### Question 1(a) [3 marks]

Define Big - O Notation, Big Omega Notation, Big Theta Notation.

**Answer**:

**Table: Asymptotic Notations Comparison** 

Notation	Symbol	Description	Usage
Big-O	O(f(n))	Upper bound	Worst case
Big Omega	$\Omega(f(n))$	Lower bound	Best case
Big Theta	Θ(f(n))	Tight bound	Average case

• Big-O Notation: Describes maximum time/space complexity

• Big Omega: Describes minimum time/space complexity

• Big Theta: Describes exact time/space complexity

Mnemonic: "OWT - O for wOrst, Omega for Best, Theta for Tight"

## Question 1(b) [4 marks]

Define Set. Write various operations that can be performed on Set.

**Answer:** 

**Definition**: Set is a collection of unique elements with no duplicates.

**Table: Set Operations** 

Operation	Symbol	Description	Example
Union	A ∪ B	Combines all elements	{1,2} \cup {2,3} = {1,2,3}
Intersection	A∩B	Common elements	{1,2} ∩ {2,3} = {2}
Difference	A - B	Elements in A not in B	{1,2} - {2,3} = {1}
Subset	A⊆B	All A elements in B	{1} ⊆ {1,2} = True

• Add/Insert: Adding new element

• Remove/Delete: Removing existing element

Contains: Check if element exists

Mnemonic: "UIDS - Union, Intersection, Difference, Subset"

## Question 1(c) [7 marks]

Write a Python class to represent a Cricketer. The class contains the name of the cricketer, team name and run as the data members. The member functions are as follows: to initialize the data members, to set run and display run.

Answer:

```
class Cricketer:
    def __init__(self, name="", team="", run=0):
        self.name = name
        self.team = team
        self.run = run

def set_run(self, run):
        self.run = run

def display_run(self):
        print(f"Player: {self.name}")
        print(f"Team: {self.team}")
        print(f"Runs: {self.run}")

# Example usage
player = Cricketer("Virat Kohli", "India", 100)
player.display_run()
```

- Constructor: Initializes name, team, and run
- set\_run(): Updates run value
- display\_run(): Shows player information

Mnemonic: "CSD - Constructor, Set, Display"

### Question 1(c OR) [7 marks]

Design a student class for reading and displaying the student information, the getInfo() and displayInfo() methods will be used respectively. Where getInfo() will be a private method.

```
class Student:
    def __init__(self):
        self.name = ""
        self.roll_no = ""
        self.marks = 0
        self.__getInfo() # Private method call

def __getInfo__(self): # Private method
        self.name = input("Enter name: ")
        self.roll_no = input("Enter roll number: ")
        self.marks = int(input("Enter marks: "))

def displayInfo(self):
```

```
print(f"Name: {self.name}")
    print(f"Roll No: {self.roll_no}")
    print(f"Marks: {self.marks}")

# Example usage
student = Student()
student.displayInfo()
```

- **Private method**: Uses double underscore (\_\_getInfo)
- Constructor: Automatically calls private method
- Public method: displayInfo() shows student data

Mnemonic: "PCP - Private, Constructor, Public"

### Question 2(a) [3 marks]

Differentiate between Stack and Queue.

**Answer:** 

**Table: Stack vs Queue Comparison** 

Feature	Stack	Queue
Order	LIFO (Last In First Out)	FIFO (First In First Out)
Operations	Push, Pop	Enqueue, Dequeue
Access Point	One end (top)	Two ends (front & rear)
Example	Plates stack	Bank queue

• Stack: Like book pile - last added, first removed

• Queue: Like waiting line - first come, first served

Mnemonic: "SLIF QFIF - Stack LIFO, Queue FIFO"

# Question 2(b) [4 marks]

Define recursion. Explain with example.

Answer:

**Definition**: Function calling itself with smaller problem until base condition.

```
def factorial(n):
    # Base case
    if n <= 1:
        return 1
        # Recursive case
    return n * factorial(n-1)

# Example: factorial(3)
# 3 * factorial(2)
# 3 * 2 * factorial(1)
# 3 * 2 * 1 = 6</pre>
```

• Base case: Stopping condition

• Recursive case: Function calls itself

• **Problem reduction**: Each call handles smaller problem

Mnemonic: "BRP - Base, Recursive, Problem-reduction"

### Question 2(c) [7 marks]

Consider the size of the stack as 5. Apply the following operation on stack and show status and top pointer after each operation. Push a,b,c pop

Answer:

### **Stack Operations Trace:**

```
Initial State:
Stack: [ _ _ _ _ ] Top: -1
      0 1 2 3 4
After Push 'a':
Stack: [ a _ _ _ ] Top: 0
      0 1 2 3 4
After Push 'b':
Stack: [ a b _ _ _ ] Top: 1
      0 1 2 3 4
After Push 'c':
Stack: [ a b c _ _ ] Top: 2
      0 1 2 3 4
After Pop:
Stack: [ a b _ _ _ ] Top: 1
      0 1 2 3 4
Popped element: c
```

• **Push operations**: Add elements from index 0 onwards

• **Top pointer**: Points to last inserted element

• Pop operation: Removes top element, decrements top pointer

Mnemonic: "PTD - Push Top Decrement"

## Question 2(a OR) [3 marks]

List applications of Stack and Queue.

Answer:

**Table: Applications of Stack and Queue** 

Data Structure	Applications
Stack	Function calls, Undo operations, Expression evaluation, Browser history
Queue	Process scheduling, Printer queue, BFS traversal, Handling requests

• Stack applications: Undo-redo, recursion, parsing

• Queue applications: Task scheduling, buffering, breadth-first search

Mnemonic: "Stack FUBE, Queue SPBH"

## Question 2(b OR) [4 marks]

Convert following algebraic expression into postfix notation using Stack: i)  $(ab)(c^d(d+e)-f)$  ii) a-b/ $(c^d/e)$ 

**Answer**:

 $i) (ab)(c^d(d+e)-f)$ 

Symbol	Stack	Output
(	(	
а	(	a
*	(*	a
b	(*	ab
)		ab*
*	*	ab*
(	*(	ab*
С	*(	ab*c
٨	*(^	ab*c
d	*(^	ab*cd
(	*(^(	ab*cd
d	*(^(	ab*cdd
+	*(^(+	ab*cdd
е	*(^(+	ab*cdde
)	*(^	ab*cdde+
)	*	ab*cdde+^
-	*_	ab*cdde+^
f	*_	ab*cdde+^f
		ab <i>cdde</i> +^ <i>f</i> -

Result: abcdde+^f-

ii) a-b/(c\*d/e)

Result: abcd\*e/-

Mnemonic: "PEMDAS reversed for postfix"

# Question 2(c OR) [7 marks]

Develop a program to implement a queue using a list that performs following operations: enqueue, dequeue.

```
class Queue:
    def init (self):
        self.queue = []
        self.front = 0
        self.rear = -1
    def enqueue(self, item):
        self.queue.append(item)
        self.rear += 1
        print(f"Enqueued: {item}")
    def dequeue(self):
        if self.front <= self.rear:</pre>
            item = self.queue[self.front]
            self.front += 1
            print(f"Dequeued: {item}")
            return item
        else:
            print("Queue is empty")
            return None
    def display(self):
        if self.front <= self.rear:</pre>
            print("Queue:", self.queue[self.front:self.rear+1])
        else:
            print("Queue is empty")
# Example usage
q = Queue()
q.enqueue('A')
q.enqueue('B')
q.dequeue()
q.display()
```

• Enqueue: Add element at rear

• **Dequeue**: Remove element from front

• FIFO principle: First In, First Out

Mnemonic: "ERF - Enqueue Rear, Front"

# Question 3(a) [3 marks]

List types of linked lists. Give graphical representation of each type.

Answer:

**Table: Types of Linked Lists** 

Туре	Description	Diagram
Singly	One direction pointer	$A \rightarrow B \rightarrow C \rightarrow NULL$
Doubly	Two direction pointers	NULL←A⇌B⇌C→NULL
Circular	Last points to first	$A \rightarrow B \rightarrow C \rightarrow A$

```
Singly Linked List:

[Data|Next] -> [Data|Next] -> [Data|NULL]

Doubly Linked List:

[Prev|Data|Next] <-> [Prev|Data|Next]

Circular Linked List:

[Data|Next] -> [Data|Next] -> [Data|Next]
```

Mnemonic: "SDC - Singly, Doubly, Circular"

# Question 3(b) [4 marks]

Write an algorithm to search a given node in a singly link list.

```
def search_node(head, key):
    current = head
    position = 0

while current is not None:
        if current.data == key:
            return position
        current = current.next
        position += 1

    return -1 # Not found

# Algorithm steps:
# 1. Start from head
# 2. Compare current data with key
# 3. If found, return position
# 4. Move to next node
# 5. Repeat until end
```

- Linear search: Traverse from head to tail
- Time complexity: O(n)
- Return: Position if found, -1 if not found

Mnemonic: "SCMR - Start, Compare, Move, Return"

## Question 3(c) [7 marks]

Implement program to perform following operation on singly linked list: 1)Insert a node at the beginning of a singly linked list. 2)Delete a node from the beginning of a singly linked list.

```
class Node:
   def __init__(self, data):
        self.data = data
        self.next = None
class SinglyLinkedList:
   def __init__(self):
        self.head = None
   def insert_at_beginning(self, data):
        new_node = Node(data)
        new_node.next = self.head
        self.head = new node
        print(f"Inserted {data} at beginning")
   def delete from beginning(self):
        if self.head is None:
            print("List is empty")
            return None
        deleted data = self.head.data
        self.head = self.head.next
        print(f"Deleted {deleted data} from beginning")
        return deleted_data
   def display(self):
        current = self.head
        while current:
            print(current.data, end=" -> ")
            current = current.next
        print("NULL")
# Example usage
11 = SinglyLinkedList()
11.insert at beginning(10)
11.insert_at_beginning(20)
11.delete_from_beginning()
ll.display()
```

- Insert: Create node, link to head, update head
- **Delete**: Store data, move head to next, return data

Mnemonic: "CLU - Create, Link, Update"

### Question 3(a OR) [3 marks]

Differentiate between circular linked list and singly linked list.

**Answer**:

**Table: Circular vs Singly Linked List** 

Feature	Singly Linked List	Circular Linked List
Last node points to	NULL	First node (head)
Traversal	Linear (one direction)	Circular (continuous)
End detection	next == NULL	next == head
Memory	Less (no extra pointer)	Same structure

• Circular advantage: No NULL pointers, continuous traversal

• Singly advantage: Simple implementation, clear end point

Mnemonic: "CNTE - Circular No Termination End"

### Question 3(b OR) [4 marks]

Explain three applications of linked list in brief.

**Answer**:

**Table: Linked List Applications** 

Application	Description	Advantage
Dynamic memory allocation	Manage memory blocks	Efficient memory usage
Implementation of stacks/queues	Using linked structure	Dynamic size
Polynomial representation	Store coefficients and powers	Easy arithmetic operations

• Music playlist: Add/remove songs dynamically

• Browser history: Navigate back/forward

• Image viewer: Previous/next image navigation

Mnemonic: "DIP - Dynamic, Implementation, Polynomial"

## Question 3(c OR) [7 marks]

Implement a program to create and display circular linked lists.

```
class Node:
   def __init__(self, data):
        self.data = data
        self.next = None
class CircularLinkedList:
   def __init__(self):
        self.head = None
   def insert(self, data):
        new node = Node(data)
        if self.head is None:
            self.head = new_node
            new node.next = self.head
            current = self.head
            while current.next != self.head:
                current = current.next
            current.next = new_node
            new_node.next = self.head
   def display(self):
        if self.head is None:
            print("List is empty")
            return
        current = self.head
        print("Circular List:")
        while True:
            print(current.data, end=" -> ")
            current = current.next
            if current == self.head:
        print(f"{self.head.data} (back to head)")
# Example usage
cll = CircularLinkedList()
cll.insert(10)
cll.insert(20)
cll.insert(30)
cll.display()
```

- Creation: Link last node to head
- Display: Stop when reaching head again

Mnemonic: "CLH - Create, Link, Head"

# Question 4(a) [3 marks]

Write a program for Selection Sort Method.

#### **Answer:**

```
def selection_sort(arr):
    n = len(arr)

for i in range(n):
    min_idx = i
    for j in range(i+1, n):
        if arr[j] < arr[min_idx]:
            min_idx = j

arr[i], arr[min_idx] = arr[min_idx], arr[i]

return arr

# Example usage
data = [64, 34, 25, 12, 22]
sorted_data = selection_sort(data)
print("Sorted array:", sorted_data)</pre>
```

• Find minimum: In unsorted portion

• Swap: With first unsorted element

• Time complexity: O(n²)

Mnemonic: "FMS - Find, Minimum, Swap"

### Question 4(b) [4 marks]

Apply Insertion sort to following data to arrange them in ascending order. 25 15 35 20 30 5 10

**Answer:** 

### **Insertion Sort Steps:**

```
Initial: [25, 15, 35, 20, 30, 5, 10]
Pass 1: [15, 25, 35, 20, 30, 5, 10] (Insert 15)
Pass 2: [15, 25, 35, 20, 30, 5, 10] (35 in place)
Pass 3: [15, 20, 25, 35, 30, 5, 10] (Insert 20)
Pass 4: [15, 20, 25, 30, 35, 5, 10] (Insert 30)
Pass 5: [5, 15, 20, 25, 30, 35, 10] (Insert 5)
Pass 6: [5, 10, 15, 20, 25, 30, 35] (Insert 10)

Final: [5, 10, 15, 20, 25, 30, 35]
```

- Method: Take element, find position in sorted part
- **Comparisons**: 15 total comparisons
- Shifts: Elements moved to make space

Mnemonic: "TFI - Take, Find, Insert"

## Question 4(c) [7 marks]

Implement a python program to search a particular element from a list using Linear Search.

Answer:

```
def linear search(arr, target):
   comparisons = 0
   for i in range(len(arr)):
        comparisons += 1
        if arr[i] == target:
            print(f"Element {target} found at index {i}")
            print(f"Number of comparisons: {comparisons}")
            return i
   print(f"Element {target} not found")
   print(f"Number of comparisons: {comparisons}")
   return -1
def linear_search_all_positions(arr, target):
   positions = []
   for i in range(len(arr)):
        if arr[i] == target:
            positions.append(i)
   return positions
# Example usage
data = [10, 25, 30, 15, 20, 30, 35]
target = 30
result = linear_search(data, target)
all positions = linear search all positions(data, target)
print(f"All positions of {target}: {all_positions}")
```

- Sequential search: Check each element one by one
- Time complexity: O(n) worst case
- Best case: O(1) if found at first position

Mnemonic: "CEO - Check Each One"

## Question 4(a OR) [3 marks]

Write a program of Insertion Sort Method.

```
def insertion_sort(arr):
```

```
for i in range(1, len(arr)):
    key = arr[i]
    j = i - 1

while j >= 0 and arr[j] > key:
    arr[j + 1] = arr[j]
    j -= 1

arr[j + 1] = key

return arr

# Example usage
data = [12, 11, 13, 5, 6]
print("Original:", data)
sorted_data = insertion_sort(data.copy())
print("Sorted:", sorted_data)
```

- Key element: Current element to be inserted
- Shift right: Larger elements move right
- **Insert**: Key at correct position

Mnemonic: "KSI - Key, Shift, Insert"

### Question 4(b OR) [4 marks]

Apply Quick Sort to the following data and arrange them in the proper manner. 5 6 1 8 2 9 10 15 7 13

**Quick Sort Steps:** 

```
Initial: [5, 6, 1, 8, 2, 9, 10, 15, 7, 13]
Pivot: 5 (first element)

Partition 1: [1, 2] 5 [6, 8, 9, 10, 15, 7, 13]

Left subarray [1, 2]:
Pivot: 1 → [] 1 [2]
Result: [1, 2]

Right subarray [6, 8, 9, 10, 15, 7, 13]:
Pivot: 6 → [] 6 [8, 9, 10, 15, 7, 13]

Continue partitioning...

Final: [1, 2, 5, 6, 7, 8, 9, 10, 13, 15]
```

- **Divide**: Choose pivot, partition around it
- Conquer: Recursively sort subarrays

• Average time: O(n log n)

Mnemonic: "DCC - Divide, Conquer, Combine"

## Question 4(c OR) [7 marks]

Implement Merge sort algorithm.

Answer:

```
def merge sort(arr):
   if len(arr) <= 1:</pre>
        return arr
    mid = len(arr) // 2
    left = merge_sort(arr[:mid])
    right = merge_sort(arr[mid:])
    return merge(left, right)
def merge(left, right):
    result = []
    i = j = 0
    while i < len(left) and j < len(right):
        if left[i] <= right[j]:</pre>
            result.append(left[i])
            i += 1
        else:
            result.append(right[j])
            j += 1
    result.extend(left[i:])
    result.extend(right[j:])
    return result
# Example usage
data = [38, 27, 43, 3, 9, 82, 10]
sorted data = merge sort(data)
print("Sorted array:", sorted_data)
```

• **Divide**: Split array into halves

• Merge: Combine sorted subarrays

• Time complexity: O(n log n) always

Mnemonic: "DSM - Divide, Sort, Merge"

### Question 5(a) [3 marks]

Write Short note on: Applications of Tree.

Answer:

**Table: Tree Applications** 

Application	Description	Example
File systems	Directory structure	Folders and files
Expression parsing	Mathematical expressions	(a+b)*c
Database indexing	Fast data retrieval	B-trees in databases

• Decision trees: Al and machine learning

• Huffman coding: Data compression

• Game trees: Chess, tic-tac-toe

Mnemonic: "FED - File, Expression, Database"

## Question 5(b) [4 marks]

**Explain different Tree Traversal Methods.** 

Answer:

**Table: Tree Traversal Methods** 

Method	Order	Process
Inorder	Left-Root-Right	LNR
Preorder	Root-Left-Right	NLR
Postorder	Left-Right-Root	LRN

Example Tree:

A

/ \

B C

/ \

D E

Inorder: D B E A C
Preorder: A B D E C
Postorder: D E B C A

• Inorder: Gives sorted sequence for BST

Preorder: Used for copying treePostorder: Used for deleting tree

**Mnemonic**: "LNR PNL LRN for In-Pre-Post"

## Question 5(c) [7 marks]

Write a menu driven program to perform the following operation on Binary Search Tree: Create a BST.

```
class TreeNode:
    def __init__(self, data):
        self.data = data
        self.left = None
        self.right = None
class BST:
    def __init__(self):
        self.root = None
    def insert(self, data):
        self.root = self._insert_recursive(self.root, data)
    def _insert_recursive(self, node, data):
        if node is None:
            return TreeNode(data)
        if data < node.data:</pre>
            node.left = self._insert_recursive(node.left, data)
        elif data > node.data:
            node.right = self. insert recursive(node.right, data)
        return node
    def inorder(self, node):
        if node:
            self.inorder(node.left)
            print(node.data, end=" ")
            self.inorder(node.right)
def main():
    bst = BST()
    while True:
        print("\n1. Insert")
        print("2. Display (Inorder)")
        print("3. Exit")
        choice = int(input("Enter choice: "))
        if choice == 1:
            data = int(input("Enter data: "))
            bst.insert(data)
        elif choice == 2:
```

```
print("BST (Inorder):", end=" ")
    bst.inorder(bst.root)
    print()
    elif choice == 3:
        break

if __name__ == "__main__":
    main()
```

• **BST property**: Left < Root < Right

• Insertion: Compare and go left/right

• Menu driven: User-friendly interface

Mnemonic: "CIM - Compare, Insert, Menu"

# Question 5(a OR) [3 marks]

Define and give examples: Strict Binary Tree and Complete Binary Tree.

Answer:

**Table: Binary Tree Types** 

Туре	Definition	Example
Strict Binary Tree	Every node has 0 or 2 children	Each internal node has exactly 2 children
Complete Binary Tree	All levels filled except possibly last, filled left to right	Perfect structure till second last level

```
Strict Binary Tree:

A
/ \
B C
/ \
D E

Complete Binary Tree:

A
/ \
B C
/ \
D E F
```

• Strict: No node with single child

• **Complete**: Optimal space utilization

Mnemonic: "SC - Strict Complete"

## Question 5(b OR) [4 marks]

Explain basic terminology of Binary Tree: Level number, Degree, Indegree, Out-degree, Leaf Node.

#### Answer:

### **Table: Binary Tree Terminology**

Term	Definition	Example
Level number	Distance from root (root = 0)	A=0, B=1, D=2
Degree	Number of children	A=2, B=2, C=1
Indegree	Number of incoming edges	All nodes = 1 (except root = 0)
Out-degree	Number of outgoing edges	Same as degree
Leaf Node	Node with no children	D, E, F

Mnemonic: "LDIOL - Level, Degree, In-Out, Leaf"

### Question 5(c OR) [7 marks]

Write a menu driven program to perform the following operation on Binary Search Tree: Insert an element in BST.

```
class TreeNode:
    def __init__(self, data):
        self.data = data
        self.left = None
        self.right = None

class BST:
    def __init__(self):
        self.root = None

def insert(self, data):
    if self.root is None:
        self.root = TreeNode(data)
        print(f"Root node {data} created")
    else:
```

```
self. insert helper(self.root, data)
   def _insert_helper(self, node, data):
        if data < node.data:
            if node.left is None:
                node.left = TreeNode(data)
                print(f"Inserted {data} to left of {node.data}")
            else:
                self._insert_helper(node.left, data)
        elif data > node.data:
            if node.right is None:
                node.right = TreeNode(data)
                print(f"Inserted {data} to right of {node.data}")
                self._insert_helper(node.right, data)
        else:
            print(f"Data {data} already exists")
   def display_inorder(self, node, result):
        if node:
            self.display inorder(node.left, result)
            result.append(node.data)
            self.display inorder(node.right, result)
def main():
   bst = BST()
   while True:
        print("\n--- BST Operations ---")
        print("1. Insert Element")
        print("2. Display BST (Inorder)")
        print("3. Exit")
        choice = int(input("Enter your choice: "))
        if choice == 1:
            data = int(input("Enter element to insert: "))
            bst.insert(data)
        elif choice == 2:
            result = []
            bst.display_inorder(bst.root, result)
            print("BST Elements (sorted):", result)
        elif choice == 3:
            print("Exiting...")
            break
        else:
            print("
            print("Invalid choice!")
if __name__ == "__main__":
   main()
```

- Insert logic: Compare with current node, go left/right
- Recursive approach: Clean and efficient implementation
- Menu system: Interactive user interface

Mnemonic: "CRL - Compare, Recursive, Left/right"