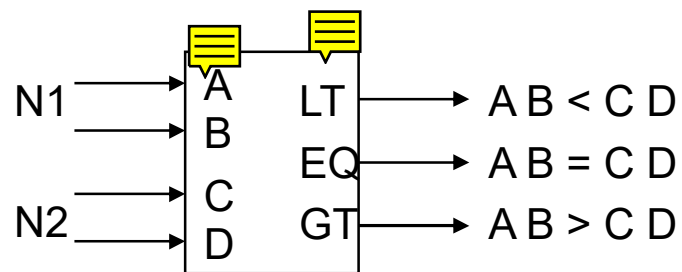


# Comparator

# Two-Bit Comparator



block diagram  
and  
truth table

A	B	C	D	LT	EQ	GT
0	0	0	0	0	1	0
		0	1	1	0	0
		1	0	1	0	0
		1	1	1	0	0
0	1	0	0	0	0	1
		0	1	0	1	0
		1	0	1	0	0
		1	1	1	0	0
1	0	0	0	0	0	1
		0	1	0	0	1
		1	0	0	1	0
		1	1	1	0	0
1	1	0	0	0	0	1
		0	1	0	0	1
		1	0	0	0	1
		1	1	0	1	0

we'll need a 4-variable Karnaugh map  
for each of the 3 output functions

# Two-Bit Comparator (cont'd)

			A		
	0	0	0	0	
	1	0	0	0	D
C	1	1	0	1	
	1	1	0	0	
			B		

K-map for LT

		A			
	1	0	0	0	
	0	1	0	0	
	0	0	1	0	D
C	0	0	0	1	
	B				

K-map for EQ

			A		
	0	1	1	1	
	0	0	1	1	D
C	0	0	0	0	
	0	0	1	0	
		B			

K-map for GT

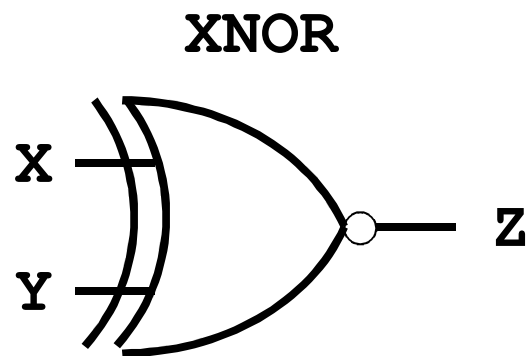
$$LT = A' B' D + A' C + B' C D$$

$$EQ = A' B' C' D' + A' B C' D + A B C D + A B' C D'$$

$$GT = B C' D' + A C' + A B D'$$

$$= (A \text{ xnor } C) \cdot (B \text{ xnor } D)$$

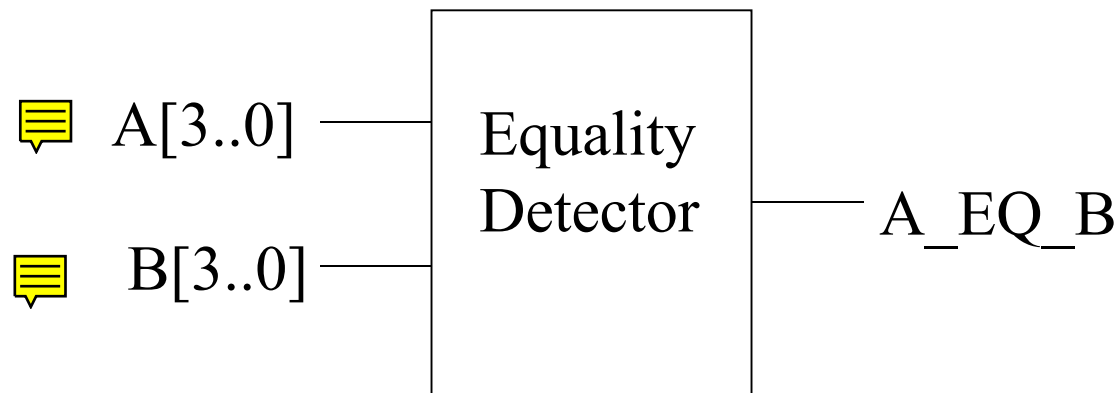
# Equality Comparator



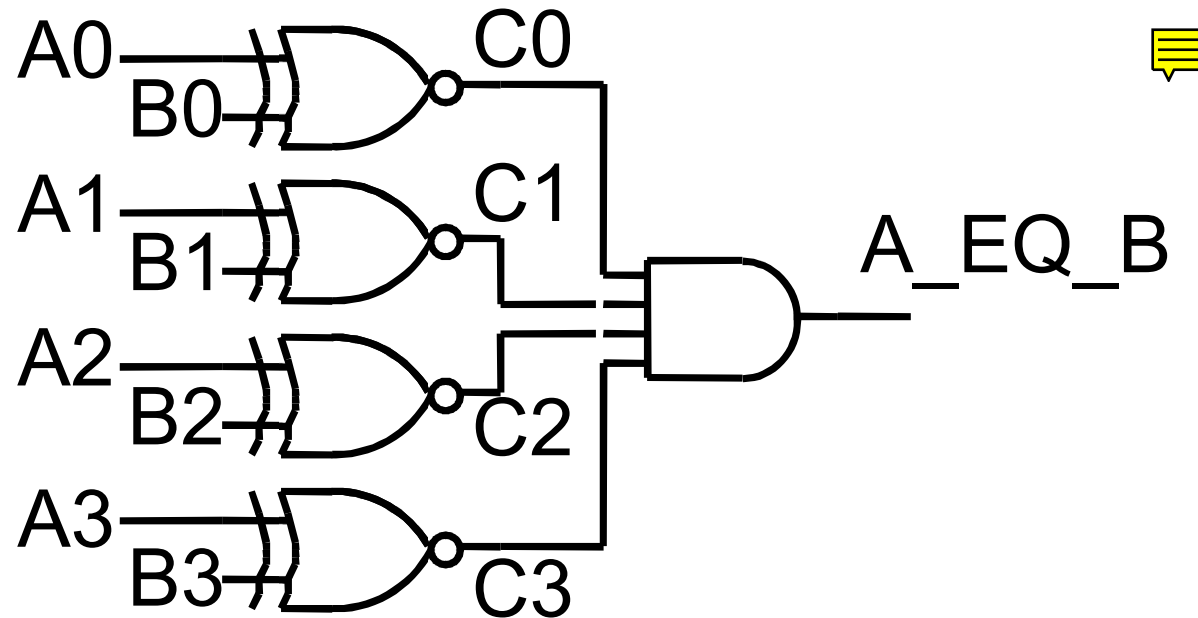
$$Z = X \text{ XNOR } Y$$

X	Y	Z
0	0	1
0	1	0
1	0	0
1	1	1

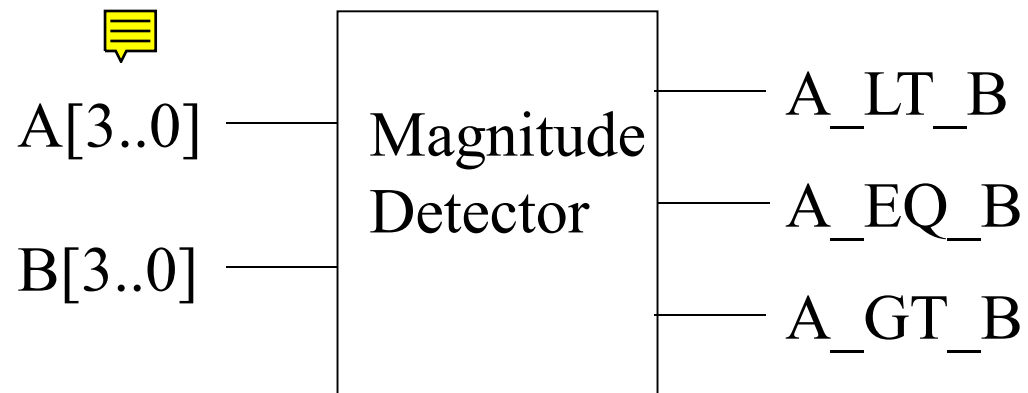
# 4-bit Equality Detector



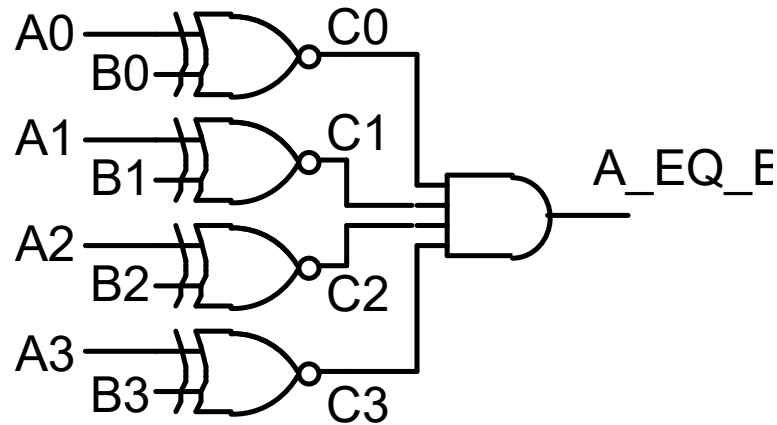
# 4-Bit Equality Comparator



# 4-bit Magnitude Comparator



# Magnitude Comparator



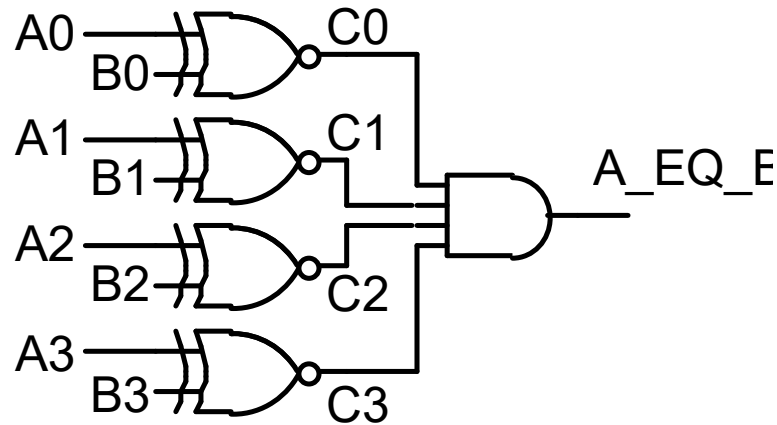
How can we find A\_GT\_B?

How many rows would a truth table have?

$$2^8 = 256!$$



# Magnitude Comparator



Find  $A\_GT\_B$

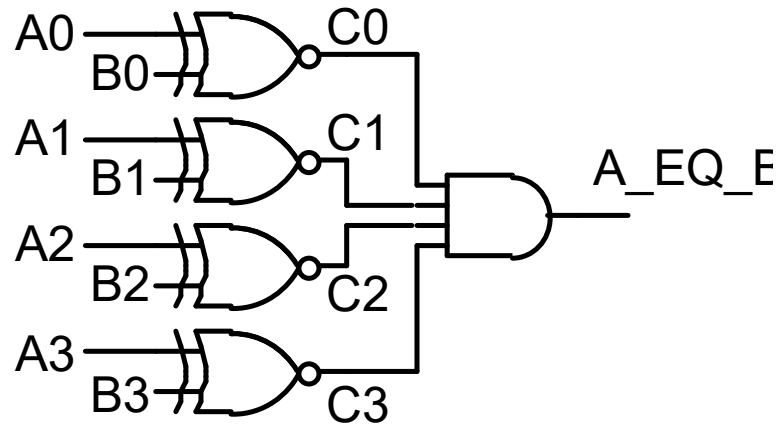
If  $A = 1001$  and  
 $B = 0111$   
 is  $A > B$ ?  
 Why?

Because  $A_3 > B_3$

i.e.  $A_3 \cdot B_3' = 1$

Therefore, **one term** in the  
 logic equation for  $A\_GT\_B$  is  
 $A_3 \cdot B_3'$

# Magnitude Comparator




If  $A = 1101$  and  
 $B = 1011$   
 is  $A > B$ ?  
 Why?

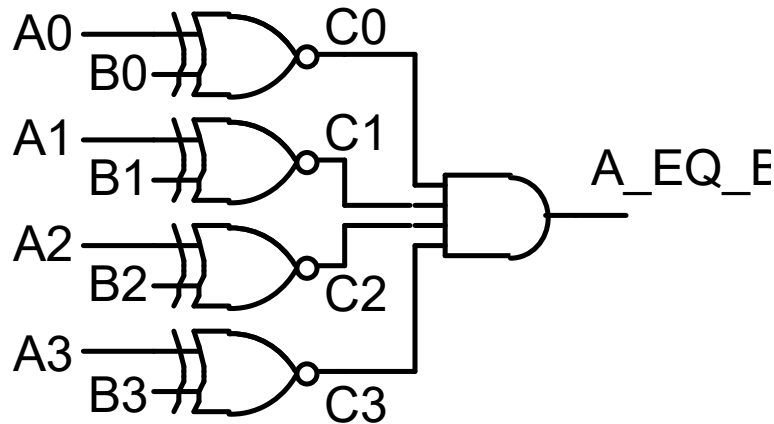
$$A\_GT\_B = A3 \cdot B3' + \dots$$

Because  $A3 = B3$  and  
 $A2 > B2$

i.e.  $C3 = 1$  and  
 $A2 \cdot B2' = 1$

Therefore, the next term in the  
 logic equation for  $A\_GT\_B$  is  
 $C3 \cdot A2 \cdot B2'$  

# Magnitude Comparator



If  $A = 1010$  and  
 $B = 1001$   
 is  $A > B$ ?  
 Why?

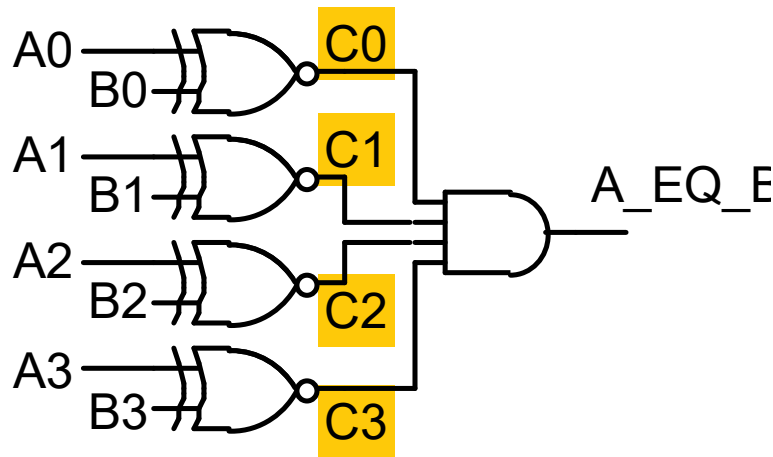
$$A\_GT\_B = A3 \cdot B3' \\ + C3 \cdot A2 \cdot B2' \\ + \dots$$

Because  $A3 = B3$  and  
 $A2 = B2$  and  
 $A1 > B1$

i.e.  $C3 = 1$  and  $C2 = 1$  and  
 $A1 \cdot B1' = 1$

Therefore, the next term in the  
 logic equation for  $A\_GT\_B$  is  
 $C3 \cdot C2 \cdot A1 \cdot B1'$

# Magnitude Comparator



If  $A = 1011$  and  
 $B = 1010$   
 is  $A > B$ ?  
 Why?

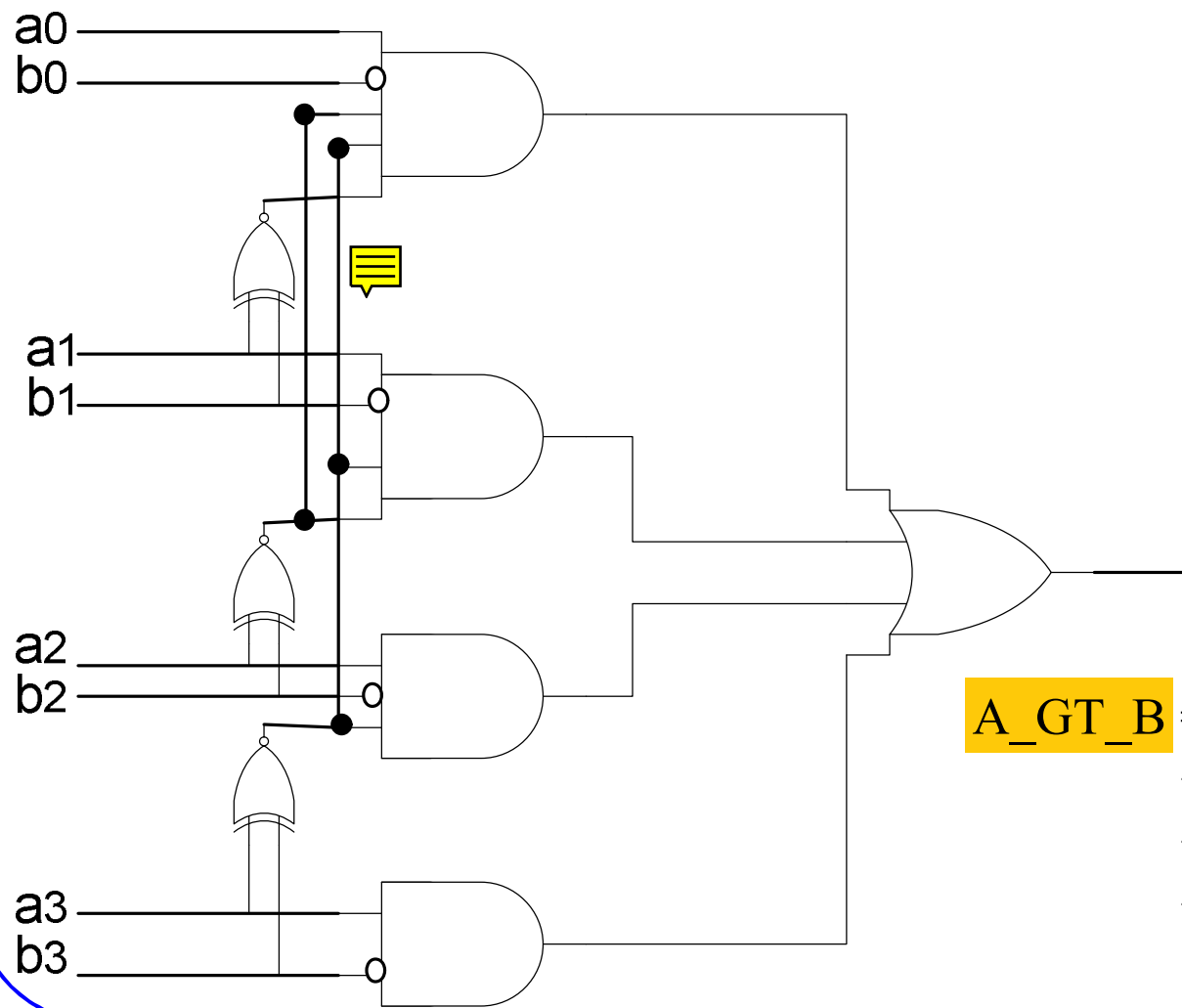
$$A\_GT\_B = A3 \cdot B3' \\
+ C3 \cdot A2 \cdot B2' \\
+ C3 \cdot C2 \cdot A1 \cdot B1' \\
+ \dots$$

Because  $A3 = B3$  and  
 $A2 = B2$  and  
 $A1 = B1$  and  
 $A0 > B0$

i.e.  $C3 = 1$  and  $C2 = 1$  and  
 $C1 = 1$  and  $A0 \cdot B0' = 1$

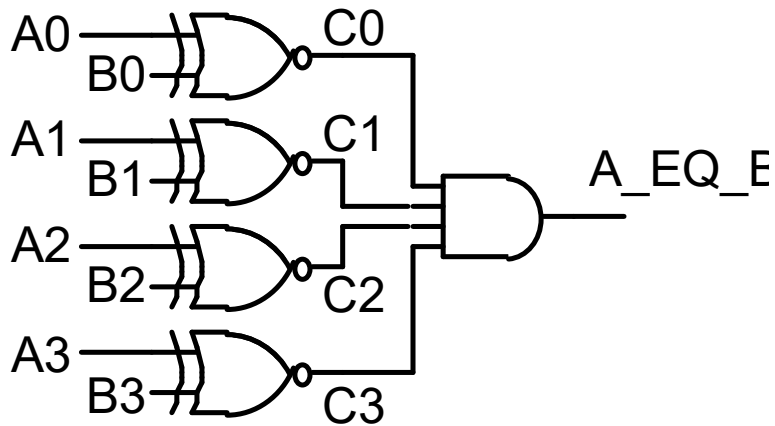
Therefore, the last term in the  
 logic equation for  $A\_GT\_B$  is  
 $C3 \cdot C2 \cdot C1 \cdot A0 \cdot B0'$

# Magnitude Comparator



$$\begin{aligned}
 A\_GT\_B = & A_3 \cdot B_3' \\
 & + C_3 \cdot A_2 \cdot B_2' \\
 & + C_3 \cdot C_2 \cdot A_1 \cdot B_1' \\
 & + C_3 \cdot C_2 \cdot C_1 \cdot A_0 \cdot B_0'
 \end{aligned}$$

# Magnitude Comparator

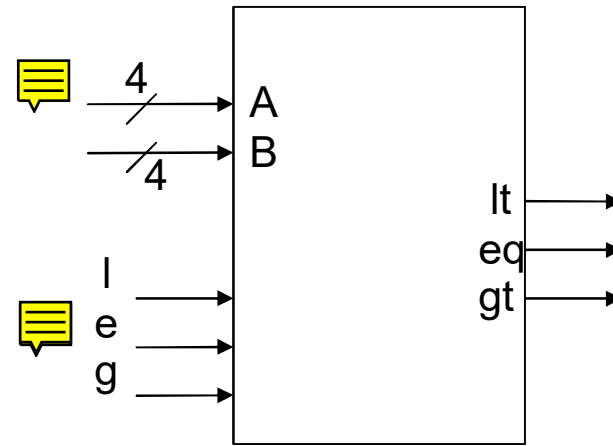
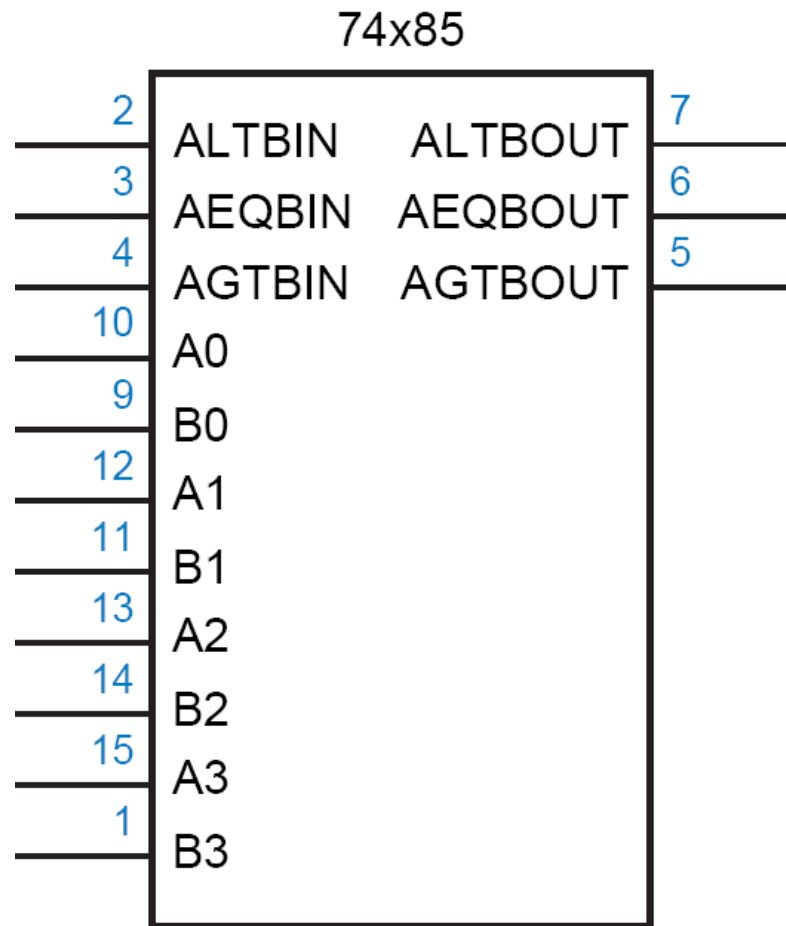


Find A\_LT\_B



$$\begin{aligned} \text{A\_LT\_B} = & A3' \cdot B3 \\ & + C3 \cdot A2' \cdot B2 \\ & + C3 \cdot C2 \cdot A1' \cdot B1 \\ & + C3 \cdot C2 \cdot C1 \cdot A0' \cdot B0 \end{aligned}$$

# TTL 74x85

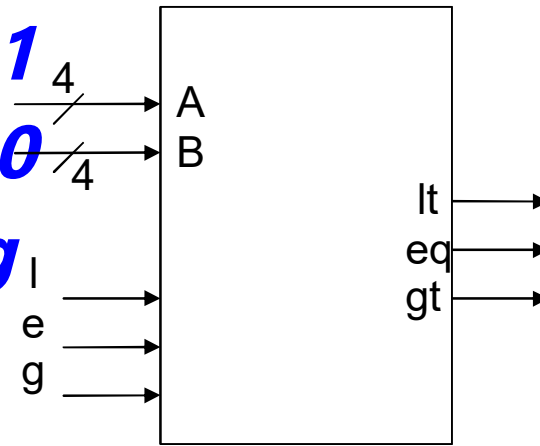


# TTL 74x85

➤ *if ( $A > B$ )*  $lt=0, eq=0, gt=1$

➤ *if ( $A < B$ )*  $lt=1, eq=0, gt=0$

➤ *if ( $A = B$ )*  $lt=l, eq=e, gt=g$



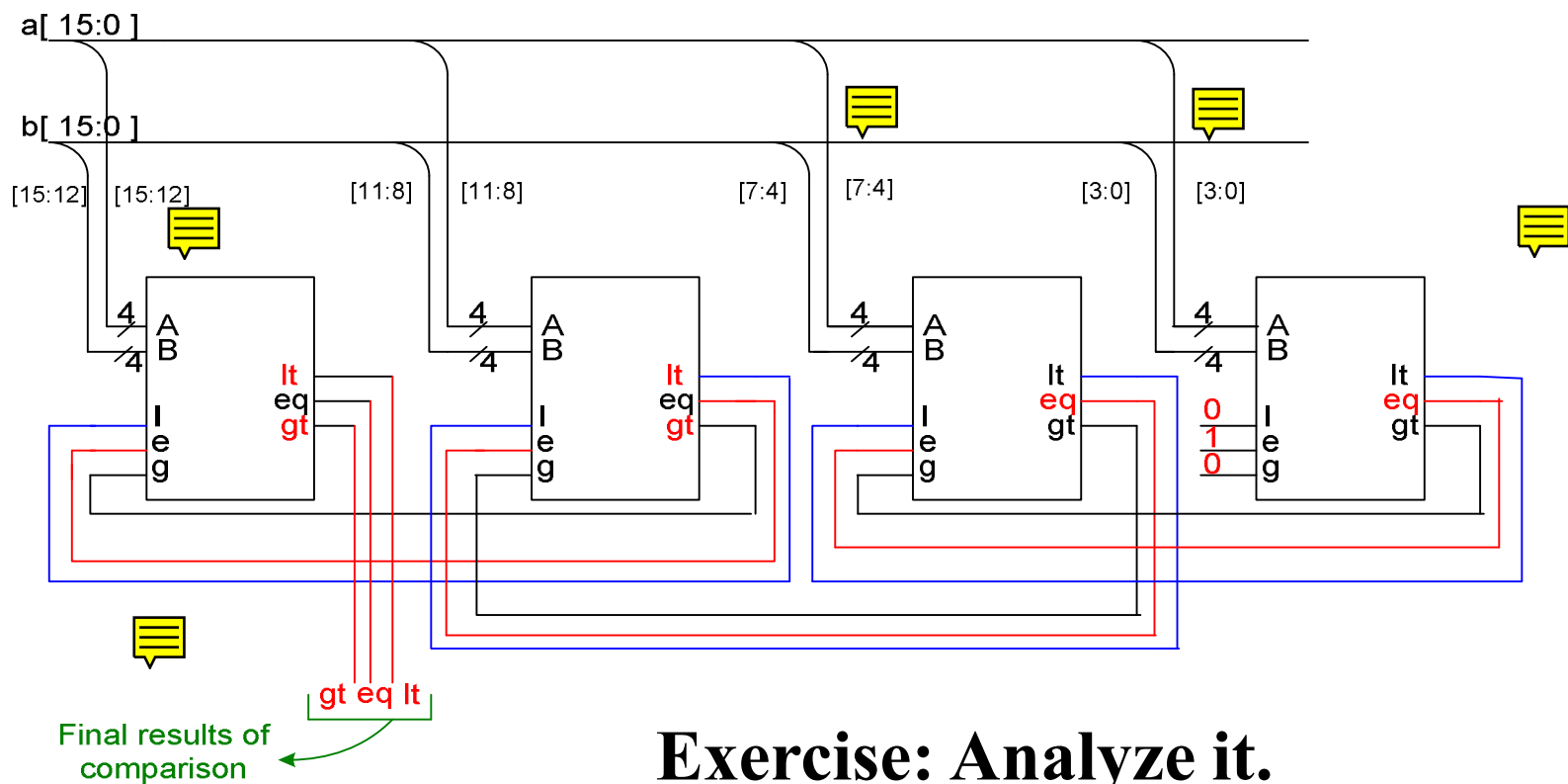
➤ The three l, e and g inputs are used when cascading.



# Comparator (continued...)

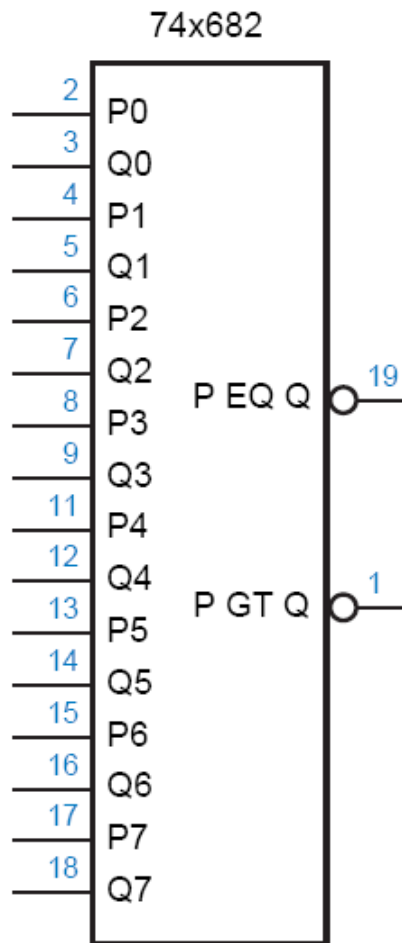
- Let us now cascade four of the 74x85 to construct a 16 bit comparator.

tahlil ba khodetoon



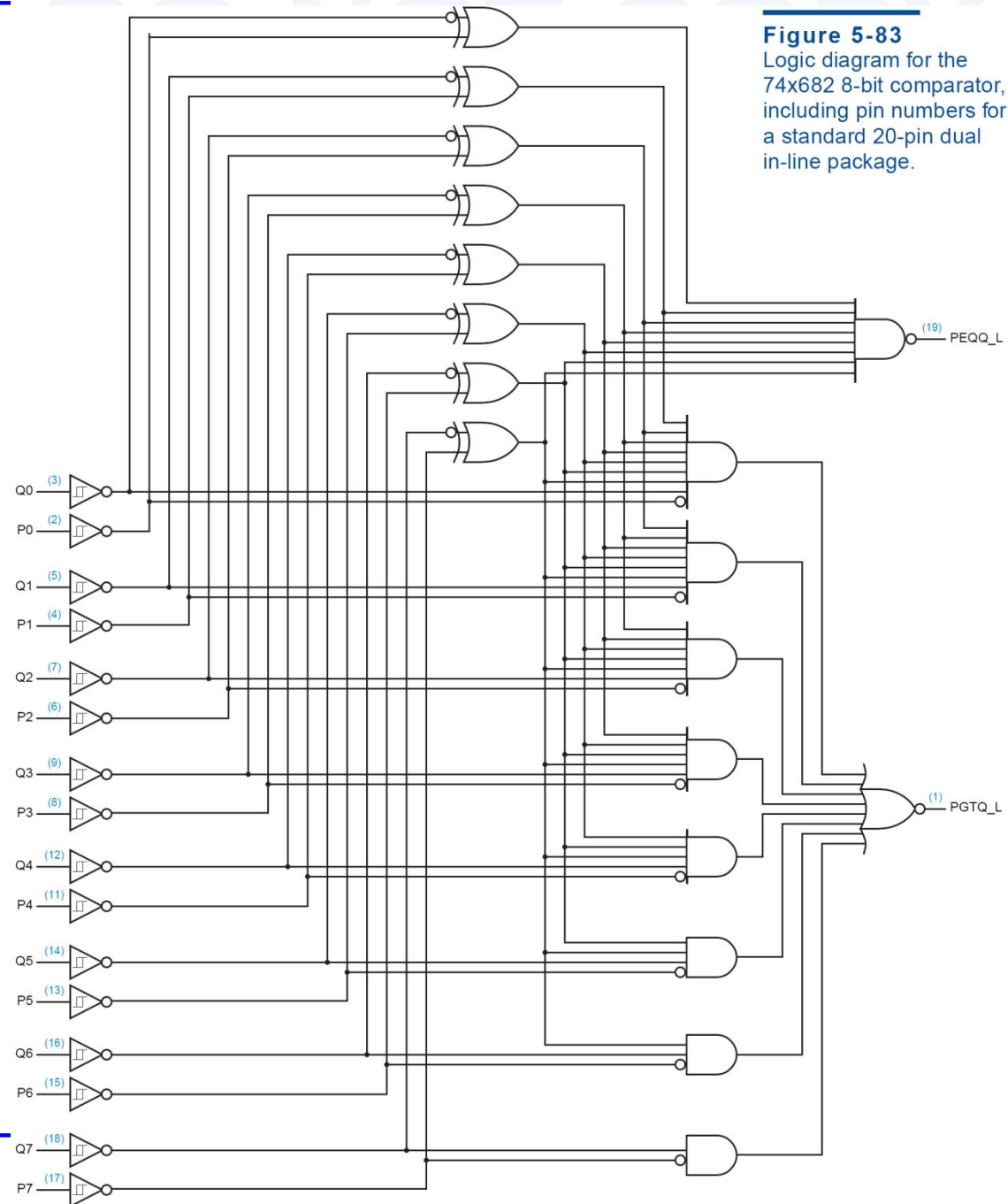
# TTL 74x682

## ➤ 8-bit Comparator



- Arithmetic conditions derived from 74x682 outputs?
- And their circuits?





# Maximum Finder

- Design a maximum finder

