

set theory universal set: 1 counting I scenarios sampling w/ replacement (repeat digits)
sampling w/o replacement digits drawn are ordered · digits drown are unordered sampling sordered unordered (w/ w/o replacement · sampling k elements from a set of n w replacement: n^k who replacement: $n^k \sim n! / (n-k)!$ ~ 4 ! = 24 e 4 boys 2 girls 6×6×8: 144 a boyon either side of the girl 3C2 x 2!

"quantifying belief Bayes Theorem sample space prior known information is reduced due to new information P (Hypothesis | Evidence) → restricting our view only to possibilities where evidence holds P(H) ← priori $P(H|E) \leftarrow posterior$ P(H|E) = P(H)P(E|H)P(H)P(E/H) P(H)P(F|H) + P(-H)P(E|-H) how often is I frue among lib farmers cases where E is true P(EIN) La "libs $y \leftarrow P(E|7H) \rightarrow "farmers that$ fit the auxiniption that fit desc! P(¬H)→"is a farmer" out of all the L, "is a lib" farmer , y no. ory of all are meek lib, & no are neck

$$P(g1) = 0.8$$

$$P(g2) = 0.5$$

$$P(g1) = 0.8$$

$$P(g1) = 0.8$$

$$P(g1) = 0.98$$

$$P(g1) = 0.99$$

$$P(g1) = 0.099$$

$$P(g2) = P(g1) + P(g2) - P(g1) = 0.099$$

$$P(g2) = 0.099$$

$$P(g1) = 0.099$$

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$$P(g1) = 0.099$$

$$P(g2) = 0.099$$

$$P(g1) = 0.099$$

$$P(\overline{A} \text{ and } \overline{B}) = P(\overline{A} \cap \overline{B}) = P(\overline{A}) P(\overline{B})$$
: independence $0.9 \times 0.9 =$

$$P(A \cap B) = P(A) \cdot P(B \mid A) \qquad A \rightarrow \text{not (efty)}$$

$$P(A \cap B) = P(A) \cdot P(B \mid A) \qquad A \Rightarrow \text{not (efty)}$$

$$\frac{44}{50} \qquad \frac{43}{49}$$

$$P(at | east one) = 1 - P(none)$$

= 1 - $(0.95 \times 0.95 \times 0.95)^{2}$
 $P(>1) = 0.8$

$$\varphi(>1) = 0.8$$

$$\varphi(>2)$$

(1 Nant) = 1 - P (4 lhr)

$$(0.5)(0.5)(0.5) \longrightarrow 0.125
+ 0.125
0.25$$

W
L
0.02 0.98 0.02 m + 0.98n = 0.95

m n

$$(0.5)(0.5)(0.5) \longrightarrow 0.125
+ 0.125
0.25$$

W
L
0.02 0.98 0.02 m + 0.98n = 0.95

M
16 × 0.36 + 0.48 + 36 × 0.16 = 19.2

34 + 3.6 32.4

$$(1.4)^{2}(0.09) + (0.4)^{2}(0.42) + (0.6)^{2}(0.49)$$

D. 6 X10000

y = X - 1

= 6000 - 2000

99990
$$T = 100 \qquad \mu_{x} \to 10 \,\mu_{x} = 1.2$$

$$\sigma_{t} \to 10 \,\sigma_{x} = 3.8$$

 $(495)^{2}(0.01) + (5)^{2}(0.99)$

