

CS350 Homework 4

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24.3-6

```
MOST-RELIABLE-PATH(G, source)
1  mark each vertex as distance infinity
2  mark each vertex's previous vertex as undefined
3  mark the source's distance as 0
4  put all of the vertices in a Queue
5  while the Queue is not empty
6      find the vertex u with the least distance
7      if that vertex is the target
8          create a new sequence S
9          while previous vertex of u is defined
10             add u at the beginning of S
11             continue to u's previous vertex
12         remove that vertex from the Queue
13     for each neighbor v of that vertex
14         add the negative logs of u and (u,v)
15         if the sum is less than the current value of v's distance
16             set v's distance to that sum
17         set v's previous vertex to u
```

15.2-1

For this problem I wrote the Matrix-Chain-Order and Print-Optimal- Parens functions in Python, using the pseudocode from the textbook. My code is below:

```
#!/usr/bin/python

import sys

def main():
    # dimensions of each matrix
    a = [5,10,3,12,5,50,6]

    m,s = matrix_chain_order(a)

    for line in m:
        print(line)
    for line in s:
        print(line)

    print_opt_parens(s,1,6)
    sys.stdout.write('\n')

def matrix_chain_order(p):
    n = len(p) - 1
    m = []
```

```

s = []
for i in range(n):
    m.append([])
    s.append([])
    for j in range(n):
        m[i].append(0)
        s[i].append(0)

for l in range(2,n+1):
    for i in range(1,n-l+2):
        j = i + l - 1
        m[i-1][j-1] = 9999
        for k in range(i,j):
            q = m[i-1][k-1] + m[k][j-1] + p[i-1]*p[k]*p[j]
            if q < m[i-1][j-1]:
                m[i-1][j-1] = q
                s[i-1][j-1] = k

return m,s

def print_opt_parens(s,i,j):
    if i == j:
        sys.stdout.write("A_" + str(i) + " ")
    else:
        sys.stdout.write("(")
        print_opt_parens(s,i,s[i-1][j-1])
        print_opt_parens(s,s[i-1][j-1] + 1, j)
        sys.stdout.write(")")

if __name__=="__main__":
    main()

```

The output of the program is:

```

[0, 150, 330, 405, 1655, 2010]
[0, 0, 360, 330, 2430, 1950]
[0, 0, 0, 180, 930, 1770]
[0, 0, 0, 0, 3000, 1860]
[0, 0, 0, 0, 0, 1500]
[0, 0, 0, 0, 0, 0]
[0, 1, 2, 2, 4, 2]
[0, 0, 2, 2, 2, 2]
[0, 0, 0, 3, 4, 4]
[0, 0, 0, 0, 4, 4]
[0, 0, 0, 0, 0, 5]
[0, 0, 0, 0, 0, 0]
((A_1 A_2 )((A_3 A_4 )(A_5 A_6 )))

```

16.2-2

For this algorithm, I'm going to go with a few assumptions.

First of all, W is a multiple of 100. Also, each item is a value $n * 100$ for values of n up to and including $n * 100 = W$.

This builds a table like the one in class, and returns the very last value of the table.

```

KNAPSACK(W, n)
1  create new table K [1..n , 100..W]
2  set each value of column 1 to 100
3  set each value of row 100 to 100
4  for i = 2 to n
5      for j = 200 to W
6          max = -1
7          current_sum = 0
8          if i*100 <= j
9              current_sum = put item i*100
10             if j-i*100 > 0
11                 current_sum += K[i-1][j-i*100]
12             endif
13             if current_sum > max
14                 max = current_sum
15             endif
16         else if K[i-1][j] > max
17             max = K[i-1][j]
18         endif
19     endfor
20 endfor
21 return K[n][W]

```

16.3-3

16.3-9

I am not going to attempt this one.