

$$(ab)^n = a^n b^n \text{ ( } n \text{ is a natural number.)}$$

$$n \text{ 이 자연수일 때, } (ab)^n = a^n b^n$$

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END