

TIMBER ENGINEERING - VSM196

LECTURE 10 –
JOINTS – OVERVIEW &
LATERALLY-LOADED CONNECTIONS
SPRING 2020



Topic

- Joints
- Overview
- laterally-loaded connections
- [DoTS: Chapter 4]

Content

- Overview of different joints
- Design ULS
- Design examples H1, H7

Intended Learning Outcomes of this lecture

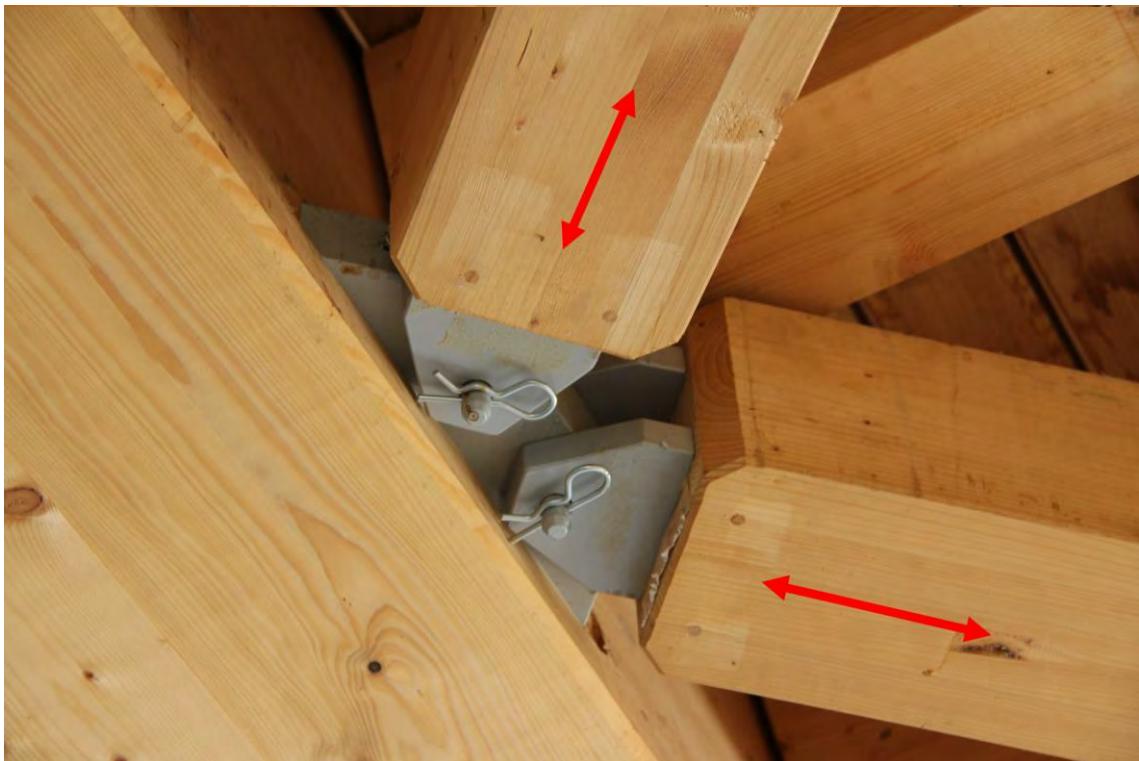
- You understand different loading conditions of connections
- You can identify different demands on connections
- You can calculate the load-carrying capacity of dowel-type fasteners
- You can choose the adequate fasteners for connections in shear

Background



”...a structure is
an assembly of connections
separated by members.”
(McLain 1998)

Loading conditions on connections



Loading conditions on connections

- Axial forces



Loading conditions on connections

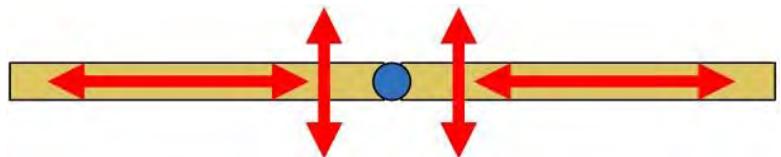


Loading conditions on connections

- Axial forces



- Shear forces



Loading conditions on connections

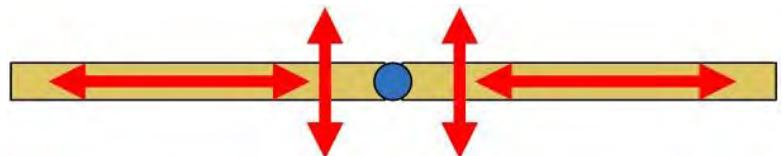


Loading conditions on connections

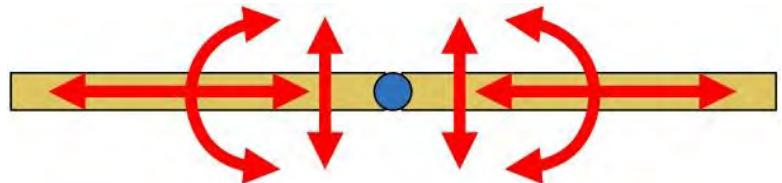
- Axial forces



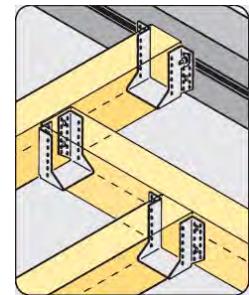
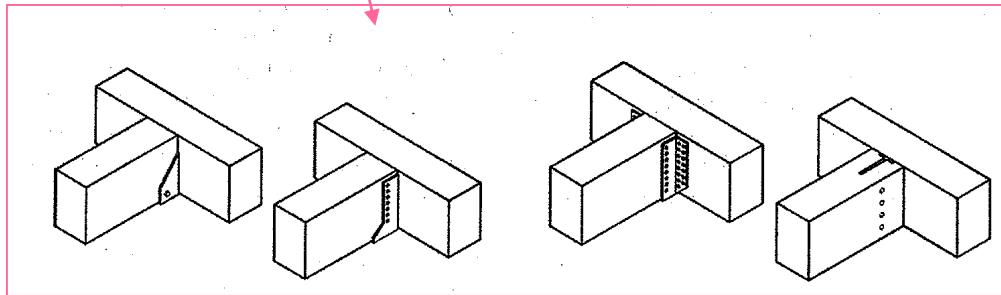
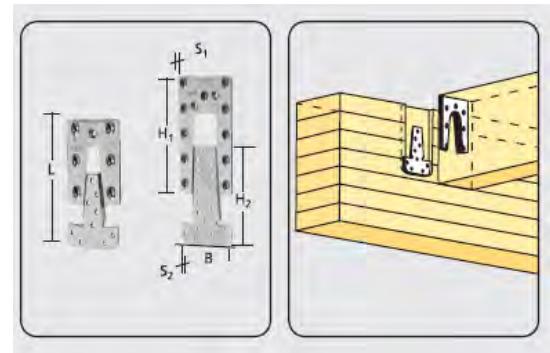
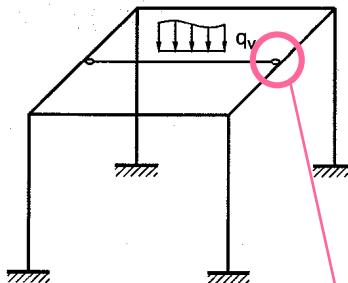
- Shear forces



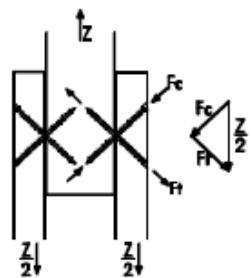
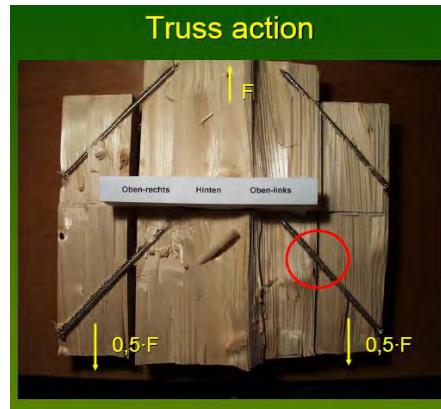
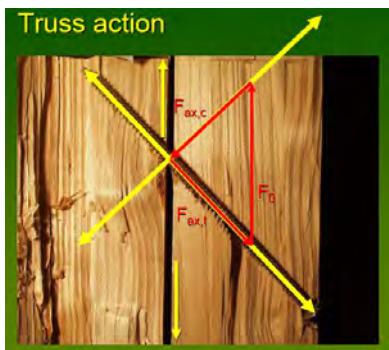
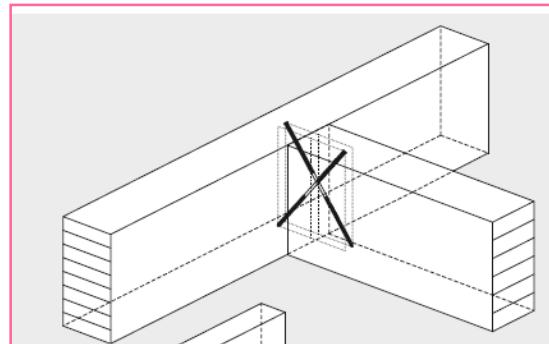
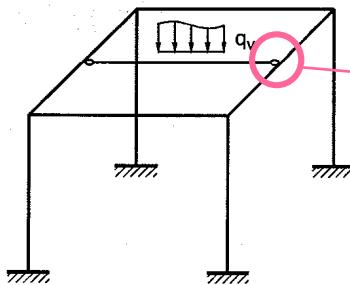
- Moments



Hinged (pinned) connection between beams

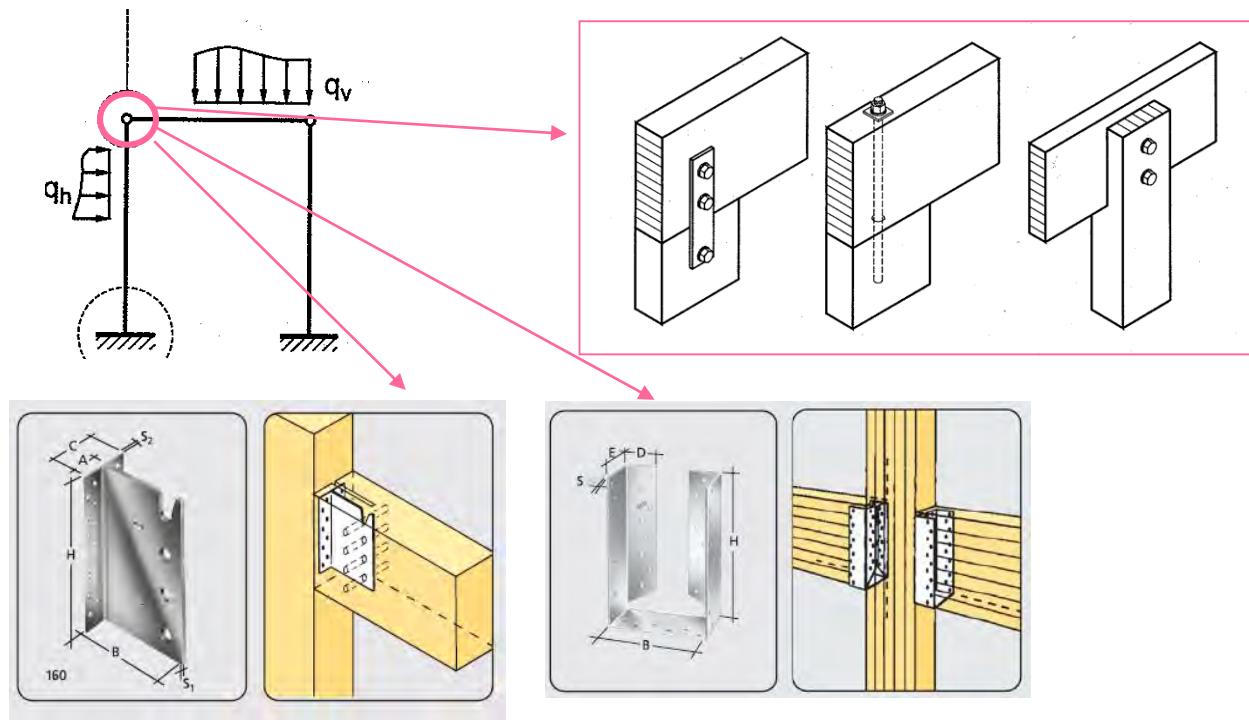


Hinged (pinned) connection between beams

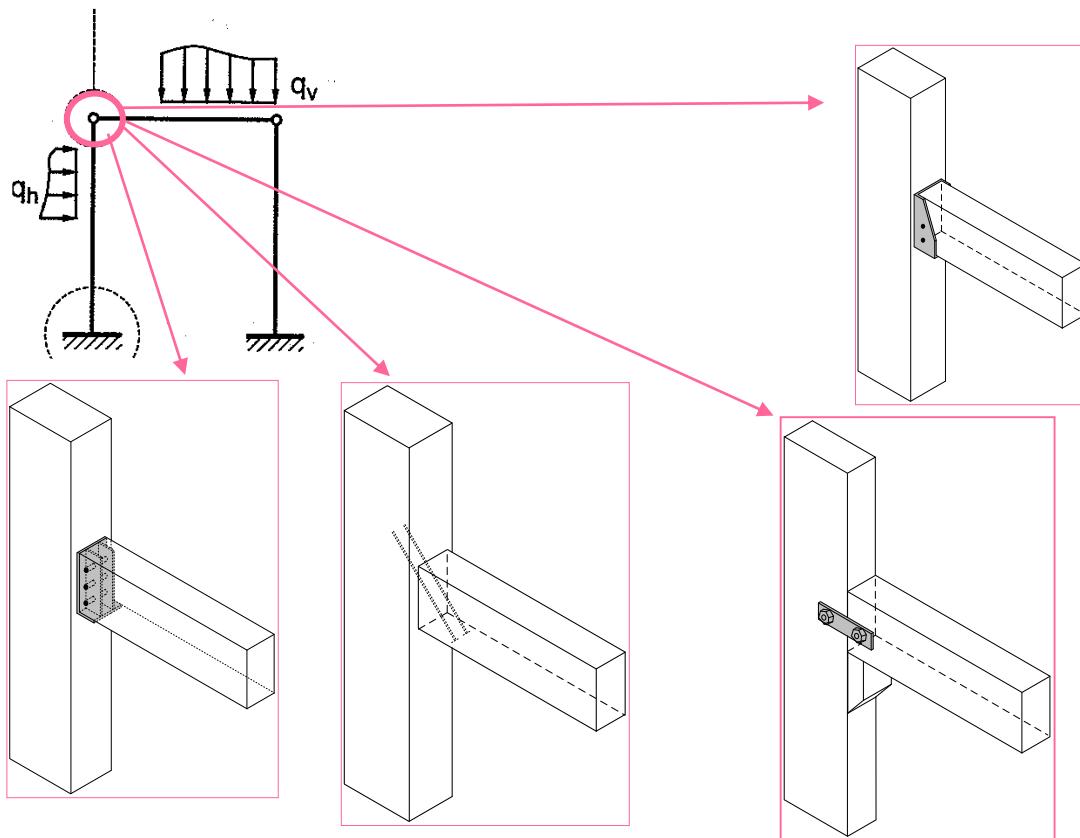


Source: H. J. Blaß

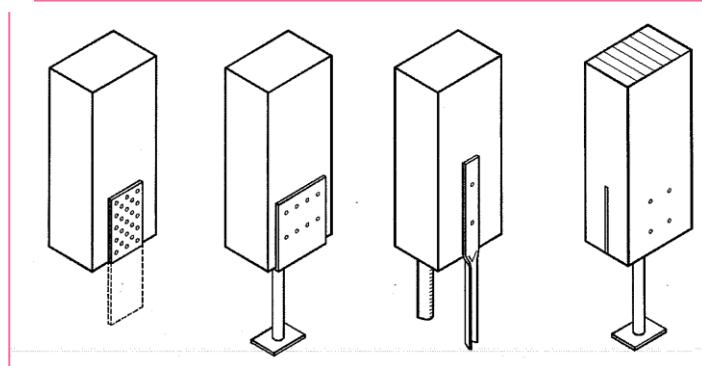
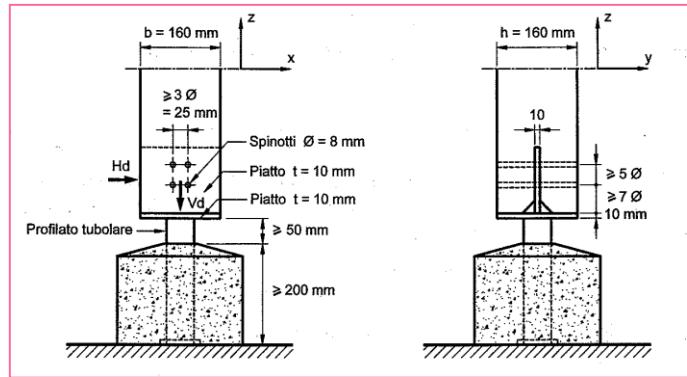
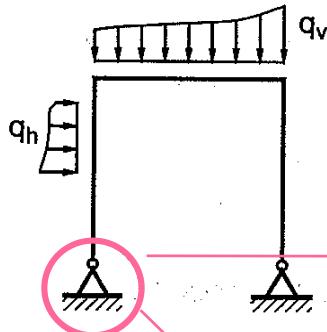
Hinged (pinned) connection between beams



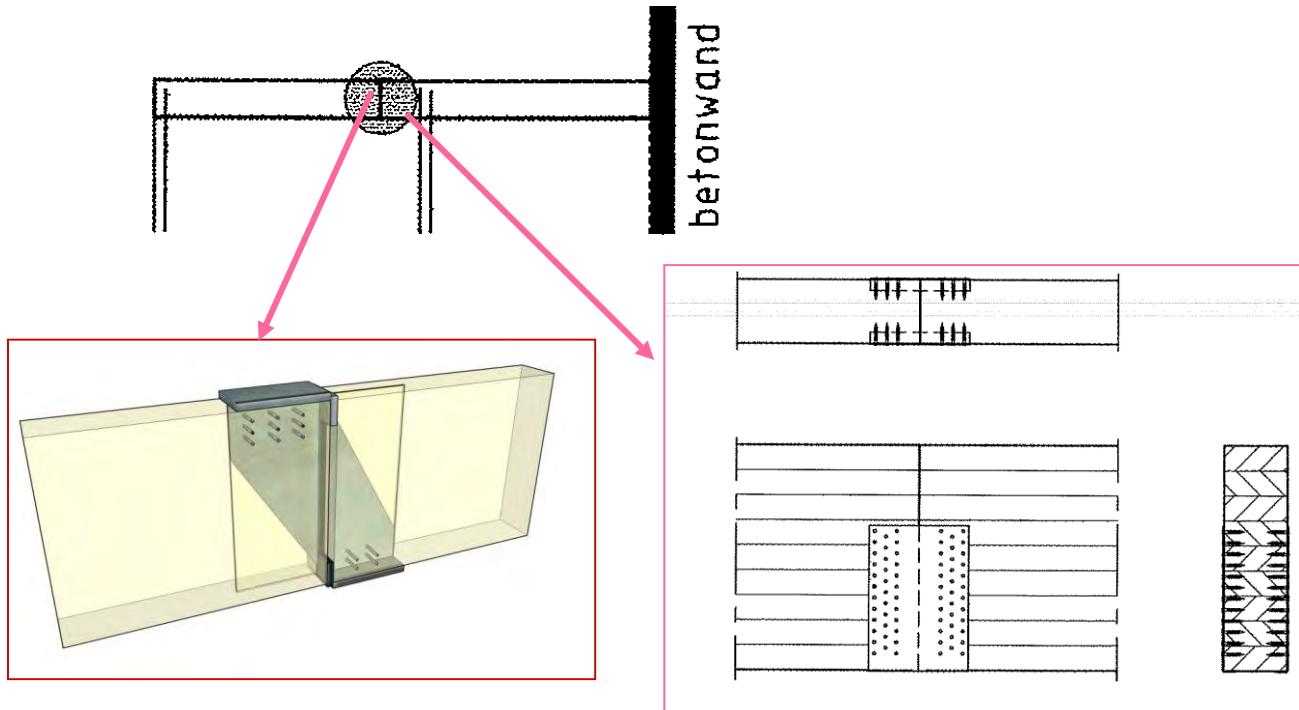
Hinged (pinned) connection between beams



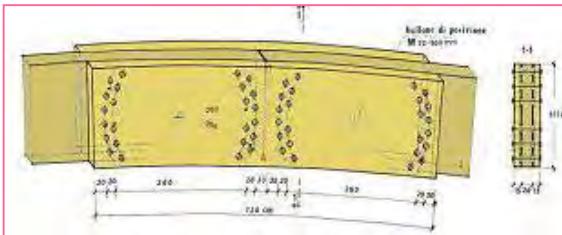
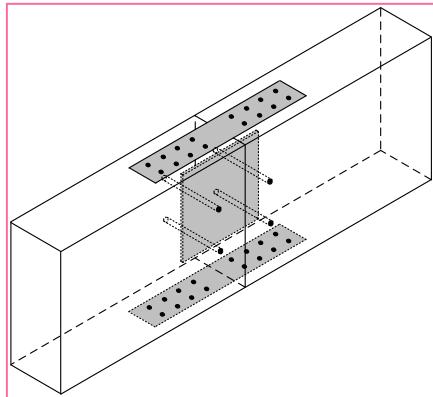
Hinged connection at the base of a column



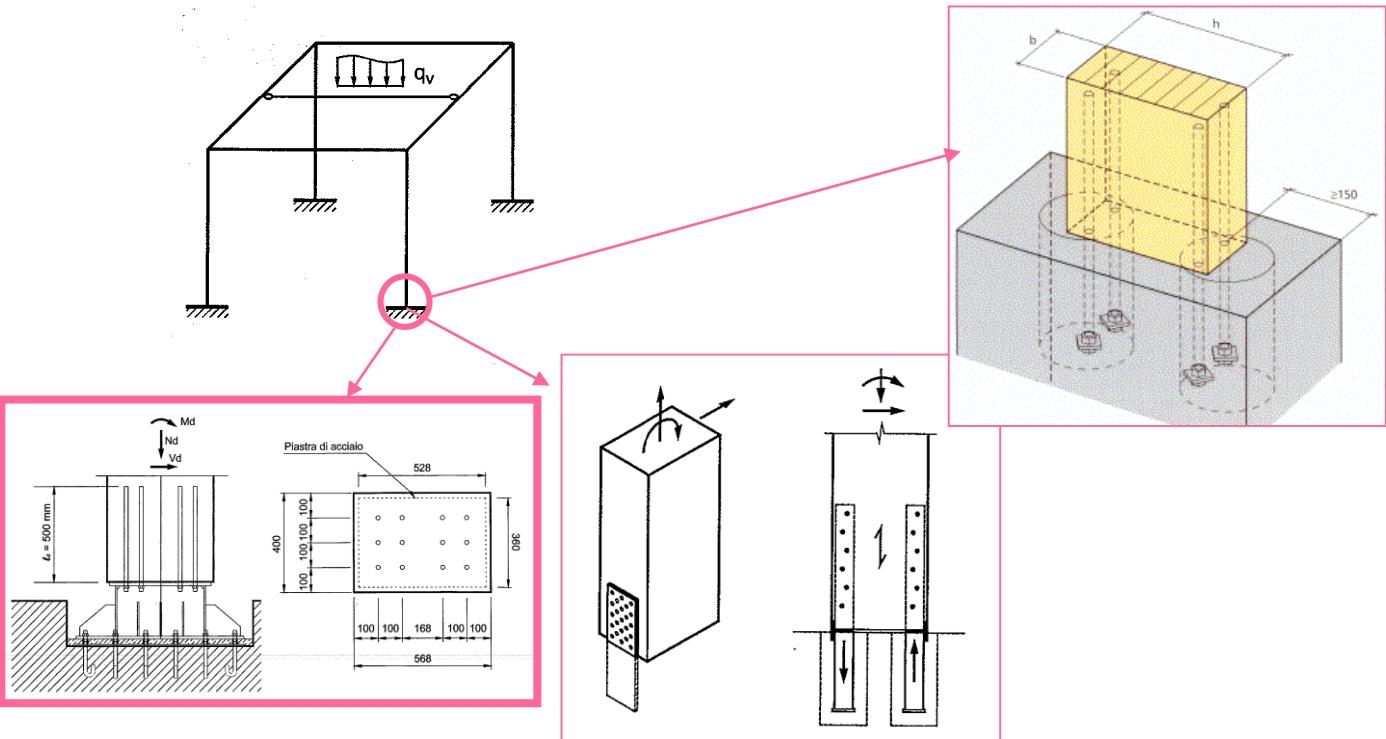
Gerber hinge



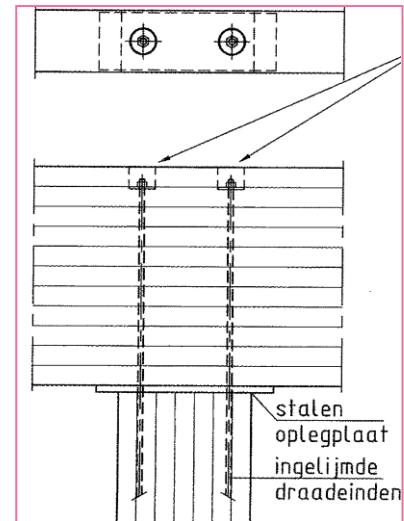
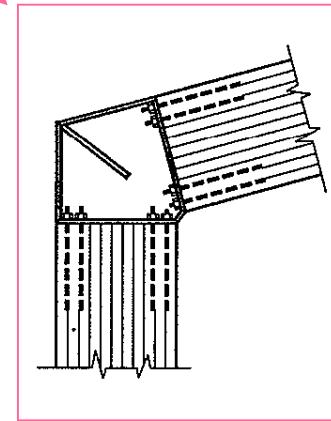
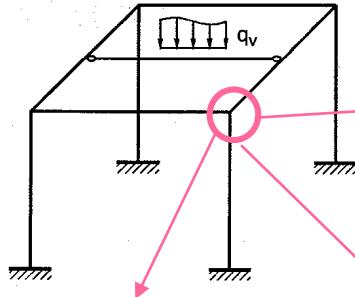
Moment resistant connection, beam-to-beam



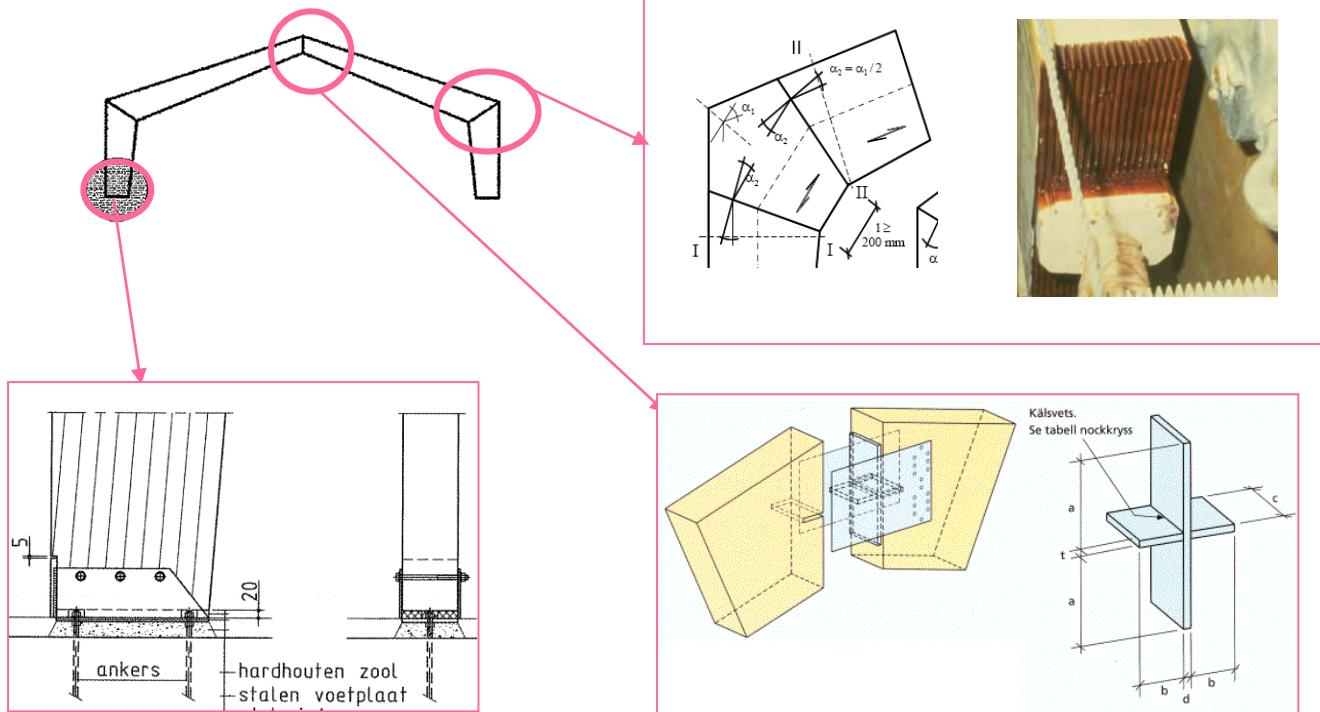
Moment resistant connection, at the base of a column



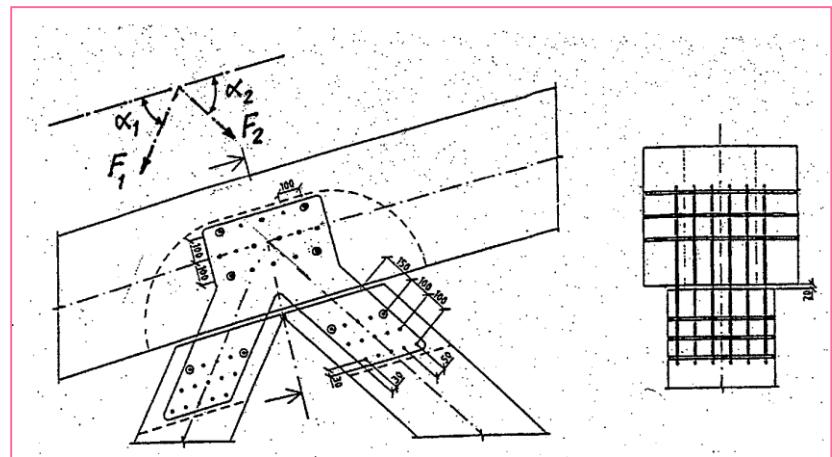
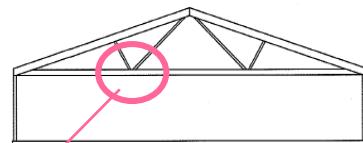
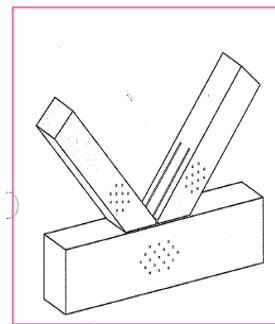
Moment resistant connection, beam-to-column



Connections in a three-hinge portal frame



Node in a truss



"Real hinges" (suitable for large structures)

- Bridge at Branäs, total length 130 m



"Real hinges" (suitable for large structures)

- Bridge at Branäs, total length 130 m

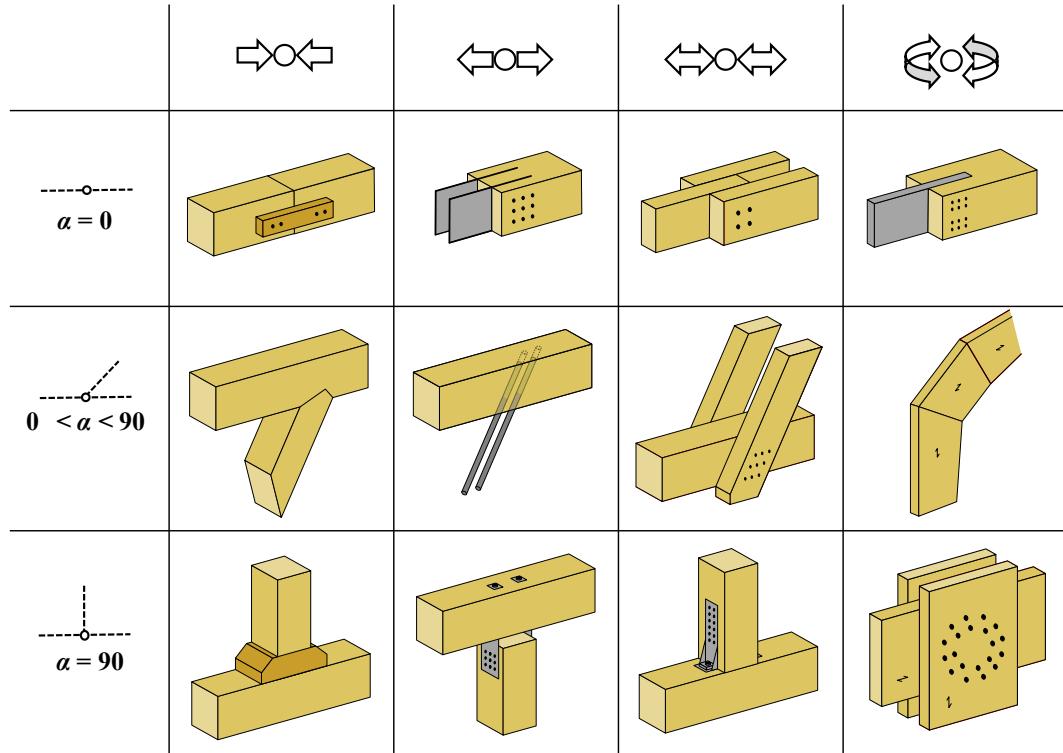


Abutment



Crown

Loading conditions on connections



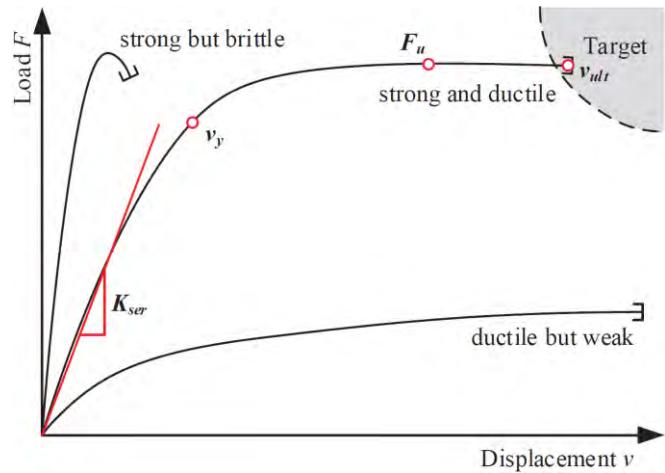
Requirements on connections

Basic requirements

- high load-carrying capacity
- high stiffness
- sufficient ductility and robustness

Additional requirements

- Durability and controlled quality
- Fire resistance
- Ease of manufacturing
- Simplicity of design
- Costs
- etc.



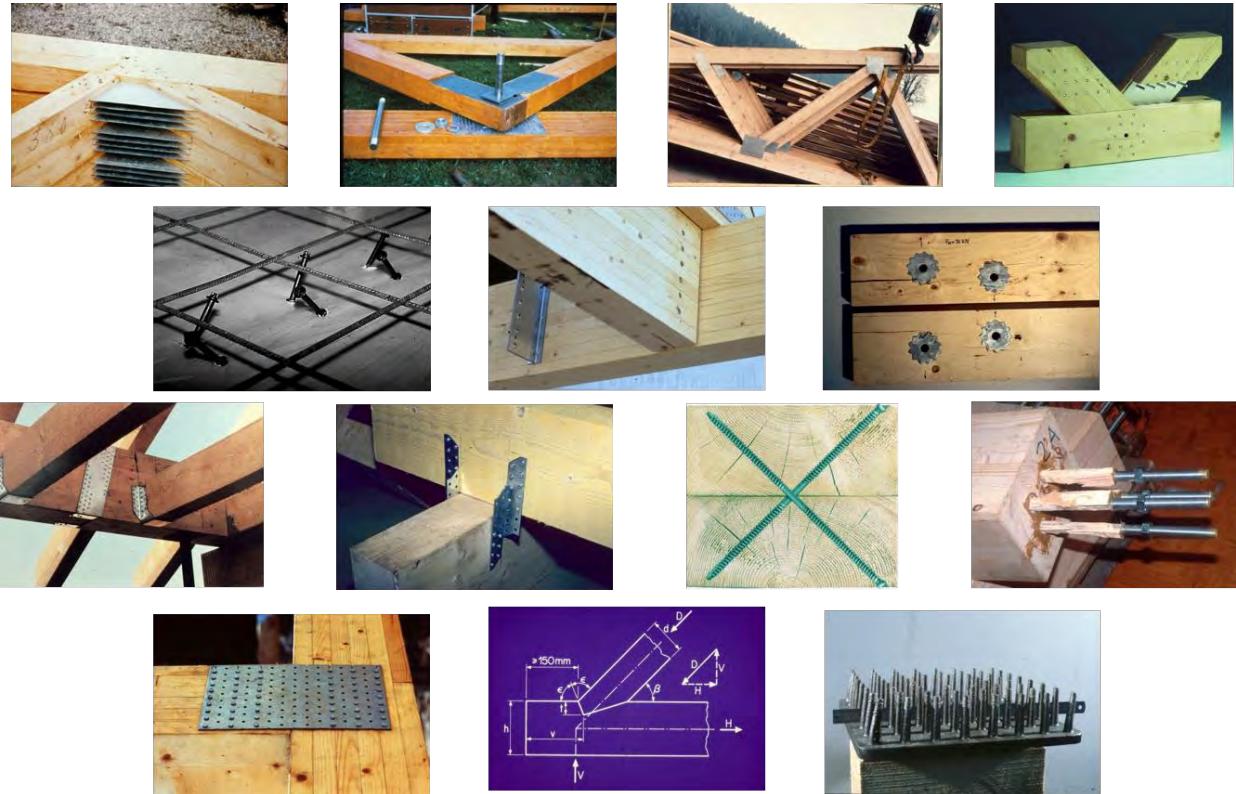
Source: adapted Haller, P. (1998)

Joints in general

Some remarks:

- Joints are the weak links in the structure, expensive to make and time consuming
- The simpler the joint and fewer the number of joints, the better is the structural behavior
- Keep it simple!!

Overview



Type of joints

Timber connections

- Traditional or carpentry joints
- Modern timber connections

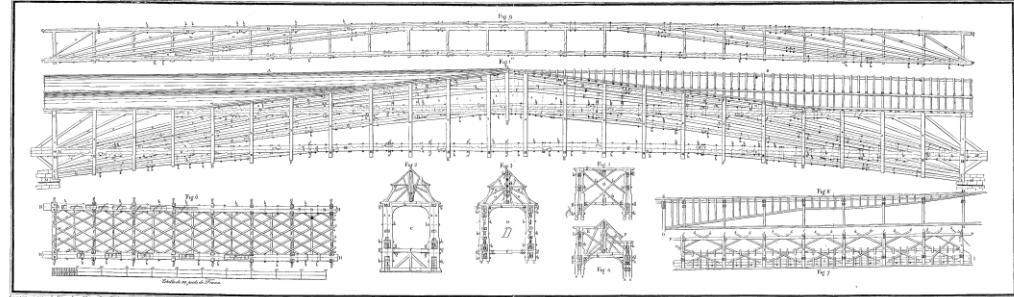
Connections with fasteners

- Dowel-type fasteners
- Ring, toothed plate and shear connection
- Punched metal plate

Glued connections

- Glued joint
- Glued-in rods

Abb. 1. Limmatbrücke bei Wettingen von Johann Ulrich Grubenmann. 1754—1756.



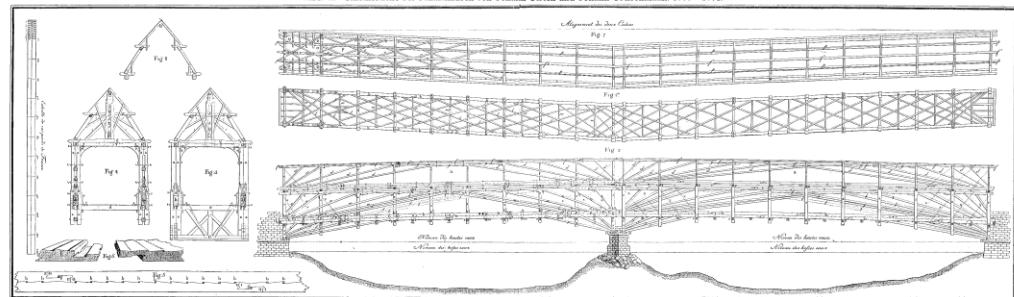
PLAN, COUPE ET ÉLEVATION DU PONT DE BOIS SUR LA LIMMAT, AU PIED DE L'ABBAYE DE WETTINGEN.

Ce pont en bois fut construit par l'abbé Johann Ulrich Grubenmann, au pied de l'abbaye de Wettingen, dans le canton d'Argovie, en Suisse. Il fut érigé dans les années 1754 et 1756, par les soins de l'abbé Johann Ulrich Grubenmann. Ce pont fut construit pour servir de passage à piétons et à chevaux, et il fut destiné à remplacer un autre pont qui avait été détruit par une crue de la rivière. Le pont mesure environ 100 mètres de long et 10 mètres de large. Il est construit en bois de chêne et de sapin, et il est soutenu par des piliers en pierre. Le pont a une voûte en berceau et une charpente en forme de toit. Les deux extrémités du pont sont couronnées par des tourelles.

Plan, Durchschnitt und Aufsicht der hölzernen Brücke über die Limmat bey der Klosterrath bei Wettingen.

Diese wunderbare Brücke war von dem Architekten Johann Ulrich Grubenmann aus dem Kanton Aargau erbaut. Sie wurde im Jahr 1754 fertiggestellt. Die Brücke ist 100 Meter lang und 10 Meter breit. Sie besteht aus Holz und ist durch Pfeiler gestützt. Die Brücke hat eine gewölbte Decke und eine steile Dachfläche. Die Brücke ist ein Meisterwerk der Holzkonstruktion und eine wichtige Landmarke im Kanton Aargau.

Abb. 2. Rheinbrücke bei Schaffhausen von Johann Ulrich und Johanna Grubenmann. 1777—1778.



PLAN, COUPE ET ÉLEVATION DU FAMEUX PONT DE BOIS DE SCHAFFHOUSE SUR LE RHIN.

Ce pont en bois fut construit par l'abbé Johann Ulrich Grubenmann, au pied de l'abbaye de Schaffhausen, dans le canton d'Argovie, en Suisse. Il fut érigé dans les années 1777 et 1778, par les soins de l'abbé Johann Ulrich Grubenmann. Ce pont fut construit pour servir de passage à piétons et à chevaux, et il fut destiné à remplacer un autre pont qui avait été détruit par une crue de la rivière. Le pont mesure environ 100 mètres de long et 10 mètres de large. Il est construit en bois de chêne et de sapin, et il est soutenu par des piliers en pierre. Le pont a une voûte en berceau et une charpente en forme de toit. Les deux extrémités du pont sont couronnées par des tourelles.

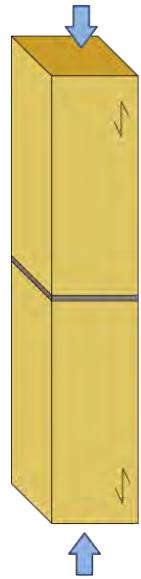
Plan, Durchschnitt und Aufsicht der berühmten Schaffhauser Brücke über den Rhein.

Diese wunderbare Brücke war von dem Architekten Johann Ulrich Grubenmann aus dem Kanton Aargau erbaut. Sie wurde im Jahr 1777 fertiggestellt. Die Brücke ist 100 Meter lang und 10 Meter breit. Sie besteht aus Holz und ist durch Pfeiler gestützt. Die Brücke hat eine gewölbte Decke und eine steile Dachfläche. Die Brücke ist ein Meisterwerk der Holzkonstruktion und eine wichtige Landmarke im Kanton Aargau.

Carpentry connections

Compression joints

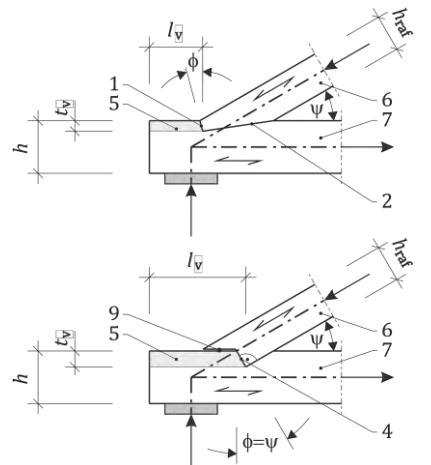
- Compression joints:
 - Butt joints (0°)
⇒ use Hardwood or metal interlayer!
 - Perpendicular to grain joints (90°)
⇒ use sufficient support area!
 - Step & carpentry joints (inclined)



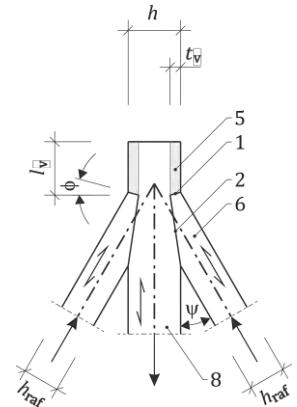
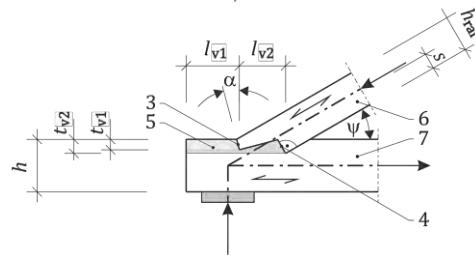
Carpentry connections

Layouts

- Single step joints



- Double step joints

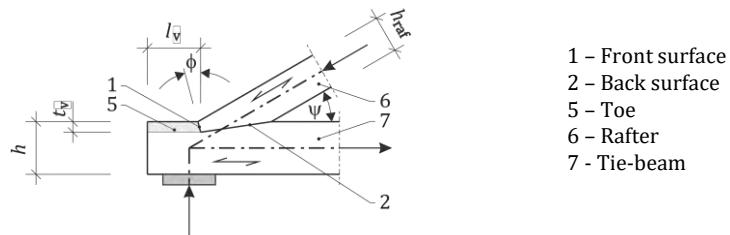


- 1 - Front surface
- 2 - Back surface
- 3 - Front surface, front notch
- 4 - Front surface, rear notch
- 5 - Toe
- 6 - Rafter
- 7 - Tie-beam
- 8 - King post
- 9 - Free gap
- 10 - Wedge cut-off (optional)

Carpentry connections

Geometry

- Single step joints



- The front surface angle ϕ should

$$\frac{\psi}{2} \leq \phi \leq \psi$$

- end grain distance $l_v \geq 150\text{mm}$
- Notch depth t_v

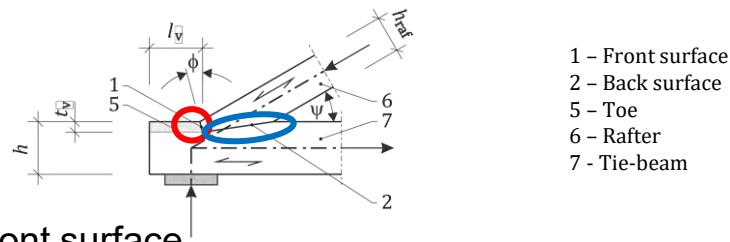
$$t_v \leq \begin{cases} h/4 & \text{if } \psi < 50^\circ \\ h/6 & \text{if } \psi > 60^\circ \end{cases}$$

- 1 – Front surface
- 2 – Back surface
- 5 – Toe
- 6 – Rafter
- 7 - Tie-beam

Carpentry connections

Design

- Single step joints



- 1 - Front surface
- 2 - Back surface
- 5 - Toe
- 6 - Rafter
- 7 - Tie-beam

- Normal stress at the front surface

$$\sigma_{c,\alpha,d} \leq f_{c,\alpha,d}$$

$$\frac{N_{raf,Ed} \cos(\psi - \phi) \cos \phi}{b t_v} \leq \frac{f_{c,0,d}}{\frac{f_{c,0,d}}{k_{c,90} f_{c,90,d}} \sin^2 \phi + \cos^2 \phi}$$

- Compression stress at the back surface

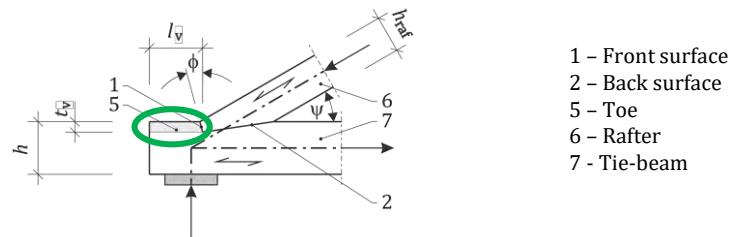
$$\sigma_{c,90,d} \leq k_{c,90} f_{c,90,d}$$

$$\frac{N_{raf,Ed} \sin \psi}{b \left(\frac{h_{raf}}{\sin \psi} - \frac{t_v}{\tan \phi} \right)} \leq k_{c,90} f_{c,90,d}$$

Carpentry connections

Design

- Single step joints



- Shear resistance parallel to grain

$$\sigma_{v,d} \leq f_{v,d}$$

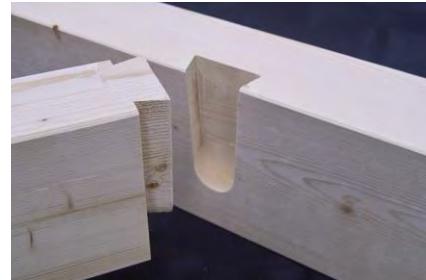
$$\frac{N_{raf,Ed} \cos \psi}{k_{red} b l_{v,ef}} \leq f_{v,d}$$

with $k_{red} = \begin{cases} 0,6 & \text{for sawn timber} \\ 0,8 & \text{for glulam} \end{cases}$

$$l_{v,ef} = l_v \leq 8t_v$$

Compression joints

- Compression joints:
 - Butt joints (0°)
⇒ use Hardwood or metal interlayer!
 - Perpendicular to grain joints (90°)
⇒ use sufficient support area!
 - Step & carpentry joints (inclined)
- Tension joints
 - Dovetail joints
 - Special joints



Examples: Vasa Ship - 1628



Modern carpentry joints

- Tamedia Building, Zurich, Switzerland





Connections with metal fasteners

Dowel-type fasteners

- Nails
- Screws
- Dowels
- Bolts
- Nail plates

Dowel-type fasteners

- Nails
 - Brad (dyckert)
 - round nail
 - grooved wire nail (räfflad trådspik)
 - annular ring shanked nail (kamspik)
 - anchor nail (ankarspik)



Dowel-type fasteners

- Nails
 - Grooved wire nail
 - 2" 50mm
 - 3" 75 mm
 - 4" 100 mm
 - 5" 125 mm
 - 6" 150 mm



Marking of nails

- Grooved wire nail Length 150 mm
- Diameter 5,1 mm



Dowel-type fasteners

- Nails are often inserted by means of pneumatic nail-guns



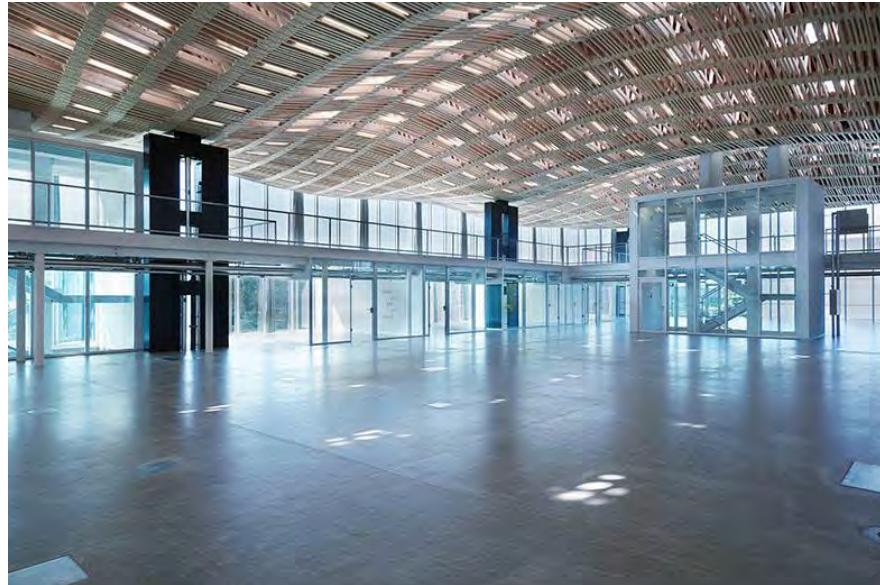
Dowel-type fasteners

- Nails
 - Examples of structures



Dowel-type fasteners

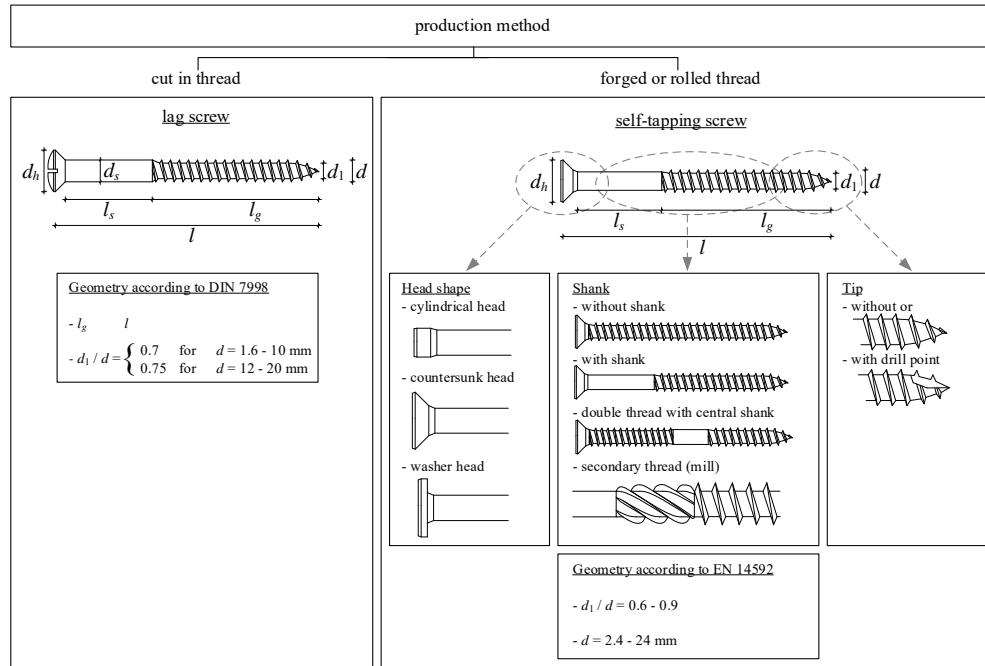
- Nails
 - Examples of structures



Source: Andrea Diglas / ITA/Arch-Tec-Lab AG

Dowel-type fasteners

- Screws



more about screws in lecture 11

Dowel-type fasteners

- Dowel



Source: H. J. Blaß

Dowel-type fasteners

- Dowels (sw. dymlingar)
 - Inserted in pre-drilled holes

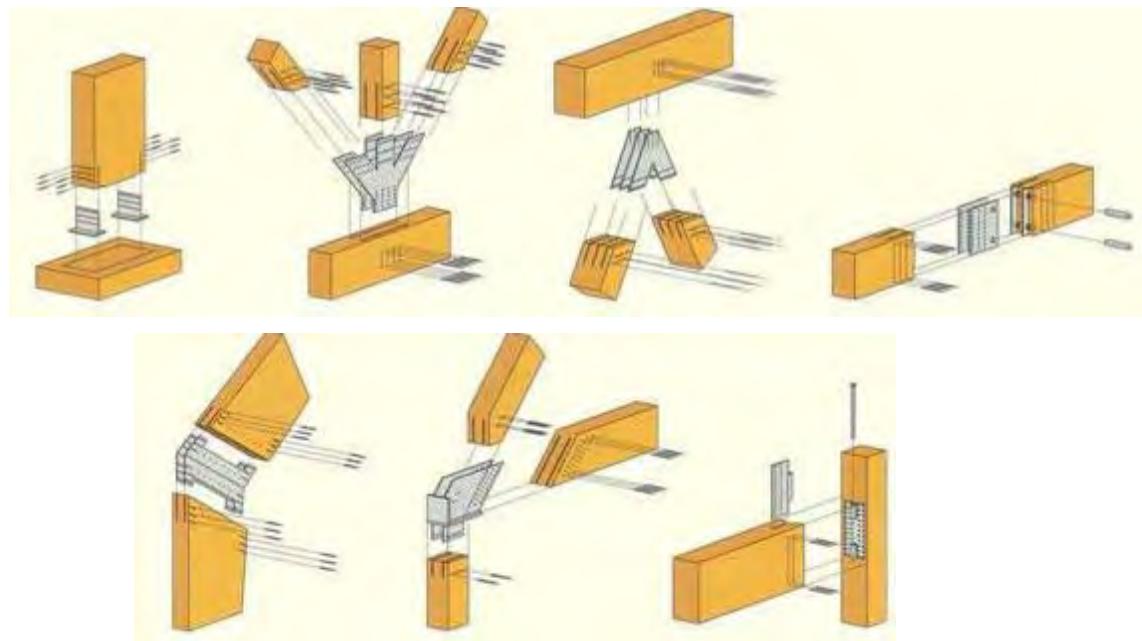


Dowel-type fasteners

- Special dowels
- ($d = 5-7\text{mm}$, can perforate up to 3 plates, $t = 5\text{mm}$)



Some applications of self-drilling dowels



Dowel-type fasteners

- Bolt



Source: H. J. Blaß

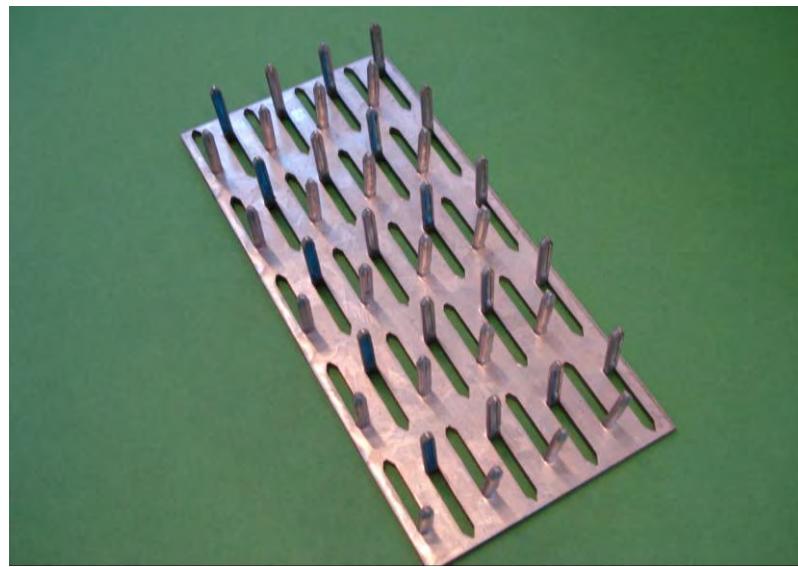
Dowel-type fasteners

- Threaded rod



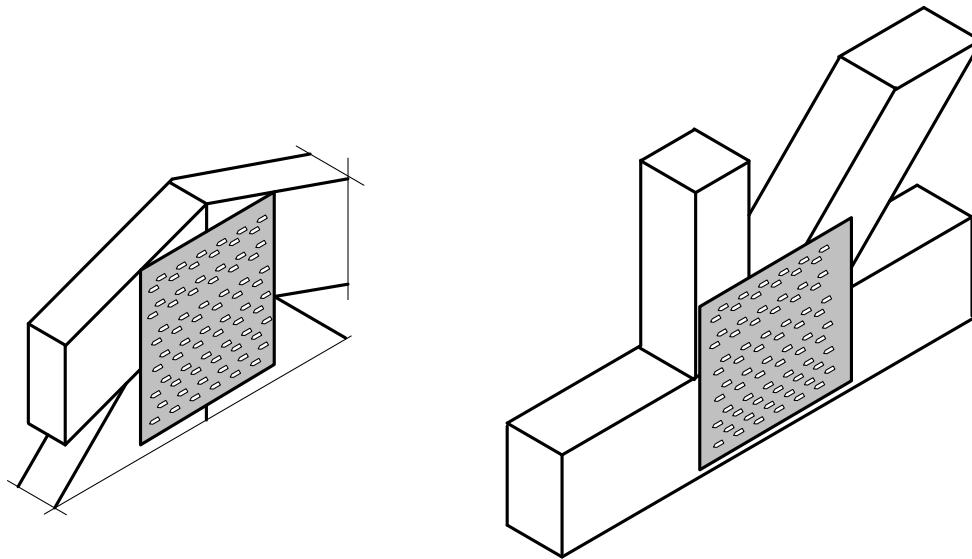
Source: H. J. Blaß

Nail plate



Nail plate

- Transfer load in shear at the surface of two members



Assembly of nail plates



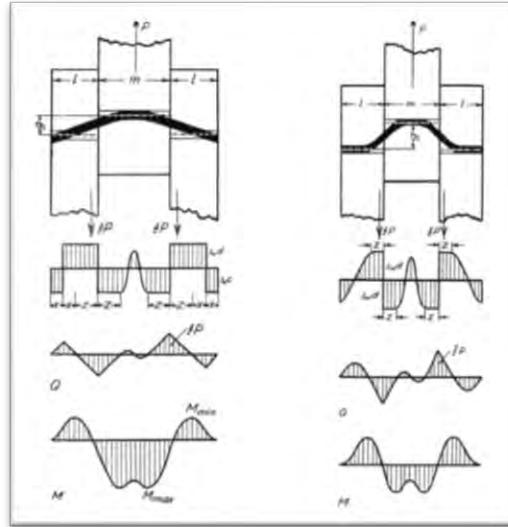
Roof trusses



Source: Derome.se

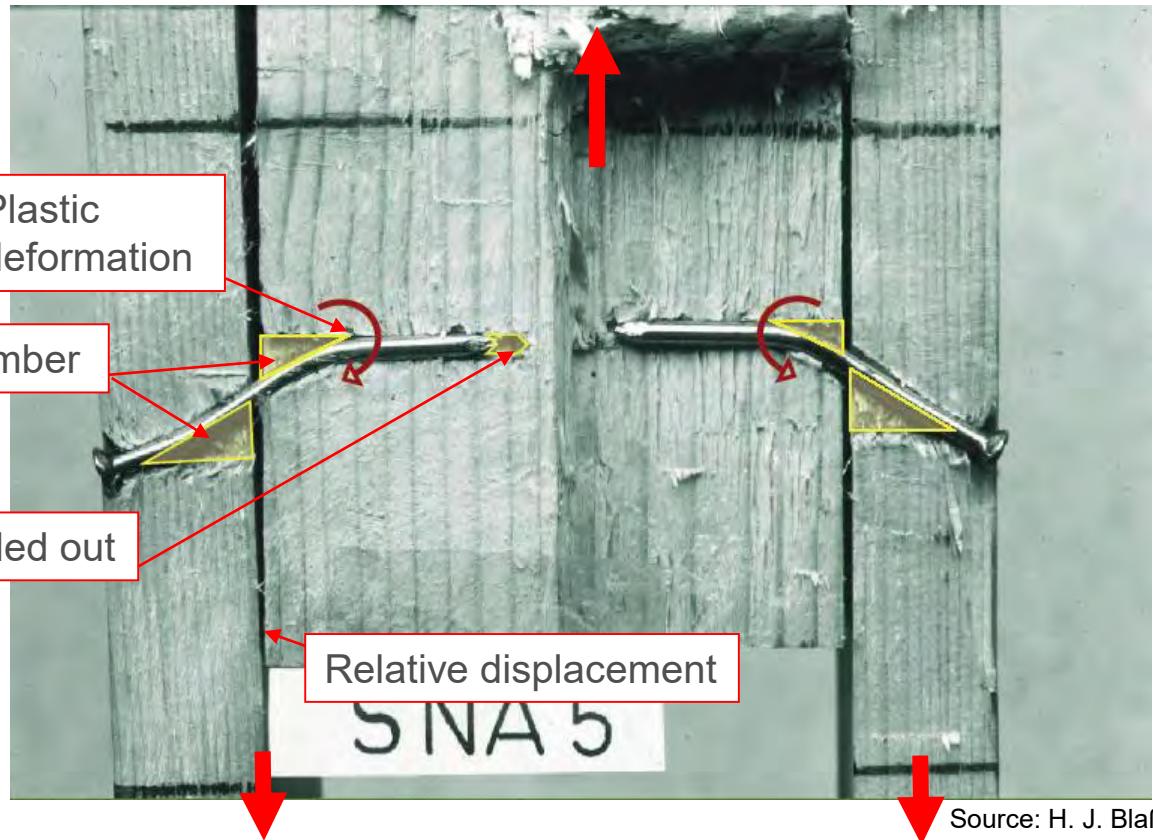
Floor trusses





Load-carrying capacity of dowel-type fasteners

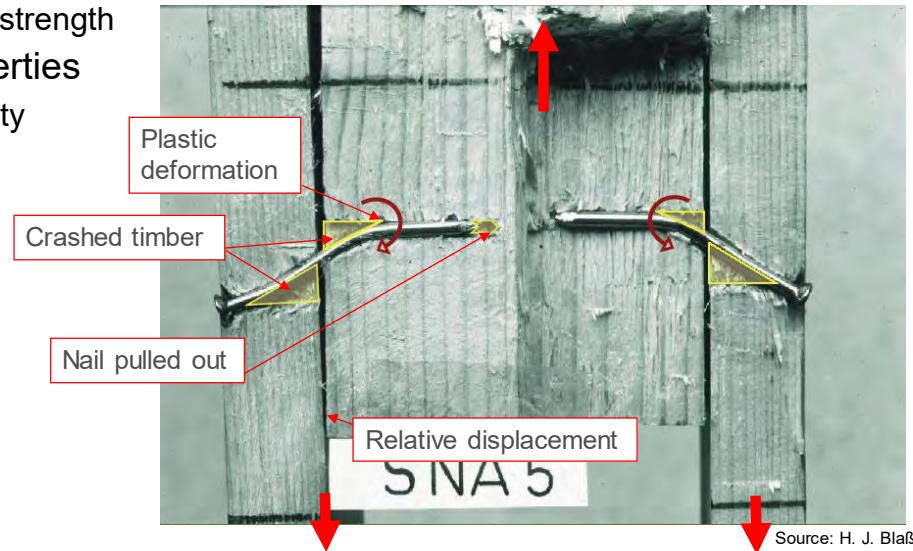
Some preliminary observations



Source: H. J. Blaß

Load-carrying capacity

- To calculate the load-carrying capacity of connections with dowel-type fasteners one needs:
 - Joint geometry
 - Material properties
 - Fastener yield moment
 - Embedding strength
 - Fastener properties
 - Axial capacity



Source: H. J. Blaß

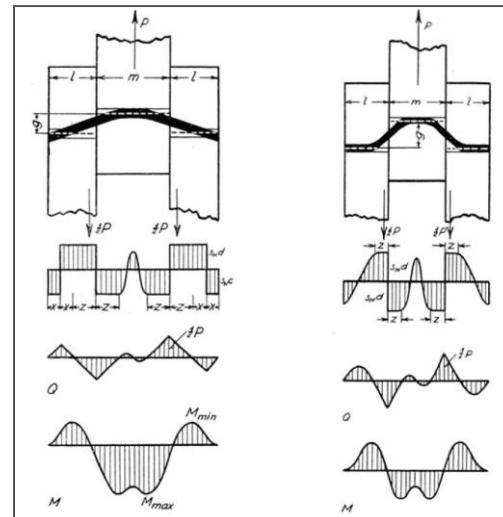
Parameters influencing the load-carrying behavior

- The bending capacity of the dowel (mainly depends on d and f_y)
- Embedding capacity of the timber (primarily depends upon ρ)
- The withdrawal capacity of the fastener
(threaded connectors or connectors with washer and screw head/nut provide higher capacity than smooth fasteners)

Theory for dowel-type fasteners

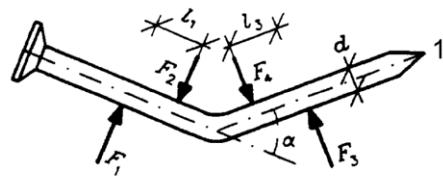
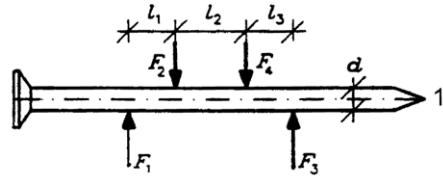
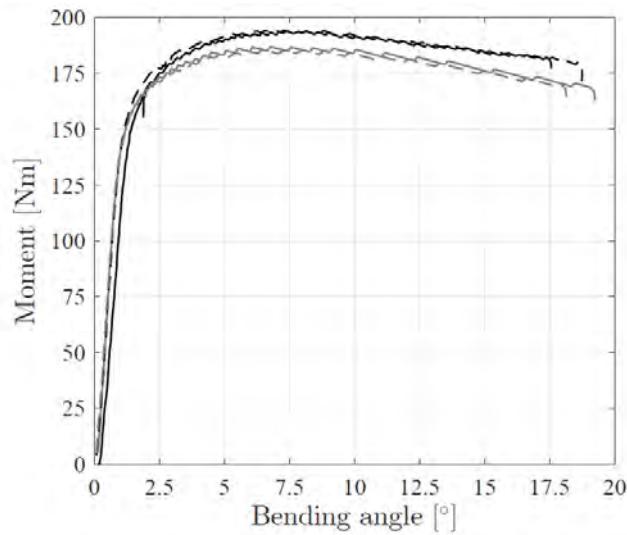
Johansen's yield theory

- Assumptions
 - Rigid-plastic behavior of the fastener in bending
 - Rigid-plastic behavior of the timber in embedding

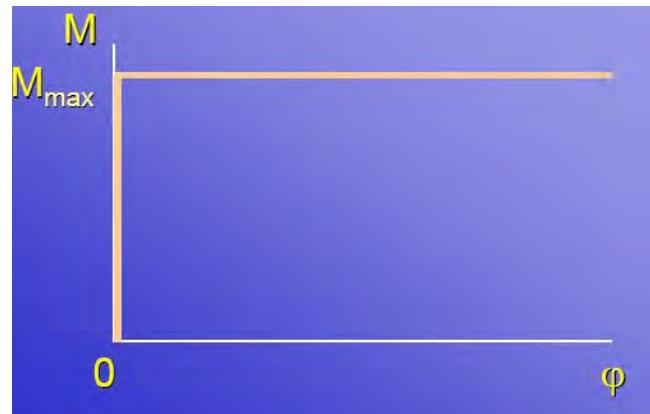
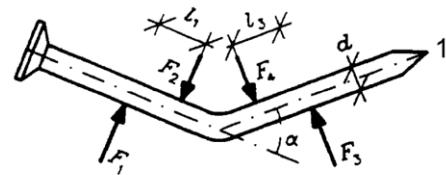
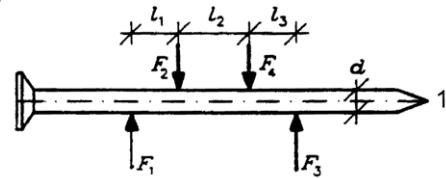


Source: Johansen 1949

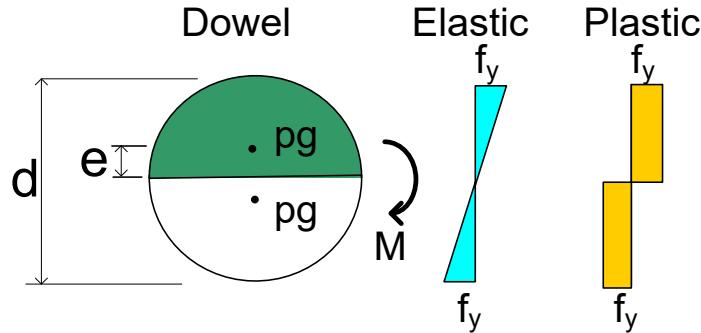
Behaviour of the fastener



Behaviour of the fastener (Johansen)



Bending capacity



- For a half circle:

$$e = \frac{2 \cdot d}{3 \cdot \pi} \quad A = \frac{\pi \cdot d^2}{8}$$

- Two limit cases for the yield moment

$$M_{el} = f_y \cdot W = f_y \cdot \frac{\pi \cdot d^3}{32}$$

$$M_{pl} = f_y \cdot Z = f_y \cdot (A \cdot 2 \cdot e) = f_y \cdot \left(\cdot \frac{\pi \cdot d^2}{8} 2 \cdot \frac{2 \cdot d}{3 \cdot \pi} \right) = f_y \cdot \frac{d^3}{6}$$

Plastic bending capacity

A full yielding of the cross section requires:

- Large strains → large bending angle (up to 45°)
- However, in general, when the connection fails, the bending angle is considerably less than 45°. Therefore, the following formula applies:

$$M_{pl} = 0,3 \cdot f_u \cdot d^{2,6} \text{ (Nmm)}$$

$M_{y,Rk}$	[Nmm]
d	[mm]
f_u	[N/mm ²]

- Definition in Eurocode 5
 - Smooth nails from wire with $f_u > 600 \text{ N/mm}^2$

$$M_{y,Rk} = \begin{cases} 0,3f_ud^{2,6} & \text{for round nails} \\ 0,45f_ud^{2,6} & \text{for square nails} \end{cases}$$

EC5, Eq. 8.14

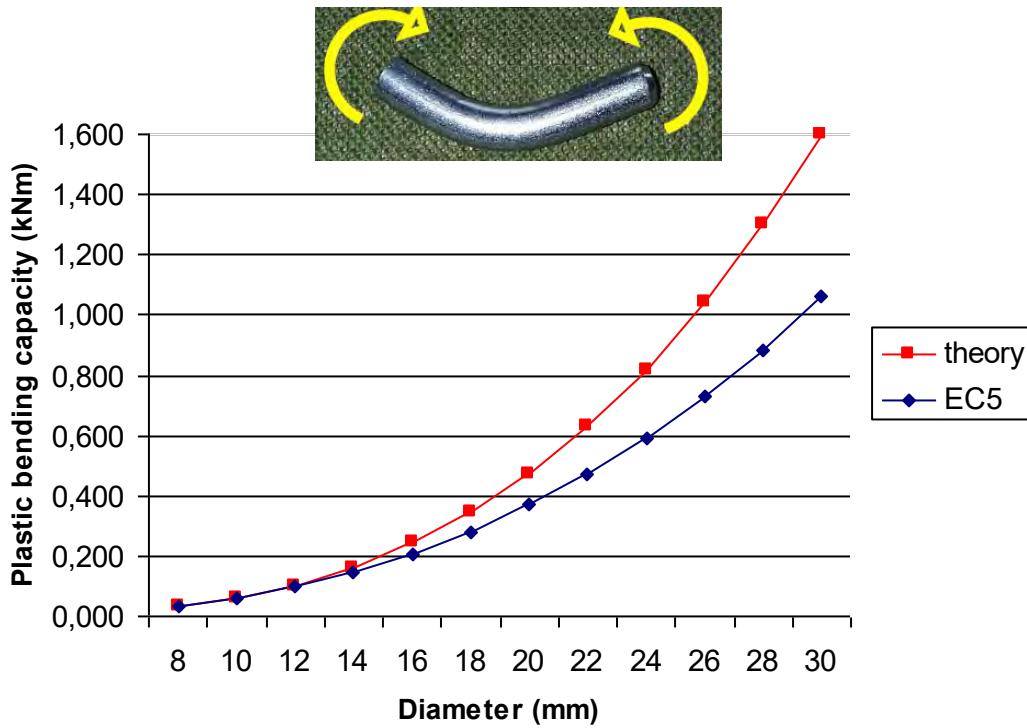
- Dowels, bolts $M_{y,Rk} = 0,3f_{u,k}d^{2,6}$

EC5, Eq. 8.30

- Staples $M_{y,Rk} = 240d^{2,6}$

EC5, Eq. 8.29

Plastic bending capacity



- Assumption: $f_y = 355 \text{ N/mm}^2$, $f_u = 510 \text{ N/mm}^2$

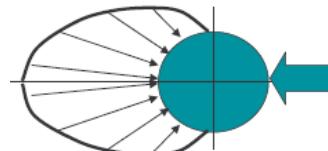
Brittle failure must be avoided!



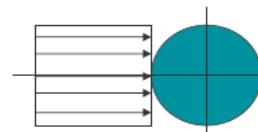
- High strength steels (e.g. 8.8 or 10.9) have a more brittle behaviour than mild steels (e.g. S235, S275 or S355)

Behavior of the timber

- “real” stress distribution



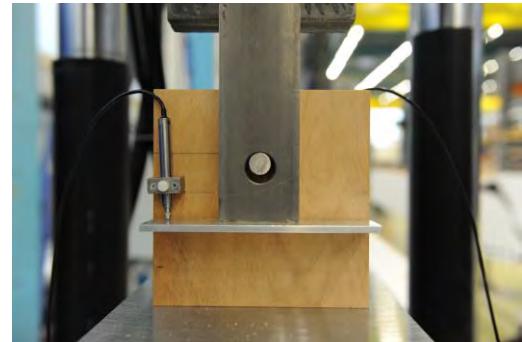
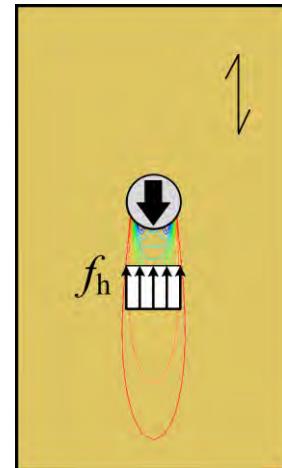
- “assumed” stress distribution



- Embedding strength

$$f_h = \frac{F_u}{d \cdot t}$$

- Is influenced mainly by:
 - d diameter of the fastener
 - ρ density of the wood
 - α direction of the grain



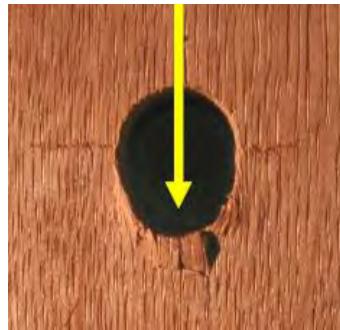
Compression test acc. to EN 383

Behavior of the timber

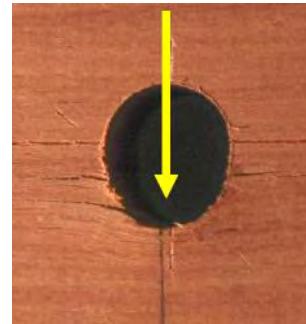
The embedding strength is affected by:

- Direction of the load

// grain



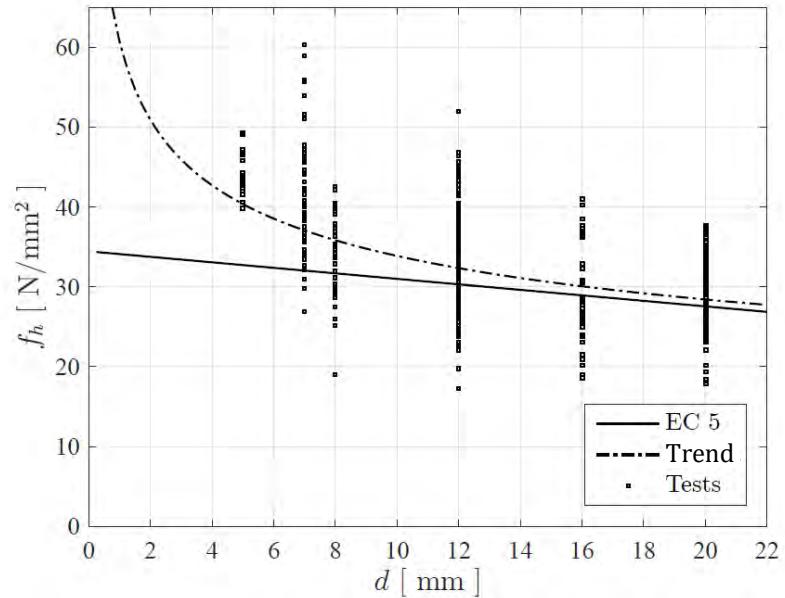
⊥ grain



Behavior of the timber

The embedding strength is affected by:

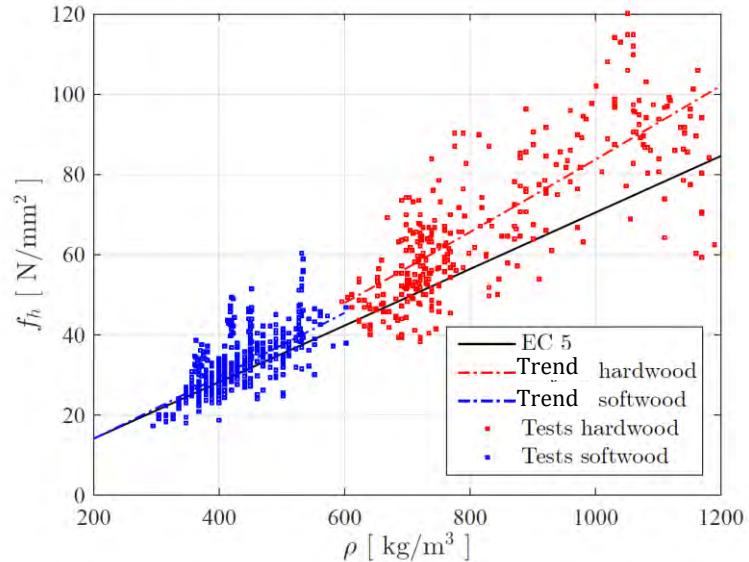
- Diameter of the fastener



Behavior of the timber

The embedding strength is affected by:

- Density of timber



- The higher the density of the wood, the higher embedding strength

Behavior of the timber

- Characteristic embedment strength of timber materials in Eurocode
- Nails:
- for timber and LVL (nails up to 8 mm)

$$\bullet f_{h,k} = 0,082\rho_k d^{-0,3} \text{ [N/mm}^2\text{]} \quad \text{Without predrilled holes} \quad \text{Eq. 8.15}$$

$$\bullet f_{h,k} = 0,082(1 - 0,01d)\rho_k \text{ [N/mm}^2\text{]} \quad \text{With predrilled holes} \quad \text{Eq. 8.16}$$

- for plywood
 - $f_{h,k} = 0,11\rho_k d^{-0,3} \text{ [N/mm}^2\text{]}$ Eq. 8.20
- for hardboard
 - $f_{h,k} = 30d^{-0,3}t^{0,6} \text{ [N/mm}^2\text{]}$ Eq. 8.21
- for particleboard
 - $f_{h,k} = 65d^{-0,7}t^{0,1} \text{ [N/mm}^2\text{]}$ Eq. 8.22

Behavior of the timber

- The embedding strength is also affected by pre-drilling
- Nails:
 - $f_{h,k} = 0,082\rho_k d^{-0,3}$ [N/mm²] Without predrilled holes Eq. 8.15
 - $f_{h,k} = 0,082(1 - 0,01d)\rho_k$ [N/mm²] With predrilled holes Eq. 8.16



EC5. Eq. 8-15, 8-16

Behavior of the timber

- The embedding strength is also affected by pre-drilling

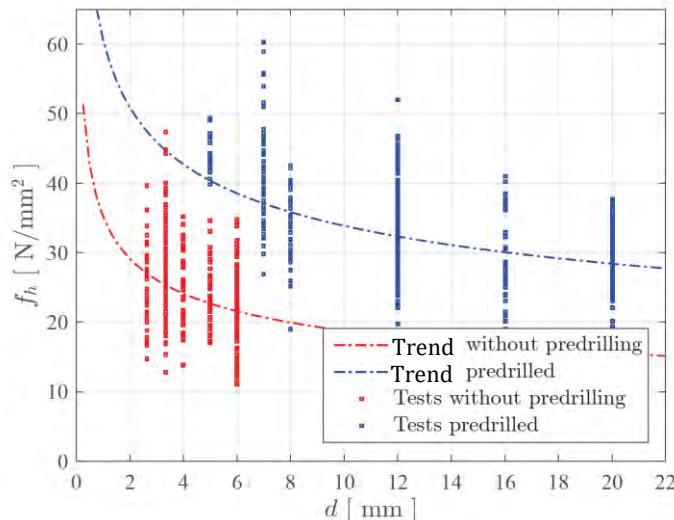
- Nails:

- $$f_{h,k} = 0,082\rho_k d^{-0,3} \text{ [N/mm}^2\text{]} \quad \text{Without predrilled holes}$$

Eq. 8.15

- $$f_{h,k} = 0,082(1 - 0,01d)\rho_k \text{ [N/mm}^2\text{]} \quad \text{With predrilled holes}$$

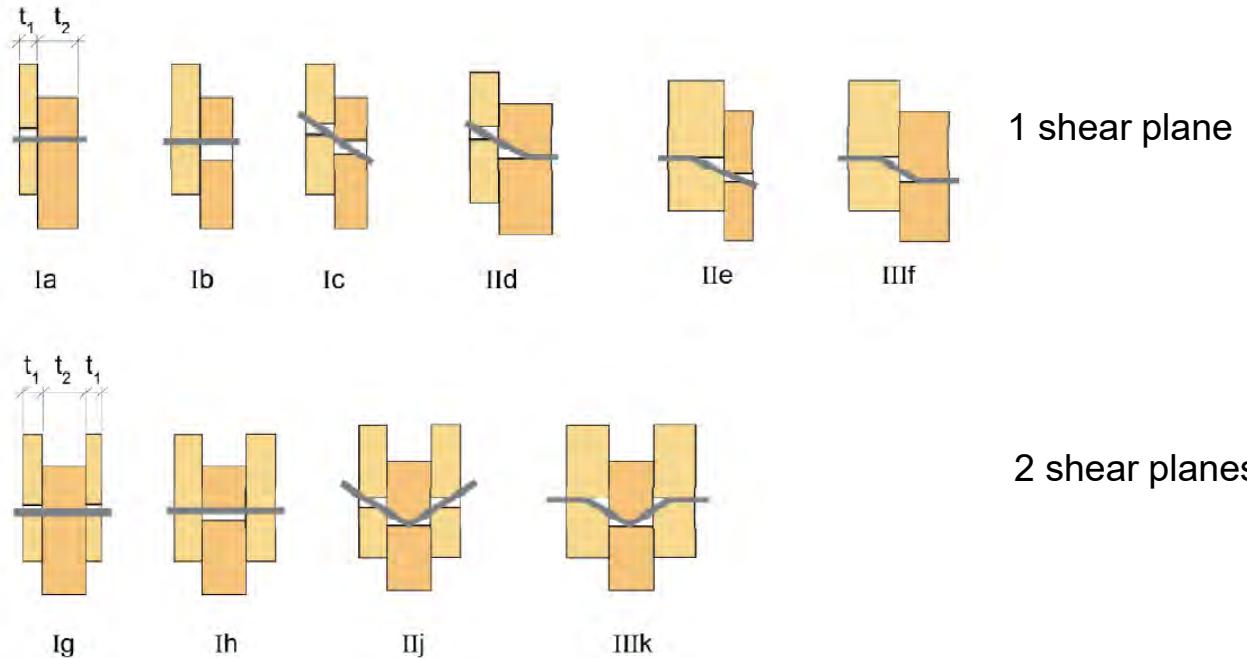
Eq. 8.16



EC5. Eq. 8-15, 8-16

Johansen theory - timber to timber joint

Possible failure modes of dowel-type fasteners

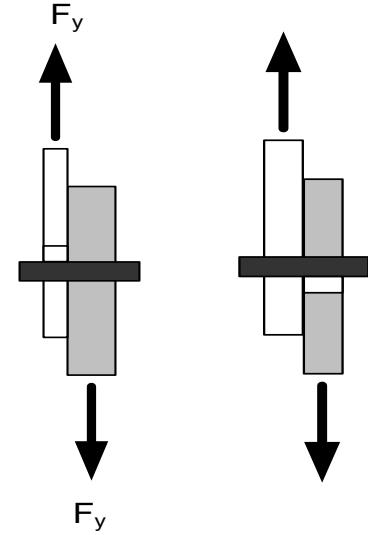


Failure modes a & b

- Failure in timber, either in the first or the second piece

$$F = f_{h1} \cdot t_1 \cdot d$$

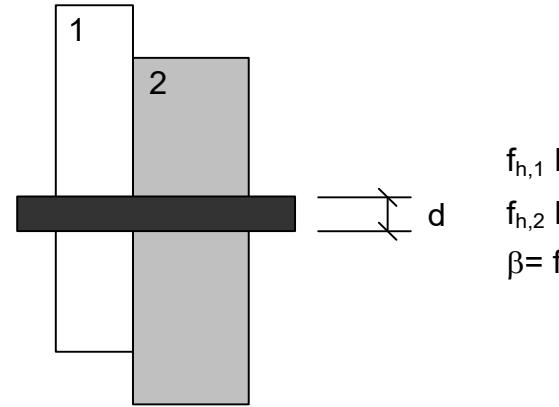
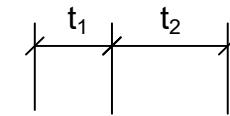
$$F = f_{h2} \cdot t_2 \cdot d$$



Definition

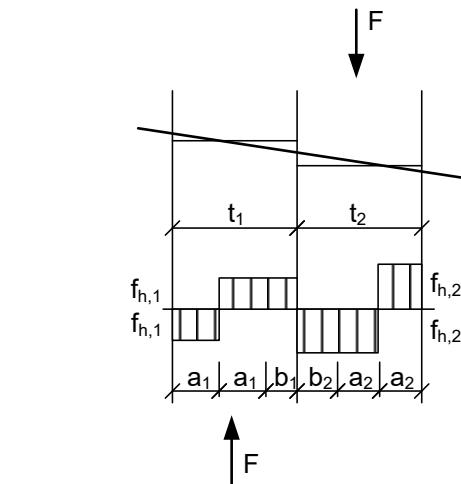
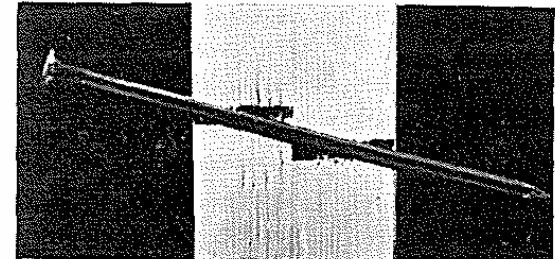
- f_{h1} (f_{h2}) - Embedment strength
in timber 1 (timber 2)

$$\beta = \frac{f_{h2}}{f_{h1}}$$



Failure mode c

- The dowel is stiff and change the angle in relation to timber.
- Embedding failure in one or both pieces of timber



Failure mode c - derivation

- Embedding failure:

$$F_{v,R} = f_{h1}db_1 = f_{h2}db_2 = \beta f_{h1}db_2$$

$$b_1 = \beta b_2$$

- Equilibrium at the interfaces gives

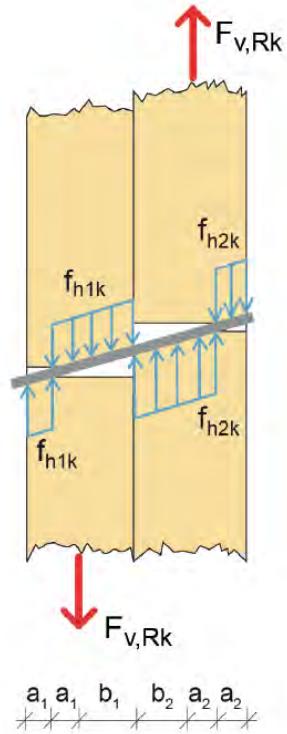
$$M_{left} = f_{h1}d \left(\frac{b_1^2}{2} + a_1 \left(b_1 + \frac{a_1}{2} \right) - a_1 \left(b_1 + \frac{3a_1}{2} \right) \right) = \dots$$

$$\dots = f_{h1}d \left(\frac{b_1}{2} - a_1^2 \right)$$

$$M_{right} = f_{h2}d \left(a_2^2 - \frac{b_2^2}{2} \right) = \beta f_{h1}d \left(a_2^2 - \frac{b_2^2}{2} \right)$$

- Equalling and replacing $b_2 = b_1/\beta$ leads to:

$$\frac{b_1^2}{2} \frac{1 + \beta}{\beta} = \beta a_2^2 + a_1^2$$



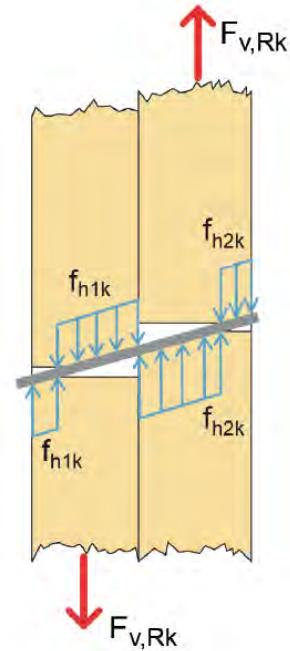
Failure mode c - derivation

- Equalling and replacing $b_2 = b_1/\beta$ leads to:

$$\frac{b_1^2}{2} \frac{1 + \beta}{\beta} = \beta a_2^2 + a_1^2$$

- Expressing $a_1 = (t_1 - b_1)/2$ and $a_2 = (t_2 - b_2)/2$ and substituting a second order equation remains:

$$b_1^2 \left(\frac{1+\beta}{\beta} \right) + 2b_1(t_1 + t_2) - (t_1^2 + \beta t_2^2) = 0$$

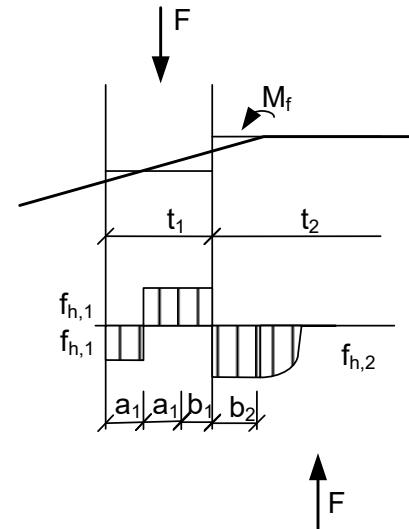
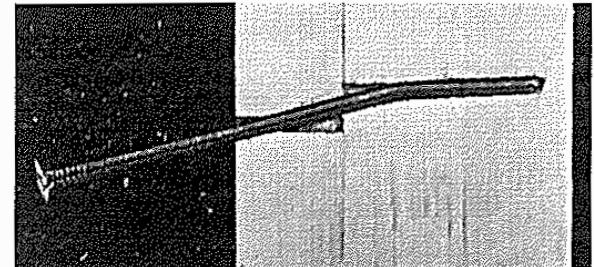


- The solution for b_1 is entered in the expression for $F_{v,R}$

$$F_{v,R} = f_{h1}db_1 = \frac{f_{h1}dt_1}{1 + \beta} \sqrt{\beta + 2\beta^2 \left(1 + \frac{t_2}{t_1} + \left(\frac{t_2}{t_1} \right)^2 \right) + \beta^3 \left(\frac{t_2}{t_1} \right)^2 - \beta \left(1 + \frac{t_2}{t_1} \right)}$$

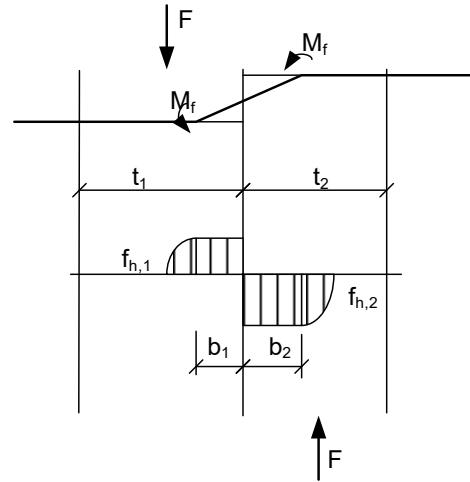
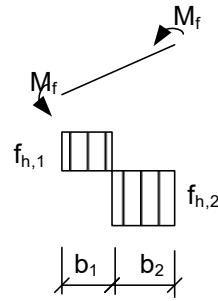
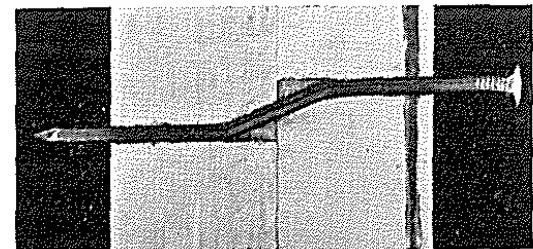
Failure modes d & e

- One plastic hinge occurs



Failure mode e

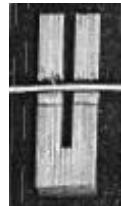
- Two plastic hinges occur in both timber pieces



From brittle to plastic failure

- Example of a connection

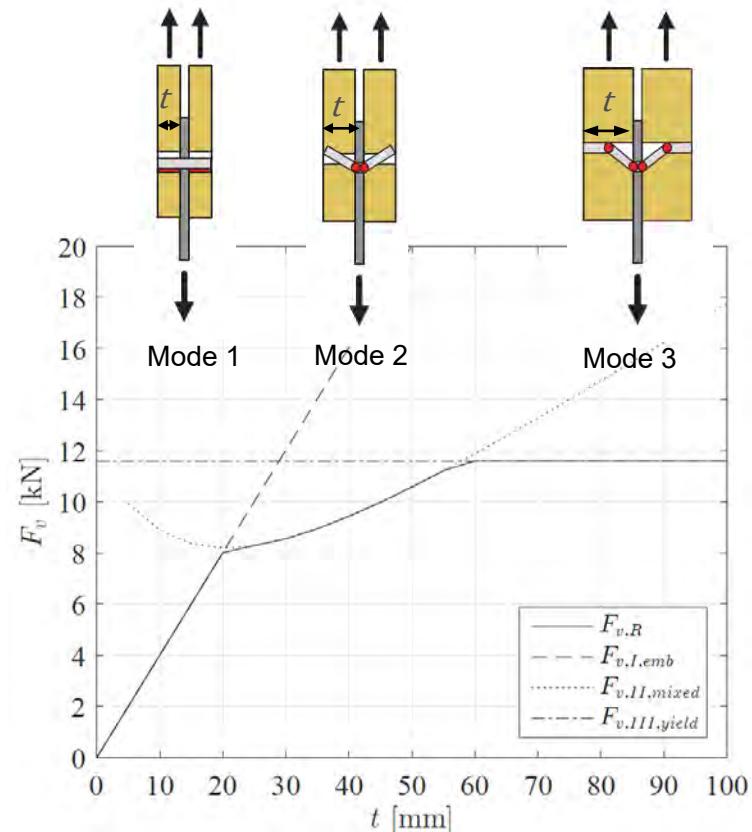
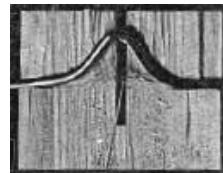
I



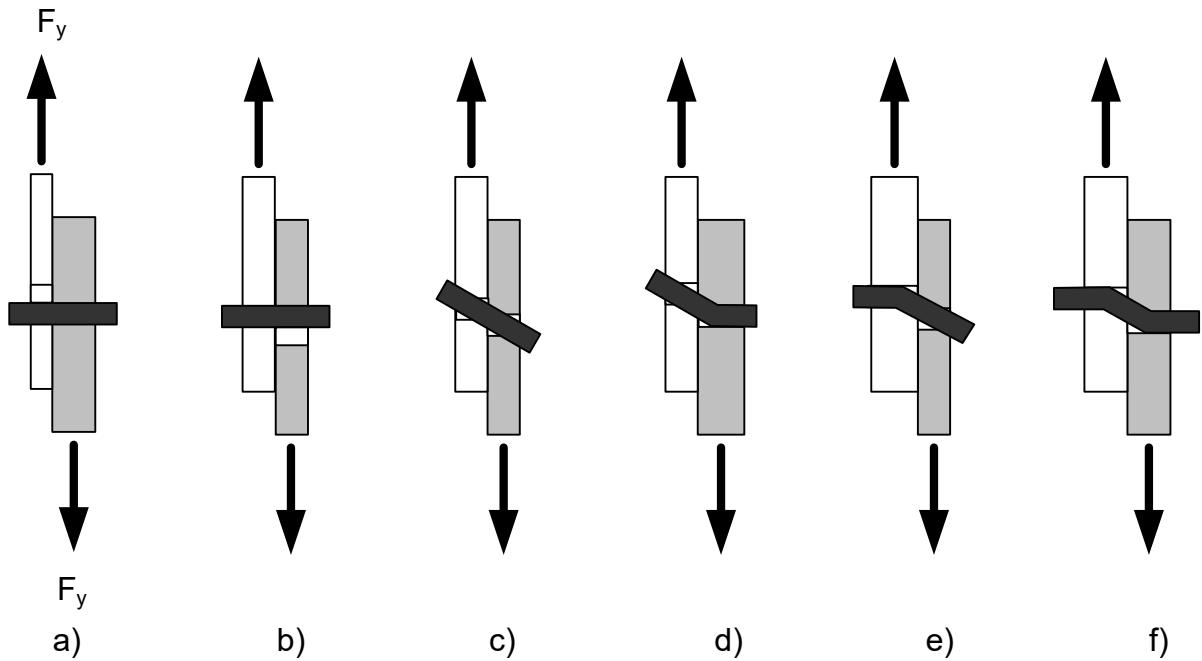
II



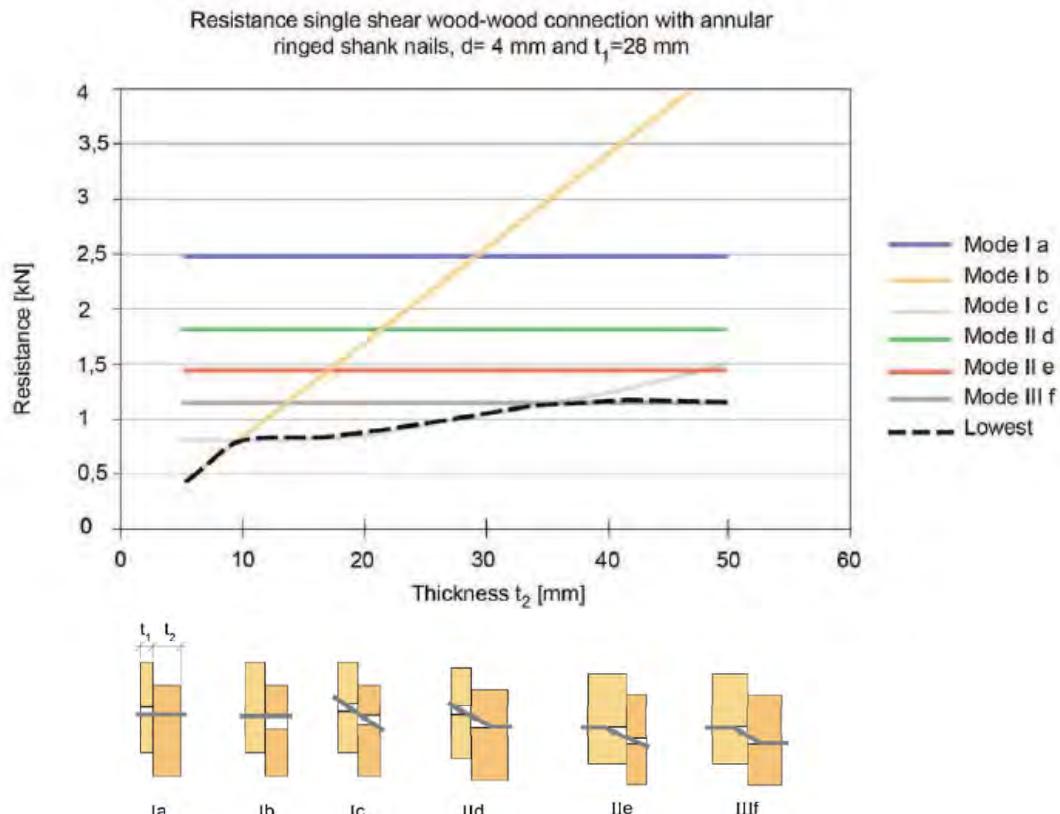
III



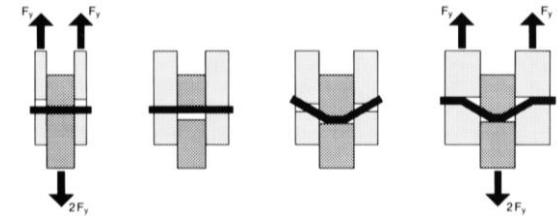
Johansen's equations for one shear plane



Johansen's equations for one shear plane



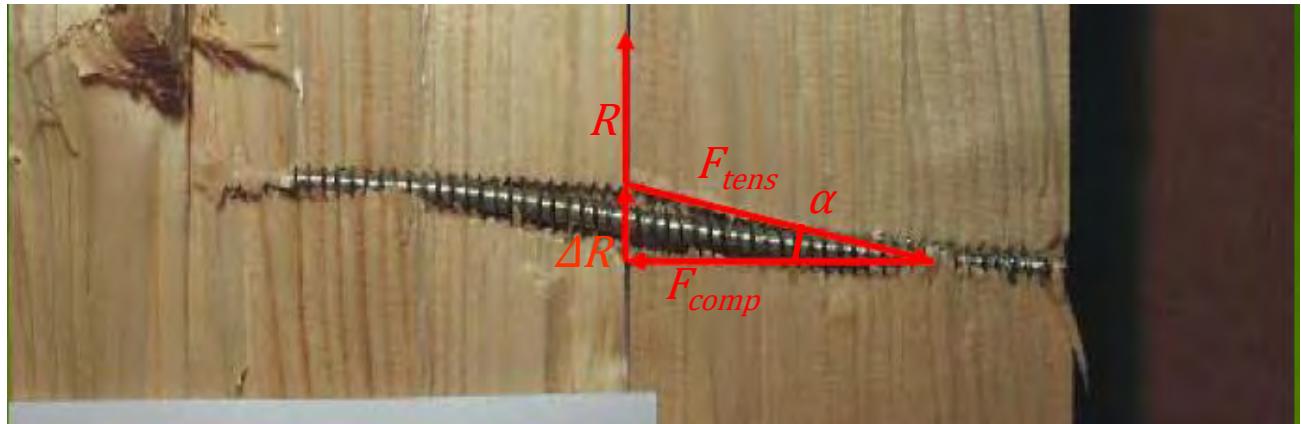
Johansen's equations for two shear planes



$$F_{v,Rk} = \min \begin{cases} f_{h,1,k} t_1 d & (g) \\ 0,5 f_{h,2,k} t_2 d & (h) \\ 1,05 \frac{f_{h,1,k} t_1 d}{2 + \beta} \left[\sqrt{2\beta(1 + \beta)} + \frac{4\beta(2 + \beta)M_{y,Rk}}{f_{h,1,k} d \cdot t_1^2} - \beta \right] + \frac{F_{ax,Rk}}{4} & (j) \\ 1,15 \sqrt{\frac{2\beta}{1 + \beta}} \sqrt{2M_{y,Rk} f_{h,1,k} d} + \frac{F_{ax,Rk}}{4} & (k) \end{cases}$$

What is this term??

Rope effect



- R is the resistance calculated according to “classic Johansen’s theory”
- In the inclined part of the fastener, tensile forces F_{tens} develop due to the angle of rotation α . This give rise to a component \parallel the joint line (ΔR)
- Moreover, the compression force F_{tens} also increases the strength of the connection, due to the friction between the timber parts

$$(\Delta R)_{Tot} = \Delta R + \mu \cdot F_{comp}$$

Rope effect

- $\frac{F_{ax,Rk}}{4}$

is the characteristic axial withdrawal capacity of the fastener divided by 4

- It is the contribution from the rope effect should be limited to the following % of the Johansen part

Round nails	15 %
Square nails	25 %
Other nails	50 %
Screws	100%
Bolts	25 %
Dowels	0 %

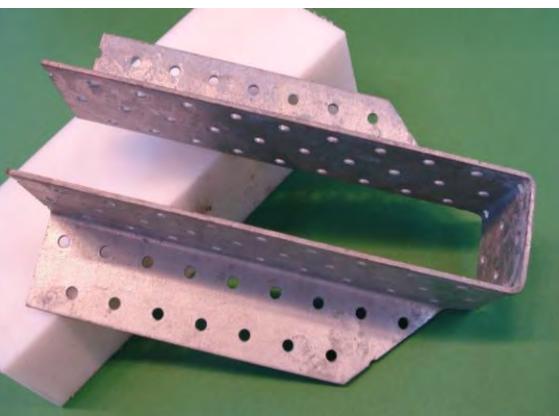
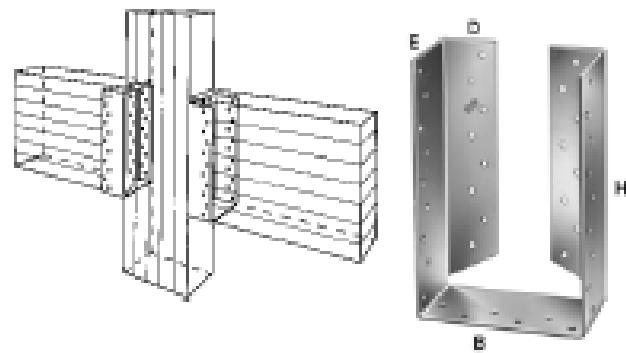
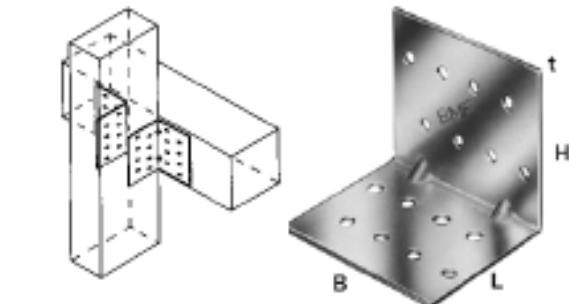
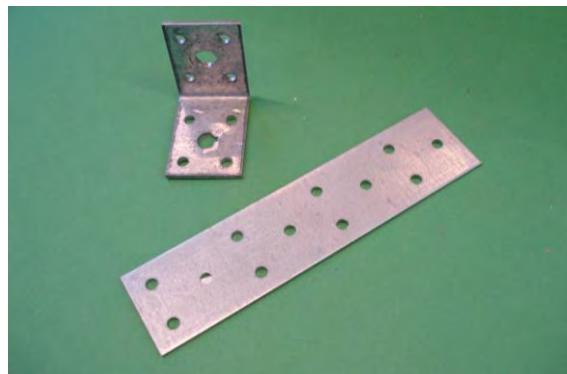
- Be very careful with the increase in strength due to the “rope effect”, especially for nails. The reason is that there are not many test results showing the long term behaviour of such connections

See 4.6.2 in the book



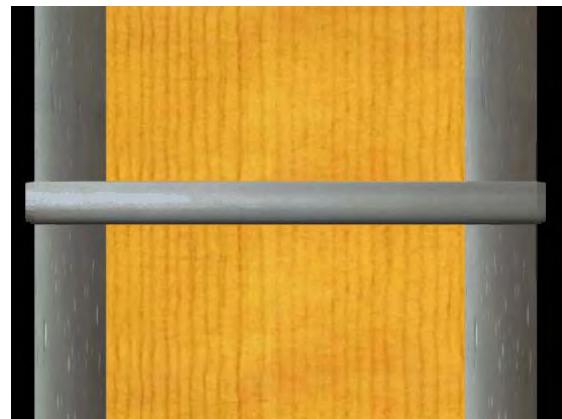
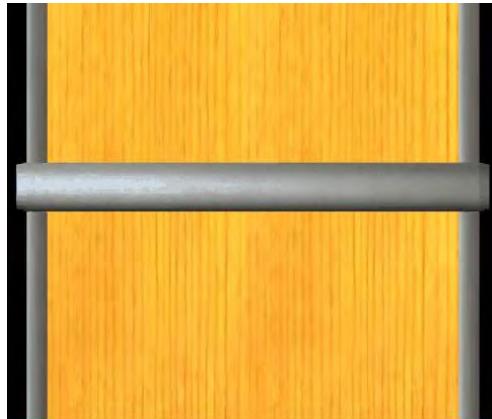
Steel to timber connections

Nailing metals and plates



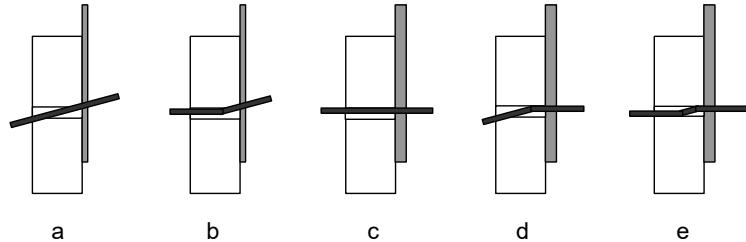
Steel to timber connections

- Steel plates acts as a simple support
- Steel plates provide a clamped support



$$\begin{cases} t \leq 0.5d \Rightarrow \text{thin plate} \\ t > d \Rightarrow \text{thick plate} \end{cases}$$

Steel to timber connections - one shear plane



- Thin plates

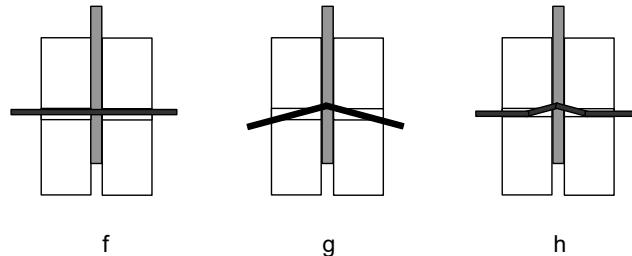
$$F_{v,Rk} = \min \begin{cases} 0,4 f_{h,k} t_1 d \\ 1,15 \cdot \sqrt{2M_{y,Rk} f_{h,k} d} + \frac{F_{ax,Rk}}{4} \end{cases} \quad \begin{matrix} (a) \\ (b) \end{matrix}$$

- Thick plates

$$F_{v,Rk} = \min \begin{cases} f_{h,k} t_1 d \\ f_{h,k} t_1 d \left[\sqrt{2 + \frac{4M_{y,Rk}}{f_{h,k} d t_1^2}} - 1 \right] + \frac{F_{ax,Rk}}{4} \\ 2,3 \cdot \sqrt{M_{y,Rk} f_{h,k} d} + \frac{F_{ax,Rk}}{4} \end{cases} \quad \begin{matrix} (c) \\ (d) \\ (e) \end{matrix}$$

Eq. 8-9 to 8-13

Steel to timber connections - slotted-in plate

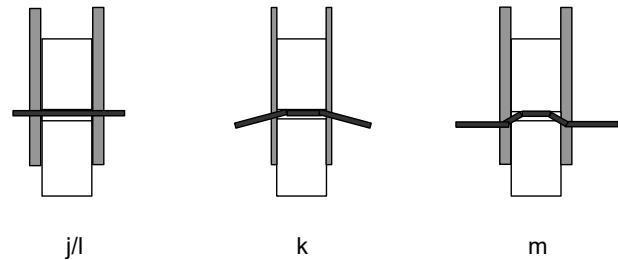


- Thin and thick plates

$$F_{v,Rk} = \min \begin{cases} f_{h,k} t_1 d & (f) \\ f_{h,1,k} t_1 d \left[\sqrt{2 + \frac{4M_{y,Rk}}{f_{h,1,k} dt_1^2}} - 1 \right] + \frac{F_{ax,Rk}}{4} & (g) \\ 2,3 \cdot \sqrt{M_{y,Rk} f_{h,1,k} d} + \frac{F_{ax,Rk}}{4} & (h) \end{cases}$$

Eq. 8-9 to 8-13

Steel to timber connections - two shear plane



- Thin plates

$$F_{v,Rk} = \min \begin{cases} 0,5 f_{h,2,k} t_2 d & (\text{j}) \\ 1,15 \cdot \sqrt{2M_{y,Rk} f_{h,2,k} d} + \frac{F_{ax,Rk}}{4} & (\text{k}) \end{cases}$$

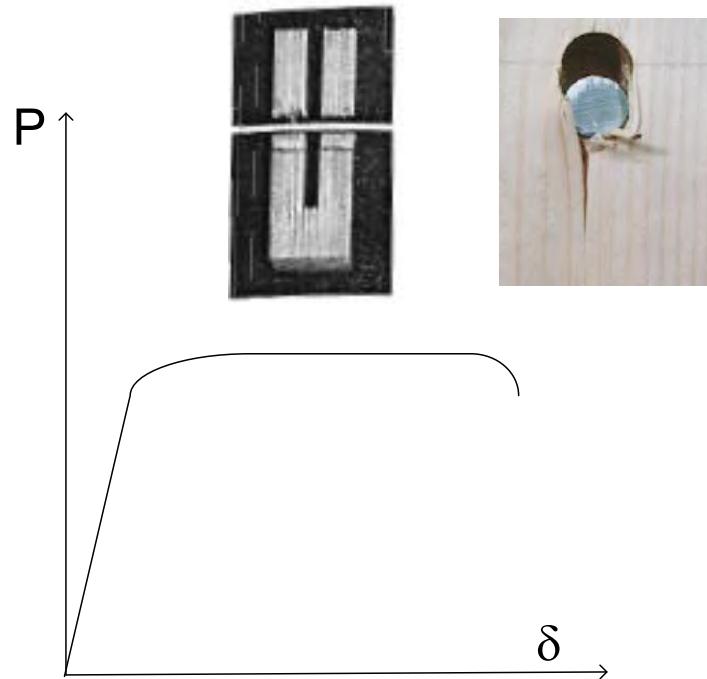
- Thick plates

$$F_{v,Rk} = \min \begin{cases} 0,5 f_{h,2,k} t_2 d & (\text{l}) \\ 2,3 \cdot \sqrt{2M_{y,Rk} f_{h,2,k} d} + \frac{F_{ax,Rk}}{4} & (\text{m}) \end{cases}$$

Eq. 8-9 to 8-13

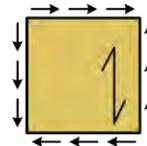
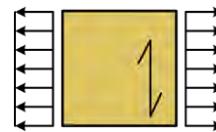
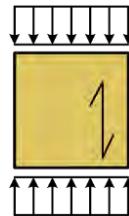
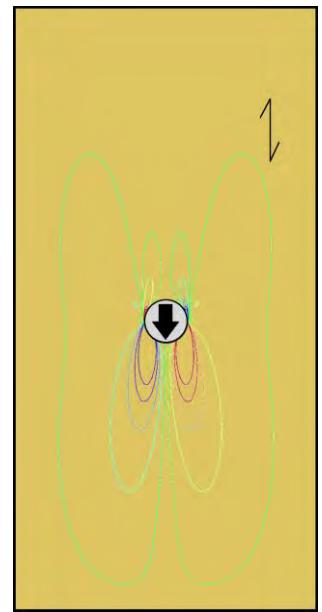
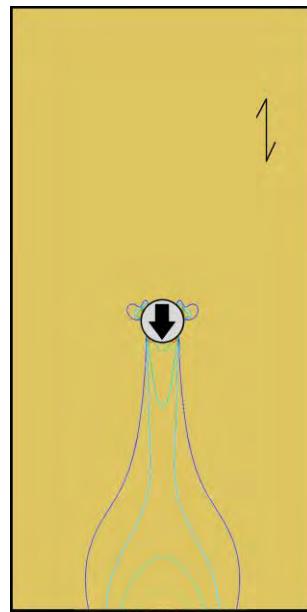
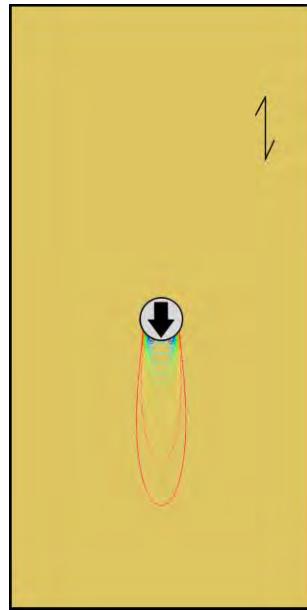
Connection with only one dowel

- The failure occurs when the embedding strength of the timber is reached. If there is only one dowel in line, this failure occurs after rather large plastic deformations

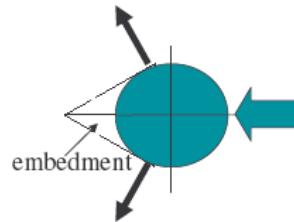
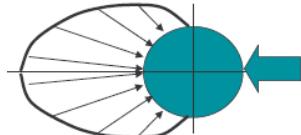
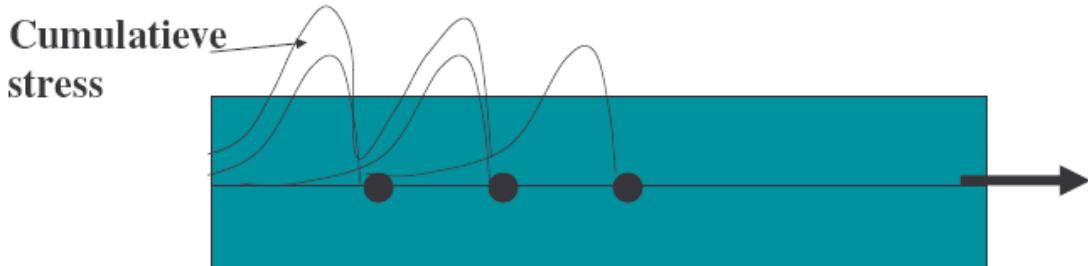
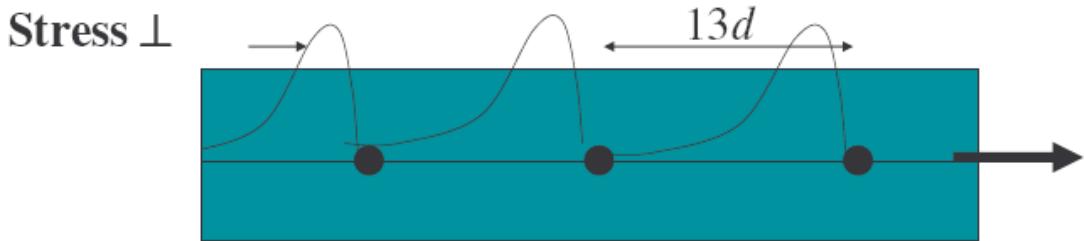


But, usually there are several fasteners
on a joint,
How does it work?

Stresses in the timber



Several connectors in a row (|| grain): effect of the spacing



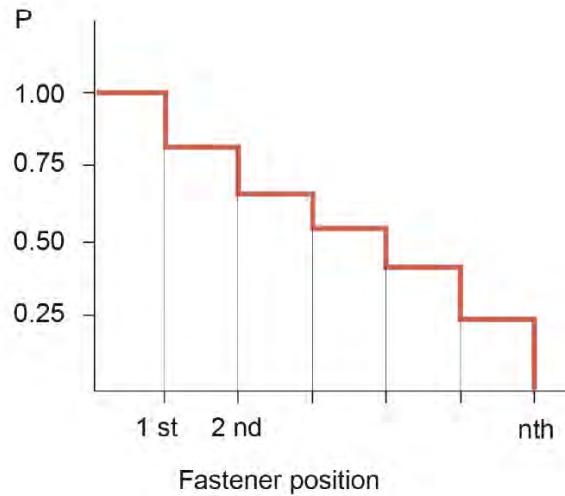
“Wedge effect”

Group effect

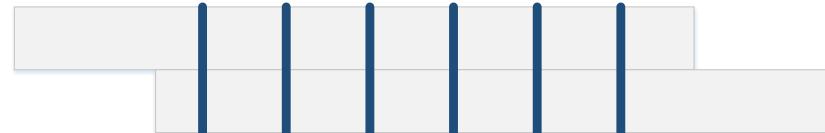
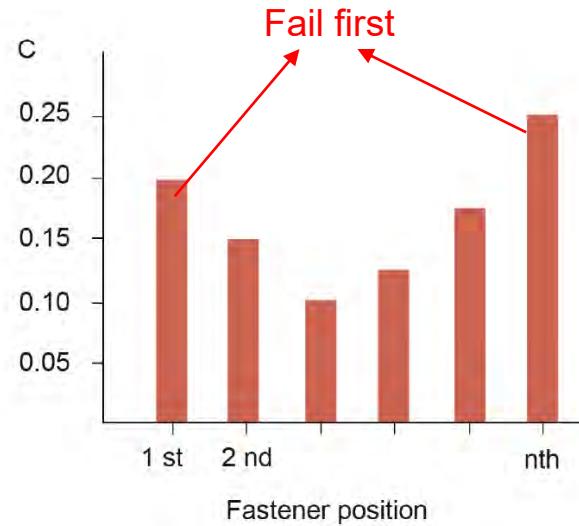
- Fasteners are usually used in groups
- The load distribution is not uniform due to
 - Variation of timber strength
 - Hole size
 - Misalignment
 - Uneven load transfer
- The first and the last fastener in a row usually take the highest load and the joint usually fails at these locations

Group effect

- Force distribution in member



- Force distribution in fasteners



Cramer (1968)

Group effect

- Eurocode treats the group effect as following, EC5 8.3.3.1(8)

- $n_{ef} = n^{k_{ef}}$ nails and staples Eq. 8.17

Table 8.1 – Values of k_{ef}

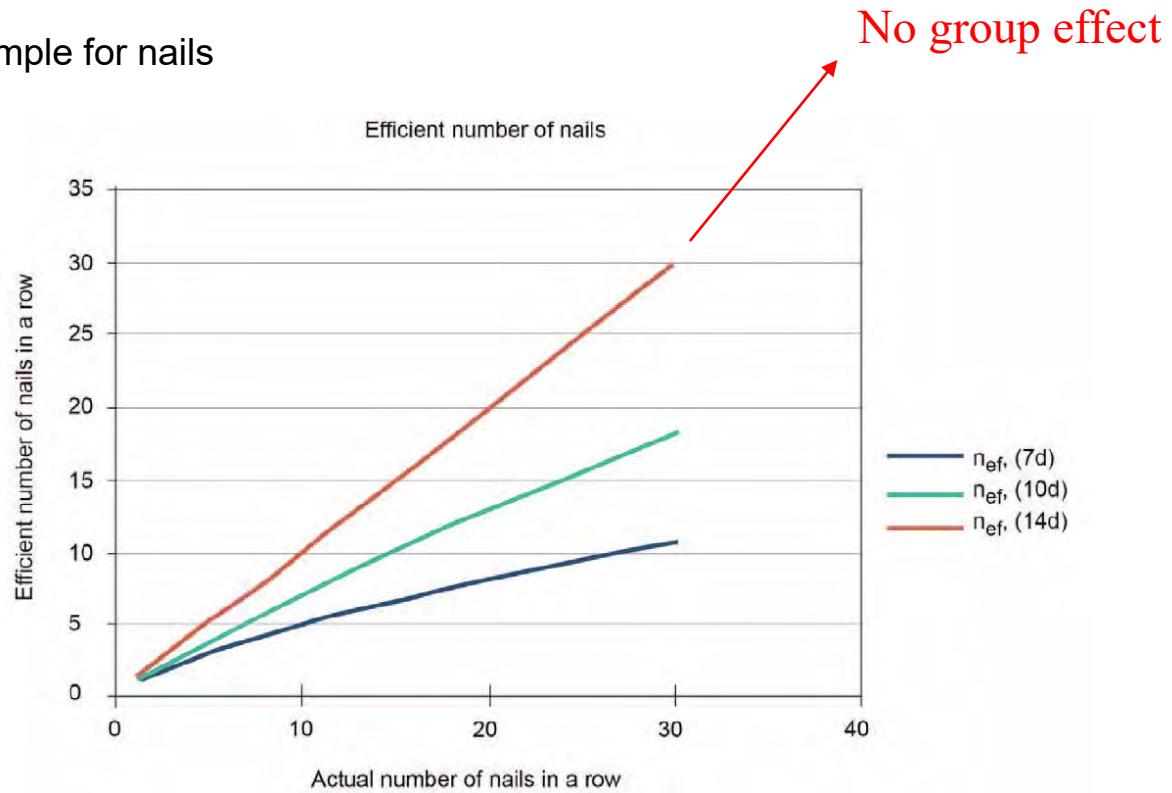
Spacing ^a	k_{ef}	
	Not predrilled	Predrilled
$a_1 \geq 14d$	1,0	1,0
$a_1 = 10d$	0,85	0,85
$a_1 = 7d$	0,7	0,7
$a_1 = 4d$	-	0,5

^a For intermediate spacings, linear interpolation of k_{ef} is permitted

- $n_{ef} = \min \left\{ n, n^{0,94} \sqrt{\frac{a_1}{13d}} \right\}$ bolts and screws Eq. 8.34

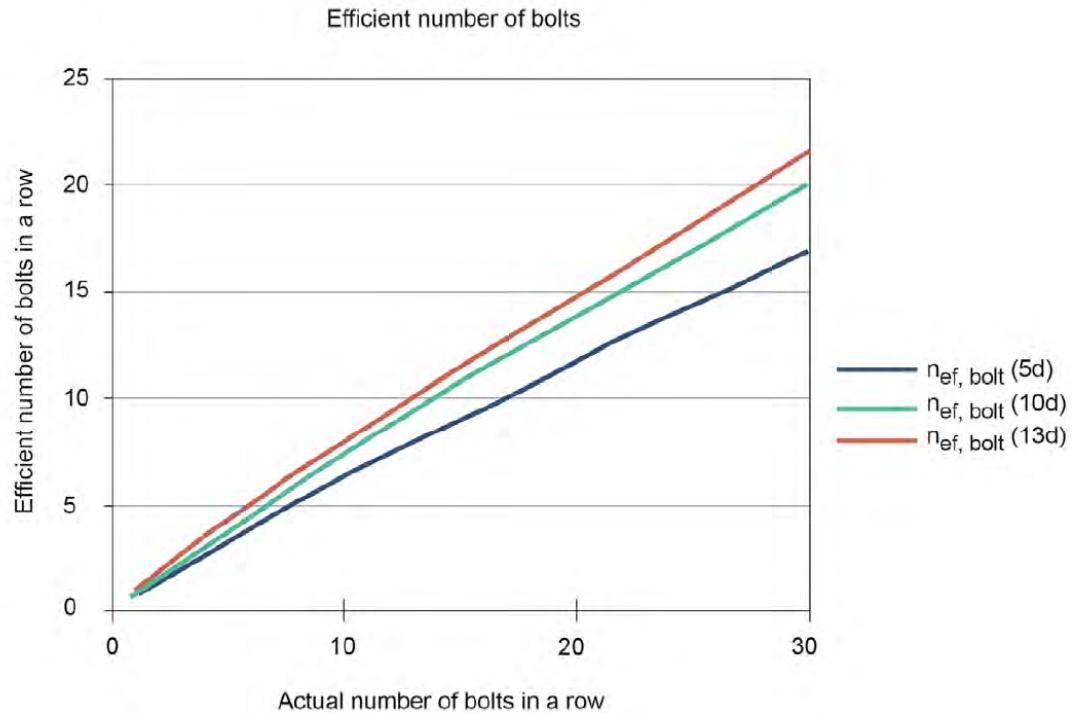
Group effect

- Example for nails

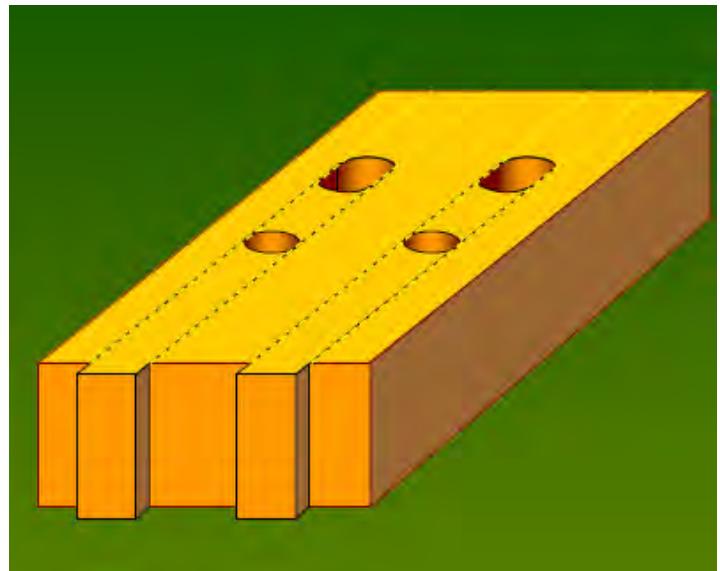


Group effect

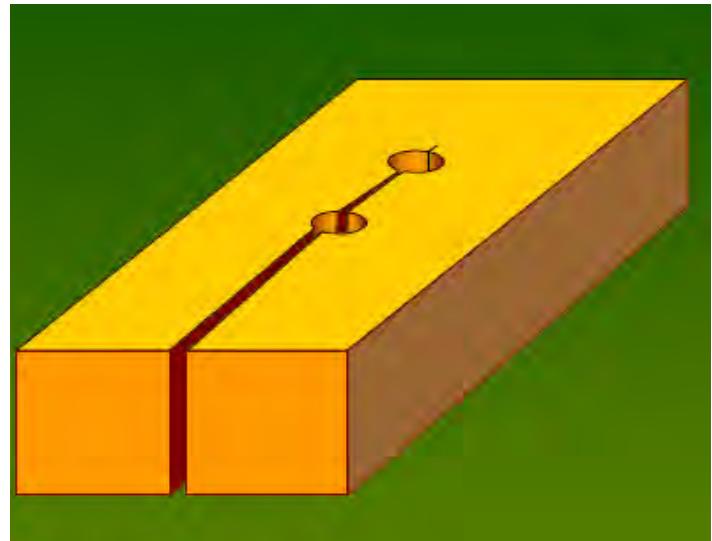
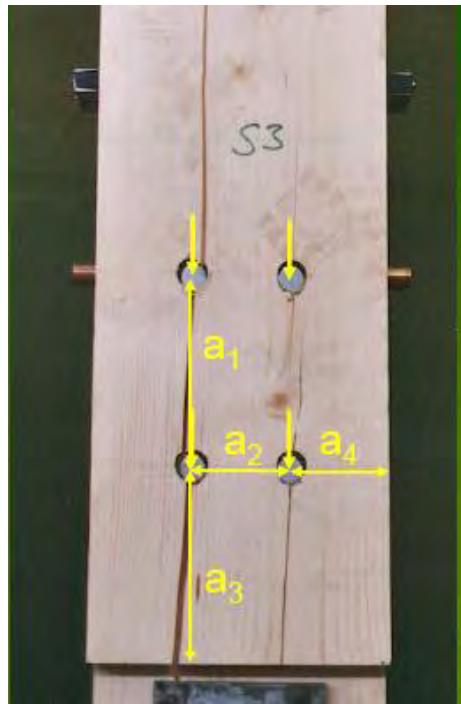
- Example for bolts



Plug-shear



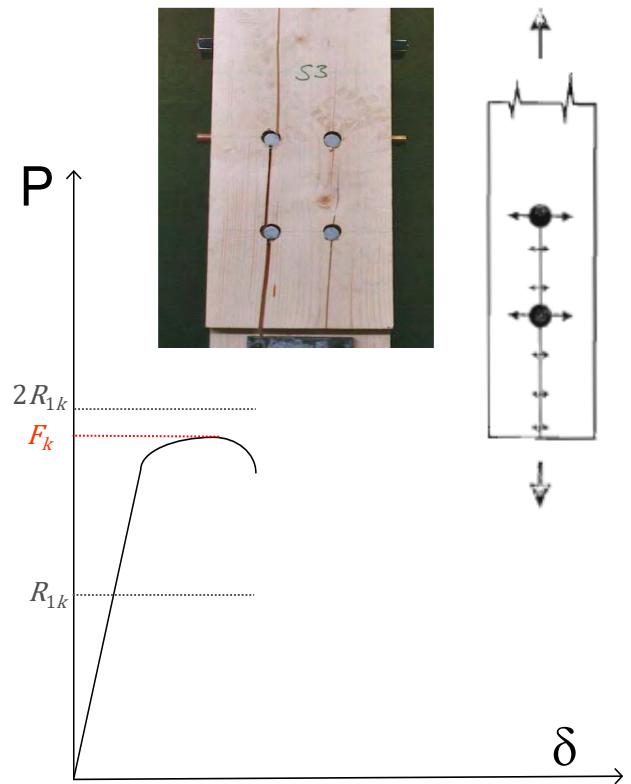
Splitting



Connection with more than one dowel in line

- If there are more than one dowel in line, the failure occurs by splitting of the timber or by shear plug.
However, the ductility may be increased by increasing the slenderness of the dowel

$$F_k < 2 R_{1k}$$



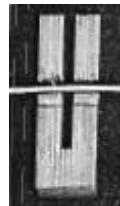
How can we reduce the group effect?

- Use larger distances between connector and larger end distance
- Use slender connectors (slender connectors have a reduced “wedge effect” if compared to stocky connectors)
- Reinforce the connection

From brittle to plastic failure

- Choose sufficient timber thickness!

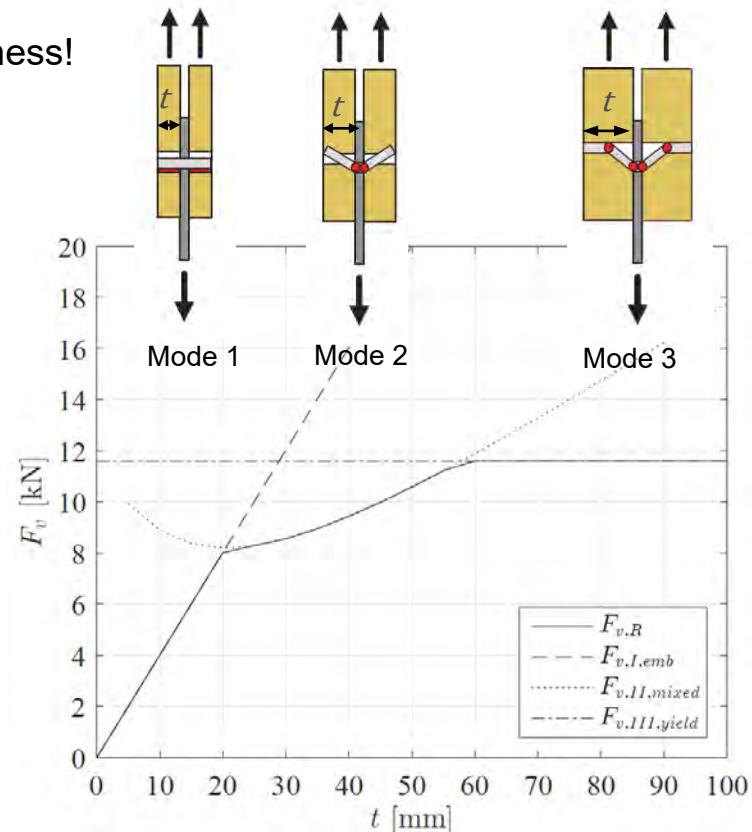
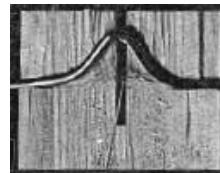
I



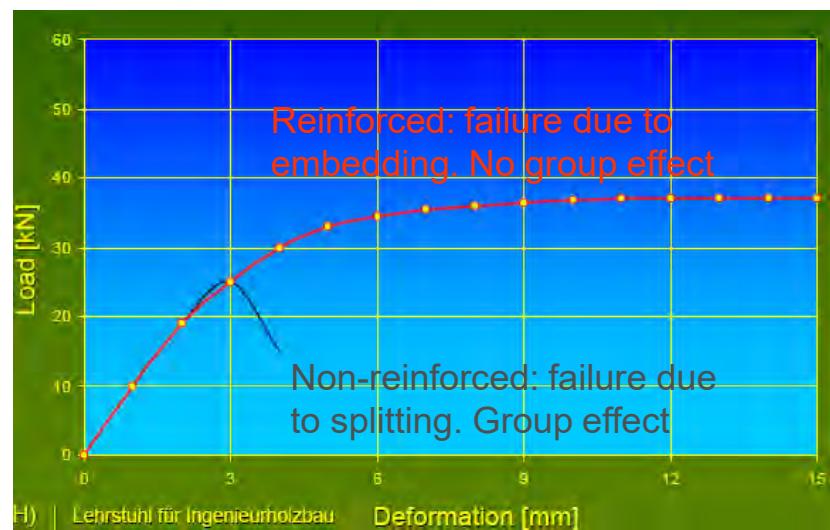
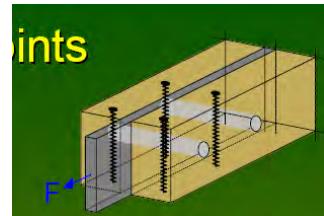
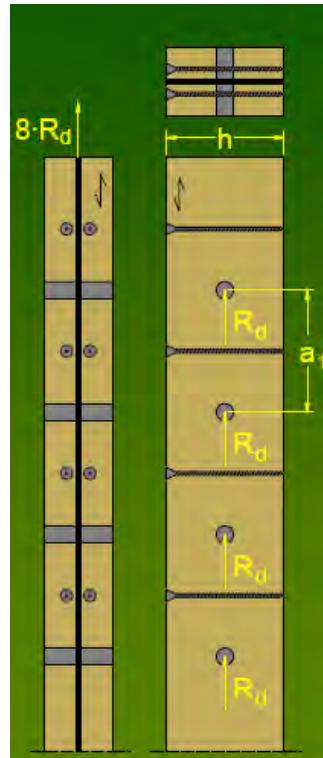
II



III



Reinforcement of the connection



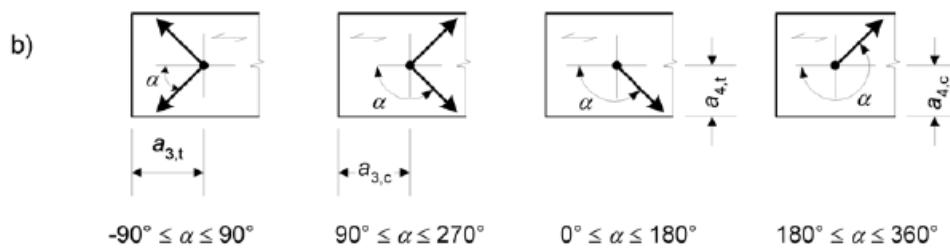
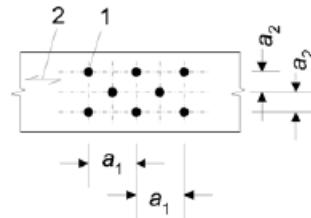
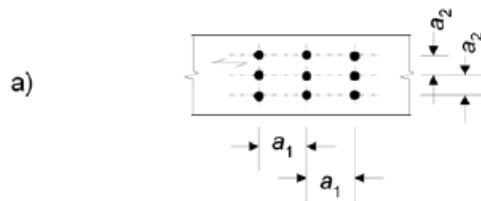
Spacings and distances

- Nails

Table 8.2 – Minimum spacings and edge and end distances for nails

Spacing or distance (see Figure 8.7)	Angle α	Minimum spacing or end/edge distance		
		without predrilled holes		
		$\rho_k \leq 420 \text{ kg/m}^3$	$420 \text{ kg/m}^3 < \rho_k \leq 500 \text{ kg/m}^3$	
Spacing a_1 (parallel to grain)	$0^\circ \leq \alpha \leq 360^\circ$	$d < 5 \text{ mm}: (5+5 \cos \alpha)d$ $d \geq 5 \text{ mm}: (5+7 \cos \alpha)d$	$(7+8 \cos \alpha)d$	$(4+ \cos \alpha)d$
Spacing a_2 (perpendicular to grain)	$0^\circ \leq \alpha \leq 360^\circ$	$5d$	$7d$	$(3+ \sin \alpha)d$
Distance $a_{3,t}$ (loaded end)	$-90^\circ \leq \alpha \leq 90^\circ$	$(10+5\cos \alpha)d$	$(15+5\cos \alpha)d$	$(7+5\cos \alpha)d$
Distance $a_{3,c}$ (unloaded end)	$90^\circ \leq \alpha \leq 270^\circ$	$10d$	$15d$	$7d$
Distance $a_{4,t}$ (loaded edge)	$0^\circ \leq \alpha \leq 180^\circ$	$d < 5 \text{ mm}: (5+2\sin \alpha)d$ $d \geq 5 \text{ mm}: (5+5\sin \alpha)d$	$d < 5 \text{ mm}: (7+2\sin \alpha)d$ $d \geq 5 \text{ mm}: (7+5\sin \alpha)d$	$d < 5 \text{ mm}: (3+2\sin \alpha)d$ $d \geq 5 \text{ mm}: (3+4\sin \alpha)d$
Distance $a_{4,c}$ (unloaded edge)	$180^\circ \leq \alpha \leq 360^\circ$	$5d$	$7d$	$3d$

Spacings and distances



(1)

(2)

(3)

(4)

Key:

- (1) Loaded end
- (2) Unloaded end
- (3) Loaded edge
- (4) Unloaded edge
- 1 Fastener
- 2 Grain direction

Spacings and distances

- Staples

Table 8.3 – Minimum spacings and edge and end distances for staples

Spacing and edge/end distances <i>(see Figure 8.7)</i>	Angle	Minimum spacing or edge/end distance
a_1 (parallel to grain) for $\theta \geq 30^\circ$ for $\theta < 30^\circ$	$0^\circ \leq \alpha \leq 360^\circ$	$(10 + 5 \cos \alpha) d$ $(15 + 5 \cos \alpha) d$
a_2 (perpendicular to grain)	$0^\circ \leq \alpha \leq 360^\circ$	$15 d$
$a_{3,t}$ (loaded end)	$-90^\circ \leq \alpha \leq 90^\circ$	$(15 + 5 \cos \alpha) d$
$a_{3,c}$ (unloaded end)	$90^\circ \leq \alpha \leq 270^\circ$	$15 d$
$a_{4,t}$ (loaded edge)	$0^\circ \leq \alpha \leq 180^\circ$	$(15 + 5 \sin \alpha) d$
$a_{4,c}$ (unloaded edge)	$180^\circ \leq \alpha \leq 360^\circ$	$10 d$

Spacings and distances

- Bolts

Table 8.4 – Minimum values of spacing and edge and end distances for bolts

Spacing and end/edge distances <i>(see Figure 8.7)</i>	Angle	Minimum spacing or distance
a_1 (parallel to grain)	$0^\circ \leq \alpha \leq 360^\circ$	$(4 + \cos \alpha) d$
a_2 (perpendicular to grain)	$0^\circ \leq \alpha \leq 360^\circ$	$4 d$
$a_{3,t}$ (loaded end)	$-90^\circ \leq \alpha \leq 90^\circ$	$\max(7 d; 80 \text{ mm})$
$a_{3,c}$ (unloaded end)	$90^\circ \leq \alpha < 150^\circ$ $150^\circ \leq \alpha < 210^\circ$ $210^\circ \leq \alpha \leq 270^\circ$	$\max[(1 + 6 \sin \alpha) d; 4d]$ $4 d$ $\max[(1 + 6 \sin \alpha) d; 4d]$
$a_{4,t}$ (loaded edge)	$0^\circ \leq \alpha \leq 180^\circ$	$\max[(2 + 2 \sin \alpha) d; 3d]$
$a_{4,c}$ (unloaded edge)	$180^\circ \leq \alpha \leq 360^\circ$	$3 d$

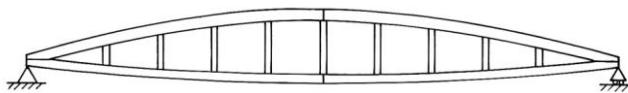
Spacings and distances

- Dowels

Table 8.5 – Minimum spacings and edge and end distances for dowels

Spacing and edge/end distances <i>(see Figure 8.7)</i>	Angle	Minimum spacing or edge/end distance
a_1 (parallel to grain)	$0^\circ \leq \alpha \leq 360^\circ$	$(3 + 2 \cos \alpha) d$
a_2 (perpendicular to grain)	$0^\circ \leq \alpha \leq 360^\circ$	$3 d$
$a_{3,t}$ (loaded end)	$-90^\circ \leq \alpha \leq 90^\circ$	$\max(7 d; 80 \text{ mm})$
$a_{3,c}$ (unloaded end)	$90^\circ \leq \alpha < 150^\circ$	$\max(a_{3,t} \sin \alpha) d; 3d$
	$150^\circ \leq \alpha < 210^\circ$	$3 d$
	$210^\circ \leq \alpha \leq 270^\circ$	$\max(a_{3,t} \sin \alpha) d; 3d$
$a_{4,t}$ (loaded edge)	$0^\circ \leq \alpha \leq 180^\circ$	$\max(2 + 2 \sin \alpha d; 3d)$
$a_{4,c}$ (unloaded edge)	$180^\circ \leq \alpha \leq 360^\circ$	$3 d$

Denmark, Ballerup arena- 2001



- Wooden trusses, span 72m

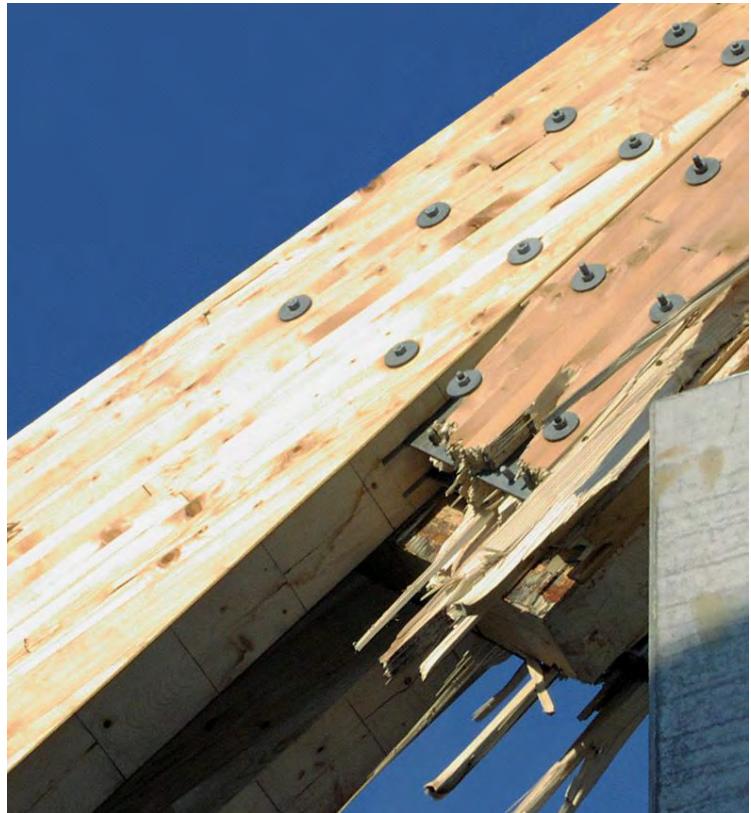
Denmark, Ballerup arena- 2001

- Collapse in Jan 2003



Denmark, Ballerup arena- 2001

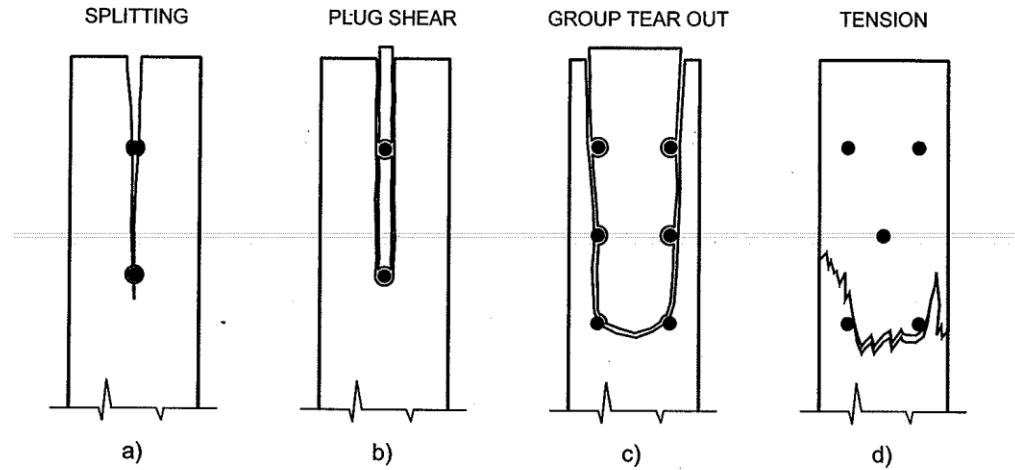
- Collapse in Jan 2003



Timber failure

The timber failure modes are not contemplated in the Johansen's theory!!

- In particular:
 - Failure type a) and b): is avoided by using adequate distances
 - Failure type c) and d) need to be checked separately



Shear connectors

Shear connectors

- Mechanism



Shear connectors

- Punched metal plates
- Split rings
- Shear plates
- Toothed plates

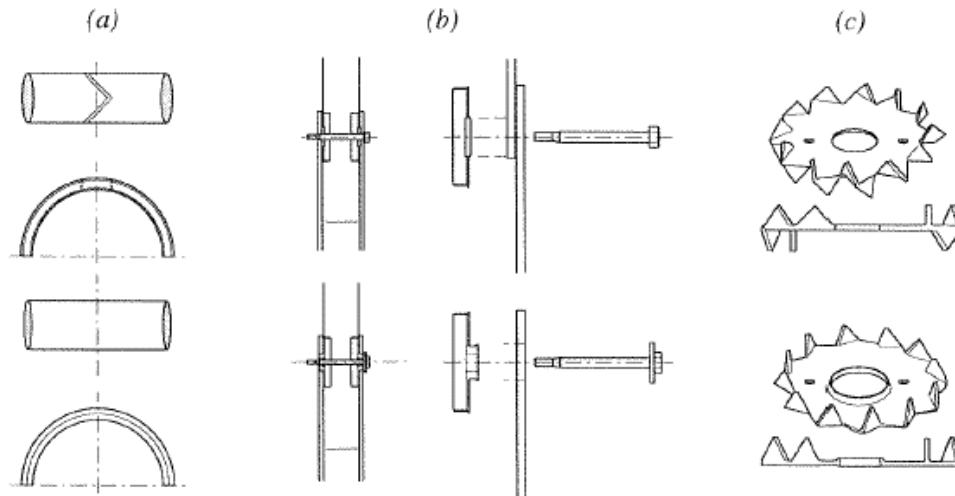
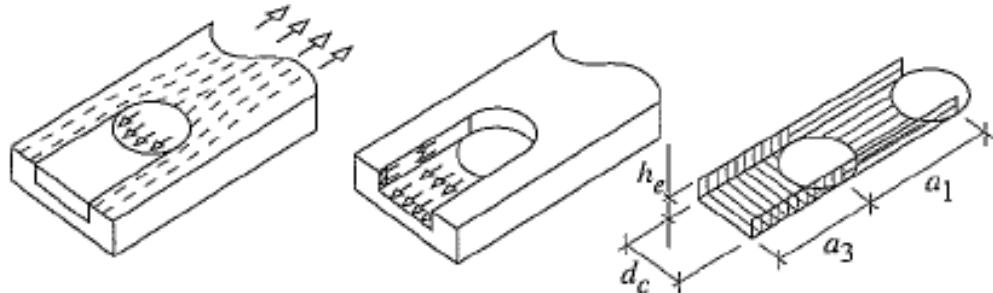


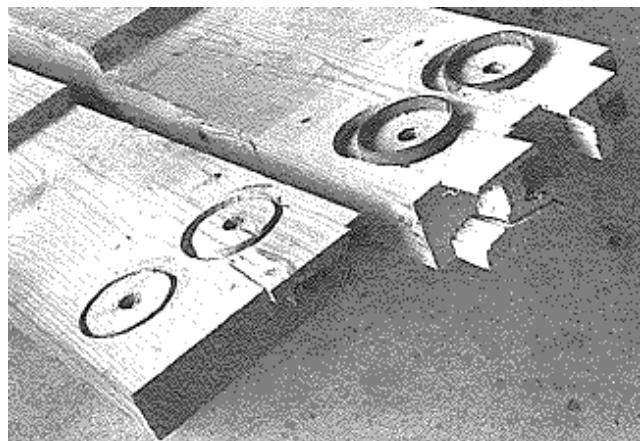
Figure 2 *Usual timber connectors: (a) split-rings, (b) shear-plates, (c) single and double sided toothed-plates.*

Ring connector and shear failure



Stresses in a ring connector joint and corresponding shear areas.

$$\bullet R_c = \min \left\{ \frac{f_v A_s}{f_h d_c h_c} \right\}$$



Liseberg - Balder



- Double-sided toothed plate
- Multiple joint with shear plates and in combination with bolt

Liseberg - Balder



Liseberg - Balder



Glued joints

Glued joints

Properties

- Transfer force in shear
- Stiff
- Do not interact statically with "mechanical joints"
- Carry the whole load until failure
- Requirements on MC i.e. 12% and temperature above freezing
- Glued joints in load-bearing structures are made in a factory

Glued joints

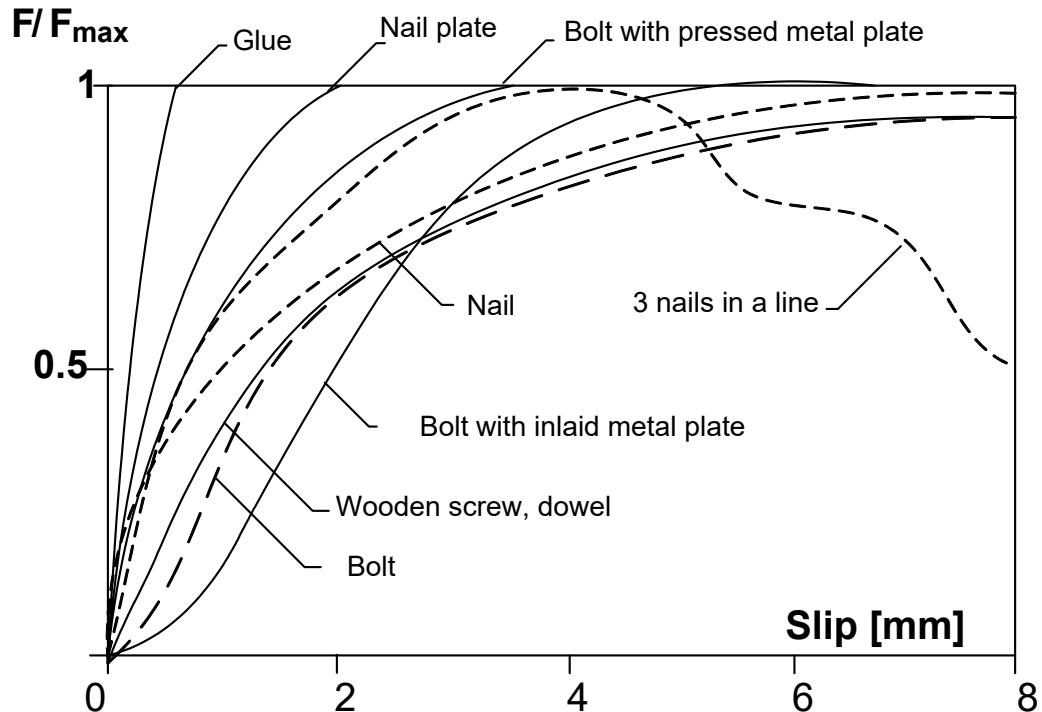
Advantages:

- High stiffness and high strength
- Very automated process
- Very economic for applications such as: finger joints, glulam, etc

Disadvantages:

- Very sensitive to unskilled manufacture
- Requires manufacture control
- Should not be performed on-site
- Brittle failure
- Very sensitive to shrinkage and swelling of the wood

Behavior of connections: typical load-slip curves

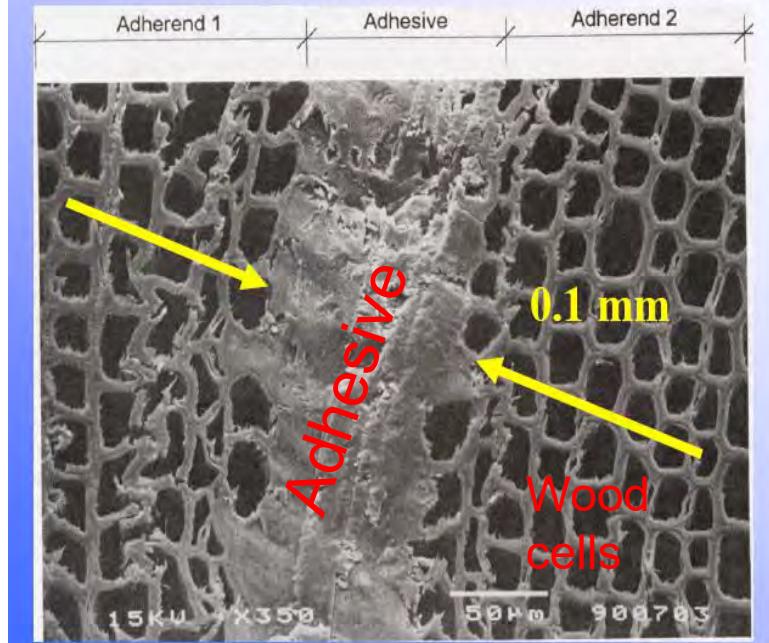


Bond between members

What is the adhesive for?

- Fills the voids between wooden members
- Produces adhesive bonds to each members

A wood adhesive bond line of about 0.1 mm thickness, Scots pine & phenolic/resorcinol
after Wernersson (1994)



After S. Aicher

Stiffness of adhesive

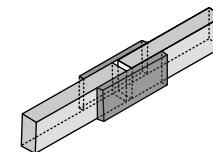
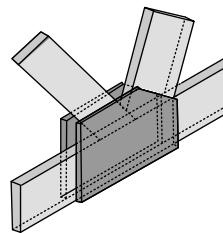
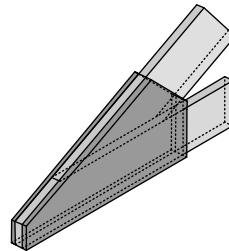
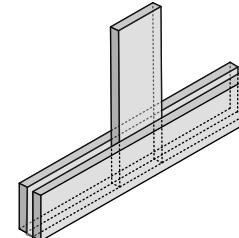
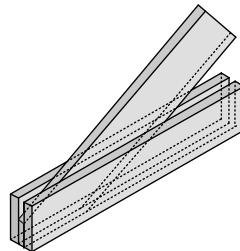
- The stiffness of the joint depends upon the thickness of the bond line. For common adhesives

Thickness (mm)	Shear modulus (MPa)
0,1	1300-1800
0,4	700-850
0,8	600

Types of adhesives

- Phenol-resorcinol-formaldehyde (PRF)
 - Curing: room temperature or at elevated temperature (high-frequency curing, for faster curing);
 - Properties: dark, thickness up to 2 mm (“gapfilling”)
 - Use: glulam, finger joints, overlap joints, nail and screw-gluing, etc
- Melamine-Urea-formaldehyde (MUF)
 - Curing: room temperature or at elevated temperature (high-frequency curing, for faster curing);
 - Properties: light, thickness about 0,1mm
 - Use: glulam, finger joints
- Polyurethaneans (PUR)
 - Curing: room temperature
 - Properties: Ductile behaviour, lower shear strength than PRF and MUF
 - Use: finger joints, glued-in rods, etc
- Epoxy resins (EP)
 - Curing: room temperature
 - Properties: Ductile or brittle behaviour, depending on the type
 - Use: glued-in rods, metal-to-wood connections, repairing of wood

Some applications of glued joints



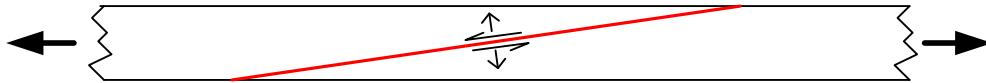
- Transfer load in shear at the surface of two members
- Normally plywood or Kerto-Q plates are nail-glued to the truss members

Some applications of glued joints



After S. Aicher

Scarf joints



- From the purely technical point of view, it is the jointing method delivering the highest strength
- (It is the forerunner of the finger joint)
- Still today, it can be used for some specific application, for example for jointing two large glulam elements
- Uneconomic due to high loss of timber
- Expensive cramping arrangement (but could be probably performed by means of screw-gluing, by means gapfilling adhesives)

Examples H1 and H7



CHALMERS
UNIVERSITY OF TECHNOLOGY