-lab.git

# 1 Nonparametric ML Models - Cumulative Lab

# 1.1 Introduction

In this cumulative lab, you will apply two nonparametric models you have just learned — k-nearest neighbors and decision trees — to the forest cover dataset.

# 1.2 Objectives

- Practice identifying and applying appropriate preprocessing steps
- Perform an iterative modeling process, starting from a baseline model
- Explore multiple model algorithms, and tune their hyperparameters
- Practice choosing a final model across multiple model algorithms and evaluating its performance

# 1.3 Your Task: Complete an End-to-End ML Process with Nonparametric Models on the Forest Cover Dataset



Photo by Michael Benz on Unsplash

# 1.3.1 Business and Data Understanding

To repeat the previous description:

Here we will be using an adapted version of the forest cover dataset from the UCI Machine Learning Repository. Each record represents a 30 x 30 meter cell of land within Roosevelt National Forest in northern Colorado, which has been labeled as Cover\_Type 1 for "Cottonwood/Willow" and Cover\_Type 0 for "Ponderosa Pine". (The original dataset contained 7 cover types but we have simplified it.)

The task is to predict the Cover\_Type based on the available cartographic variables:

```
[3]: # Run this cell without changes
import pandas as pd

df = pd.read_csv('data/forest_cover.csv')
df
```

```
[3]:
            Elevation
                        Aspect
                                 Slope
                                         Horizontal_Distance_To_Hydrology \
                  2553
                            235
                                    17
                                                                        351
     1
                  2011
                            344
                                    17
                                                                        313
     2
                  2022
                             24
                                    13
                                                                        391
```

```
3
             2038
                        50
                                                                     408
                                17
4
             2018
                       341
                                27
                                                                     351
                        •••
                       153
                                20
                                                                      85
38496
             2396
38497
             2391
                       152
                                19
                                                                      67
38498
             2386
                       159
                                17
                                                                      60
                                                                      60
38499
             2384
                       170
                                15
38500
             2383
                       165
                                13
                                                                      60
       Vertical_Distance_To_Hydrology
                                           Horizontal_Distance_To_Roadways
0
                                       95
                                                                           780
                                                                           404
1
                                       29
2
                                                                           509
                                       42
3
                                       71
                                                                           474
4
                                       34
                                                                           390
38496
                                       17
                                                                           108
38497
                                       12
                                                                            95
                                        7
                                                                            90
38498
                                        5
                                                                            90
38499
38500
                                        4
                                                                            67
       Hillshade_9am Hillshade_Noon Hillshade_3pm \
                   188
                                     253
                                                      199
0
1
                                     211
                   183
                                                      164
2
                   212
                                     212
                                                      134
3
                   226
                                     200
                                                      102
4
                   152
                                     188
                                                      168
                   240
38496
                                     237
                                                      118
38497
                   240
                                     237
                                                      119
                   236
                                     241
38498
                                                      130
38499
                   230
                                     245
                                                      143
                   231
                                     244
38500
                                                      141
       Horizontal_Distance_To_Fire_Points ... Soil_Type_31 Soil_Type_32 \
0
                                         1410
                                                               0
                                                                               0
1
                                          300
                                                                               0
                                                                0
2
                                          421
                                                                0
                                                                               0
3
                                          283
                                                                0
                                                                               0
4
                                          190
                                                                0
                                                                               0
38496
                                                               0
                                                                               0
                                          837
38497
                                          845
                                                                0
                                                                               0
                                                                               0
38498
                                          854
                                                                0
38499
                                                                0
                                                                               0
                                          864
                                          875
                                                                0
                                                                               0
38500
```

	Soil_Type_33	Soil_Type_34	Soil_Type_35	Soil_Type_36	Soil_Type_37	\
0	0	0	0	0	0	
1	0	0	0	0	0	
2	0	0	0	0	0	
3	0	0	0	0	0	
4	0	0	0	0	0	
	•••	•••	***	•••	***	
38496	0	0	0	0	0	
38497	0	0	0	0	0	
38498	0	0	0	0	0	
38499	0	0	0	0	0	
38500	0	0	0	0	0	
	Soil_Type_38	Soil_Type_39	Cover_Type			
0	Soil_Type_38	Soil_Type_39	Cover_Type			
0			_			
	0	0	0			
1	0	0	0 0			
1 2	0 0	0 0	0 0			
1 2 3	0 0 0 0	0 0 0 0	0 0 0 0			
1 2 3 4	0 0 0 0	0 0 0 0	0 0 0 0			
1 2 3 4 	0 0 0 0 0	0 0 0 0 0	0 0 0 0 0			
1 2 3 4  38496	0 0 0 0 0	0 0 0 0 0	0 0 0 0 0			
1 2 3 4  38496 38497	0 0 0 0 0	0 0 0 0 0	0 0 0 0 0			

[38501 rows x 53 columns]

As you can see, we have over 38,000 rows, each with 52 feature columns and 1 target column:

- Elevation: Elevation in meters
- Aspect: Aspect in degrees azimuth
- Slope: Slope in degrees
- Horizontal\_Distance\_To\_Hydrology: Horizontal dist to nearest surface water features in meters
- Vertical\_Distance\_To\_Hydrology: Vertical dist to nearest surface water features in meters
- Horizontal\_Distance\_To\_Roadways: Horizontal dist to nearest roadway in meters
- Hillshade\_9am: Hillshade index at 9am, summer solstice
- Hillshade\_Noon: Hillshade index at noon, summer solstice
- Hillshade\_3pm: Hillshade index at 3pm, summer solstice
- Horizontal\_Distance\_To\_Fire\_Points: Horizontal dist to nearest wildfire ignition points, meters
- Wilderness\_Area\_x: Wilderness area designation (3 columns)
- Soil\_Type\_x: Soil Type designation (39 columns)

• Cover\_Type: 1 for cottonwood/willow, 0 for ponderosa pine

This is also an imbalanced dataset, since cottonwood/willow trees are relatively rare in this forest:

```
[4]: # Run this cell without changes
print("Raw Counts")
print(df["Cover_Type"].value_counts())
print()
print("Percentages")
print(df["Cover_Type"].value_counts(normalize=True))
```

```
Raw Counts
0 35754
1 2747
Name: Cover_Type, dtype: int64

Percentages
0 0.928651
1 0.071349

Name: Cover Type, dtype: float64
```

Thus, a baseline model that always chose the majority class would have an accuracy of over 92%. Therefore we will want to report additional metrics at the end.

#### 1.3.2 Previous Best Model

In a previous lab, we used SMOTE to create additional synthetic data, then tuned the hyperparameters of a logistic regression model to get the following final model metrics:

Log loss: 0.13031294393913376
Accuracy: 0.9456679825472678
Precision: 0.6659919028340081
Recall: 0.47889374090247455

In this lab, you will try to beat those scores using more-complex, nonparametric models.

# 1.3.3 Modeling

Although you may be aware of some additional model algorithms available from scikit-learn, for this lab you will be focusing on two of them: k-nearest neighbors and decision trees. Here are some reminders about these models:

**kNN** - **documentation here** This algorithm — unlike linear models or tree-based models — does not emphasize learning the relationship between the features and the target. Instead, for a given test record, it finds the most similar records in the training set and returns an average of their target values.

• Training speed: Fast. In theory it's just saving the training data for later, although the scikit-learn implementation has some additional logic "under the hood" to make prediction faster.

- **Prediction speed:** Very slow. The model has to look at every record in the training set to find the k closest to the new record.
- Requires scaling: Yes. The algorithm to find the nearest records is distance-based, so it matters that distances are all on the same scale.
- **Key hyperparameters:** n\_neighbors (how many nearest neighbors to find; too few neighbors leads to overfitting, too many leads to underfitting), p and metric (what kind of distance to use in defining "nearest" neighbors)

**Decision Trees - documentation here** Similar to linear models (and unlike kNN), this algorithm emphasizes learning the relationship between the features and the target. However, unlike a linear model that tries to find linear relationships between each of the features and the target, decision trees look for ways to split the data based on features to decrease the entropy of the target in each split.

- Training speed: Slow. The model is considering splits based on as many as all of the available features, and it can split on the same feature multiple times. This requires exponential computational time that increases based on the number of columns as well as the number of rows.
- **Prediction speed:** Medium fast. Producing a prediction with a decision tree means applying several conditional statements, which is slower than something like logistic regression but faster than kNN.
- Requires scaling: No. This model is not distance-based. You also can use a LabelEncoder rather than OneHotEncoder for categorical data, since this algorithm doesn't necessarily assume that the distance between 1 and 2 is the same as the distance between 2 and 3.
- **Key hyperparameters:** Many features relating to "pruning" the tree. By default they are set so the tree can overfit, and by setting them higher or lower (depending on the hyperparameter) you can reduce overfitting, but too much will lead to underfitting. These are: max\_depth, min\_samples\_split, min\_samples\_leaf, min\_weight\_fraction\_leaf, max\_features, max\_leaf\_nodes, and min\_impurity\_decrease. You can also try changing the criterion to "entropy" or the splitter to "random" if you want to change the splitting logic.

#### 1.3.4 Requirements

- 1. Prepare the Data for Modeling
- 2. Build a Baseline kNN Model
- 3. Build Iterative Models to Find the Best kNN Model
- 4. Build a Baseline Decision Tree Model
- 5. Build Iterative Models to Find the Best Decision Tree Model
- 6. Choose and Evaluate an Overall Best Model

# 1.4 1. Prepare the Data for Modeling

The target is Cover\_Type. In the cell below, split df into X and y, then perform a train-test split with random\_state=42 and stratify=y to create variables with the standard X\_train, X\_test, y\_train, y\_test names.

Include the relevant imports as you go.

Now, instantiate a StandardScaler, fit it on X\_train, and create new variables X\_train\_scaled and X\_test\_scaled containing values transformed with the scaler.

```
[10]: # Your code here
from sklearn.preprocessing import StandardScaler

scaler = StandardScaler()
X_train_scaled = scaler.fit_transform(X_train)
X_test_scaled = scaler.transform(X_test)
```

The following code checks that everything is set up correctly:

```
# Run this cell without changes

# Checking that df was separated into correct X and y
assert type(X) == pd.DataFrame and X.shape == (38501, 52)
assert type(y) == pd.Series and y.shape == (38501,)

# Checking the train-test split
assert type(X_train) == pd.DataFrame and X_train.shape == (28875, 52)
assert type(X_test) == pd.DataFrame and X_test.shape == (9626, 52)
assert type(y_train) == pd.Series and y_train.shape == (28875,)
assert type(y_test) == pd.Series and y_test.shape == (9626,)

# Checking the scaling
assert X_train_scaled.shape == X_train.shape
assert round(X_train_scaled[0][0], 3) == -0.636
assert X_test_scaled.shape == X_test.shape
assert round(X_test_scaled[0][0], 3) == -1.370
```

#### 1.5 2. Build a Baseline kNN Model

Build a scikit-learn kNN model with default hyperparameters. Then use cross\_val\_score with scoring="neg\_log\_loss" to find the mean log loss for this model (passing in X\_train\_scaled and y\_train to cross\_val\_score). You'll need to find the mean of the cross-validated scores, and negate the value (either put a - at the beginning or multiply by -1) so that your answer is a log loss rather than a negative log loss.

Call the resulting score knn\_baseline\_log\_loss.

Your code might take a minute or more to run.

# [13]: 0.1255288892455634

```
[19]: ### From MySelf
knn_baseline_model.fit(X_train_scaled, y_train)
print("Training Score: ", knn_baseline_model.score(X_train_scaled, y_train))
print("Test Score: ", knn_baseline_model.score(X_test_scaled, y_test))
```

Training Score: 0.9897835497835498 Test Score: 0.984209432786204

Our best logistic regression model had a log loss of 0.13031294393913376

Is this model better? Compare it in terms of metrics and speed.

```
[14]: # Replace None with appropriate text
"""

Our score is 0.1255 which is smaller than 0.1303 so our untuned kNN model
performs better than our tunned Logistic Regression Model. However, the current
model is slower
```

```
# ## From GH

# """

# Our log loss is better with the vanilla (un-tuned) kNN model

# than it was with the tuned logistic regression model

# It was also much slower, taking around a minute to complete

# the cross-validation on this machine

# It depends on the business case whether this is really a better

# model

# """
```

[14]: '\nOur log loss is better with the vanilla (un-tuned) kNN model\nthan it was with the tuned logistic regression model\n\nIt was also much slower, taking around a minute to complete\nthe cross-validation on this machine\n\nIt depends on the business case whether this is really a better\nmodel\n'

# 1.6 3. Build Iterative Models to Find the Best kNN Model

Build and evaluate at least two more kNN models to find the best one. Explain why you are changing the hyperparameters you are changing as you go. These models will be *slow* to run, so be thinking about what you might try next as you run them.

```
[20]: # ## GH
      # """
      # Your work will not look identical to this, and that is ok!
      # The goal is that there should be an explanation for
      # everything you try, and accurate reporting on the outcome
      # """
      \# Maybe we are overfitting, since the default neighbors of 5
      # seems small compared to the large number of records in this
      # dataset. Let's increase that number of neighbors 10x to see
      # if it improves the results.
      # """
      # Your code here (add more cells as needed)
      # Creating the model
      knn_baseline_model_1 = KNeighborsClassifier(n_neighbors=50)
      # Perform cross-validation
      knn_baseline_log_loss_1 = -1*np.mean(cross_val_score(knn_baseline_model_1,
```

```
y_train,
                                             scoring="neg_log_loss"))
      knn_baseline_log_loss_1
[20]: 0.078613760394212
[21]: knn_baseline_model_1.fit(X_train_scaled, y_train)
      print("Training Score: ", knn_baseline_model_1.score(X_train_scaled, y_train))
      print("Test Score: ", knn_baseline_model_1.score(X_test_scaled, y_test))
     Training Score: 0.9699740259740259
     Test Score: 0.9690421774361105
[]: """
      The Neg-Log-Loss improved much better, but our score compared to the previous
      model decreased. But it seems that we do not have overffiting
      11 11 11
      # ### GH
      # """
      # Great, that looks good. What if we keep that number of
      # neighbors, and change the distance metric from euclidean
      # to manhattan?
      # """
[22]: # Your code here (add more cells as needed)
      # Creating the model
      knn_baseline_model_2 = KNeighborsClassifier(n_neighbors=50, metric = __
      # Perform cross-validation
      knn_baseline_log_loss_2 = -1*np.mean(cross_val_score(knn_baseline_model_2,
                                             X_train_scaled,
                                             y_train,
                                             scoring="neg_log_loss"))
      knn_baseline_log_loss_2
[22]: 0.07621145166565102
[23]: knn_baseline_model_2.fit(X_train_scaled, y_train)
      print("Training Score: ", knn_baseline_model_2.score(X_train_scaled, y_train))
```

X\_train\_scaled,

```
print("Test Score: ", knn_baseline_model_2.score(X_test_scaled, y_test))
     Training Score: 0.9719480519480519
     Test Score: 0.9716393102015375
[27]: """
      Log Loss is almost the same but scores are slightly better than previous one
      but still our base model is better in score values but not in Log-Loss score
      # ### GH
      # """
      # Ok, slightly better but it's a much smaller difference now.
      # Maybe we can get even better performance by increasing the
      # number of neighbors again.
      # """
[27]: "\nOk, slightly better but it's a much smaller difference now.\n\nMaybe we can
     get even better performance by increasing the \number of neighbors again. \n"
[26]: # Your code here (add more cells as needed)
      # Creating the model
      knn_baseline_model_3 = KNeighborsClassifier(n_neighbors=75, metric = L

¬"manhattan" )

      # Perform cross-validation
      knn_baseline_log_loss_3 = -1*np.mean(cross_val_score(knn_baseline_model_3,
                                             X_train_scaled,
                                             y_train,
                                             scoring="neg_log_loss"))
      print("Log Loss:", knn_baseline_log_loss_3)
      knn_baseline_model_3.fit(X_train_scaled, y_train)
      print("Training Score: ", knn_baseline_model_3.score(X_train_scaled, y_train))
      print("Test Score: ", knn_baseline_model_3.score(X_test_scaled, y_test))
     Log Loss: 0.08591231255583043
     Training Score: 0.9685541125541125
     Test Score: 0.9689382921254934
 [ ]: # ### From GH
```

# """

```
# While this was still better than when n_neighbors was 5
# (the default), it's worse than n_neighbors being 50

# If we were to build more models, we would probably start
# investigating the space between 5 and 50 neighbors to find
# the best number, but for now we'll just stop and say that
# knn_third_model is our best one.
# """
```

#### 1.7 4. Build a Baseline Decision Tree Model

Now that you have chosen your best kNN model, start investigating decision tree models. First, build and evaluate a baseline decision tree model, using default hyperparameters (with the exception of random\_state=42 for reproducibility).

(Use cross-validated log loss, just like with the previous models.)

Log Loss: 0.7045390124149022

Training Score: 1.0

Test Score: 0.9782879700810305

Interpret this score. How does this compare to the log loss from our best logistic regression and best kNN models? Any guesses about why?

```
[]: # Replace None with appropriate text
"""

Our Log Loss for this model is much higher than our best kNN model but it is
much faster
"""
```

```
# ### GH
# """
# This is much worse than either the logistic regression or the
# kNN models. We can probably assume that the model is badly
# overfitting, since we have not "pruned" it at all.
# """
```

# 1.8 5. Build Iterative Models to Find the Best Decision Tree Model

Build and evaluate at least two more decision tree models to find the best one. Explain why you are changing the hyperparameters you are changing as you go.

Log Loss: 0.11887320104683834 Training Score: 0.9683809523809523 Test Score: 0.9674838977768544

```
tree_baseline_model_2.fit(X_train, y_train)
print("Training Score:", tree_baseline_model_2.score(X_train, y_train))
print("Test Score:", tree_baseline_model_2.score(X_test, y_test))
```

Log Loss: 0.11611292651380065 Training Score: 0.9681385281385282 Test Score: 0.9672761271556202

Log Loss: 0.13012531033354707 Training Score: 0.9596883116883117 Test Score: 0.9588614169956368

```
scoring="neg_log_loss").mean()
dtree_second_log_loss
```

#### [45]: 0.28719567271672036

#### [46]: 0.11894015917756935

#### [47]: 0.20808868577091694

```
[48]: ### GH
# """
```

#### [48]: 0.14254711982373908

#### [49]: 0.11510335541930405

```
[50]: ### From GitHub

# """

# That looks good. Maybe in the future we would do something more
# systematic (like a grid search) but for now we'll say that the
# sixth model is the best one of the decision tree models
# """
```

#### 1.9 6. Choose and Evaluate an Overall Best Model

Which model had the best performance? What type of model was it?

Instantiate a variable final\_model using your best model with the best hyperparameters.

```
[51]: # Replace None with appropriate code
final_model = KNeighborsClassifier(n_neighbors=50, metric="manhattan")

# Fit the model on the full training data
# (scaled or unscaled depending on the model)
final_model.fit(X_train_scaled, y_train)
```

[51]: KNeighborsClassifier(metric='manhattan', n\_neighbors=50)

Now, evaluate the log loss, accuracy, precision, and recall. This code is mostly filled in for you, but you need to replace None with either X\_test or X\_test\_scaled depending on the model you chose.

log loss: 0.07491819679665564 accuracy: 0.9716393102015375 precision: 0.8876404494382022 recall: 0.6899563318777293

Interpret your model performance. How would it perform on different kinds of tasks? How much better is it than a "dummy" model that always chooses the majority class, or the logistic regression described at the start of the lab?

```
# """

# This model has 97% accuracy, meaning that it assigns the
# correct label 97% of the time. This is definitely an
# improvement over a "dummy" model, which would have about
# 92% accuracy.

# If our model labels a given forest area a 1, there is
```

```
# about an 89% chance that it really is class 1, compared
# to about a 67% chance with the logistic regression

# The recall score is also improved from the logistic
# regression model. If a given cell of forest really is
# class 1, there is about a 69% chance that our model
# will label it correctly. This is better than the 48%
# of the logistic regression model, but still doesn't
# instill a lot of confidence. If the business really
# cared about avoiding "false negatives" (labeling
# cottonwood/willow as ponderosa pine) more so than
# avoiding "false positives" (labeling ponderosa pine
# as cottonwood/willow), then we might want to adjust
# the decision threshold on this
# """
```

#### 1.10 Conclusion

In this lab, you practiced the end-to-end machine learning process with multiple model algorithms, including tuning the hyperparameters for those different algorithms. You saw how nonparametric models can be more flexible than linear models, potentially leading to overfitting but also potentially reducing underfitting by being able to learn non-linear relationships between variables. You also likely saw how there can be a tradeoff between speed and performance, with good metrics correlating with slow speeds.

# 2 For My Practice:

Here I am going to work with other Ensemble methods such as Random Forest and XGBoost and I will search grid to find the best match.

```
[58]: from sklearn.model_selection import cross_val_score
from sklearn.ensemble import RandomForestClassifier, BaggingClassifier
from sklearn.model_selection import GridSearchCV
from sklearn.metrics import accuracy_score, precision_score, recall_score,
log_loss
from xgboost import XGBClassifier
import warnings
warnings.filterwarnings('ignore')
```

# 2.1 Bagged Tree

```
n_{estimators} = 50
)
bagged_tree_log_loss = -cross_val_score(bagged_tree,
                                        X_train, y_train,
                                        scoring="neg_log_loss").mean()
bagged_tree.fit(X_train, y_train)
print("Log Loss:", bagged_tree_log_loss)
print("Traninig Score:", bagged_tree.score(X_train, y_train))
print("Test Score:", bagged_tree.score(X_test, y_test))
print()
preds_bagged = bagged_tree.predict(X_test)
probs_bagged = bagged_tree.predict_proba(X_test)
print("log loss: ", log_loss(y_test, probs_bagged))
print("accuracy: ", accuracy_score(y_test, preds_bagged))
print("precision:", precision_score(y_test, preds_bagged))
print("recall: ", recall_score(y_test, preds_bagged))
```

Log Loss: 0.050236130156247505 Traninig Score: 0.9923116883116884 Test Score: 0.9821317265738625

log loss: 0.05109993543837824 accuracy: 0.9821317265738625 precision: 0.8837555886736215 recall: 0.8631732168850073

#### 2.2 Random Forest

```
print("Test Score:", forest.score(X_test, y_test))

print()

preds_forest = forest.predict(X_test)

probs_forest = forest.predict_proba(X_test)

print("log loss: ", log_loss(y_test, probs_forest))

print("accuracy: ", accuracy_score(y_test, preds_forest))

print("precision:", precision_score(y_test, preds_forest))

print("recall: ", recall_score(y_test, preds_forest))
```

Log Loss: 0.054744034219359916 Traninig Score: 0.9968138528138528 Test Score: 0.9847288593392894

log loss: 0.05151671945972006 accuracy: 0.9847288593392894 precision: 0.9258675078864353 recall: 0.8544395924308588

# 2.3 XGBoost

Log Loss: 0.03402142245556726

Traninig Score: 0.9995844155844156 Test Score: 0.9877415333471847

log loss: 0.03524546260024428 accuracy: 0.9877415333471847 precision: 0.9153284671532846 recall: 0.9126637554585153

We can see that untuned XGBClassifier() gives the best results, so, now I will choose this model and will try to find a best tuning for this model.

#### 2.4 GridSearchCV with XGBClassifier()

```
[71]: param grid = {
      'learning_rate': [0.1, 0.2],
      'max_depth': [6],
      'min_child_weight': [1, 2],
      'subsample': [0.5, 0.7],
      'n_estimators': [100],
      XGB_tunned = XGBClassifier()
      grid_clf = GridSearchCV(XGB_tunned, param_grid,
                              scoring='accuracy', n_jobs=1, cv = None)
      grid_clf.fit(X_train, y_train)
      best_parameters = grid_clf.best_params_
      print('Grid Search found the following optimal parameters: ')
      for param_name in sorted(best_parameters.keys()):
          print('%s: %r' % (param_name, best_parameters[param_name]))
      training_preds = grid_clf.predict(X_train)
      test_preds
                   = grid_clf.predict(X_test)
      training_accuracy = accuracy_score(y_train, training_preds)
      test_accuracy = accuracy_score(y_test, test_preds)
      print('')
      print('Training Accuracy: {:.4}%'.format(training_accuracy * 100))
      print('Validation accuracy: {:.4}%'.format(test_accuracy * 100))
```

Grid Search found the following optimal parameters:

learning\_rate: 0.2
max\_depth: 6
min\_child\_weight: 1
n\_estimators: 100

subsample: 0.7 Training Accuracy: 99.81% Validation accuracy: 98.78% [72]: preds\_grid\_clf = grid\_clf.predict(X\_test) probs\_grid\_clf = grid\_clf.predict\_proba(X\_test) print("log loss: ", log\_loss(y\_test, probs\_grid\_clf)) print("accuracy: ", accuracy\_score(y\_test, preds\_grid\_clf)) print("precision:", precision\_score(y\_test, preds\_grid\_clf)) print("recall: ", recall\_score(y\_test, preds\_grid\_clf)) log loss: 0.03600730954330057 accuracy: 0.9878454186578017 precision: 0.9094827586206896 recall: 0.9213973799126638 [73]: XGB\_tunned = XGBClassifier(learning\_rate = 0.2,  $max_depth = 6$ , min\_child\_weight = 1,  $n_{estimators} = 100,$ subsample = 0.7) XGB\_tunned\_log\_loss = -cross\_val\_score(XGB\_tunned, X\_train, y\_train, scoring="neg\_log\_loss").mean() XGB\_tunned.fit(X\_train, y\_train) print("Log Loss:", XGB\_tunned\_log\_loss) print("Traninig Score:", XGB\_tunned.score(X\_train, y\_train)) print("Test Score:", XGB\_tunned.score(X\_test, y\_test)) print() preds\_XGB\_tunned = XGB\_tunned.predict(X\_test) probs\_XGB\_tunned = XGB\_tunned.predict\_proba(X\_test) print("log loss: ", log\_loss(y\_test, probs\_XGB\_tunned))

Log Loss: 0.0355434885308743 Traninig Score: 0.9980952380952381

print("accuracy: ", accuracy\_score(y\_test, preds\_XGB\_tunned))
print("precision:", precision\_score(y\_test, preds\_XGB\_tunned))
print("recall: ", recall\_score(y\_test, preds\_XGB\_tunned))

Test Score: 0.9878454186578017

log loss: 0.03600730954330057 accuracy: 0.9878454186578017 precision: 0.9094827586206896 recall: 0.9213973799126638

[]: