

Reinforcement Learning: Tutorial 14

Partial observability and Exam recap

Week 7
University of Amsterdam

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Check-in

- How is it going?
- How is the reproducible research assignment going?
- How is exam revision?
- If you have any feedback so far, please mail me at *m.kapralova@uva.nl*

Outline

- 1 Admin
- 2 Partial observability exercise
- 3 Previous years' exams & Q&A Session

Admin

- The reproducible research assignment deadline is today @ 17:00
- Reminder: exam is next Tuesday, 9-12, @ Piet Heinkade 27 (**not SP**)
- Any questions?

Tutorial 14 Overview

- 1 Partial observability exercise
- 2 Q&A Session



Tutorial 14 Overview

- 1 Partial observability exercise
 - Question 13.1
- 2 Q&A Session



Q 13.1 *Exam Question: Partially Observable MDPs

- 1 In POMDPs, we usually maintain an internal state s based on the interaction history. Two ways to do that include maintaining a belief state or using frame stacking. Give an advantage and a disadvantage of belief states over frame stacking. (In case it is relevant, assume the number of possible latent system states x is much larger than the dimensionality of observations times the number of stacked frames.)

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1. Advantages:

- Belief states are Markov \rightarrow use them to compute optimal policies,
- belief states are interpretable,
- belief states are reasonably compact (s has as many dimensions as x has states),
- belief state can be computed recursively without memorizing the history.

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2. Disadvantages:

- Belief updates are harder to implement than frame stacking,
- only for discrete states,
- underlying models are needed,
- underlying models can be difficult to learn,
- belief updates are computationally expensive.

Q 13.1 *Exam Question: Partially Observable MDPs

- 2 While in POMDPs, we have separate latent system states x , observations o and internal agent states s , in MDPs we have $s = x = o$. In general, frame stacking does not result in an internal state that is a Markov function of a history. Is this also the case when the environment is an MDP? Explain why, using the criterion for internal Markov states in your answer.

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In MDPs, the environment state (x) is directly observed ($x = o$). So only the last frame is already a Markov state. If we stack a couple of frames, that only adds information but s is still Markov. So: it is not the case that frame stacking result in a non-Markov internal state.

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From the definition of Markov state we can see that any time the internal state is encountered, the probability of future state is the same. Since the stack includes x , and we already know that x contains enough all information about future system behavior (x is a Markov state), the stack is so as well.



Tutorial 14 Overview

- 1 Policy gradient methods: REINFORCE exercises
- 2 Previous years' exams & Q&A Session



Previous years' exams

- Ask away!



Q&A Session

- Ask anything about the ERL assignment or the course



That's it!



Thank you for joining the tutorial sessions and good luck on the exam