

# HW11, Your Name

## Problem #1

This question deals with our beloved Airbnb data.

- a. ~~Conduct a  $t$ -test on finding out whether the average price of NYC listings significantly differs from 150\$ per night. What population we are trying to infer about when conducting this test? Make sure to formulate the hypotheses (in parameter notation), report both the  $p$ -value and (Cohen's) effect size. Interpret the result. Does the confidence interval agree with hypothesis test?~~
- b. ~~Is the normality assumption satisfied? Are there any extreme outliers? Given that, should we be concerned about the legitimacy of the conducted  $t$ -test?~~
- c. ~~(Similar to what we did with *TVhours* data set in lecture code). Piggy-backing off part (b), proceed to pretend as if your data set is the "entire population" of NYC Airbnb listings (of size 48,864). Repeat the following process 10,000 times:~~
  - ~~Randomly sample 30 listings from that "population".~~
  - ~~Conduct the  $t$ -test based on this sample of whether population mean price differs from  $\text{mean}(\text{listings}\$price)$  (which is the true mean of our "population").~~
  - ~~Record the  $p$ -value.~~

~~In the end, calculate the % of times your  $p$ -value was less than 0.05. Is it what you expected with significance level  $\alpha = 0.05$ ? Why/Why not?~~

## Problem #2

This question deals with data on working hours per week.

- a. ~~Proceed to check the normality assumption for weekly working hours of 1) males and 2) females. Does it look satisfied? If not do you believe that  $t$ -test results on comparing males and females with respect to weekly working hours might be suspect? Why/why not?~~
- b. ~~Conduct a two-sample  $t$ -test comparing males and females with respect to weekly working hours. Make sure to formulate the hypotheses (in parameter notation), report both the  $p$ -value and (Cohen's) effect size. Interpret the result (along with confidence interval). Does the confidence interval agree with hypothesis test? Explain.~~

## Problem #3

~~9.56~~

~~10.14~~

~~10.24~~

~~10.49, 10.58 (please use  $R$  here, along with  $t.test()$  function to find confidence intervals)~~