

## Intent:

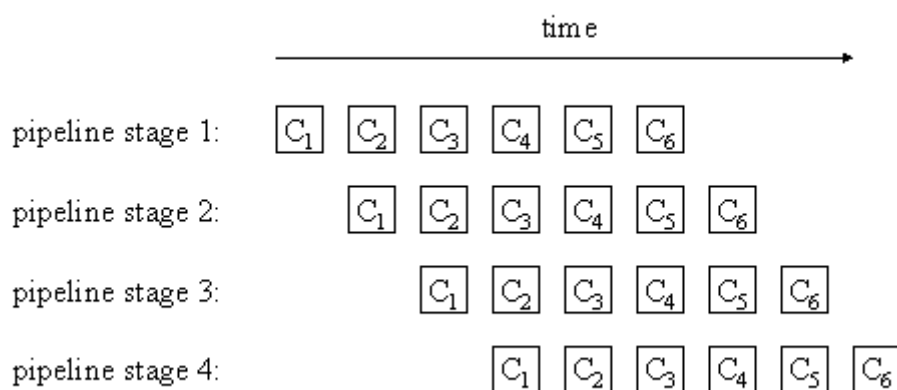
This pattern is used for algorithms in which data flows through a sequence of tasks or stages. It represents a "pipelined" form of concurrency, as used for example in a pipelined processor.

## Motivation:

The basic idea of this pattern is much like the idea of an assembly line: To perform a sequence of essentially identical calculations, each of which can be broken down into the same sequence of steps, we set up a "pipeline", one stage for each step, with all stages potentially executing concurrently. Each of the sequence of calculations is performed by having the first stage of the pipeline perform the first step, and then the second stage the second step, and so on. As each stage completes a step of a calculation, it passes the calculation-in-progress to the next stage and begins work on the next calculation.

This may be easiest to understand by thinking in terms of the assembly-line analogy: For example, suppose the goal is to manufacture a number of cars, where the manufacture of each car can be separated into a sequence of smaller operations (e.g., installing a windshield). Then we can set up an assembly line (pipeline), with each operation assigned to a different worker. As the car-to-be moves down the assembly line, it is built up by performing the sequence of operations; each worker, however, performs the same operation over and over on a succession of cars.

Returning to a more abstract view, if we call the calculations to be performed  $C_1$ ,  $C_2$ , and so forth, then we can describe operation of a PipelineProcessing program thus: Initially, the first stage of the pipeline is performing the first operation of  $C_1$ . When that completes, the second stage of the pipeline performs the second operation on  $C_1$ ; simultaneously, the first stage of the pipeline performs the first stage of  $C_2$ . When both complete, the third stage of the pipeline performs the third operation on  $C_1$ , the second stage performs the second operation on  $C_2$ , and the first stage performs the first operation on  $C_3$ . The following figure illustrates how this works for a pipeline consisting of four stages.

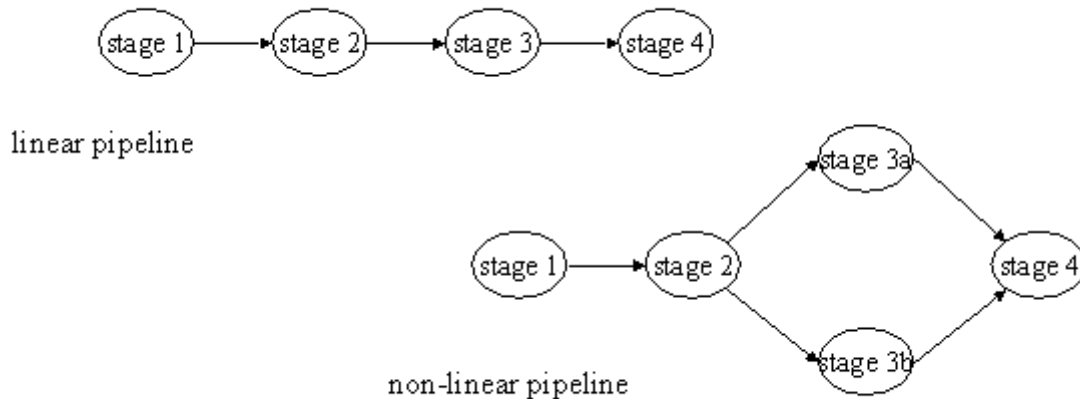


Observe that each stage of the pipeline is inactive during some part of the program: The later stages are inactive early in the program (when  $C_1$  has not moved very far "down the pipeline"), and the earlier stages similarly become inactive late in the program (when the last calculation is moving down the pipeline). This pattern therefore is most effective when the number of calculations is large compared to the number of operations/stages required for each one.

Observe also that either the stages of the pipeline must be kept synchronized or there must be some way of buffering work between successive stages. The pattern therefore usually works better if the operations performed by the various stages of the pipeline are all about equally computationally intensive.

The key restriction in this pattern is that it must be possible to overlap the computations, as shown in the preceding figure; e.g., once pipeline stage 1 has finished its part of the calculation for  $C_1$ , it can proceed to its part of the calculation for  $C_2$  while pipeline stage 2 performs its part of the calculation for  $C_1$ .

This idea can be extended to include situations in which some operations can be performed concurrently. The figure below illustrates two pipelines, each with four stages. In the second pipeline, the third stage consists of two operations that can be performed concurrently.



These figures suggest that we can represent a pipeline as a directed graph, with vertices corresponding to elements of the calculation and edges indicating dataflow. To preserve the idea of the pipeline, it is necessary that this graph be acyclic, and it is probably best if it does not depart too much from a basically linear structure, in which the elements can be divided into stages, with each stage communicating only with the previous and next stages.

We can describe the linear case more formally, as follows: This pattern describes computations whose goal is to take a sequence of inputs  $in_1, in_2$ , etc. and compute a sequence of outputs  $out_1, out_2$ , etc., where the following is true:

- $out_i$  can be computed from  $in_i$  as a composition of  $N$  functions  $f^{(1)}, f^{(2)}$ , and so on, where (letting  $\cdot$  denote function composition)
  - $out_i = f^{(N)} \cdot \dots \cdot f^{(2)} \cdot f^{(1)} (in_i)$
- For  $i$  and  $j$  different, and  $m$  and  $n$  different, the computation of  $out^{(m)}_i$  is independent of the computation  $out^{(n)}_j$ , where we have defined input and output sequences for the functions  $f^{(k)}$  as follows:
  - $out^{(m)}_i = f^{(m)}(in^{(m)}_i)$
  - $in^{(1)}_i = in_i$
  - $out^{(N)}_i = out_i$
  - $in^{(m+1)}_i = out^{(m)}_i$ , for  $m$  between 1 and  $N-1$ .

To restate this less formally: For different stages  $m$  and  $n$  of the pipeline, and different elements  $C_i$  and  $C_j$  of the sequence of calculations to be performed, stage  $m$  of the calculation for  $C_i$  can be done independently of stage  $n$  of the calculation for  $C_j$ . This is what makes the concurrency possible.

Viewing the pattern in terms of tasks, we define one task for each element of the pipeline (one element per stage in a linear pipeline, possibly more for a nonlinear pipeline). Each task can be thought of as having a predecessor (in the previous stage) and a successor (in the next stage), with obvious exceptions for tasks corresponding to the first and last stages of the pipeline and a straightforward generalization to nonlinear pipelines (where a task can have multiple predecessors or successors). Data dependencies are defined as follows. Each task requires as input a sequence of input items from its predecessor (or synchronized sequences from its predecessors); for each input item it generates an output item to be used by its successor (or synchronized groups of items, each group to be distributed among its successors).

## Applicability:

Use the PipelineProcessing pattern when:

- The problem consists of performing a sequence of calculations, each of which can be broken down into distinct stages, on a sequence of inputs, such that for each input the calculations must be done in order, but it is possible to overlap computation of different stages for different inputs as indicated in the figures in the Motivation section.

The pattern is particularly effective when:

- The number of calculations is large compared to the number of stages.
- It is possible to dedicate a processor to each element, or at least each stage, of the pipeline.

## Structure:

Implementations of this pattern include the following key elements:

- A way of defining the elements of the pipeline, where each element corresponds to one of the functions that make up the computation. In a linear pipeline (such as the "linear pipeline" of the earlier figure above), these elements are the stages of the pipeline; in a more complex pipeline (such as the "non-linear pipeline" of the figure) there can be more than one element per pipeline stage. Each pipeline element will correspond to one task.
- A way of representing the dataflow among pipeline elements, i.e., how the functions are composed.
- A way of scheduling the tasks.

## Usage:

This pattern is typically used to provide high-level structure for an application; that is, the application is typically structured as an instance of this pattern. This pattern can be particularly effective as the top level of a hierarchical design, with each stage of the pipeline represented by a group of tasks (internally organized using another of the AlgorithmStructure patterns).

## Consequences:

- In a pipeline algorithm, concurrency is limited until all the stages are occupied with useful work. This is referred to as "filling the pipeline". At the tail end of the computation, again there is limited concurrency as the final item works its way through the pipeline. This is called "draining the pipeline". In order for pipeline algorithms to be effective, the time spent filling or draining the pipeline must be small compared to the total time of the computation.
- Another problem occurs if the stages in the pipeline vary widely in computational effort. The slowest stage defines a bottleneck for the algorithm's aggregate throughput. Furthermore, a much slower stage in the middle of the pipeline will cause data items to back up on the input queue, potentially leading to buffer overflow problems.

## Implementation:

## Key elements.

### Defining the elements of the pipeline.

What is needed here is a program structure to hold the computations associated with each stage. There are many ways to do this. A particularly effective approach is an SPMD program in which the ID associated with the unit of execution (UE) selects options in a case statement, with each case corresponding to a stage of the pipeline.

### Representing the dataflow among pipeline elements.

What is needed here is a mechanism that provides for the orderly flow of data between stages in the pipeline. This is relatively straightforward to accomplish in a message-passing environment by assigning one process to each function and implementing each function-to-function connection (between successive stages of the pipeline) via a sequence of messages between the corresponding tasks. Since the stages are hardly ever perfectly synchronized, and the amount of work carried out at different stages almost always varies, this flow of data between pipeline stages must usually be both buffered and ordered. Most message-passing environment (e.g., MPI) make this easy to do.

If a message-passing programming environment is not a good fit with the target platform, the programmer will need to explicitly connect the stages in the pipeline with a buffered channel. Such a buffered channel can be implemented as a shared queue (using the [SharedQueue](#) pattern).

### Scheduling the tasks.

What is needed here is a way of scheduling the tasks that make up the design. Usually all tasks are scheduled to execute concurrently (e.g., as elements of an SPMD program), since this avoids bottlenecks and potential deadlock.

### Correctness issues.

- What makes concurrency possible here is the requirement that for different stages  $m$  and  $n$  of the pipeline, and different elements  $C_i$  and  $C_j$  of the sequence of calculations to be performed, stage  $m$  of the calculation for  $C_i$  can be done independently of stage  $n$  of the calculation for  $C_j$ . The tasks that make up the pipeline should therefore be independent, except for the interaction needed to pass data from one stage to the next. This happens naturally in a distributed-memory environment; in a shared-memory environment, it can be guaranteed by (i) making sure the mechanism used to pass data from one pipeline stage to the next is correctly implemented (e.g., by using a concurrency-safe shared data structure such as [SharedQueue](#)) and (ii) not allowing tasks to modify any shared variables except those used in this mechanism.

### Efficiency issues.

- *(Discussion to be added later.)*

## Examples:

*(To be added later.)*

## Known Uses:

Examples of the use of this pattern can be found in image-processing applications.

The CMU task-parallel Fortran test suite ([see the Fx home page](#)) includes examples of this pattern.

Additional examples can be found in [JaJa92].

## Related Patterns:

This pattern is similar to the [AsynchronousComposition](#) pattern in that both patterns apply to problems where it is natural to decompose the computation into a collection of semi-independent entities. The difference is that in the PipelineProcessing pattern, these entities interact in a more regular way, with all "stages" of the pipeline proceeding in a loosely synchronous way, whereas in the AsynchronousComposition pattern, there is no such requirement, and the entities can interact in very irregular and asynchronous ways.