imaging_ai

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sys.executable
'/opt/hostedtoolcache/Python/3.10.16/x64/bin/python3'

title: Task 1

Task 1

import sys

The Fourier transformation $f(x,y) \rightarrow F(u,v)$ of a greyscale image f(x,y) results in a bandlimited signal in the spatial frequency range with maximum frequencies f_{umax} and $_{vmax}$. For representation in the computer, the (partial) image is sampled in x direction with 20 sampling points per mm and in y direction with 10 sampling points per mm.

1. What is the theoretical maximum value of f_{umax} and f_{vmax} if error-free image reconstruction from the digital image should be possible (not using any compressive-sensing techniques)? (6pts)

According to the Nyquist sampling theorem, the maximum representable frequency (Nyquist frequency) in each direction is half the sampling frequency. The sampling frequency can be derived from the given sampling points per mm.

• Sampling frequency in x is f_{sx} and the Nyquist frequency in x is f_{umax} :

$$f_{sx}=20 \text{ points/mm}=20\times 10^3 \text{ points/m}$$

$$\Longrightarrow f_{umax}=\frac{f_{sx}}{2}=10.0 \text{ cycles/mm}$$

• Sampling frequency in y is f_{sy} and the Nyquist frequency in y is f_{vmax} :

$$f_{sy}=10\, {
m points/mm}=10 \times 10^3\, {
m points/m}$$

$$\Longrightarrow f_{vmax}=\frac{f_{sy}}{2}=5.0\, {
m cycles/mm}$$

This ensures error-free reconstruction, as the digital image will contain all frequency components of the original image within the Nyquist limit. Frequencies above these limits would result in aliasing, violating error-free reconstruction conditions.

What is the minimum memory requirement for the color image $f_F(x, y)$ when stored in a conventional computer system, if 1024 values are to be distinguished per color channel. Describe the image format to be used.

To start lets find the number of ixels

Let the image dimensions in mm be L_x (width) and L_y (height).

- Pixels in x-direction: $N_x=10.0\cdot L_x$ - Pixels in y-direction: $N_y=5.0\cdot L_y$ - Total number of pixels:

$$N_{\text{pixels}} = N_x \cdot N_y = 50.0 \cdot L_x \cdot L_y$$

Each pixel in a color image has values for three color channels: Red, Green, and Blue (RGB). Each channel can store 1024 distinct values, which means $log_2^{1024} = 10.0$ bits per channel.

Total bits per pixel: $b = 10.0 \times 3 = 30.0$ bits/pixel.

The memory requirement is the product of the number of pixels and bits per pixel:

$$\text{Used Memory} = N_{\text{pixels}} \cdot b = (50.0 \cdot L_x \cdot L_y) \cdot b \text{ bits} = 6.25 \cdot L_x \cdot L_y \cdot 30.0 \text{ bytes} = 187.5 \cdot L_x \cdot L_y \text{ bytes}$$

How many colors could be represented with the quantization chosen in sub-task 3? (2pts)

Each channel (Red, Green, and Blue) can represent 1024 intensity levels. With 10 bits per channel and 3 channels, the total number of colors is:

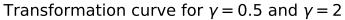
Task 2

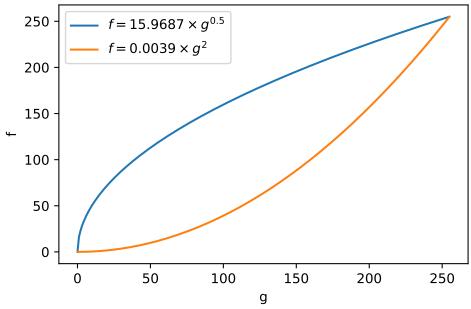
For the subjective enhancement of a greyscale image G=g(x,y), a transformation T_G is performed as a so-called gamma correction in the form $T_G:g\to f$ with $f(x,y)=cg^\gamma(x,y)$ where $g,f\in[0,255]$.

Sketch the transformation curve T_G for $\gamma_1 = 0.5$ and $\gamma_2 = 2$

The first step is to find the values of c for both cases. Since $\max(f) = \max(g) = 255$, we have $c = 255/255^{\gamma}$.

```
from matplotlib import pyplot as plt
import numpy as np
def draw_transform_curve(gamma: float, ax: plt.Axes = None, label: bool = True):
    if not ax:
        fig, ax = plt.subplots()
    x = np.linspace(0, 255, 256)
    c = 255 / 255 **gamma
    y = c * x**gamma
    message = f"$f = {c:0.4f} \\times g^{{gamma}}}$"
    if label:
        ax.plot(x, y, label=message)
    else:
        ax.plot(x, y)
    ax.set_xlabel("g")
    if label:
        ax.set_ylabel("f")
    else:
        ax.set_ylabel(message)
fig, ax = plt.subplots()
for gamma in [0.5, 2]:
    draw_transform_curve(gamma, ax)
ax.set_title(f"Transformation curve for $\\gamma=0.5$ and $\\gamma=2$")
ax.legend()
plt.show()
```





How is the coeficient c typically determined? (2pts)

The coefficient c is typically determined such that the maximum value of the input image is mapped to the maximum value of the output image. This is done to ensure that the full dynamic range of the output image is used.

As mentioned above, $c = 255/255^{\gamma}$.

In which respect and for which type of input images G do the two gamma values γ_1 , γ_2 lead to an image enhancement respectively? (2pts)

For $\gamma < 1$, the transformation curve is concave, which means that the lower intensity values are stretched more than the higher intensity values. This leads to a brighter image with more contrast. This is useful for images with low contrast.

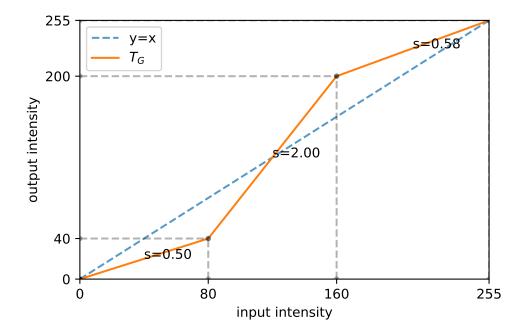
For $\gamma > 1$, the transformation curve is convex, which means that the higher intensity values are stretched more than the lower intensity values. This leads to a darker image with more contrast. This is useful for images with high contrast.

What should be the minimum slope of the transform function?

- 1. for a grey value spread (2pts)
- 2. for a grey value compression (2pts)

It's important to note that a slope of exactly 1 implies no change in contrast, as the transformation function becomes an identity mapping. Also, a slope of 0 implies that the output image will be a constant value, which is not useful for image enhancement.

- 1. For a grey value spread, the minimum slope of the transform function should be 1.
- 2. For a grey value compression, the minimum slope of the transform function should be 0 (and smaller than 1). For instance, in this function:



As we can see, the gray values between {python} spread_range[0] are streched between {python} spread_range[1] which has a slope greater than 1. On the other hand, the gray values between {python} compress_range[0] are compressed between {python} compress_range[1] which has a slope smaller than 1.

title:	"task 3 "			

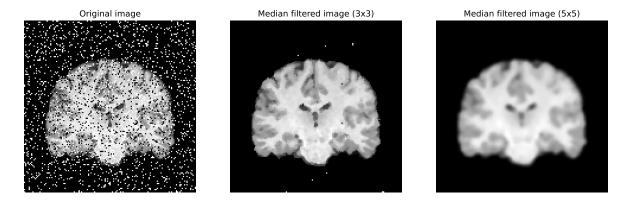
Task 3

In this task you will need to perform threshold-based image analysis:

Read the greyscale image brain.png, which is provided on the lecture homepage. Reduce the salt and pepper noise in the image using a median filter. (3pts)

```
import cv2
import numpy as np
import matplotlib.pyplot as plt
import os
img_noise = cv2.imread("brain-noisy.png", cv2.IMREAD_GRAYSCALE)
if img_noise is None:
    img_noise = cv2.imread("./reports/brain-noisy.png", cv2.IMREAD_GRAYSCALE)
assert img_noise is not None, "Image not found {}".format(os.listdir())
img = cv2.medianBlur(img_noise, 5)
img = cv2.GaussianBlur(img, (5, 5), 0)
fig, ax = plt.subplots(1, 3, figsize=(15, 5))
ax[0].imshow(img_noise, cmap="gray")
ax[0].set_title("Original image")
ax[0].axis("off")
ax[1].imshow(cv2.medianBlur(img_noise, 3), cmap="gray")
ax[1].set_title("Median filtered image (3x3)")
ax[1].axis("off")
ax[2].imshow(img, cmap="gray")
ax[2].set_title("Median filtered image (5x5)")
ax[2].axis("off")
plt.show()
```

[WARN:000.009] global loadsave.cpp:241 findDecoder imread_('brain-noisy.png'): can't open/read_('brain-noisy.png'):



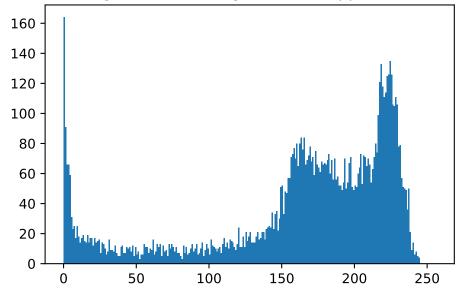
As we can see the kernel size of 3×3 is not enough to remove the noise, while the kernel size of 5×5 is sufficient.

Otsu thresholding is a histogram-based method for image segmentation. Use it to find an intensity threshold to segment brain pixels from background. Use Otsu thresholding again to find the threshold only over the brain pixels to segment brain's grey matter from the white matter. Using the two thresholds create three binary masks brain-bg.png, brain-gm.png, brain-wm.png, which should be white in regions of background, grey matter, and white matter, respectively, and black elsewhere. (4pts)

```
values, bin_edge = np.histogram(img, bins=256, range=(0, 256))
bin_centers = (bin_edge[:-1] + bin_edge[1:]) / 2
# values = values[1:]
# bin_centers = bin_centers[1:]
m = values.mean() * 2
values[values > m] = m

plt.bar(bin_centers, values, lw=2)
plt.title("Bounded histogram of the image (values capped at 2x the mean)")
plt.show()
```

Bounded histogram of the image (values capped at 2x the mean)

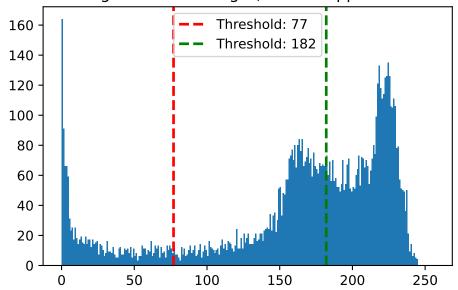


The correct way to use Otsu thresholding with several values is to use (Arora et al. 2008), which is not implemented in OpenCV. However, we can use the implementation in the skimage library (which implemented based on (Liao et al. 2001))

```
from skimage.filters import threshold_multiotsu
def otsu_threshold(
    img: np.ndarray, classes: int
) -> tuple[list[np.ndarray], np.ndarray]:
    threshold = threshold_multiotsu(img, classes=classes).tolist()
    threshold = [0] + threshold + [255]
    assert (
        len(threshold) == classes + 1
    ), "The number of thresholds should be equal to the number of classes - 1"
    masks = [(img >= t1) & (img < t2) for t1, t2 in zip(threshold, threshold[1:])]
    # masks.append(img >= threshold[-1])
    assert all(mask.dtype == bool for mask in masks), "Masks should be boolean"
    assert (
        len(masks) == classes
    ), "The number of masks should be equal to the number of classes"
    return masks, threshold[1:-1]
(brain_bg, brain_gm, brain_wm), threshold = otsu_threshold(img, 3)
colors = ["r", "g", "y"]
(brain_bg, brain_gm, brain_wm), threshold = otsu_threshold(img, 3)
print(f"Threshold for the whole image: {threshold}")
values, bin_edge = np.histogram(img, bins=256, range=(0, 256))
bin_centers = (bin_edge[:-1] + bin_edge[1:]) / 2
m = values.mean() * 2
values[values > m] = m
plt.bar(bin_centers, values, lw=2)
for th, color in zip(threshold, colors):
    plt.axvline(th, color=color, lw=2, ls="--", label=f"Threshold: {th}")
plt.legend()
plt.title("Bounded histogram of the image (values capped at 2x the mean)")
plt.show()
```

Threshold for the whole image: [77, 182]

Bounded histogram of the image (values capped at 2x the mean)

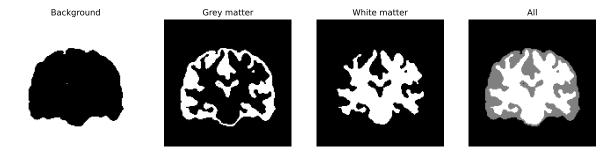


```
fig, ax = plt.subplots(1, 4, figsize=(15, 5))
ax[0].imshow(brain_bg, cmap="gray")
ax[0].set_title("Background")
ax[0].axis("off")

ax[1].imshow(brain_gm, cmap="gray")
ax[1].set_title("Grey matter")
ax[1].axis("off")

ax[2].imshow(brain_wm, cmap="gray")
ax[2].set_title("White matter")
ax[2].axis("off")

ax[3].imshow(brain_bg * 1 + brain_gm * 2 + brain_wm * 3, cmap="gray")
ax[3].set_title("All")
ax[3].axis("off")
```

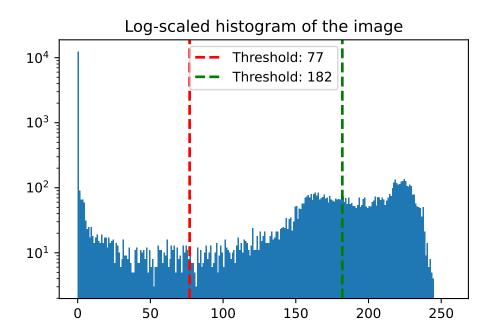


Plot a log-scaled histogram of the image, which should show how frequently different intensity values occur in the image. How could you roughly estimate the two thresholds you found in the previous task just by looking at the histogram? (3pts)

```
values, bin_edge = np.histogram(img, bins=256, range=(0, 256))
bin_centers = (bin_edge[:-1] + bin_edge[1:]) / 2
plt.bar(bin_centers, values, lw=2)
plt.yscale("log")

for th, color in zip(threshold, colors):
    plt.axvline(th, color=color, lw=2, ls="--", label=f"Threshold: {th}")

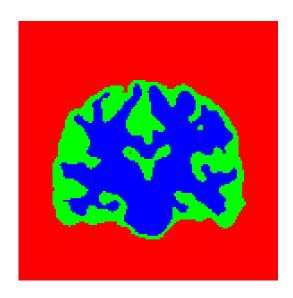
plt.legend()
plt.title("Log-scaled histogram of the image")
plt.show()
```



As we can see, the histogram has two peaks, which correspond to the grey matter and white matter. The two thresholds can be estimated by finding the two peaks in the histogram. (The purpose of otsu thresholding is to find the optimal threshold for the two peaks)

Combine the three masks into a single colour image so that background, grey matter, and white matter are mapped to red, green and blue, respectively. (3pts)

```
combined_brain = np.stack([brain_bg, brain_gm, brain_wm], axis=-1).astype(np.uint8) * 255
plt.imshow(combined_brain)
plt.axis("off")
plt.show()
```

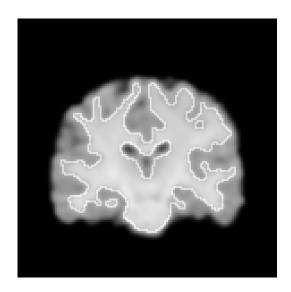


Use erosion (or any other morphological) filter to produce a border between the grey and white matter. Overlay that border on the denoised input image. (3pts)

```
kernel = np.ones((3, 3), np.uint8)
brain_wm_eroded = cv2.erode(brain_wm.astype(np.uint8), kernel, iterations=1)
brain_wm_dilated = cv2.dilate(brain_wm_eroded, kernel, iterations=1)
border = (brain_wm_dilated - brain_wm_eroded) * 255
alpha = 0.85
bordered_img = cv2.addWeighted(img, alpha, border, 1 - alpha, 0)

# plt.imshow(img, cmap="gray")
# plt.imshow(border, cmap="gray", alpha=0.5)
plt.imshow(bordered_img, cmap="gray")
```

```
plt.axis("off")
plt.show()
```



Use bilinear interpolation to up-sample the image by a factor of four along each axis. Apply the same thresholds as in 2) to obtain a segmentation into background, grey matter, and white matter. Up-sample the masks from 2) in the same way and compare the up-sampled masks to the masks from the up-sampled image. Can you see a difference? Why? Repeat the same procedure using nearest neighbour interpolation. Can you see a difference now? (4pts)

```
def upsample(img: np.ndarray, factor: int, interpolation: int) -> np.ndarray:
    return cv2.resize(
        img, (img.shape[1] * factor, img.shape[0] * factor), interpolation=interpolation
)

masks, threshold = otsu_threshold(img, 3)
img_upsampled = upsample(img, 4, cv2.INTER_LINEAR)
masks_upsampled, threshold_upsampled = otsu_threshold(img_upsampled, 3)

fig, ax = plt.subplots(2, 4, figsize=(15, 10))
fig.suptitle(
    "Comparison of upsampled masks and upsampled image using linear interpolation",
    fontsize=16,
)

titles = ["Background", "Grey matter", "White matter", "All"]
```

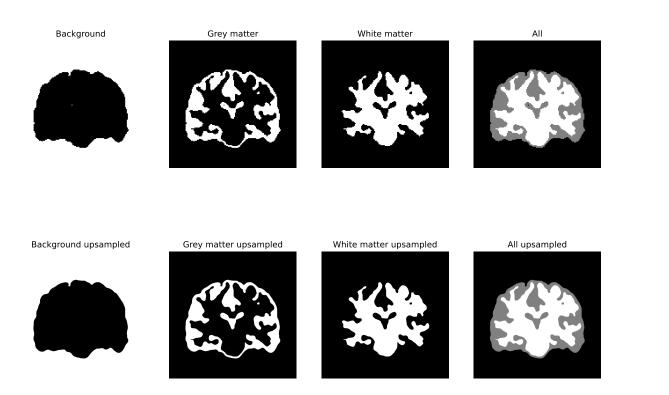
```
masks.append(masks[0] * 1 + masks[1] * 2 + masks[2] * 3)
masks_upsampled.append(
    masks_upsampled[0] * 1 + masks_upsampled[1] * 2 + masks_upsampled[2] * 3
)

for i, (mask, mask_upsampled, title) in enumerate(zip(masks, masks_upsampled, titles)):
    ax[0, i].imshow(mask, cmap="gray")
    ax[0, i].set_title(title)
    ax[0, i].axis("off")

    ax[1, i].imshow(mask_upsampled, cmap="gray")
    ax[1, i].set_title(f"{title} upsampled")
    ax[1, i].axis("off")

plt.show()
```

Comparison of upsampled masks and upsampled image using linear interpolation

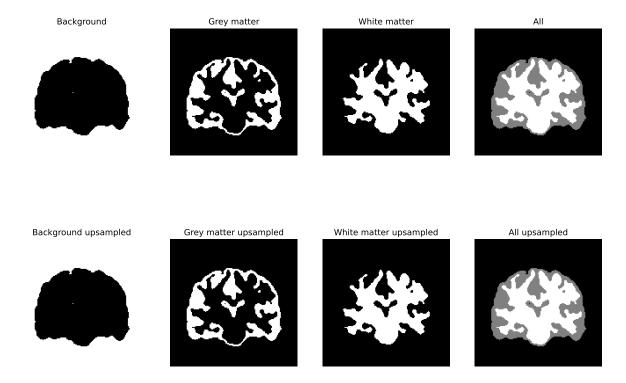


Clearly, we can see much smoother edges in the upsampled masks compared to the upsampled image. This is because the interpolation method used in the up-sampling process is linear,

which smooths the edges.

Now, let's repeat the same procedure using the nearest neighbour interpolation method.

```
masks, threshold = otsu_threshold(img, 3)
img_upsampled = upsample(img, 4, cv2.INTER_NEAREST)
masks_upsampled, threshold_upsampled = otsu_threshold(img_upsampled, 3)
fig, ax = plt.subplots(2, 4, figsize=(15, 10))
fig.suptitle(
    "Comparison of upsampled masks and upsampled image using nearest neighbour interpolation
    fontsize=16,
)
titles = ["Background", "Grey matter", "White matter", "All"]
masks.append(masks[0] * 1 + masks[1] * 2 + masks[2] * 3)
masks_upsampled.append(
    masks_upsampled[0] * 1 + masks_upsampled[1] * 2 + masks_upsampled[2] * 3
)
for i, (mask, mask_upsampled, title) in enumerate(zip(masks, masks_upsampled, titles)):
    ax[0, i].imshow(mask, cmap="gray")
    ax[0, i].set_title(title)
    ax[0, i].axis("off")
    ax[1, i].imshow(mask_upsampled, cmap="gray")
    ax[1, i].set_title(f"{title} upsampled")
    ax[1, i].axis("off")
plt.show()
```



We can see the edges are much sharper in the upsampled masks compared to the upsampled image. This is because the nearest neighbour interpolation method does not smooth the edges.

TODO: Test same thing with pyrUp

```
def upsample_pyramid_(img: np.ndarray) -> np.ndarray:
    # return cv2.resize(
    # img, (img.shape[1] * factor, img.shape[0] * factor), interpolation=interpolation
# )
    return cv2.pyrUp(img, dstsize=(img.shape[1] * 2, img.shape[0] * 2))

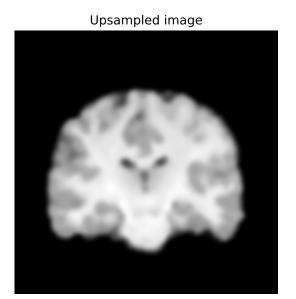
def upsample_pyramid(img: np.ndarray, factor: int) -> np.ndarray:
    if factor <= 1:
        raise ValueError("Factor should be greater than 1")
    f = 1
    while f < factor:
        img = upsample_pyramid_(img)
        f *= 2</pre>
```

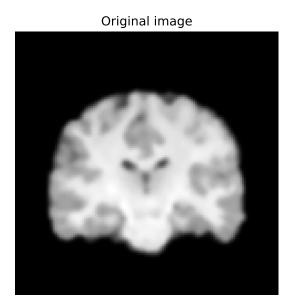
```
return img

print(img.shape)
img_upsampled = upsample_pyramid(img, 4)
print(img_upsampled.shape)
fig, ax = plt.subplots(1, 2, figsize=(10, 5))
ax[0].imshow(img_upsampled, cmap="gray")
ax[0].set_title("Upsampled image")
ax[0].axis("off")

ax[1].imshow(img, cmap="gray")
ax[1].set_title("Original image")
ax[1].axis("off")
```

(145, 145) (580, 580)





title: "Task 4"

Task 4

Data Handling and Preprocessing (10 Points)

- a. You can focus for now on loading the T1-weighted images and the matching labels.
- b. Create a dataloader for the data using PyTorch's Dataloader (or Monai's Dataloader class)
- c. Create suitable augmentations for the task to solve. Please note: If you apply transformations to the input data, you should think about if you need to apply any transformation to the label of the image as well.

We didnt used Monai's Dataloader class, because we wanted to use the data in the HPC. The dataset implementation is availabel in the task4/brats_segmentations/dataloader.py

file name: task4/brats_segmentation/dataloader.py

```
class ConvertToMultiChannelBasedOnBratsClassesd(MapTransform):
    def __call__(self, data):
        d = dict(data)
        for key in self.keys:
            if key != "label":
                continue
            result = []
            # Tumor Core (TC): Combine label 1 and
            tc = torch.logical_or(d[key] == 1, d[key] == 4)
            result.append(tc)
            # Whole Tumor (WT): Combine label 1, label 2, and label 4
            wt = torch.logical_or(
                torch.logical_or(d[key] == 2, d[key] == 4), d[key] == 1
            result.append(wt)
            # Enhancing Tumor (ET): Only label 4
            et = d[key] == 4
            result.append(et)
            # Stack binary masks into multi-channel format
            d[key] = torch.stack(result, dim=0).float().squeeze(1)
        return d
```

```
def get_transforms(roi_size, augment=True):
    Generate transforms for data preprocessing and augmentation.
    Args:
        roi_size (tuple): Size of the region of interest for cropping.
        augment (bool): Whether to apply augmentations.
    Returns:
        Compose: Transformation pipeline.
    images_types = ["t1", "t1ce", "t2", "flair"]
    transforms = [
        LoadImaged(keys=images_types + ["label"]),
        EnsureChannelFirstd(keys=images_types + ["label"]),
        ConcatItemsd(keys=images_types, name="image"),
        DeleteItemsd(keys=images_types),
        Orientationd(keys=["image", "label"], axcodes="RAS"),
        Spacingd(
           keys=["image", "label"],
           pixdim=(1.0, 1.0, 1.0),
           mode=("bilinear", "nearest"),
        ),
        NormalizeIntensityd(keys="image", nonzero=True, channel_wise=True),
        # ConvertToMultiChannelBasedOnBratsClassesd(
             keys=["label"]
        # ), # One-hot encode labels
        AsDiscreted(keys="label", to_onehot=5),
        RandSpatialCropd(keys=["image", "label"], roi_size=roi_size, random_size=False),
    ]
    if augment:
        transforms.extend(
            Γ
                RandFlipd(keys=["image", "label"], prob=0.5, spatial_axis=0),
                RandFlipd(keys=["image", "label"], prob=0.5, spatial_axis=1),
                RandFlipd(keys=["image", "label"], prob=0.5, spatial_axis=2),
            ]
        )
    transforms.append(ToTensord(keys=["image", "label"]))
    return Compose(transforms)
```

```
def get_dataloader(
    split_dir: str | os.PathLike,
   name: Literal["train", "test", "validation"],
   roi size: tuple,
    batch_size: int = 2,
   num workers: int = 0,
    cache_rate: float = 0.5,
):
    Create a PyTorch DataLoader for the BraTS dataset.
    Args:
        split_dir (str): Path to the directory containing split JSON files.
        roi_size (tuple): Size of the region of interest for cropping.
        batch_size (int): Number of samples per batch.
        num_workers (int): Number of workers to use for
    Returns:
        DataLoader: PyTorch DataLoader.
    if name not in ["train", "test", "validation"]:
        raise ValueError("name must be one of 'train', 'test', or 'validation'")
    split_dir = Path(split_dir)
    with open(split_dir / f"{name}.txt", "r") as f:
        files = json.load(f)
    transform = get_transforms(roi_size, augment=True if name == "train" else False)
    dataset = CacheDataset(
        data=files,
        transform=transform,
        cache_rate=0.1,
        num_workers=num_workers,
    return DataLoader(
        dataset, batch size=batch size, shuffle=True, num workers=num workers
    )
# DataLoader setup with CacheDataset
def get_dataloaders(split_dir, roi_size, batch_size, num_workers=4):
   Create data loaders for training, validation, and testing.
```

```
Args:
       split_dir (str): Path to the directory containing split JSON files.
       roi_size (tuple): Size of the region of interest for cropping.
       batch_size (int): Batch size for data loaders.
       num_workers (int): Number of workers for data loading.
   Returns:
       tuple: Training, validation, and test DataLoaders.
   return [
       get_dataloader(split_dir, name, roi_size, batch_size, num_workers)
       for name in ["train", "validation", "test"]
   ]
def make_images(images, segmentation, slice_index, label_color):
   imgs = images[..., slice_index]
   imgs = (imgs - imgs.min(axis=0)) / (imgs.max(axis=0) - imgs.min(axis=0) + 1e-5)
   seg = segmentation[..., slice_index]
   for img in imgs:
       img = np.stack([img, img, img], axis=-1)
       for index, color in enumerate(label_color, start=1):
            img[seg == index] = color
       yield img
# Visualization utility using Weights & Biases
def visualize_samples(loader: DataLoader):
   Visualize 2D slices of images and labels using Weights & Biases.
   Args:
       loader: DataLoader to fetch samples from.
   print("----")
   # label_color = [[0, 0, 1], [0, 1, 0], [1, 0, 0]]
   # label_text = ["Tumor Core", "Whole Tumor", "Enhancing"]
   label_color = [[0, 0, 1], [0, 1, 0], [1, 1, 0], [1, 0, 0]]
   label_text = [
        "Necrotic and Non-Enhancing Tumor",
```

```
"Edema",
    "IMPOSSIBLE",
    "Enhancing Tumor",
1
sample = next(iter(loader))
# sample[imgage].shape = (batch_size, num_channels, H, W, D)
images = sample["image"][0].numpy() # First item in the batch
segmentation = sample["label"]
print(segmentation.shape)
segmentation = torch.argmax(segmentation[0], dim=0).numpy()
assert (
    images.shape[1:] == segmentation.shape
), f"Shape mismatch {images.shape=} {segmentation.shape=}"
initial_slice = images.shape[-1] // 2
# 3D visualization :')
if images.shape[0] == 4:
    fig, axes = plt.subplots(2, 2, figsize=(10, 10))
    plt.subplots_adjust(bottom=0.2)
    axes = axes.flatten()
else:
    fig, axes = plt.subplots(1, images.shape[0], figsize=(10, 10))
plt.subplots_adjust(bottom=0.2)
img_displays = []
for ax, image, title in zip(
    axes,
    make_images(images, segmentation, initial_slice, label_color),
    ["T1", "T1CE", "T2", "FLAIR"],
):
    ax.set_title(title)
    ax.axis("off")
    img_displays.append(ax.imshow(image))
ax_slider = plt.axes([0.2, 0.05, 0.65, 0.03]) # [left, bottom, width, height]
slider = Slider(
    ax_slider, "Slice", 0, images.shape[-1] - 1, valinit=initial_slice, valstep=1
```

```
def update(_):
        slice_index = int(slider.val)
        for img_display, img in zip(
            img_displays, make_images(images, segmentation, slice_index, label_color)
        ):
            img_display.set_data(img)
            fig.suptitle(f"Slice {slice_index}")
        fig.canvas.draw_idle()
    cmap = ListedColormap(list(label_color))
    axes[-1].legend(
        handles=[Patch(color=cmap(i), label=text) for i, text in enumerate(label_text)],
        bbox_to_anchor=(1.05, 1),
        loc="upper left",
    slider.on_changed(update)
    plt.show()
if __name__ == "__main__":
    # Example usage
   split_dir = "./splits/split3"
   # roi_size = (128, 128, 128)
   roi_size = (240, 240, 160)
   batch_size = 8
   num_workers = 1
   val_dataloader = get_dataloader(
        split_dir, "validation", roi_size, batch_size, num_workers
    # Inspect one batch from the training DataLoader
    print("Testing the training DataLoader...")
    for batch in val dataloader:
        print(f"Image shape: {batch['image'].shape}")
        print(f"Label shape: {batch['label'].shape}")
        print(f"Label unique values: {torch.unique(batch['label'])}")
        break
    # # Visualize samples using Weights & Biases
    # print("Visualizing samples with W&B...")
```

visualize_samples(val_dataloader)

- Arora, Siddharth, Jayadev Acharya, Amit Verma, and Prasanta K Panigrahi. 2008. "Multilevel Thresholding for Image Segmentation Through a Fast Statistical Recursive Algorithm." *Pattern Recognition Letters* 29 (2): 119–25.
- Liao, Ping-Sung, Tse-Sheng Chen, Pau-Choo Chung, et al. 2001. "A Fast Algorithm for Multilevel Thresholding." J. Inf. Sci. Eng. 17 (5): 713–27.