# Computer Graphics Practical 2



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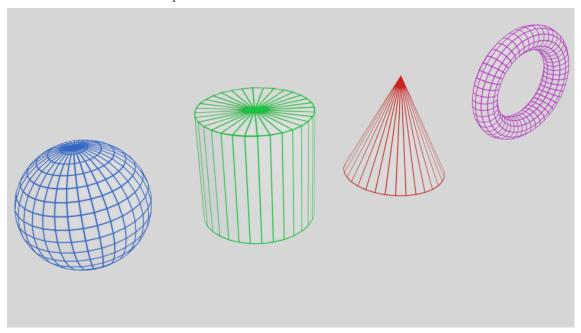
# 1 Objectives

Computer Graphics is a science mainly composed of three fields:

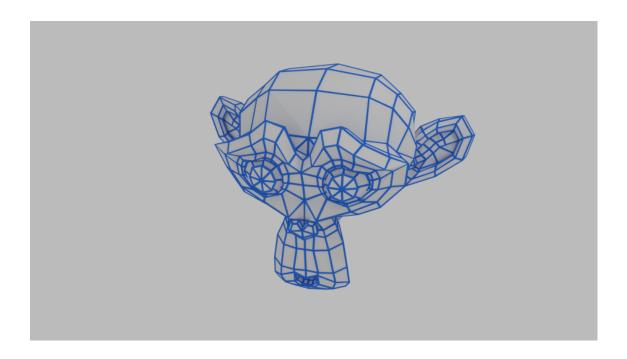
- 1. Modeling: How to create and represent 3D shapes efficiently.
- 2. **Rendering**: How to compute the appearance of a shape.
- 3. Animation: How to add a dynamic behavior to a shape in a virtual space.

This practical introduces two of the most basic modeling techniques:

• Parametric modeling: The surface of an object is described by a set of equations that can be used to build its geometry. This technique is mostly used to describe simple objects that can be then assembled in more complex ones.



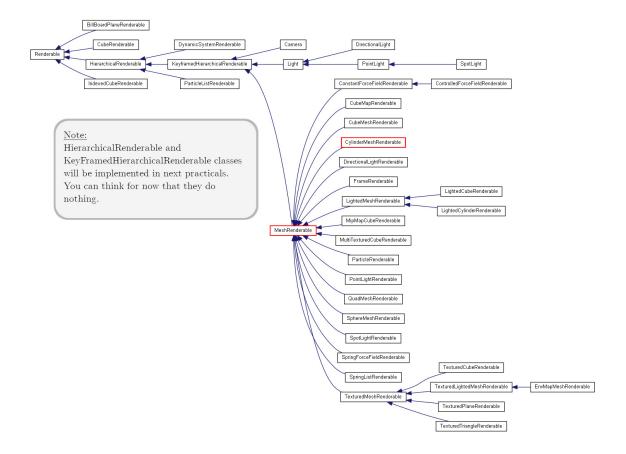
• **Descriptive modeling**: Step by step, vertices and faces are built to describe the surface of an object. Without any sculpting tools, this is certainly the most tedious way of sculpting. Therefore many methods were proposed to ease this process.



### 2 MeshRenderable class

As you can imagine, the logic that you have implemented in CubeRenderable and IndexedCubeRenderable can be written once then reused by other Renderables. To do this, we provide the MeshRenderable class that gathers positions, normals, colors, indices and texture coordinates buffers.

Carefully read MeshRenderable::do\_draw(). You will notice that this class implements both indexed or non-indexed geometry and other drawing modes than GL\_TRIANGLES such as GL\_LINES (see FrameRenderable.cpp). There is a protected constructor which is used by the CylinderMeshRenderable class that you will complete in this practical. More generally, you are very likely to derive your own Renderables from MeshRenderable unless you need some special rendering behavior (e.g. see ParticleListRenderable::do\_draw()).



# 3 Exercice 1: cylinder

The lateral surface of a unit cylinder can be described by the following parametric equations:

$$\begin{cases} x = \cos \theta \\ y = \sin \theta \\ z = h \end{cases}$$
 for  $\theta \in [0, 2\pi[$  and  $h \in [0, 1]$ 



In the CylinderMeshRenderable class, you will create a "canonical" cylinder centered along the z axis, with a radius of 1 and bases on h = 0 and h = 1.

- Identify what number of triangles a slice represents.
- Complete the geometry using the equation of a cylinder.
- $\bullet$  Set different colors to the bases and the lateral surface of your cylinder.

• Add your new renderable to the viewer.

Warning: A skeleton of class CylinderMeshRenderable is provided; comments indicate where you need to complete the code.

#### 4 Exercice 2: normals

This exercise is about normal computations. It serves two purposes:

- Getting more familiar with normal computing.
- Preparing the next practical about illumination and rendering.

Compute the normal at each vertex in two different ways:

- Normal per face: Each vertex stores the normal of the face.
- Normal per vertex: Each vertex stores the normal at its position.

Warning 1: Normals should be normalized. It must be ensured by construction or using the glm::normalize() function.

**Warning 2:** So far, normals are not used by your shaders. As a test, you can modify your shaders to take as an input the normals vNormal and display them instead of the colors. You may also remap them from  $[-1,1]^3$  to  $[0,1]^3$ .

#### 5 Exercice 3: mesh

- Look at the mesh files cat.obj and pillar.obj with a text editor to get an idea of how a mesh can be stored into a file.
- Use the function in the file Io.hpp to import an obj mesh in the class MeshRenderable.
- Add two MeshRenderables in the viewer that load the cat and the pillar respectively.
- Use the following functions to place the cat on the pillar.

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- HierarchialRenderable::setGlobalTransform()
  (same usage as Renderable::setModelMatrix() in Practical 1)
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- getTranslationMatrix()
- getScaleMatrix()
- getRotationMatrix()

## 6 Exercice 4: projet

Start working on the modeling of your boat and North Pole environment.