Contents

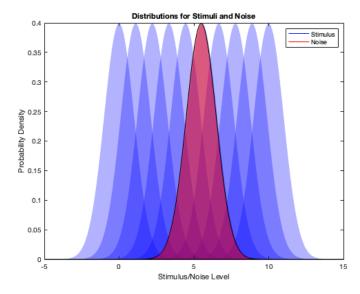
■ Functions to compute d-prime

```
clear; close all; clc;
```

The experiment here is a 2AFC method of constant stimuli. There are 10 stimuli levels and a noise level that is chosen randomly from one of the stimulus levels. At each trial, one of the stimuli levels are chosen and the stimulus is presented either on the left or right randomly, and the task of the subject is to determine if the stimulus is on the left or on the right. Initialization

```
nStim = 10; % Number of stimuli
nTrials = 1e3;
totalTrials = nStim * nTrials;
stimuli = linspace(0, 10, nStim); % Stimulus - levels selected
noiseLvl = min(stimuli) + (max(stimuli) - min(stimuli)) * rand; %
                                                                            ly choose noise level
% If the noise is lower than signal its a detection task, if the n
% in between, its a discrimination task
constNoise = 0.6; % Constant noise
intervalBias = 0.5; % Bias value, get interesting plots when bias = 1 and -1 so this is correct!
% Plot stimulus and noise distributions
% Visualziing stimuli and noise ditributions to make sure the task is hard
% enough but not too hard
figure;
x = linspace(-5, 15, 1000);
for i = 1:nStim
    y = normpdf(x, stimuli(i), 1);
    fill(x, y, 'b', 'FaceAlpha', 0.3, 'EdgeColor', 'none');
    hold on;
end
fill(x, normpdf(x, noiseLvl, 1), 'r', 'FaceAlpha', 0.5);
hStimulus = plot(NaN, NaN, 'b', 'DisplayName', 'Stimulus');
hNoise = plot(NaN, NaN, 'r', 'DisplayName', 'Noise');
xlabel('Stimulus/Noise Level');
ylabel('Probability Density');
title('Distributions for Stimuli and Noise');
legend([hStimulus, hNoise], 'Location', 'northeast');
\ensuremath{\mathtt{\$}} Simulate side where the signal is on each trial uniformly
% Seq is the sequence of stimuli levels, chosen randomly. One step close to
% adding history effects :/
side = randsample([-1, 1], totalTrials, true);
seq = repmat(stimuli, 1, nTrials);
seq = seq(randperm(length(seq)));
% Psychometric function for performing the
                                                  sion making
logistic = @(x) 1 ./ (1 + exp(-x));
% Sample noise and signal from a standard normal distribution given the
% mean which is the signal and the noise levels
noiseSamp = normrnd(noiseLvl, 1, [1, totalTrials]);
signalSamp = normrnd(seq, 1, [1, totalTrials]);
% Get the probablility of making response
                                                  the signal and noise for
% different conditions
prob = logistic(signalSamp - noiseSamp);
probWithNoise = logistic(signalSamp - noiseSamp + constNoise);
probWithIntervalBias = logistic(signalSamp - noiseSamp);
probWithIntervalBias(side == 1) = min(probWithIntervalBias(side == 1) + intervalBias/2, 1);
probWithIntervalBias(side == -1) = max(probWithIntervalBias(side == -1) - intervalBias/2, 0);
\mbox{\ensuremath{\$}} Get ther respones by comparing probablity to a random number. Turnint it
% into -1 or 1 depending on the side of the stimulus
resp = 2 * (rand(1, totalTrials) < prob) - 1;
resp = resp .* side;
respWithNoise = 2 * (rand(1, totalTrials) < probWithNoise) - 1;
respWithNoise = respWithNoise .* side;
respWithIntervalBias = 2 * (rand(1, totalTrials) < probWithIntervalBias) - 1;
respWithIntervalBias = respWithIntervalBias .* side;
% Initialize a structure to store d' on each side and d' aggregated (i am
% not entirely sure of the aggregate d' here but seems to work)
metrics = struct('normal', zeros(2, nStim), 'noise', zeros(2, nStim), ...
                'intervalBias', zeros(2, nStim));
aggMetrics = struct('normal', zeros(1, nStim), 'noise', zeros(1, nStim), ...
                'intervalBias', zeros(1, nStim));
\mbox{\ensuremath{\$}} Simulating the experiment as a psychophysics task and computing \mbox{\ensuremath{d}}{}^{\mbox{\ensuremath{\bullet}}}
\mbox{\ensuremath{\$}} without noise, with noise and with interval bias for each side
for i = 1:nStim
    for j = 1:2
        sVal = 2 * j - 3;
        trials = (seg == stimuli(i)) & (side == sVal);
        % Without noise
        metrics.normal(j, i) = calcDPrime(resp, trials, sVal);
        % With constant noise
        metrics.noise(j, i) = calcDPrime(respWithNoise, trials, sVal);
        % With interval bias
        metrics.intervalBias(j, i) = calcDPrime(respWithIntervalBias, trials, sVal);
```

```
\mbox{\ensuremath{\$}} Simulating the experiment as a psychophysics task and computing \mbox{\ensuremath{d}}\mbox{'}
% without noise, with noise and with interval bias as an aggregate
for i = 1:nStim
    trialsleft = (seg == stimuli(i)) & (side == -1);
    trialsright = (seq == stimuli(i)) & (side == 1);
    % Without noise
    aggMetrics.normal(i) = calcDPrimeAggregate(resp, trialsleft, trialsright);
    % With constant noise
    aggMetrics.noise(i) = calcDPrimeAggregate(respWithNoise, trialsleft, trialsright);
    % With interval bias
    aggMetrics.intervalBias(i) = calcDPrimeAggregate(respWithIntervalBias, trialsleft, trialsright);
% d-prime for left and right sides
plot(metrics.normal(1, :), metrics.normal(2, :), 'ro-', 'LineWidth', 1.5, 'DisplayName', 'Normal');
hold on;
plot(metrics.noise(1, :), metrics.noise(2, :), 'bo-', 'LineWidth', 1.5, 'DisplayName', 'Noise');
plot(metrics.intervalBias(1, :), metrics.intervalBias(2, :), 'mo-', 'LineWidth', 1.5, 'DisplayName', 'Interval Bias');
xlabel("d' Left");
ylabel("d' Right");
title("d' Left vs Right"):
grid on;
legend('Location', 'best');
hold off;
% d-prime as a function of stimulus level
figure;
plot(stimuli, aggMetrics.normal, 'ro-', 'LineWidth', 1.5, 'DisplayName', 'Normal');
plot(stimuli, aggMetrics.noise, 'bo-', 'LineWidth', 1.5, 'DisplayName', 'Noise');
plot(stimuli, aggMetrics.intervalBias, 'mo-', 'LineWidth', 1.5, 'DisplayName', 'Interval Bias');
xlabel("Stimulus Level");
ylabel("d' Aggregate");
title("d' as a Function of Stimulus Level");
legend('Location', 'best');
grid on:
hold off:
% d-prime for interval bias before and after correction
figure;
plot(stimuli, aggMetrics.intervalBias, 'ko-', 'LineWidth', 1.5, 'DisplayName', 'Raw Bias');
hold on;
plot(stimuli, (metrics.intervalBias(1, :)+ metrics.intervalBias(2, :))./sqrt(2), 'mo-', 'LineWidth', 1.5, 'DisplayName', 'Corrected Bias');
xlabel("Stimulus Level");
ylabel("d' Aggregate");
title("d' as a Function of Stimulus Level");
legend('Location', 'best');
grid on;
hold off;
\ensuremath{\text{\%}} Fit a cumulative Gaussian to the d' data
% Comment: This makes sense to me because dprime should saturate when the
% trials are too easy and too hard, I guess I am not getting the point of
% computing the parameters, so analysis after this probably makes no sense fitFunc = 0(b, x) 1 ./ (1 + exp(-b(1) * (x - b(2))));
betaNormal = nlinfit(stimuli, aggMetrics.normal, fitFunc, rand(2, 1));
betaNoise = nlinfit(stimuli, aggMetrics.noise, fitFunc, rand(2, 1));
betaBias = nlinfit(stimuli, aggMetrics.intervalBias, fitFunc, rand(2, 1));
% Use the fitted parameters to estimate d' at various stimulus levels
stimLevelsFine = linspace(min(stimuli), max(stimuli), 1e3);
dPrimeEstNormal = fitFunc(betaNormal, stimLevelsFine);
dPrimeEstNoise = fitFunc(betaNoise, stimLevelsFine);
dPrimeEstBias = fitFunc(betaBias, stimLevelsFine);
scatter(dPrimeEstNormal, dPrimeEstBias);
xlabel('d'' Estimate - Normal');
ylabel('d'' Estimate - With Bias');
title('Comparison of d'' Estimates');
grid on;
```

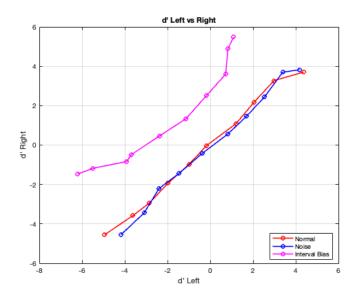


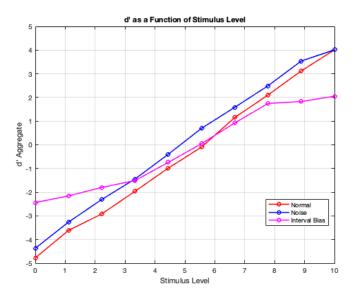
Functions to compute d-prime

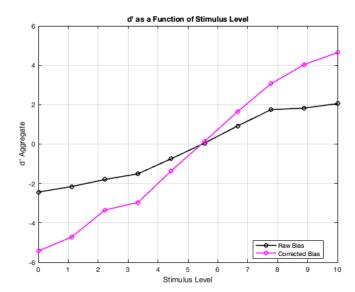
```
function dP = calcDPrime(responses, trials, sVal)
    % This function computes dprime separately for left and right sides
    hits = sum(responses(trials) == sVal);
    misses = sum(responses(trials) == -sVal);
    fAlarms = sum(responses(trials) == -sVal);
    cRejects = sum(responses(trials) == sVal);
    hitRate = (hits + 0.5) / (hits + misses + 1);
    fAlarmRate = (fAlarms + 0.5) / (fAlarms + cRejects + 1);
dP = norminv(hitRate) - norminv(fAlarmRate);
function dP = calcDPrimeAggregate(responses, trialsLeft, trialsRight)
    % This function compute dprime aggregated over left and right side
hits = sum(responses(trialsLeft) == -1) + sum(responses(trialsRight) == 1);
    misses = sum(responses(trialsLeft) == 1) + sum(responses(trialsRight) == -1);
    fAlarms = sum(responses(trialsLeft) == 1) + sum(responses(trialsRight) == -1);
    cRejects = sum(responses(trialsLeft) == -1) + sum(responses(trialsRight) == 1);
    hitRate = (hits + 0.5) / (hits + misses + 1);
    fAlarmRate = (fAlarms + 0.5) / (fAlarms + cRejects + 1);
    dP = norminv(hitRate) - norminv(fAlarmRate);
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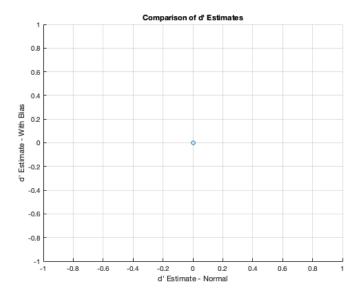
Warning: Unable to find a step that will decrease SSE. Returning results from last iteration.

Warning: Some columns of the Jacobian are effectively zero at the solution, indicating that the model is insensitive to some of its parameters. That may be because those parameters are not present in the model, or otherwise do not affect the predicted values. It may also be due to numerical underflow in the model function, which can sometimes be avoided by choosing better initial parameter values, or by rescaling or recentering. Parameter estimates may be unreliable.









Published with MATLAB® R2021b