고차미분
(Higher Derivatives)

Start   End

Definition

Definition

$(f')'$

Definition

$$(f')' \;=\; f''$$

Definition

$$(f')' \;=\; f'' \text{ the secon derivative of } f$$

Definition

$$\frac{d}{dx} \quad (f')' \quad = \quad f'' \text{ the secon derivative of } f$$

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$$(f')' = f'' \text{ the secon derivative of } f$$
$$\frac{d}{dx}\left(\frac{dy}{dx}\right)$$

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$$\begin{aligned} (f')' &= f'' \text{ the secon derivative of } f \\ \frac{d}{dx}\left(\frac{dy}{dx}\right) &= \frac{d^2y}{dx^2} \end{aligned}$$

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Higher Derivatives

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Github:
https://min7014.github.io/math20240203001.html

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and you can see a picture moving.