사다리꼴 근사법
(Traezoidal Approximations)

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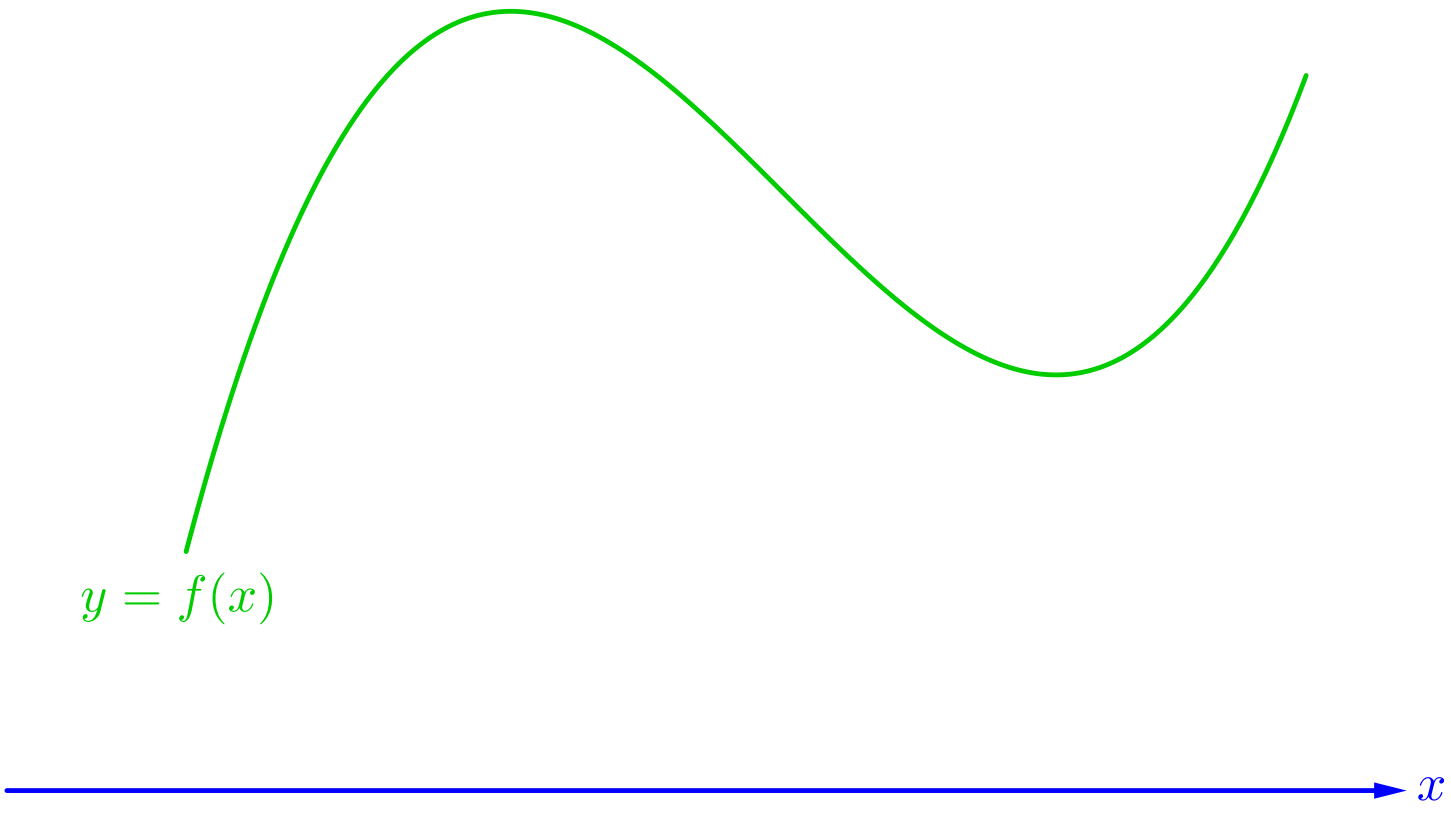

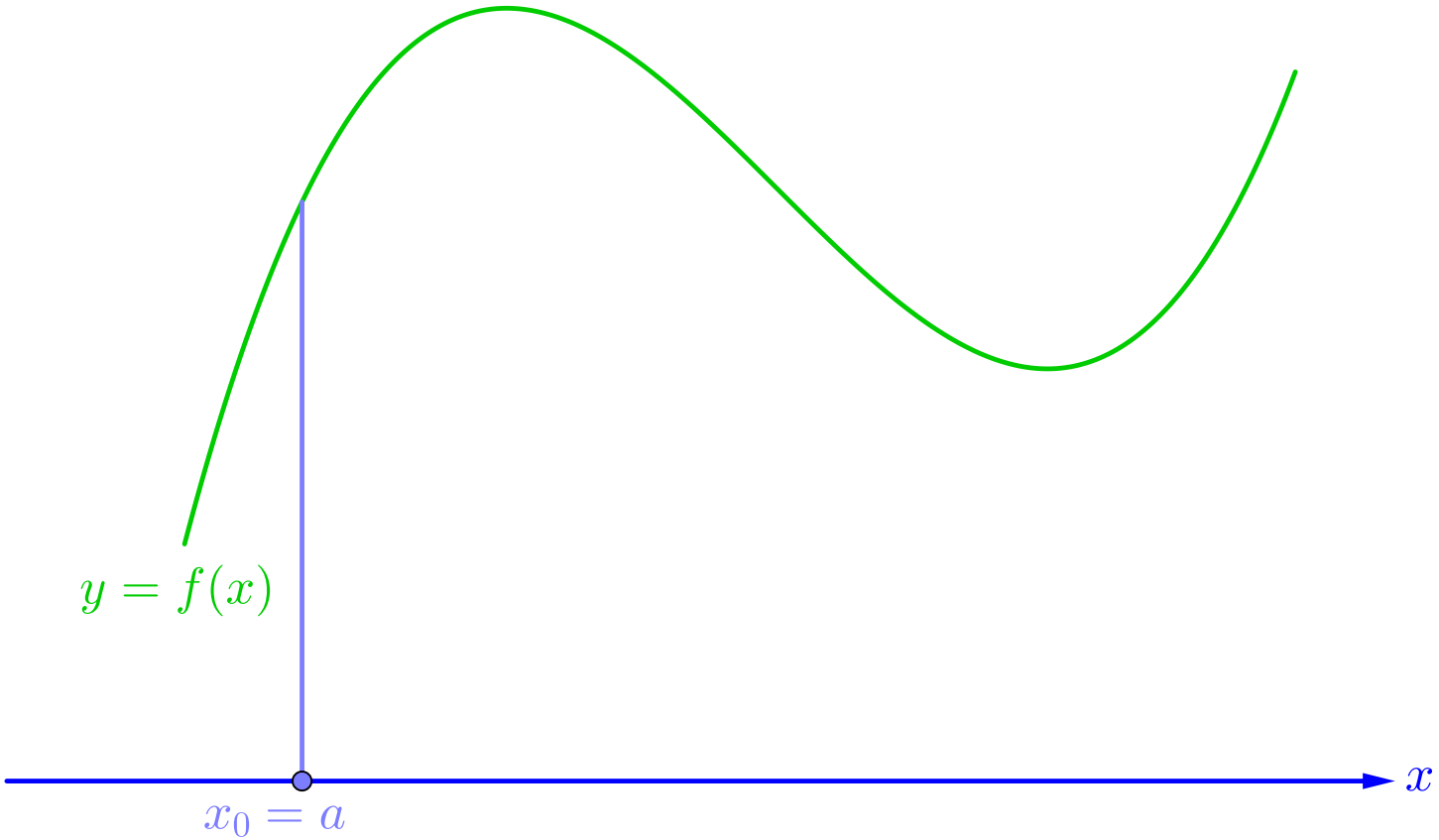
$y = f(x)$
x
$x_0 = a$

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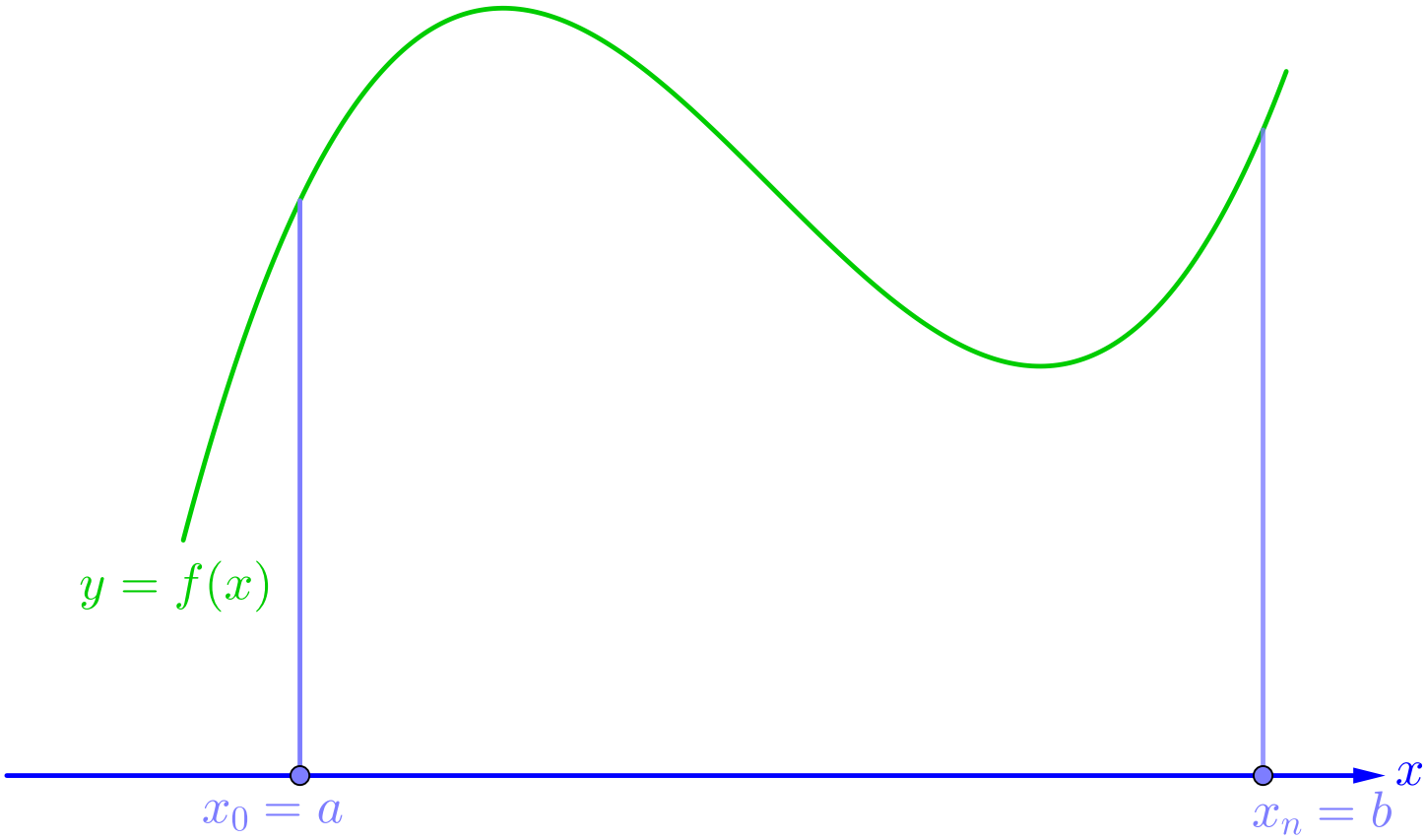

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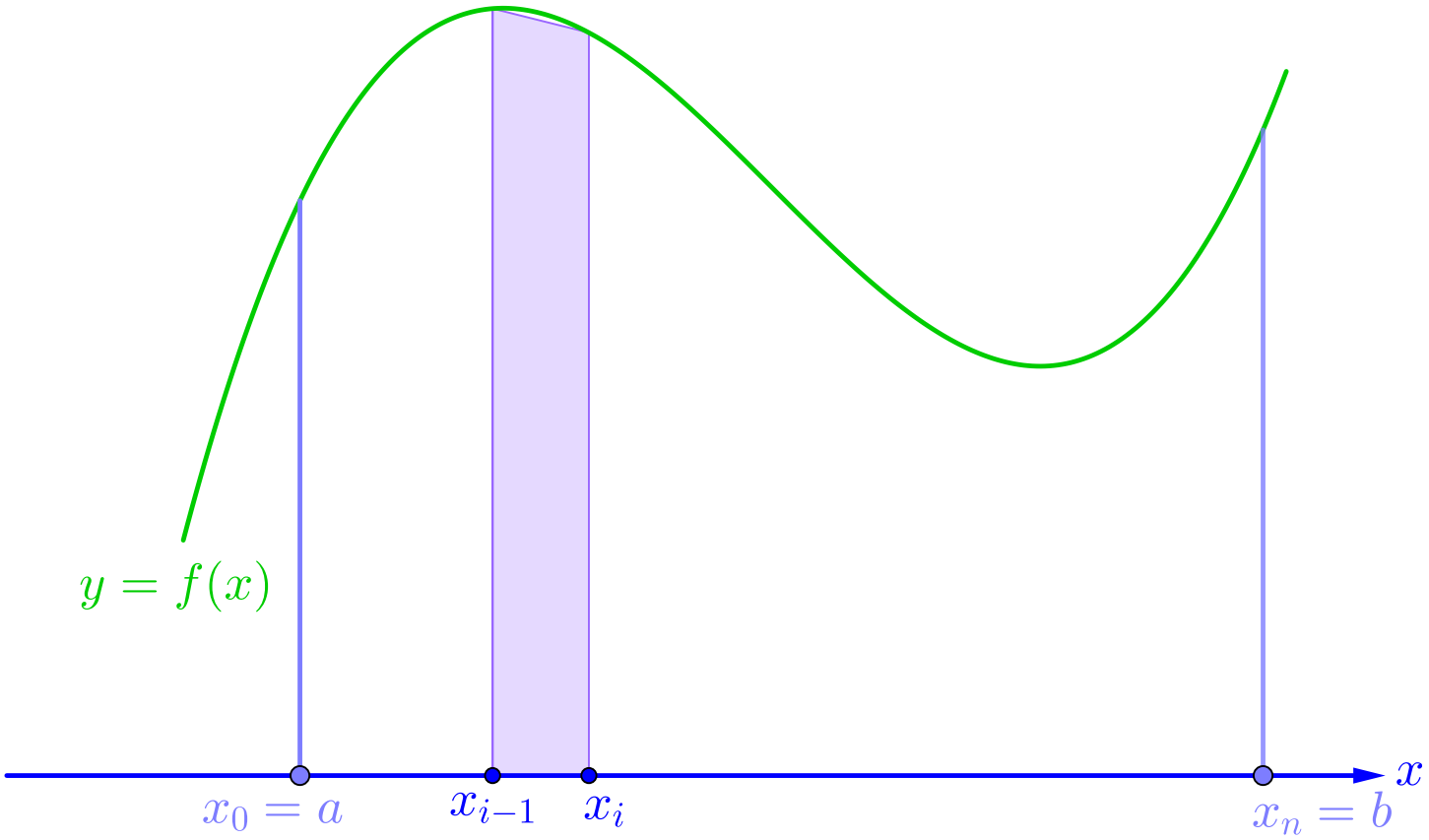

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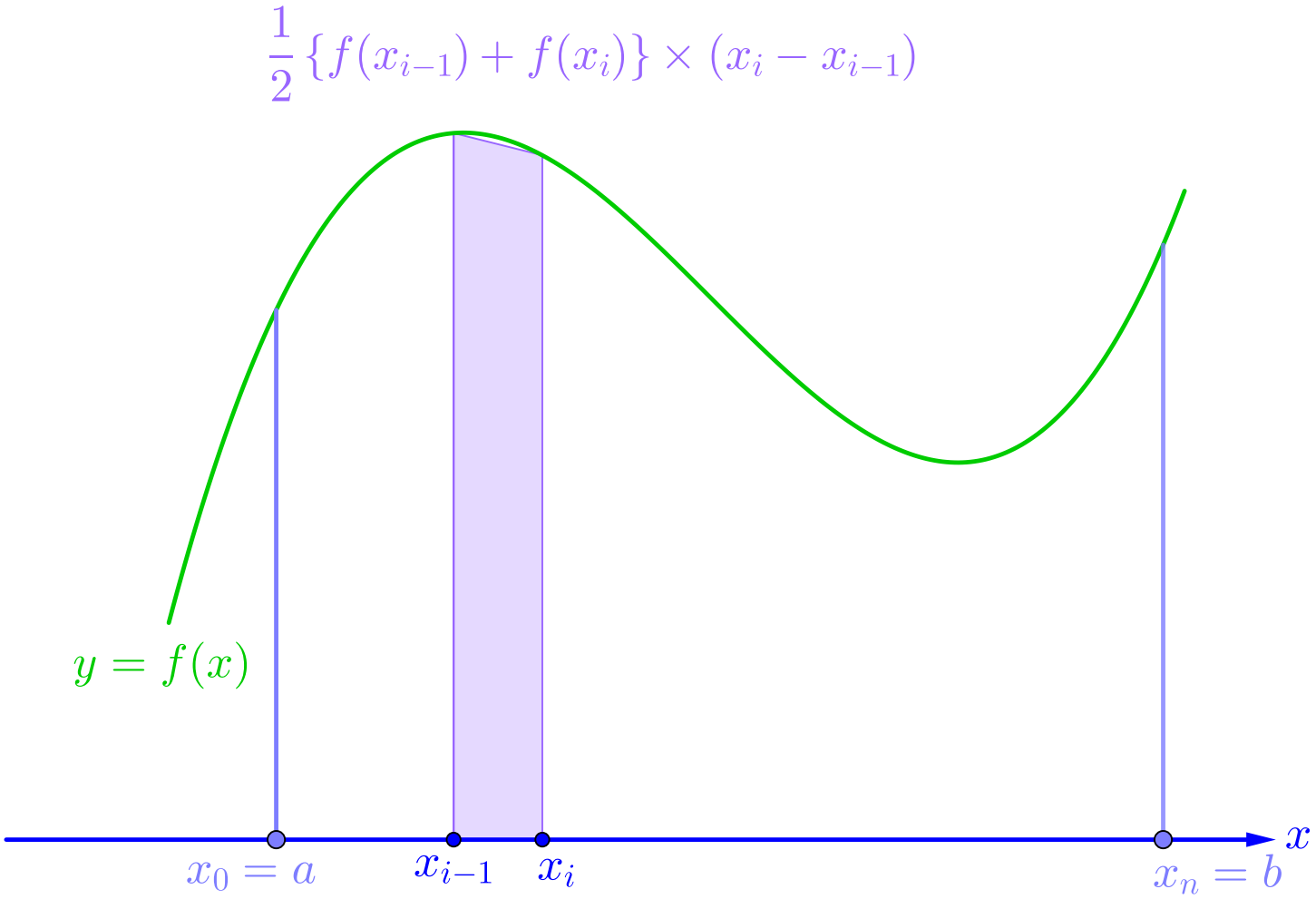

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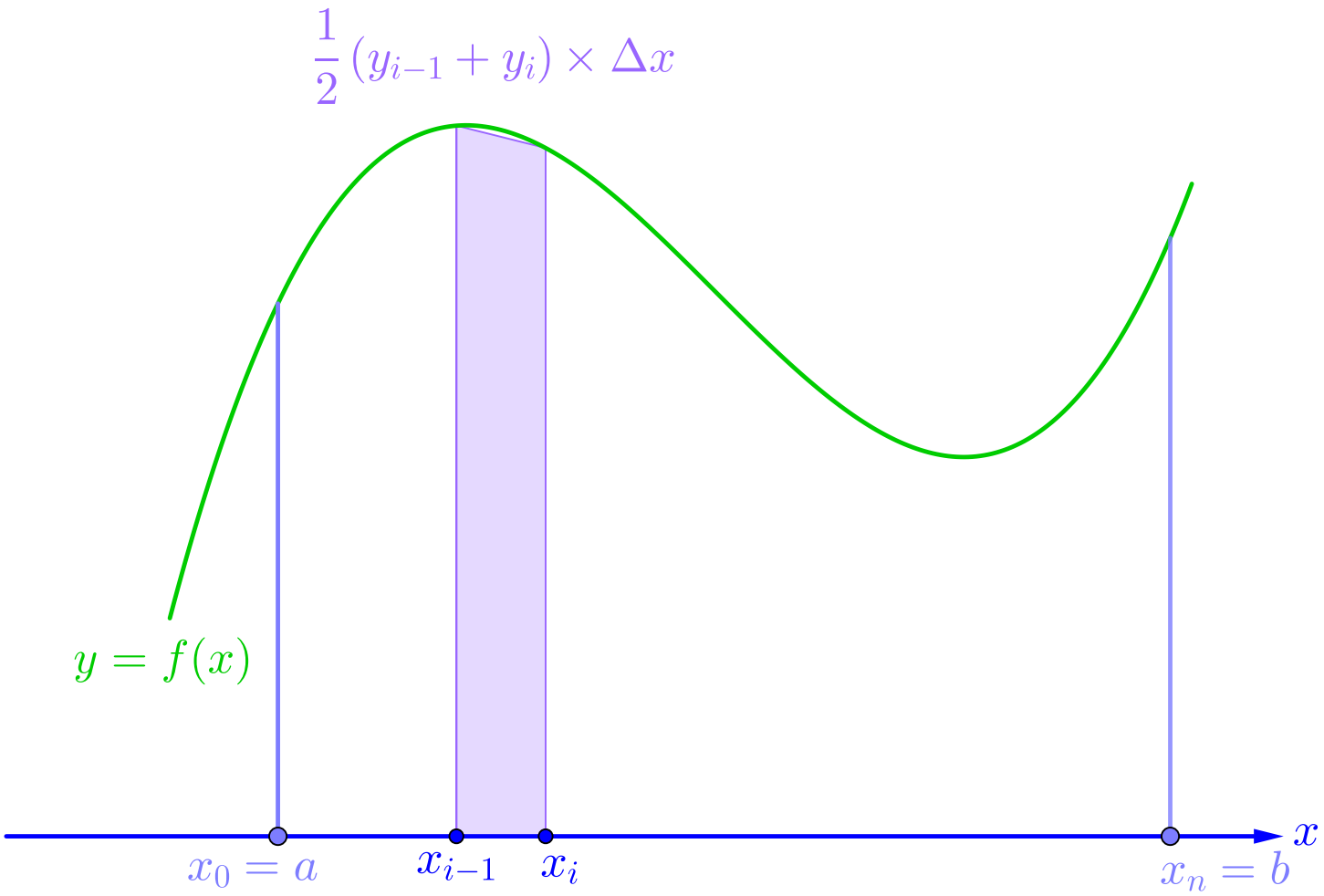

Traezoidal Approximations

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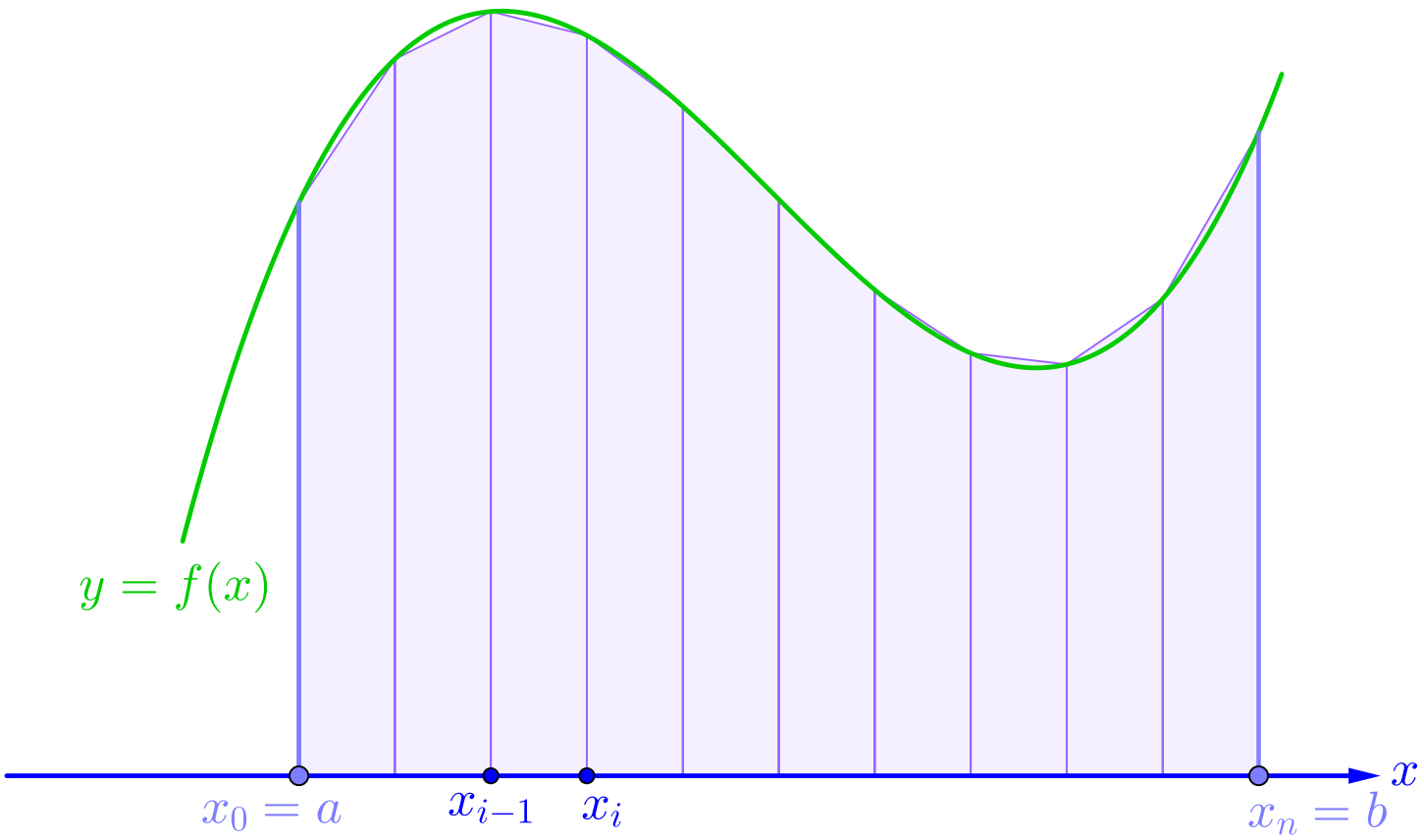

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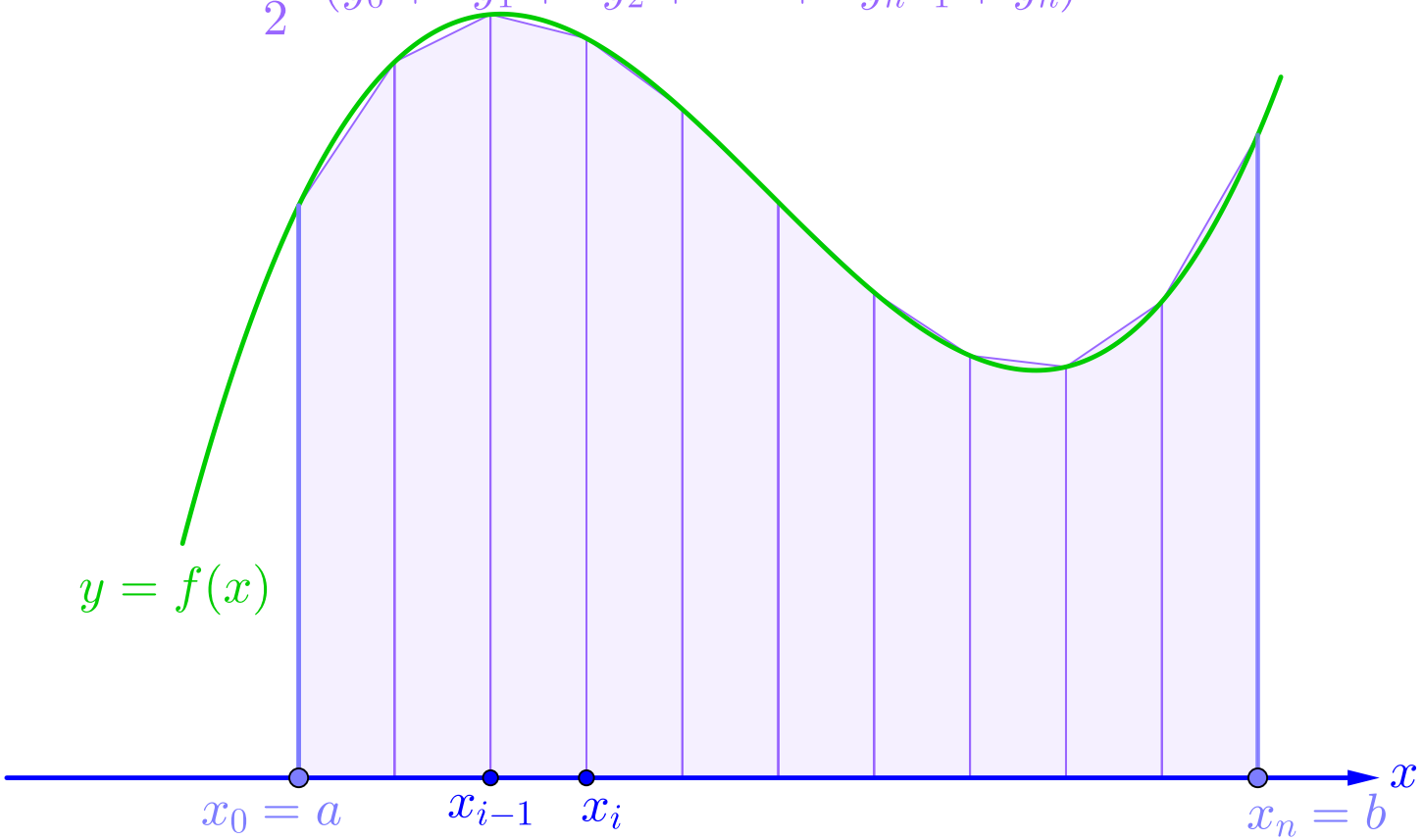

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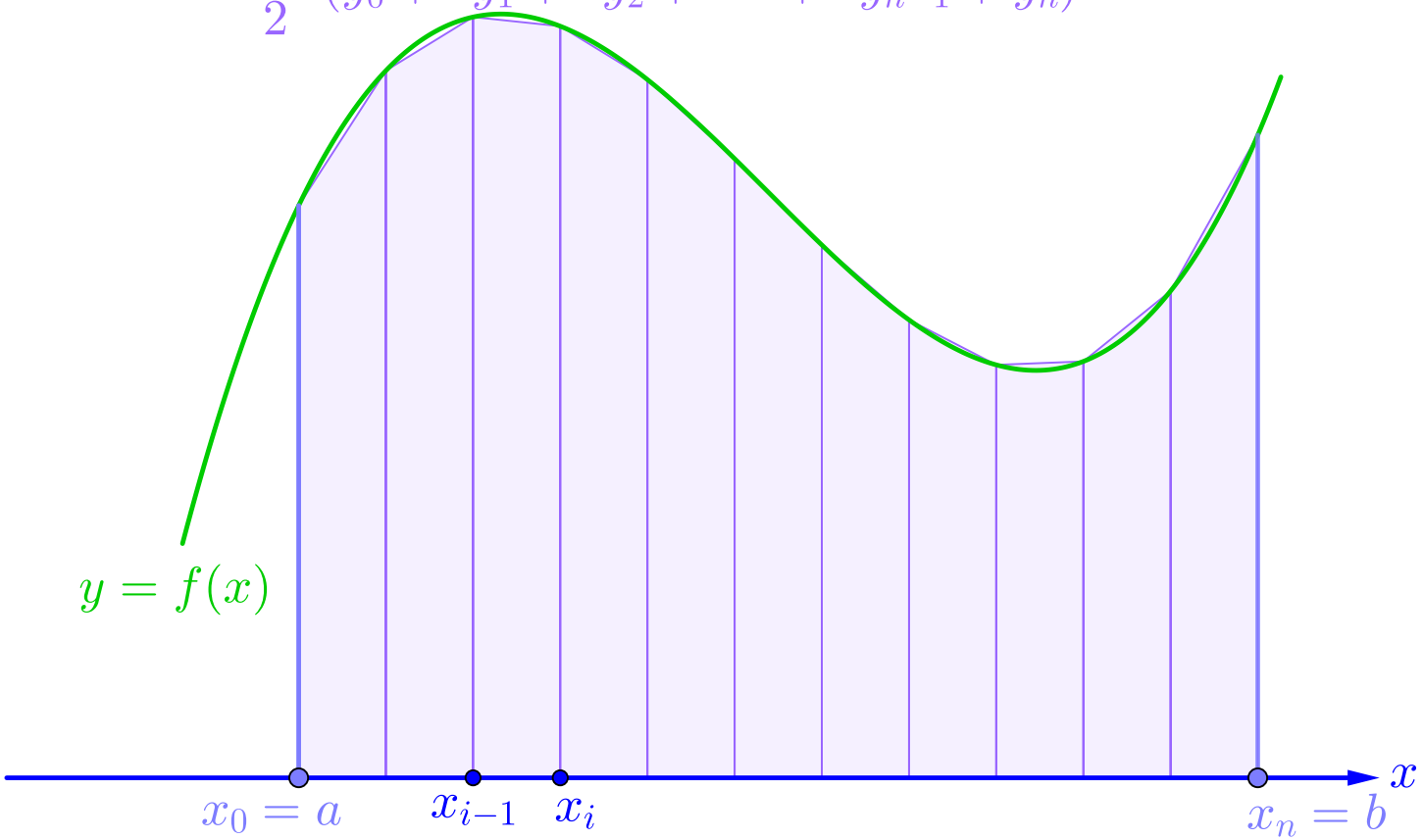

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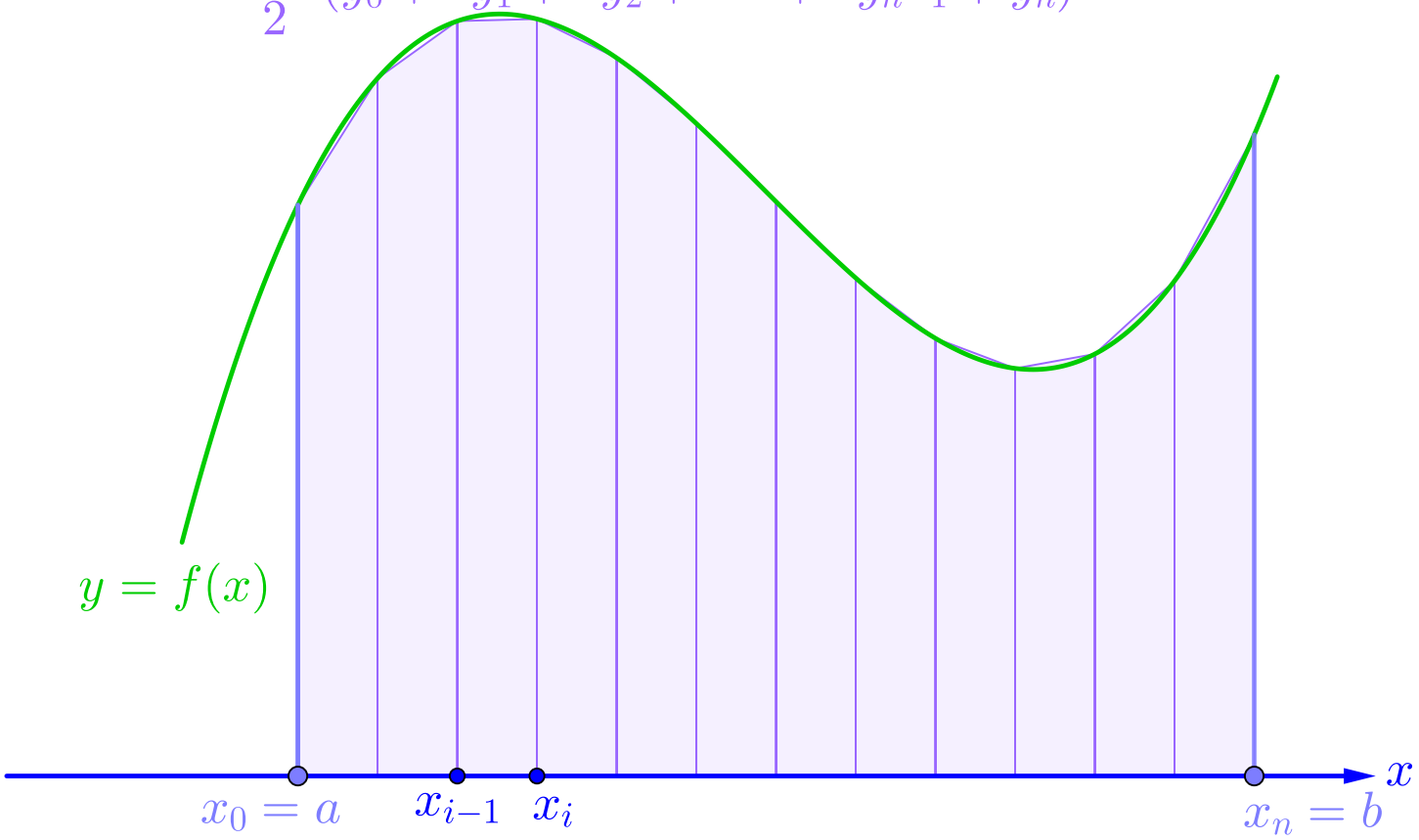

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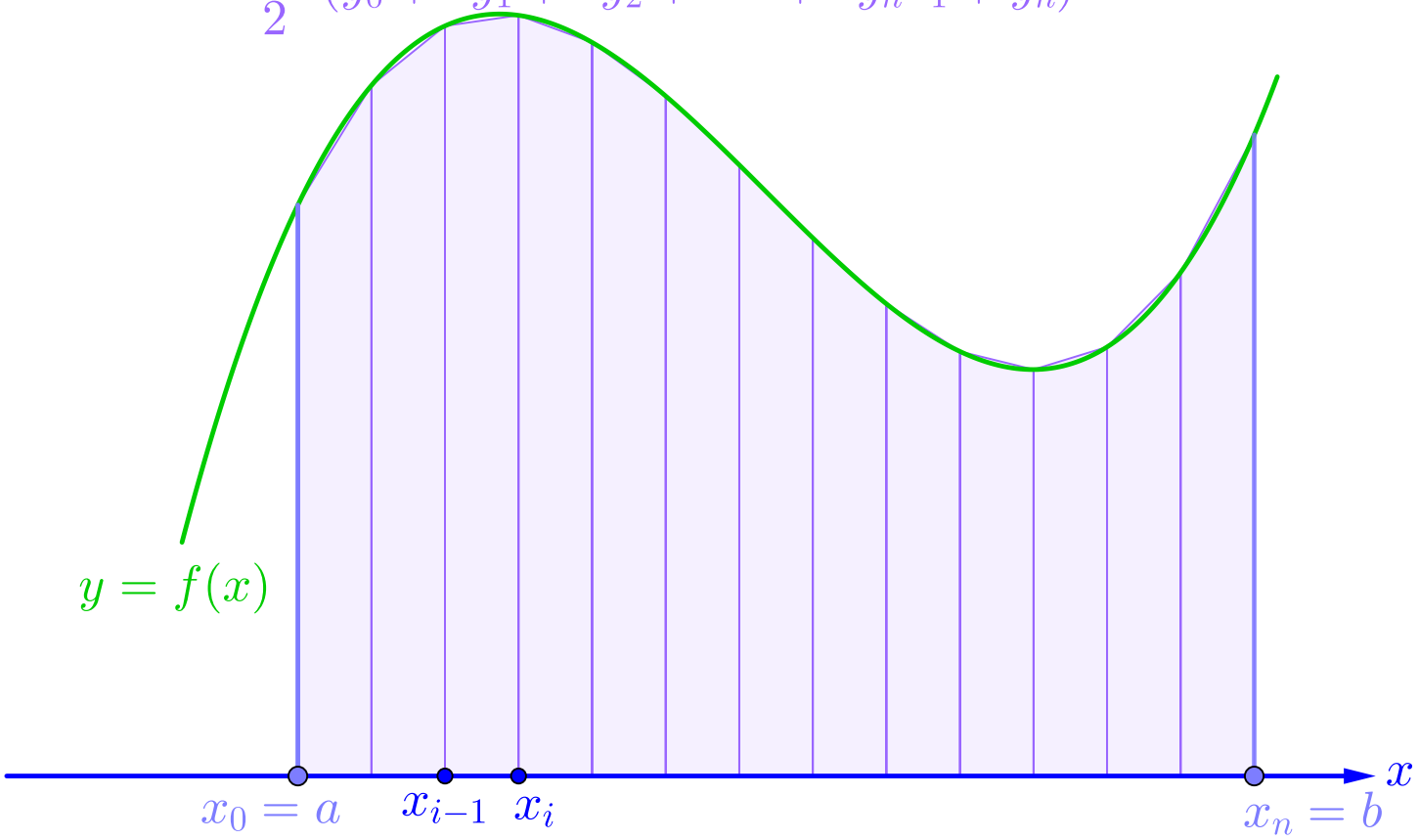

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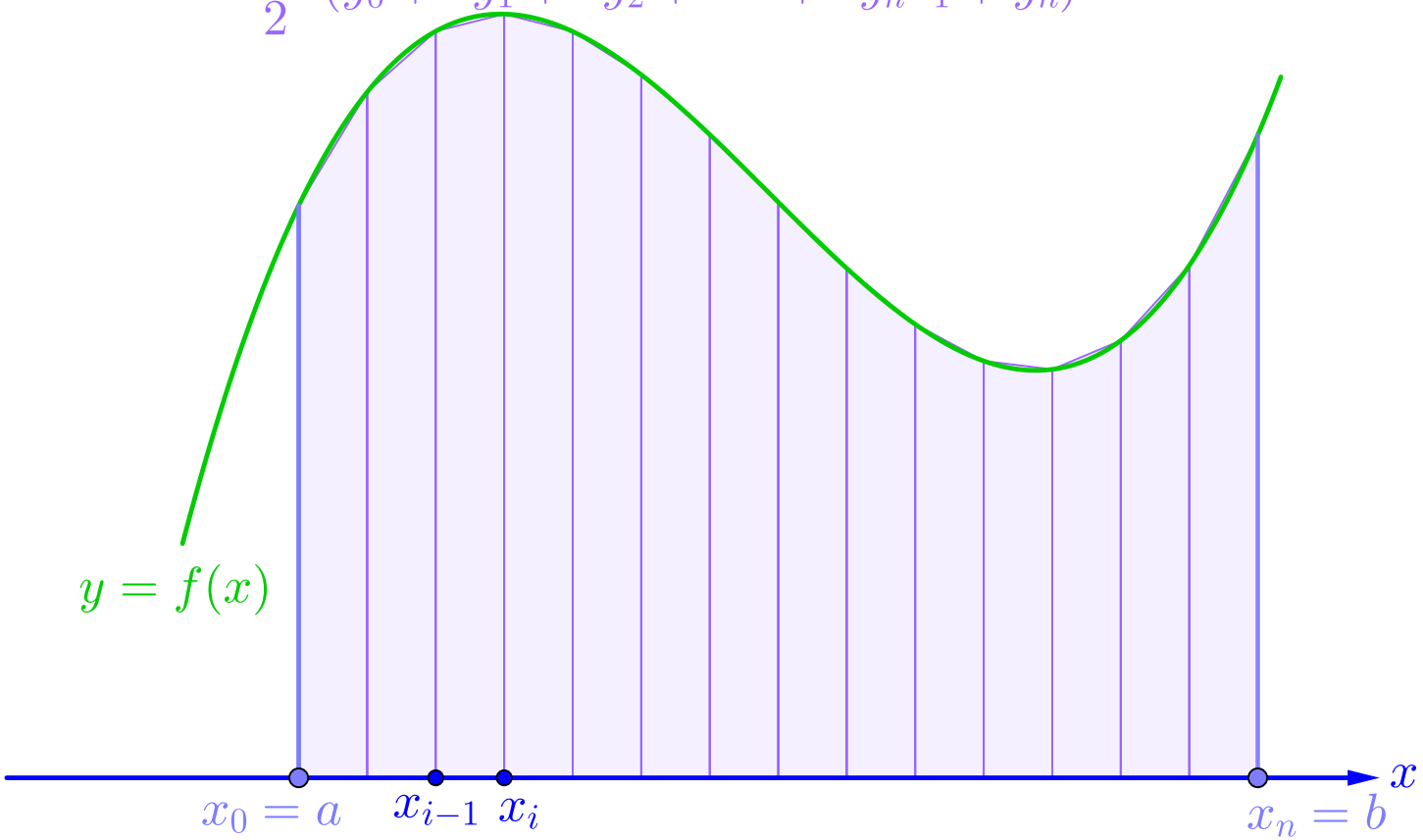

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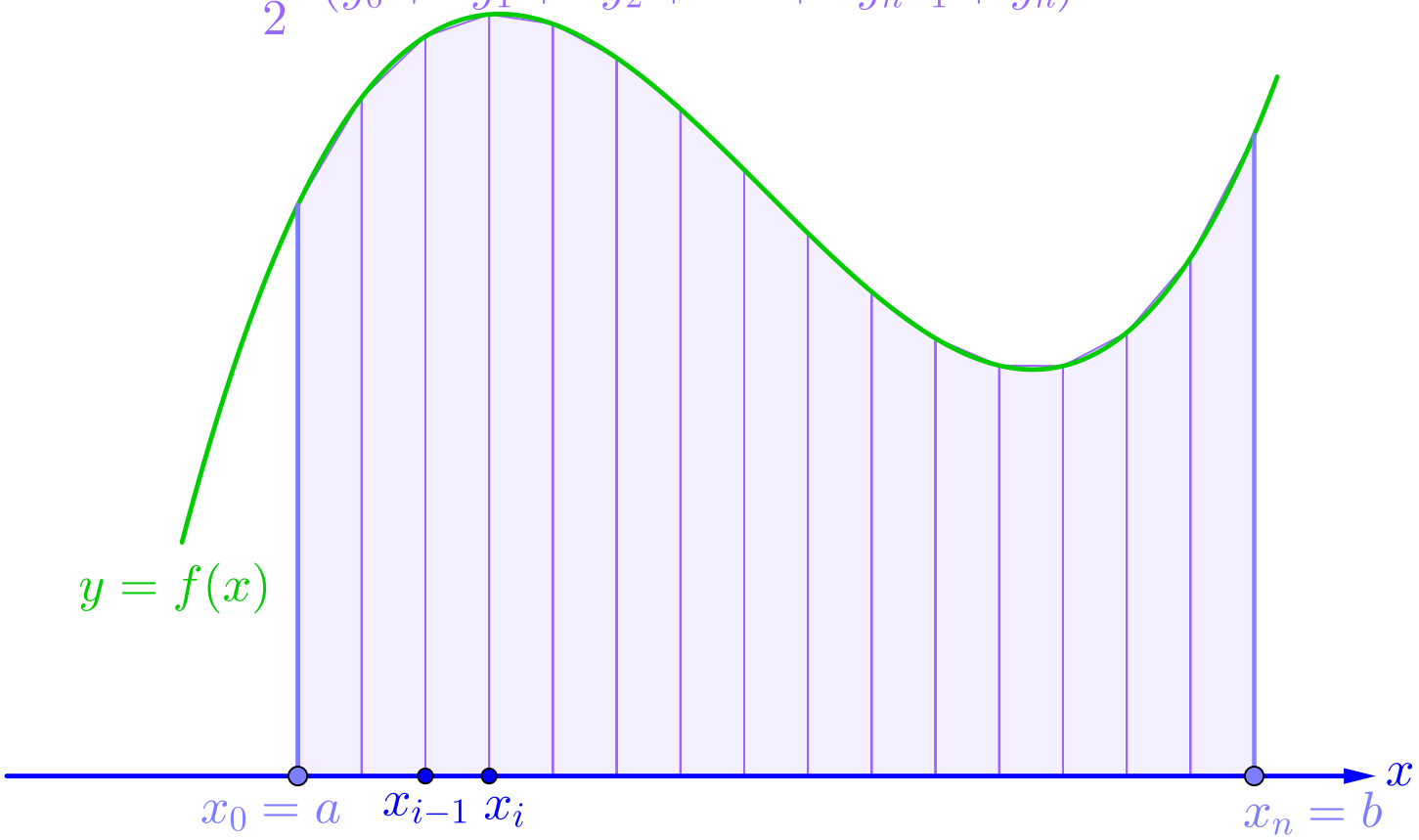

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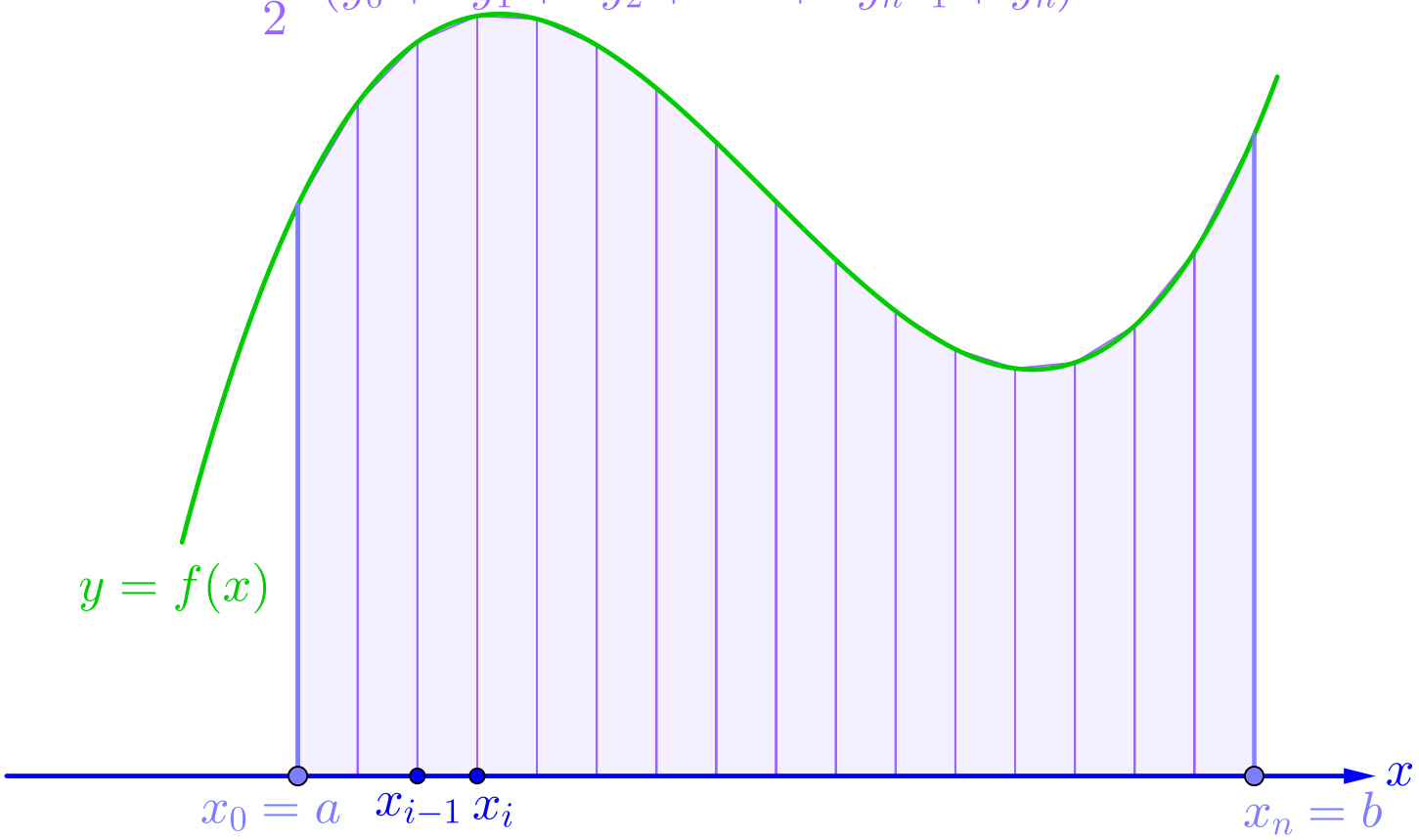

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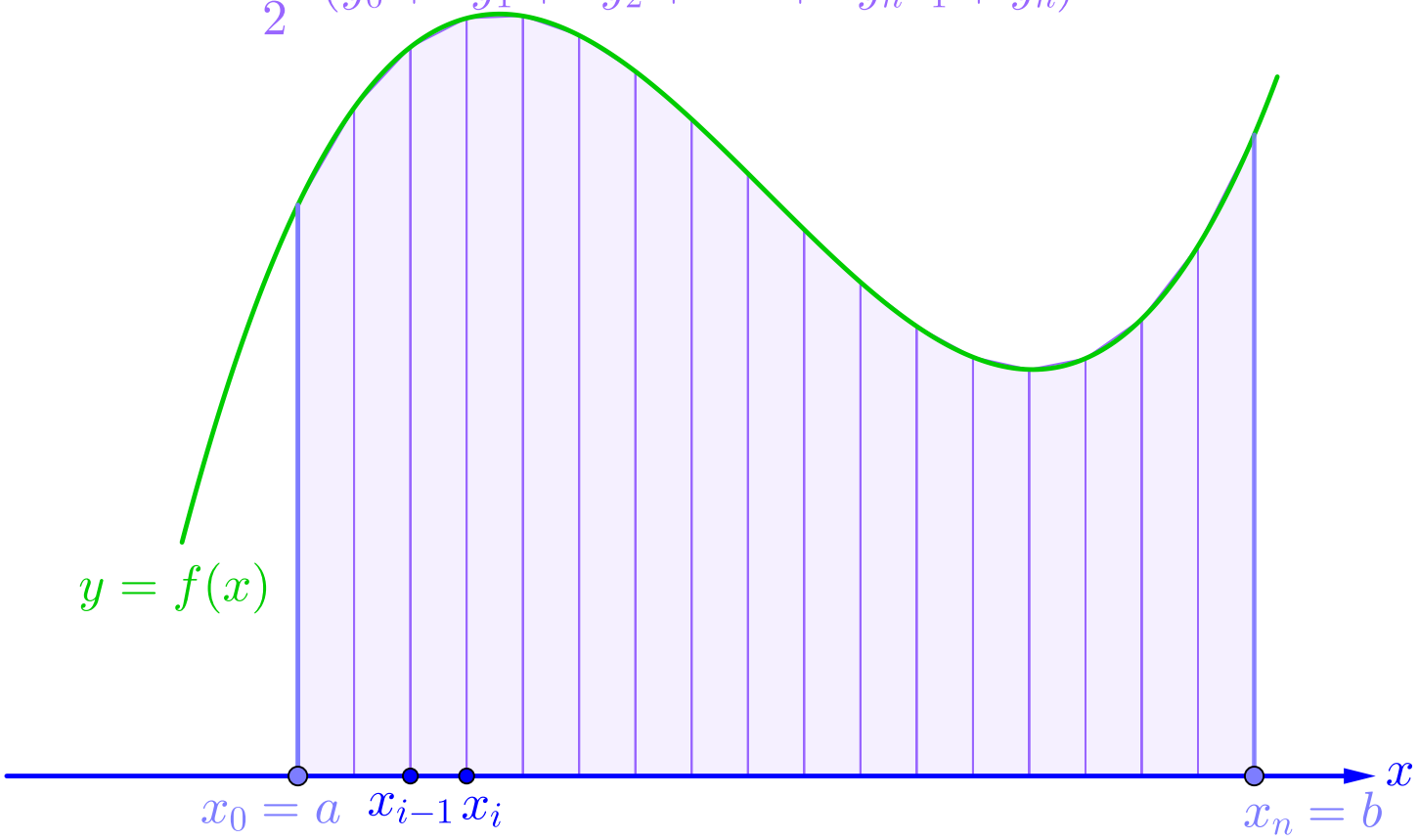

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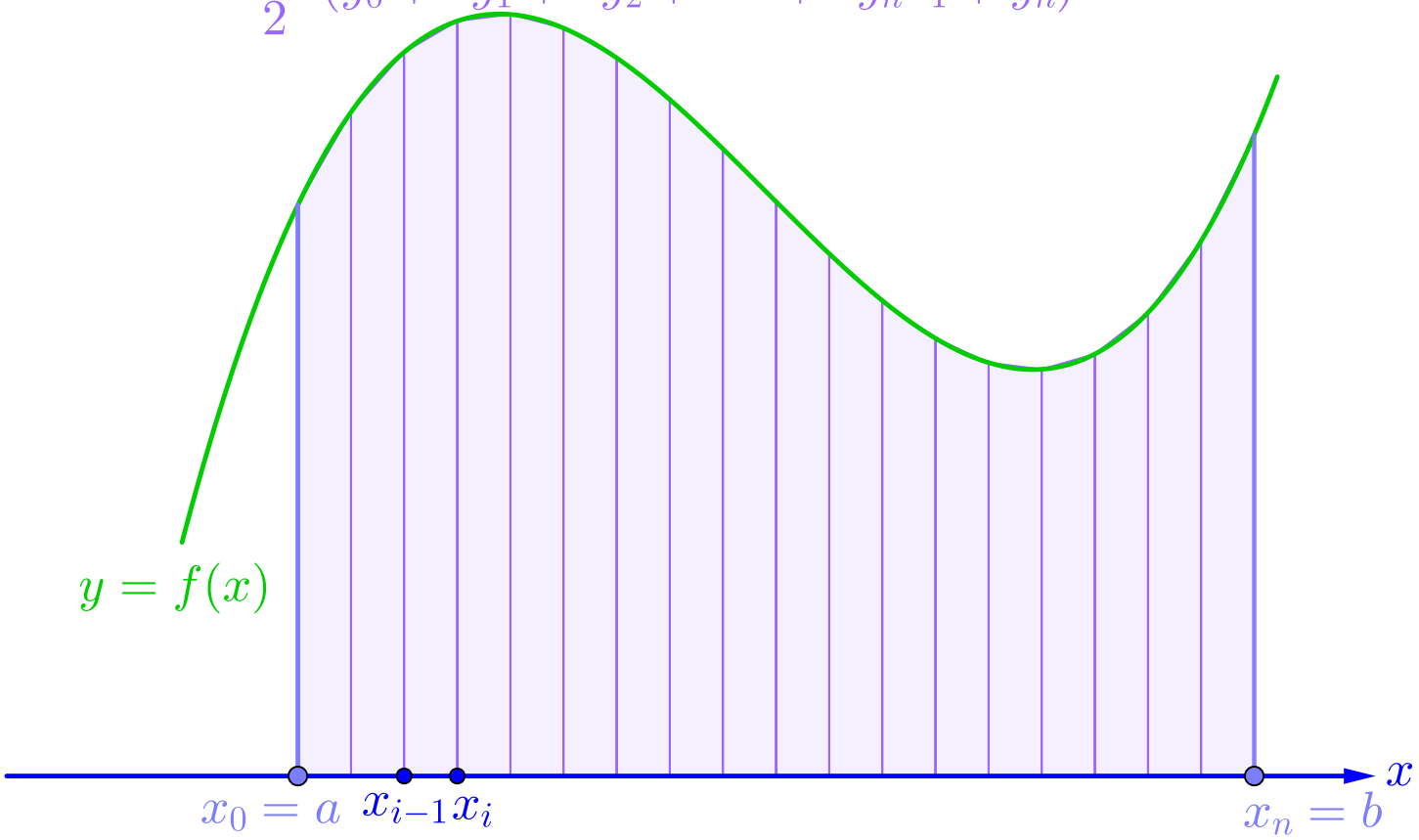

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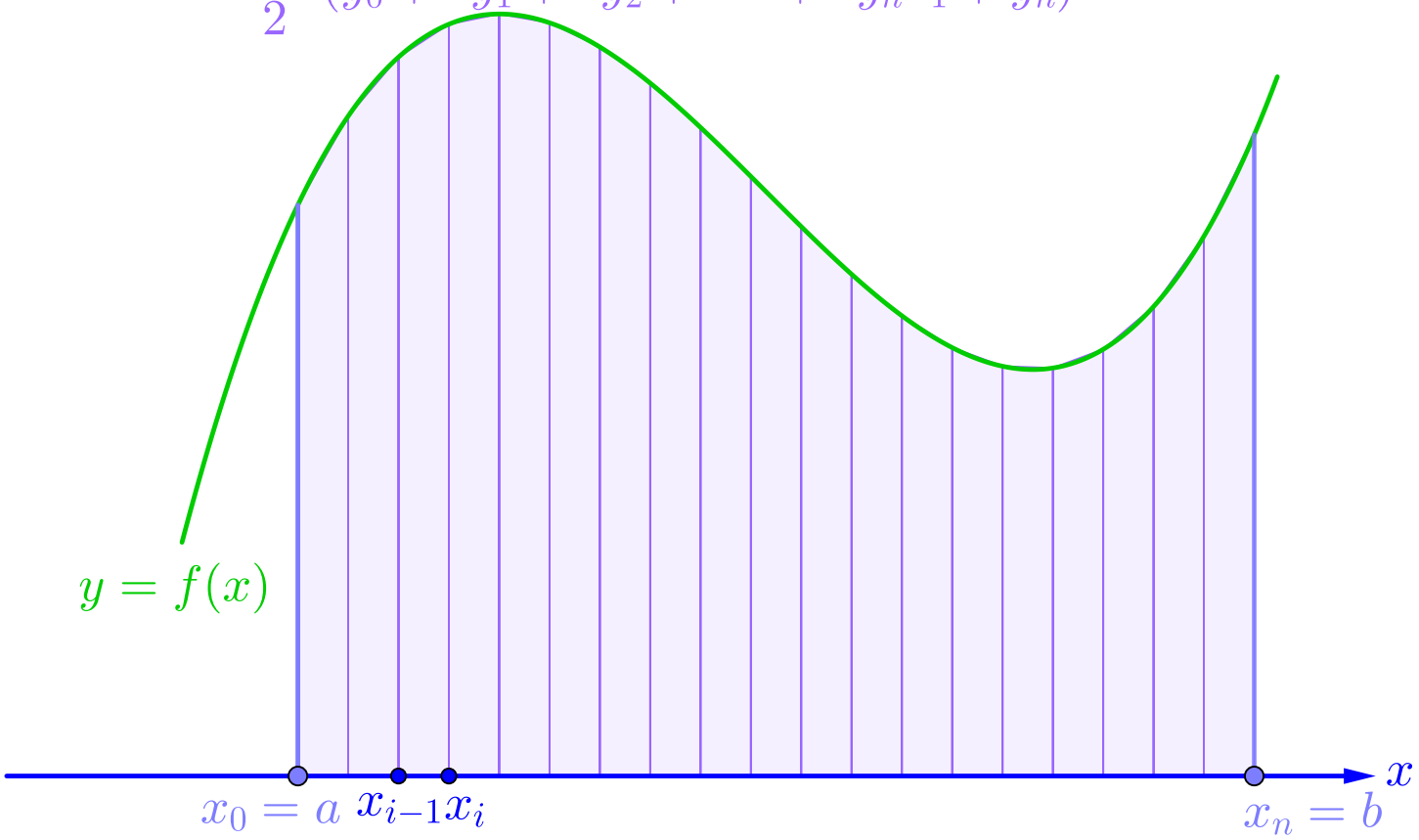

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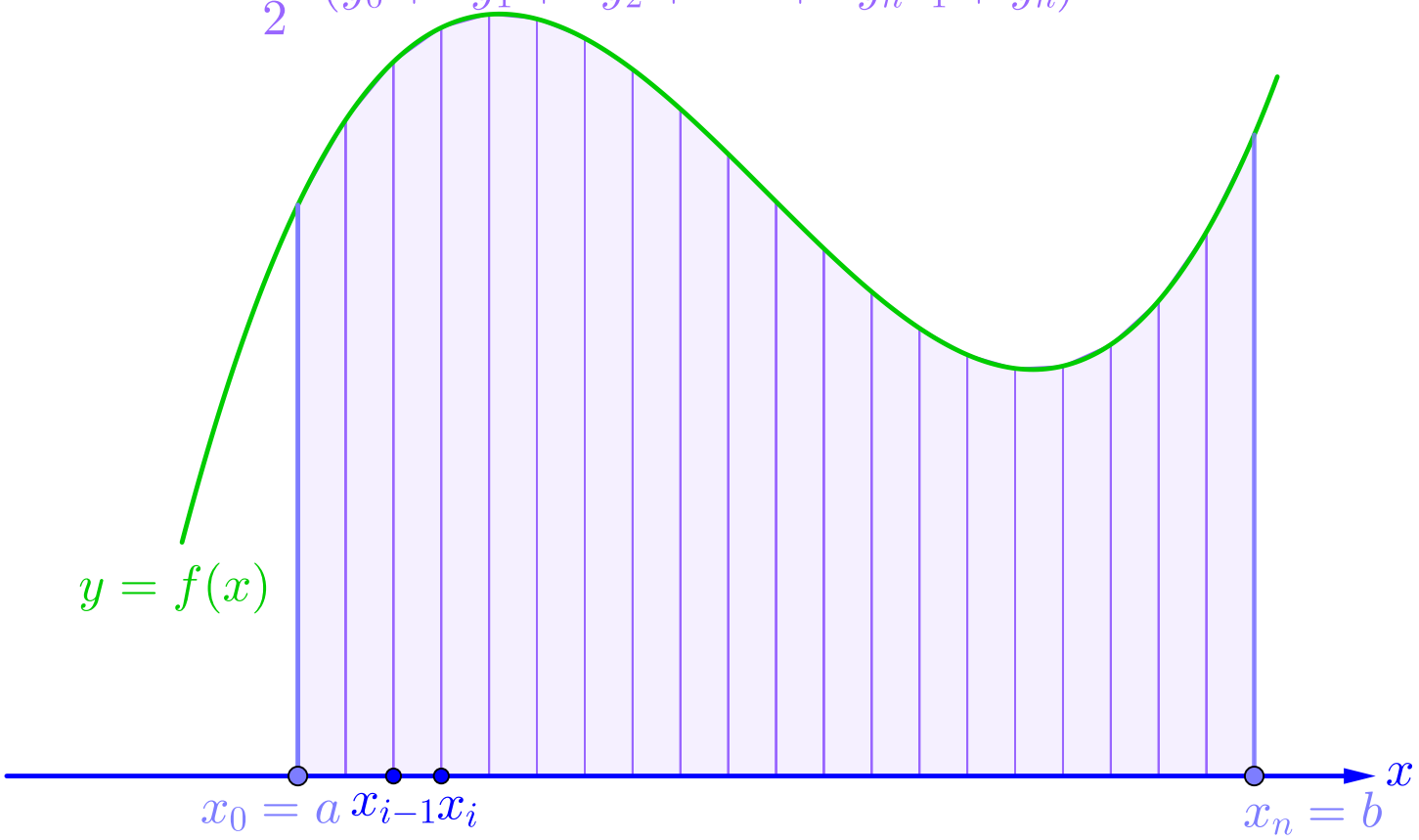

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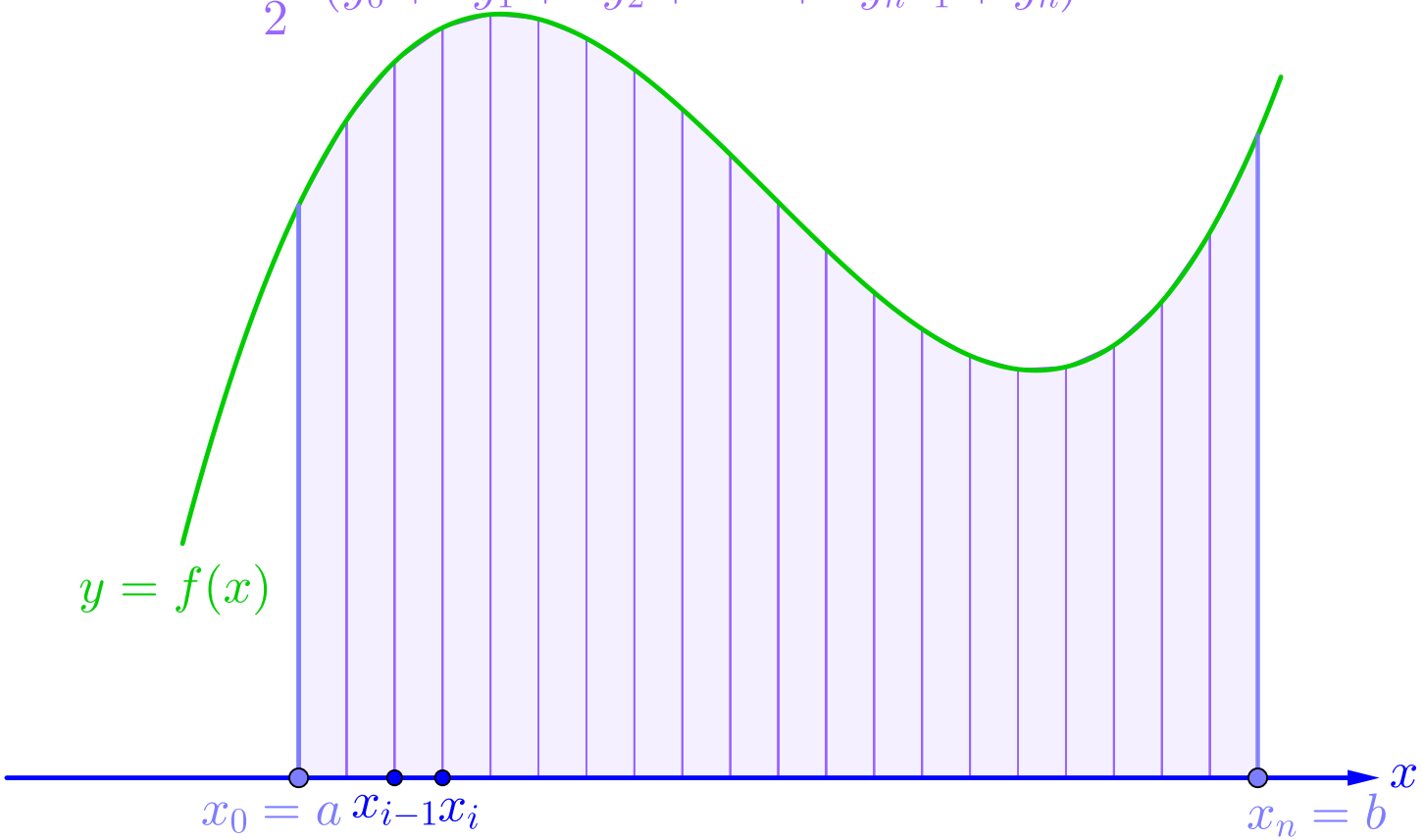

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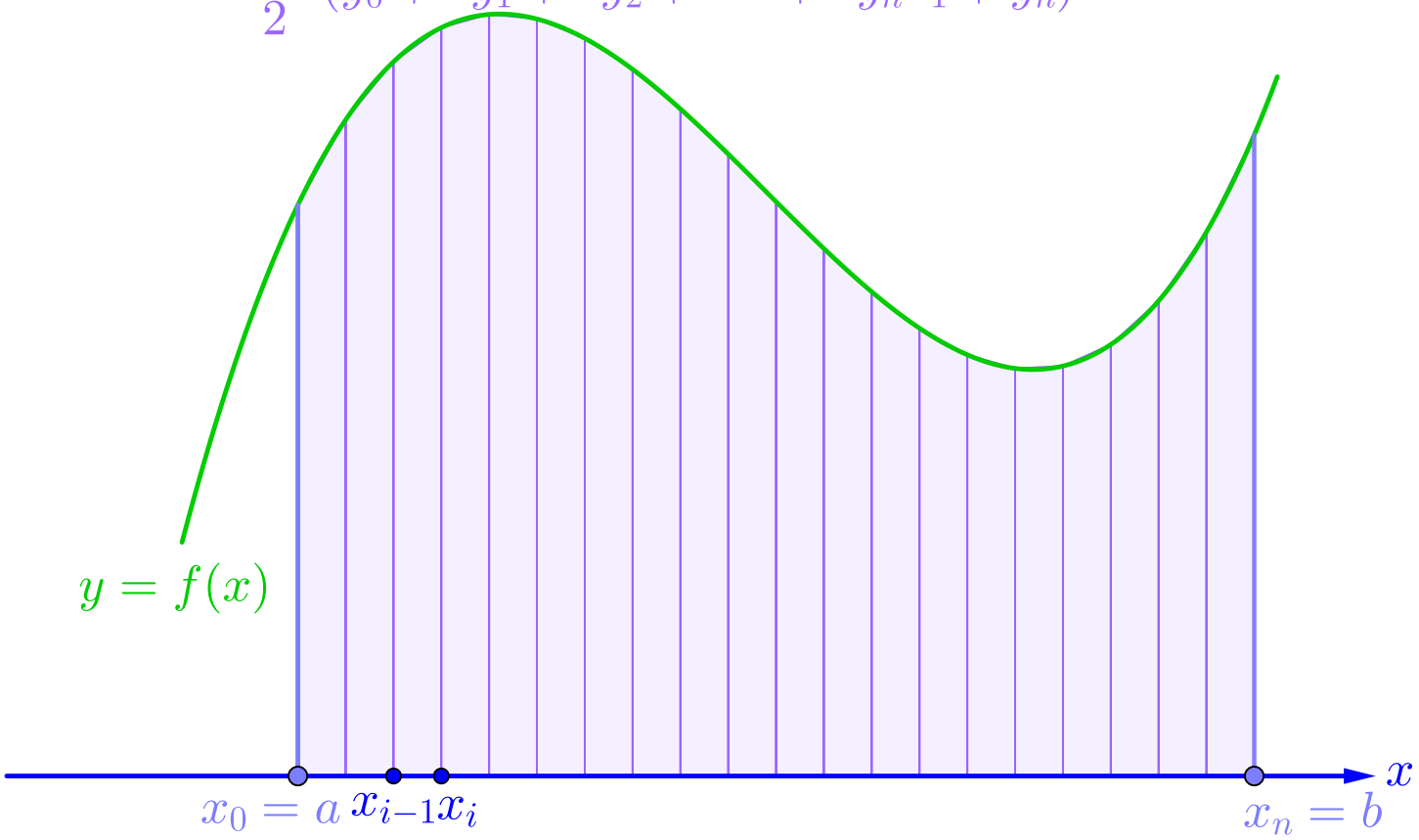

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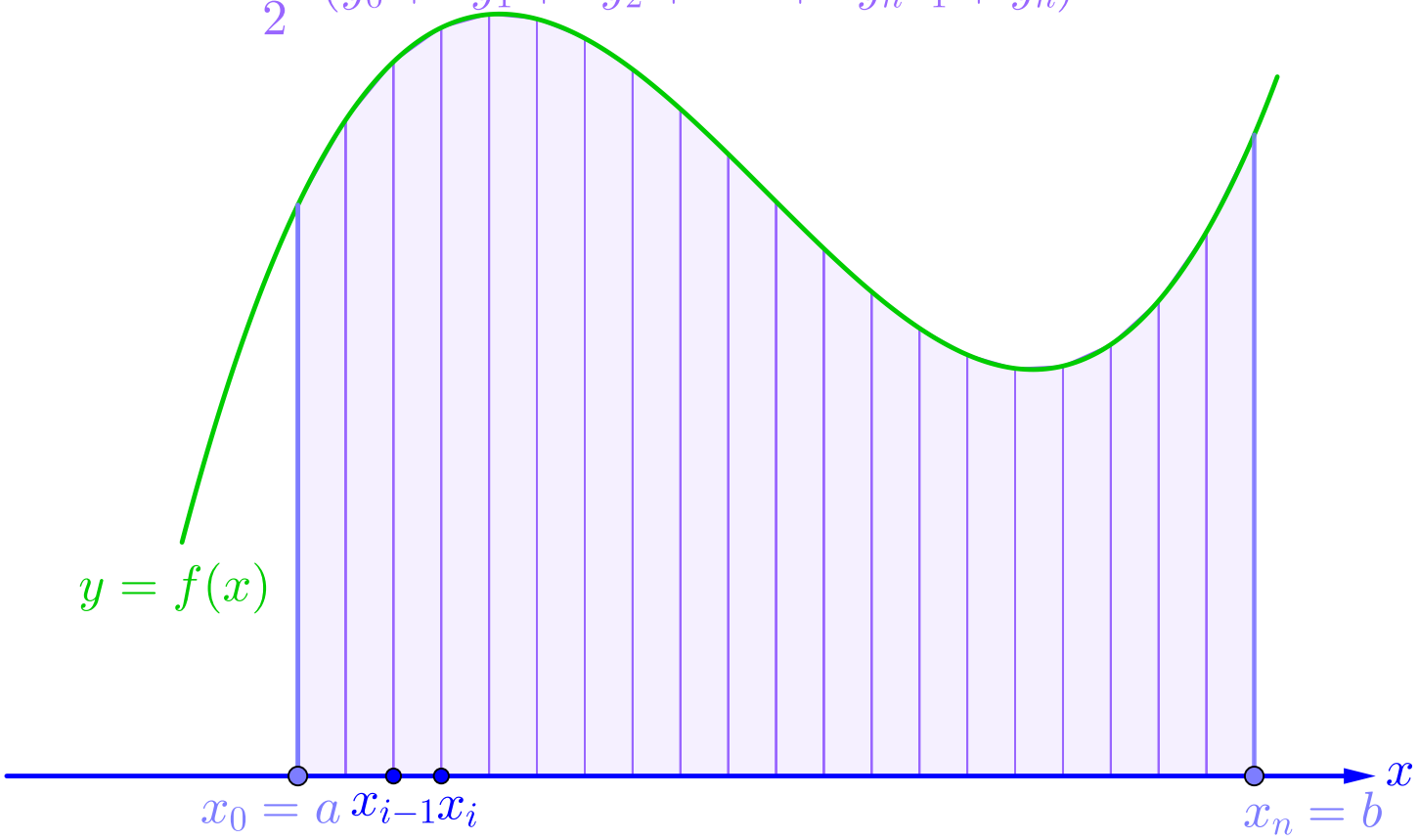
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