digital image processing hw1

problem 1: piecewise linear transformation

hw1_1.m loads cameraman.tif image file, applies two different piecewise linear transform to the image, and plot the images in order.

PiecewiseLinearTr.m defines piecewise linear transform of given input and output transformed image. Here is the pseudocode for implementing PiecewiseLinearTr.m.

Algorithm 1: PiecewiseLinearTr.m

```
out put \leftarrow zeros;
slope \leftarrow zeros;
y\_inter \leftarrow zeros;
for i = 1 : (len(a) - 1) do
    slope_i \leftarrow (b(i+1)-b(i))/(a(i+1)-a(i));
    y_{inter_i} \leftarrow (a(i+1) * b(i) - a(i) * b(i+1))/(a(i+1) - a(i));
end
for i = 1 : M do
    for j = 1 : N do
        for k = 1 : (len(a) - 1) do
            if input(i, j) between a(k), a(k+1) then
                 output(i, j) = slope_k * input(i, j) + y_inter_k;
             end
        end
    end
end
```

Result of hw1_1.m can be found in Figure2. The leftmost one is the original image, middle is the transformed version with segment coordinates of [0,1], [1,0]. The rightmost one is from the segment coordinates of [0.25.5.751],[0.75.25.51].

Figure 1 plots two transformation functions. It can be seen that left transformation inverses the input intensity, which is proved on middle version of Figure 2. In the rightmost cameraman image, darkest part like coat is whitened and background, which has relatively high intensity, is darkened. This corresponds with right function of Figure 1.

problem 2: image histogram

hw1_2.m loads input.jpg and plot histogram of the image. Hist.m implements gathering histogram statistics. Below is the pseudocode for the file.

Figure 3 is the result of the hw1_2.m.

problem 3: histogram equalization

hw1_3.m loads input.jpg and applies histogram equalization. HistEq.m accepts input as image and output histogram-equalized version of the image. The pseudocode for HistEq.m is as follows.

Algorithm 2: Hist.m

```
\begin{array}{l} \textit{hist} \leftarrow \textit{zeros};\\ \textbf{for } i = 1: \textit{M} \textbf{ do} \\ & | \textbf{ for } j = 1: \textit{N} \textbf{ do} \\ & | \textit{hist}(\textit{input}(i,j)) + = 1;\\ & \textbf{ end} \\ \textbf{end} \\ \textbf{plot } \textit{hist}; \end{array}
```

Algorithm 3: HistEq.m

```
hist \leftarrow zeros;
transform \leftarrow zeros;
for i = 1 : M do
    for j = 1 : N do
        hist(input(i, j)) + = 1;
    end
end
for i = 1 : L do
    z \leftarrow sum(hist(1:i));
    z \leftarrow z * (L-1)/(M*N);
    transform(i) \leftarrow z;
end
out put \leftarrow input;
for i = 1 : M do
    for j = 1 : N do
        output(i, j) \leftarrow transform(input(i, j));
    end
end
```

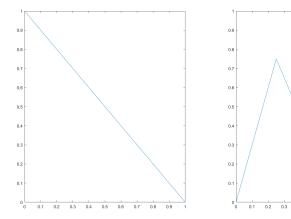


Figure 1: transformation functions. left: coordinates of [0,1], [1,0], right: coordinates of [0 .25 .5 .75 1],[0 .75 .25 .5 1].

Figure 4 depicts the result. It can be seen that the resulting image has enhanced contrast. Detailed histogram can be found in Figure 5.

Transformed histogram follows more to uniform than the original.

problem 4: histogram equalization

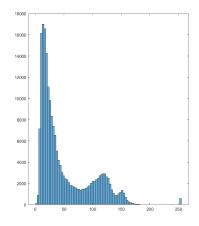
problem 5: histogram matching







Figure 2: result of running hw1_1.m



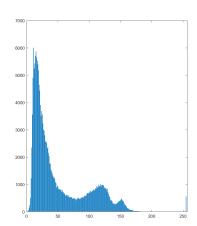
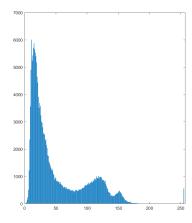


Figure 3: histogram visualizations.





Figure 4: histogram visualizations.



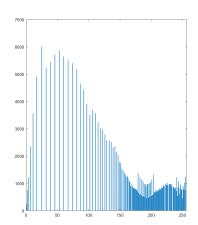


Figure 5: histogram visualizations.