

L1 + L3

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# Digital v/s Analog



analog quantities vary continuously where as digital quantities vary in steps

analog quantities can be reped in a digital format by sampling and quantisation

finding values of the analog quantity periodically  $[f(t)]$

a many-to-one mapping of the sampled data

quantisation also results in a loss of precision

digital representation of analog quantities results in a loss of precision  
but digital techniques are more accurate and precise?

L3.

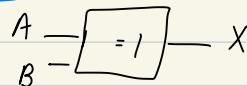
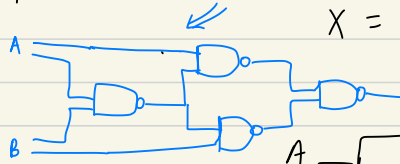
exclusive OR / XOR

$$\Rightarrow \text{XOR symbol} \quad / X = AB' + A'B$$

$$X = A \oplus B$$

$$A \oplus B \oplus C = (A \oplus B) \oplus C = A \oplus (B \oplus C)$$

A	B	X
0	0	0
0	1	1
1	0	1
1	1	0



IEEE symbol

1 1 0 → diff from OR

if XOR has multiple inputs, it is an odd-f<sup>n</sup> generator  
⇒  $OP = 1$  if no of 1 i/p is odd.

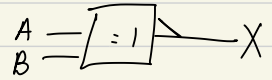
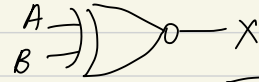
A	B	$(A \oplus B)'$	$(A \oplus B)$	B'	$(A \oplus B')'$
0	0	1	0	1	0
0	1	0	1	0	1
1	0	0	1	1	0
1	1	1	0	0	1

exclusive - NOR / XNOR

$$X = AB + A'B'$$

$$X = (A \oplus B)'$$

$$(A'B + B'A)' = (A+B')(B+A') = AB + B'A'$$



IEEE symbol

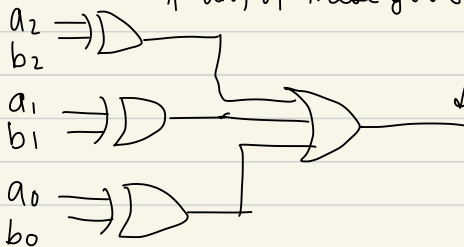
application of XOR

- bit-wise comparator ← parity detector

↳ O/P = 1 if 2 multi-bit inputs are diff

let  $a \Rightarrow a_2 a_1 a_0$  (3 bit)  
 $b \Rightarrow b_2 b_1 b_0$

if any of these give 1 then  $a \neq b$



here we use  $a_2 \oplus b_2$  OR  $a_1 \oplus b_1$  OR  $a_0 \oplus b_0$   
 but we can use  
 $a_2 \text{ XNOR } b_2$  AND  $a_0 \text{ XNOR } b_0$

- NAND identifies 0
- OR identifies 1
- AND identifies all 1s
- NOR identifies all 0s
- $A(OR)1 \rightarrow$  forces value to be 1 "setting the bit"
- $A(AND)0 \rightarrow$  forces value to be 0 "clearing the bit"
- XOR can be used as a parity detector. odd  $1 \rightarrow 1$
- $A \oplus 1 \rightarrow$  changes parity  
aka  
"complement the bit"

A	1	$A \oplus 1$
0	1	1
1	1	0

↗ inverse

- "masking" the mask determines what of the original value is changed and kept unchanged

eg.  $x = 10110$  we want to clear  $x_2$  &  $x_1$ . perform bitwise operation  
 $\Downarrow$  AND

$\hookrightarrow 11001 \rightarrow$  "mask"

$x \text{ AND } 11001 \rightarrow 10000$

$x$  is unchanged wherever the mask is 1 and its 0 wherever the mask is 0

$$X = a \oplus \{ b \oplus (c \oplus (d \oplus e)) \}$$

$$\uparrow$$

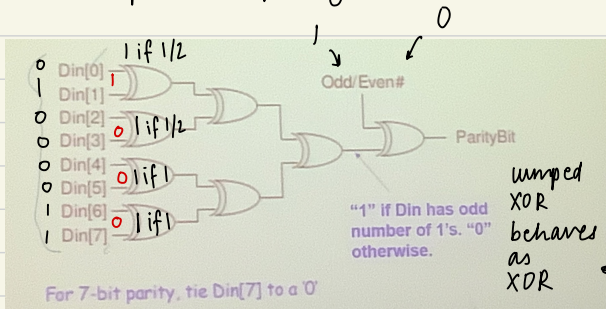
$$\uparrow d'e + e'd$$

$$a'b'c'd'e + a'b'c'd'e' + a'b'c'd'e + a'b'c'd'e + a'b'c'd'e$$

XOR as parity generator

I/P depends on parity

← did not understand.



← V.V.V. imp.

if i am checking for odd parity

i will  $I/P = 1$  so that  $O/P = 0 \Rightarrow$  parity bit is zero  
 $\& O/P \oplus XOR = 1$   
 $\Rightarrow$  even no of ones  $O/P = 1 \Rightarrow$  ——— " ——— is one

else if checking for even

$I/P = 0$  so that  $O/P = 1 \Rightarrow$  ——— " ——— is one  
 $\& O/P \oplus XOR = 0$   
 $\Rightarrow$  odd no of ones.  $O/P = 0 \Rightarrow$  ——— " ——— is zero