Interview Questions (optional)

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1/1 points

1.

Nuts and bolts. A disorganized carpenter has a mixed pile of n nuts and n bolts. The goal is to find the corresponding pairs of nuts and bolts. Each nut fits exactly one bolt and each bolt fits exactly one nut. By fitting a nut and a bolt together, the carpenter can see which one is bigger (but the carpenter cannot compare two nuts or two bolts directly). Design an algorithm for the problem that uses $n \log n$ compares (probabilistically).

Note: these interview questions are ungraded and purely for your own enrichment. To get a hint, submit a solution.

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Thank you for your response.

Hint: modify the quicksort partitioning part of quicksort.

Remark: This research paper gives an algorithm that runs in $n \log^4 n$ time in the worst case.



1/1 points

2.

Selection in two sorted arrays. Given two sorted arrays $a[\]$ and $b[\]$, of sizes n_1 and n_2 , respectively, design an algorithm to find the k^{th} largest key. The order of growth of the worst case running time of your algorithm should be $\log n$, where $n=n_1+n_2$.

- Version 1: $n_1 = n_2$ and k = n/2
- Version 2: k = n/2
- Version 3: no restrictions



Thank you for your response.

Hint: there are two basic approaches.

- Approach A: Compute the median in $a[\]$ and the median in $b[\]$. Recur in a subproblem of roughly half the size.
- Approach B: Design a constant-time algorithm to determine whether a[i] is the k^{th} largest key. Use this subroutine and binary search.

Dealing with corner cases can be tricky.



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3.

Decimal dominants. Given an array with n keys, design an algorithm to find all values that occur more than n/10 times. The expected running time of your algorithm should be linear.

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Thank you for your response.

Hint: determine the $(n/10)^{th}$ largest key using quickselect and check if it occurs more than n/10 times.

Alternate solution hint: use 9 counters.

