

1. (1) worst case response of  $M_0$

LHS	$B_0$	RHS	STOP	
30	30	30	True	$R_0 = 30 + 10 = \underline{40 \text{ (msec)}}$

(2) worst case response of  $M_1$

$Q_1$	$B_1$	$j$	$Q_1 + \tau$	$T_j$	$\frac{Q_1 + \tau}{T_j}$	$C_j$	RHS	STOP?
30	30	0	30.1	50	1	10	40	False
40	30	0	30.1	50	1	10	40	True

$$R_1 = Q_1 + C_1 = 40 + 30 = \underline{70 \text{ (msec)}}$$

(3)

$Q_2$	$B_2$	$j$	$Q_2 + \tau$	$T_j$	$\frac{Q_2 + \tau}{T_j}$	$C_j$	RHS	STOP?
20	20	0	20.1	50	1	10	60	False
		1		200	1	30		
60	20	0	60.1	50	2	10	70	true
		1		200	1	30		
70	20	0	70.1	50	2	10	70	true
		1		200	1	30		

$$R_2 = Q_2 + C_2 = 70 + 20 = \underline{90 \text{ (msec)}}$$

3,

(1) worst case response time of  $\tau_0$

$R_0$   $C_0$  RHS stop?

10 10 10 True

$$R_0 = \underline{10 \text{ (msec)}}$$

(2)

worst case response time of  $\tau_1$

$R_1$	$C_1$	$j$	$R_j$	$T_j$	$\frac{R_j}{T_j}$	$C_j$	RHS	STOP?
30	30	0	30	50	1	10	40	False
40	30	0	40	50	1	10	40	true

$$R_1 = \underline{40 \text{ (msec)}}$$

(3) worst case response of  $\tau_2$

$R_2$	$C_2$	$j$	$R_j$	$T_j$	$\lceil \frac{R_j}{T_j} \rceil$	$C_j$	RHS	STOP?
20	20	0	20	50	1	10	60	false
60	20	0	60	50	2	10	70	false
70	20	0	70	50	2	10	70	true

$$R_2 = \underline{70 \text{ (msec)}}$$

(4) Due to preemptive characteristic, we can ignore blocking time impact in response time analysis.

4.11) frame arrival pattern  $(4, 10, 0, 3, 5, 6)$   
schedule pattern  $(4, 10, 1, 2, 6, 7)$

(2) Frame arrival pattern:  $(n=4, p=10, a=0, 3, 5, 6, 10, 13, 15, 16)$

(3) Schedule pattern:  $(n=4, q=10, s=1, 2, 6, 7, 11, 12, 16, 17)$

(4)

$k$	$\max_{1 \leq j \leq n} (s_{j+k} - s_j)$	$=$	$\min_{1 \leq i \leq m} (a_{i+k} - a_i)$	$=$	Col 3 - Col 5
1	$\max_{1 \leq j \leq 4} (s_{j+1} - s_j)$	$(j=2) \rightarrow 4$	$\min_{1 \leq i \leq 4} (a_i - a_i)$	$(i=3) \rightarrow 0$	4
2	$\max_{1 \leq j \leq 4} (s_{j+2} - s_j)$	$(j=3) \rightarrow 5$	$\min_{1 \leq i \leq 4} (a_{i+1} - a_i)$	$(i=3) \rightarrow 1$	4
3	$\max_{1 \leq j \leq 4} (s_{j+3} - s_j)$	$(j=1) \rightarrow 9$	$\min_{1 \leq i \leq 4} (a_{i+2} - a_i)$	$(i=2) \rightarrow 3$	<u>6</u>
4	$\max_{1 \leq j \leq 4} (s_{j+4} - s_j)$	$(j=3) \rightarrow 10$	$\min_{1 \leq i \leq 4} (a_{i+3} - a_i)$	$(i=0) \rightarrow 6$	4

(5)

worst response time = worst wait + transmission time

$$= 6 + 1 = 7$$

#

2、

(1)

signal: 0 response time: 1.44

signal: 1 response time: 2.04

signal: 2 response time: 2.56

signal: 3 response time: 3.16

signal: 4 response time: 3.68

signal: 5 response time: 4.28

signal: 6 response time: 5.2

signal: 7 response time: 8.4

signal: 8 response time: 9.0

signal: 9 response time: 9.68

signal: 10 response time: 10.2

signal: 11 response time: 19.36

signal: 12 response time: 19.8

signal: 13 response time: 20.32

signal: 14 response time: 29.400000000000002

signal: 15 response time: 29.759999999999998

signal: 16 response time: 30.279999999999998

(2)

```
import numpy as np
import math
signal_num = 0
one_bit_trans = 0
total_qi = 0
for idx, line in enumerate(open("input.dat", 'r')):
    item = line.rstrip()
    split_item = item.split()
    if idx == 0:
        signal_num = int(split_item[0])
        trans_time = np.zeros(signal_num)
        period_time = np.zeros(signal_num)
    elif idx == 1:
        one_bit_trans = float(split_item[0])
    else:
        trans_time[int(split_item[0])] = float(split_item[1])
        period_time[int(split_item[0])] = float(split_item[2])
```

```

for i in range(signal_num):
    block_time = np.max(trans_time[i:])
    high_priority_signal = trans_time[:i]
    LHS = block_time
    while 1:
        RHS = block_time
        for j in range(len(high_priority_signal)):
            RHS += math.ceil((one_bit_trans +
LHS)/period_time[j])*high_priority_signal[j]
        if RHS == LHS:
            print("signal: %s response time: %s"%(i, (RHS +
trans_time[i])))
            break
        elif RHS >= LHS:
            LHS = RHS
        else:
            print("error in message %s"%(i))
            break

```