Lab3

November 11, 2018

x was initialized by Pytorch constructor.

We just input the Tensor's size and it will create the Pytorch Tensor object with corresponded size.

The type of x is torch. Tensor

```
0.3826 0.8828 0.7766
0.0127 0.6751 0.9888
0.7520 0.3937 0.1745
0.3106 0.4066 0.9412
[torch.FloatTensor of size 5x3]

<class 'torch.FloatTensor'>

1.1073 0.0651 0.6458
-0.6131 1.1254 -1.3151
1.5377 1.2427 -0.9218
-0.6334 0.5704 1.7906
-0.2935 -0.2466 0.0032
[torch.FloatTensor of size 5x3]

<class 'torch.FloatTensor'>
```

Random values in y are in a uniform distribution on the interval [0,1).

The type of x is torch. Tensor.

torch.randn(5,3) will create tensor with same size but the distribution will be standard normal distribution.

3 3

```
In [4]: x=x.double()
       y=y.double()
       print(x)
       print(y)
2.4422e+33 3.0803e-41 -1.6391e+31
 4.5689e-41 -1.0024e+22 4.5689e-41
4.2558e+32 3.0803e-41 4.2558e+32
 3.0803e-41 4.2558e+32 3.0803e-41
 4.2566e+32 3.0803e-41 -1.6820e+31
[torch.DoubleTensor of size 5x3]
0.7426 0.3589 0.0410
0.3826 0.8828 0.7766
 0.0127 0.6751 0.9888
 0.7520 0.3937 0.1745
 0.3106 0.4066 0.9412
[torch.DoubleTensor of size 5x3]
```

The type displayed is torch.float64.

```
In [5]: x = torch.Tensor([[ -0.1859 , 1.3970 , 0.5236] ,
                        [ 2.3854 , 0.0707 , 2.1970] ,
                        [-0.3587, 1.2359, 1.8951],
                        [-0.1189, -0.1376, 0.4647],
                        [ -1.8968 , 2.0164 , 0.1092]])
       y = torch.Tensor([[ 0.4838 , 0.5822 , 0.2755] ,
                        [ 1.0982 , 0.4932 , -0.6680] ,
                        [0.7915, 0.6580, -0.5819],
                        [0.3825, -1.1822, 1.5217],
                        [0.6042, -0.2280, 1.3210]
In [6]: print(x.shape)
       print(y.shape)
torch.Size([5, 3])
torch.Size([5, 3])
5
   5
In [7]: z = torch.stack((x,y))
       z2 = torch.cat((x,y),0)
       z3 = torch.cat((x,y),1)
       print(z.shape)
       print(z2.shape)
       print(z3.shape)
torch.Size([2, 5, 3])
torch.Size([10, 3])
torch.Size([5, 6])
6
  6
In [8]: print(y[4,2])
       print(z[1,4,2])
1.32099997997
1.32099997997
7
   7
In [9]: print(z[:,4,2])
       print(len(z[:,4,2]))
```

```
1.3210
[torch.FloatTensor of size 2]
2
8
  8
In [10]: print(x+y)
        print(torch.add(x,y))
        print(x.add(y))
        torch.add(x,y,out=x)
        print(x)
0.2979 1.9792 0.7991
3.4836 0.5639 1.5290
 0.4328 1.8939 1.3132
 0.2636 -1.3198 1.9864
-1.2926 1.7884 1.4302
[torch.FloatTensor of size 5x3]
0.2979 1.9792 0.7991
3.4836 0.5639 1.5290
 0.4328 1.8939 1.3132
0.2636 -1.3198 1.9864
-1.2926 1.7884 1.4302
[torch.FloatTensor of size 5x3]
0.2979 1.9792 0.7991
 3.4836 0.5639 1.5290
 0.4328 1.8939 1.3132
 0.2636 -1.3198 1.9864
-1.2926 1.7884 1.4302
[torch.FloatTensor of size 5x3]
0.2979 1.9792 0.7991
 3.4836 0.5639 1.5290
 0.4328 1.8939 1.3132
 0.2636 -1.3198 1.9864
-1.2926 1.7884 1.4302
[torch.FloatTensor of size 5x3]
```

0.1092

They are printing the same output.

```
9 9
```

```
In [11]: x = torch.randn(4,4)
         y = x.view(16)
         z = x.view(-1,8)
         print(x.size(),y.size(),z.size())
torch.Size([4, 4]) torch.Size([16]) torch.Size([2, 8])
   view(16) squeezes x into one dimension.
   view(-1,8) reshape x to (xxx, 8) size where xxx is determined by its original size.
10 10
In [12]: x=torch.randn(10,10)
         y=torch.randn(2,100)
         x2=x.view(1,-1)
         y2=y.view(-1,2)
         res=torch.mm(x2,y2)
         print(res)
         print(res.shape)
-19.8243 -12.3032
[torch.FloatTensor of size 1x2]
torch.Size([1, 2])
11
    11
In [13]: a=torch.ones(5)
         print(a)
         b=a.numpy()
         print(b)
         print(type(a))
```

print(type(b))

```
1
1
1
1
[torch.FloatTensor of size 5]

[1. 1. 1. 1. 1.]
<class 'torch.FloatTensor'>
<type 'numpy.ndarray'>
```

They match. They share their underlying memory locations.

```
4
3
3
3
3
[torch.FloatTensor of size 5]
[4. 3. 3. 3. 3.]
5
4
4
4
[torch.FloatTensor of size 5]
[4. 3. 3. 3. 3.]
```

All of them will modify the value of a.

But a.add_(1) and a[:]+=1 will also modify the value of b. a.add(1) will not.

14 14

```
In [17]: x=torch.randn(5,3)
          y=torch.randn(5,3)
          if torch.cuda.is_available():
                x=x.cuda()
                y=y.cuda()
```

```
z=x+y
        print(z)
        if torch.cuda.is_available():
            print(z.cpu())
0.6352 0.2053 2.4652
3.0973 -1.5817 -0.6140
0.0272 -1.4052 1.1294
-0.3573 1.6090 2.2152
0.2849 1.0794 -3.4635
[torch.cuda.FloatTensor of size 5x3 (GPU 0)]
0.6352 0.2053 2.4652
3.0973 -1.5817 -0.6140
0.0272 -1.4052 1.1294
-0.3573 1.6090 2.2152
0.2849 1.0794 -3.4635
[torch.FloatTensor of size 5x3]
```

Create x and y and calculate z=x+y.

If gpu is available, then transfer tensor to cuda tensor firstly and then calculate it by gpu. z.cpu() could also transfer z from cuda tensor to cpu tensor.

RuntimeError: can't convert CUDA tensor to numpy (it doesn't support GPU arrays). Use .c

Unfortunately, the second statement is invalid for Pytorch.

17 17

$$f = \frac{1}{n} \sum_{i=1}^{n} 3(x_i + 2)^2$$

In [21]: f.backward()

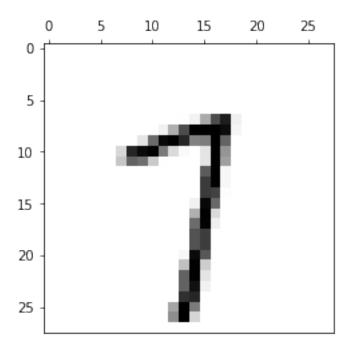
$$\nabla_x f(x_i) = \frac{6(x_i + 2)}{n}$$

Based on the equation, the gradient should be 18/4 = 4.5

20 20

This results indicates that the gradient obtained by Pytorch is the same as our mathematical derivation.

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7

This indicates that our preprocess is correct.

24 24

```
In [48]: import torch.nn as nn
```

```
25.0.1 Input = 1 \times 28 \times 28
25.0.2 conv1 = 6 \times 24 \times 24
25.0.3 pool1 = 6 \times 12 \times 12
25.0.4 \quad conv2 = 16 \times 8 \times 8
25.0.5 pool2 = 16 \times 4 \times 4
    26
26
In [49]: import torch.nn as nn
         import torch.nn.functional as F
         # This is our neural networks class that inherits from nn. Module
         class LeNet(nn.Module):
         # Here we define our network structure
              def __init__(self):
                  super(LeNet,self).__init__()
                  self.conv1=nn.Conv2d(1,6,5).double()
                  self.conv2=nn.Conv2d(6,16,5).double()
                  self.fc1=nn.Linear(16*4*4,120).double()
                  self.fc2=nn.Linear(120,84).double()
                  self.fc3=nn.Linear(84,10).double()
              # Here we define one forward pass through the network
              def forward(self,x):
                  x=F.max_pool2d(F.relu(self.conv1(x)),(2,2))
                  x=F.max_pool2d(F.relu(self.conv2(x)),(2,2))
                  x=x.view(-1,self.num_flat_features(x))
                  x=F.relu(self.fc1(x))
                  x=F.relu(self.fc2(x))
                  x=self.fc3(x)
                  return x
              # Determine the number of features in a batch of tensors
              def num_flat_features(self,x):
                  size=x.size()[1:]
                  return np.prod(size)
         net = LeNet()
         print(net)
LeNet(
  (conv1): Conv2d(1, 6, kernel_size=(5, 5), stride=(1, 1))
  (conv2): Conv2d(6, 16, kernel_size=(5, 5), stride=(1, 1))
  (fc1): Linear(in_features=256, out_features=120, bias=True)
  (fc2): Linear(in_features=120, out_features=84, bias=True)
  (fc3): Linear(in_features=84, out_features=10, bias=True)
)
```

The params for indicies 0 and 2 are [num of output channels, num of input channels, kernel width, kernel height], which corresponds to the kernels for conv layers.

The params for indicies 4,6,8 are the num of input features and the num of output features for fully connected layers.

The params for the odd indices are bias for each layer.

28 28

```
In [54]: for epoch in range(T):
             running_loss = 0.0
             idxminibatches = np.random.permutation(NB) # shuffling
             for k in range(NB):
                 i = idxminibatches[k] # index of minibatch
                 # Extract i-th minibatch from xtrain and ltrain
                 idxsmp = range(i*B,i*B+B) # indices of samples for i-th minibatch
                 inputs = xtrain[idxsmp]
                 labels = ltrain[idxsmp]
                 # Initialize the gradients to zero
                 optimizer.zero_grad()
                 # Forward propagation
                 outputs = net(inputs)
                 # Error evaluation
                 loss = criterion(outputs, labels.long())
                 # Back propagation
                 loss.backward()
                 # Parameter update
                 optimizer.step()
                 # Print averaged loss per minibatch every 100 mini - batches
                 running_loss += loss[0]
                 if k % 100 == 99:
                     print('[%d, %5d] loss: %.3f'%
                             (epoch + 1,k + 1,running_loss*1.0/100))
                     running_loss = 0.0
         print ('Finished Training')
Г1.
      100] loss: 1.219
[1,
      200] loss: 0.252
[1,
     300] loss: 0.167
Г1.
     400] loss: 0.157
     500] loss: 0.125
Γ1,
Г1,
     600] loss: 0.125
     100] loss: 0.100
[2,
Γ2,
     200] loss: 0.101
Γ2,
     300] loss: 0.087
Γ2,
     400] loss: 0.094
Γ2,
     500] loss: 0.080
        KeyboardInterruptTraceback (most recent call last)
        <ipython-input-54-76ecf1db2eb3> in <module>()
```

```
15
                loss = criterion(outputs,labels.long())
     16
                # Back propagation
---> 17
                loss.backward()
                # Parameter update
     18
     19
                optimizer.step()
    /opt/conda/lib/python2.7/site-packages/torch/autograd/variable.pyc in backward(self, gra
                         Variable.
    165
                11 11 11
    166
--> 167
                torch.autograd.backward(self, gradient, retain_graph, create_graph, retain_v
    168
    169
            def register_hook(self, hook):
    /opt/conda/lib/python2.7/site-packages/torch/autograd/__init__.pyc in backward(variables
     97
     98
            Variable._execution_engine.run_backward(
---> 99
                variables, grad_variables, retain_graph)
    100
    101
    KeyboardInterrupt:
```

```
In [59]: xtrain, ltrain = MNISTtools.load(dataset = "training", path = "/datasets/MNIST")
         xtest, ltest = MNISTtools.load(dataset = "testing", path = "/datasets/MNIST")
         xtrain = np.transpose(xtrain.reshape(28,28,1,60000),[3,2,0,1])
         xtest = np.transpose(xtest.reshape(28,28,1,10000),[3,2,0,1])
         import torch.autograd as ag
         if torch.cuda.is_available():
             xtrain=ag. Variable(torch.from_numpy(xtrain).cuda(),requires_grad=True).double()
             ltrain=ag.Variable(torch.from_numpy(ltrain).cuda(),requires_grad=False).double()
             xtest=ag.Variable(torch.from_numpy(xtest).cuda(),requires_grad=False).double()
         else:
             xtrain=ag.Variable(torch.from_numpy(xtrain),requires_grad=True).double()
             ltrain=ag.Variable(torch.from_numpy(ltrain),requires_grad=False).double()
             xtest=ag.Variable(torch.from_numpy(xtest),requires_grad=False).double()
         import torch.nn as nn
         import torch.nn.functional as F
         # This is our neural networks class that inherits from nn. Module
```

```
# Here we define our network structure
             def __init__(self):
                 super(LeNet,self).__init__()
                 self.conv1=nn.Conv2d(1,6,5).double()
                 self.conv2=nn.Conv2d(6,16,5).double()
                 self.fc1=nn.Linear(16*4*4,120).double()
                 self.fc2=nn.Linear(120,84).double()
                 self.fc3=nn.Linear(84,10).double()
             # Here we define one forward pass through the network
             def forward(self.x):
                 x=F.max_pool2d(F.relu(self.conv1(x)),(2,2))
                 x=F.max_pool2d(F.relu(self.conv2(x)),(2,2))
                 x=x.view(-1,self.num_flat_features(x))
                 x=F.relu(self.fc1(x))
                 x=F.relu(self.fc2(x))
                 x=self.fc3(x)
                 return x
             # Determine the number of features in a batch of tensors
             def num_flat_features(self,x):
                 size=x.size()[1:]
                 return np.prod(size)
         net = LeNet()
         if torch.cuda.is_available():
             net = net.cuda()
         print(net)
LeNet(
  (conv1): Conv2d(1, 6, kernel_size=(5, 5), stride=(1, 1))
  (conv2): Conv2d(6, 16, kernel_size=(5, 5), stride=(1, 1))
  (fc1): Linear(in_features=256, out_features=120, bias=True)
  (fc2): Linear(in_features=120, out_features=84, bias=True)
  (fc3): Linear(in_features=84, out_features=10, bias=True)
In [60]: N = xtrain.size()[0] # Training set size
        B = 100 # Minibacth size
         NB = 600 # Number of minibatches
         T = 10 # Number of epochs
         gamma = .001 # learning rate
         rho = .9 \# momentum
         criterion = nn.CrossEntropyLoss()
         optimizer = torch.optim.SGD(net.parameters(),
```

class LeNet(nn.Module):

```
momentum = rho)
         for epoch in range(T):
             running_loss = 0.0
             idxminibatches = np.random.permutation(NB) # shuffling
             for k in range(NB):
                 i = idxminibatches[k] # index of minibatch
                 # Extract i-th minibatch from xtrain and ltrain
                 idxsmp = range(i*B,i*B+B) # indices of samples for i-th minibatch
                 inputs = xtrain[idxsmp]
                 labels = ltrain[idxsmp]
                 if torch.cuda.is available():
                     inputs, labels = inputs.cuda(), labels.cuda()
                 # Initialize the gradients to zero
                 optimizer.zero_grad()
                 # Forward propagation
                 outputs = net(inputs)
                 # Error evaluation
                 loss = criterion(outputs,labels.long())
                 # Back propagation
                 loss.backward()
                 # Parameter update
                 optimizer.step()
                 # Print averaged loss per minibatch every 100 mini - batches
                 running_loss += loss[0]
                 if k % 100 == 99:
                     print('[%d, %5d] loss: %.3f'%
                             (epoch + 1,k + 1,running_loss*1.0/100))
                     running_loss = 0.0
         print ('Finished Training')
Γ1,
     100] loss: 0.840
Г1.
     2001 loss: 0.241
     300] loss: 0.159
[1,
Г1.
     400] loss: 0.149
[1,
     500] loss: 0.148
[1,
     600] loss: 0.121
[2,
     100] loss: 0.096
[2,
     200] loss: 0.090
Γ2.
     300] loss: 0.089
     400] loss: 0.082
Γ2,
Γ2,
     500] loss: 0.082
[2,
     600] loss: 0.082
ГЗ,
     1007 loss: 0.066
     200] loss: 0.067
ГЗ,
```

lr = gamma,

- 300] loss: 0.069 [3, [3, 400] loss: 0.054 500] loss: 0.060 [3, [3, 600] loss: 0.053 100] loss: 0.045 [4, [4, 200] loss: 0.051 300] loss: 0.053 [4, 400] loss: 0.040 [4, [4, 500] loss: 0.049 600] loss: 0.045 [4, [5, 100] loss: 0.049 [5, 200] loss: 0.034 [5, 300] loss: 0.039 400] loss: 0.040 [5, 500] loss: 0.043 [5, [5, 600] loss: 0.037 [6, 100] loss: 0.030 200] loss: 0.032 [6, [6, 300] loss: 0.036 [6, 400] loss: 0.033 500] loss: 0.037 [6, [6, 600] loss: 0.033 [7, 100] loss: 0.028 [7, 200] loss: 0.028 [7, 300] loss: 0.027 [7, 400] loss: 0.029 500] loss: 0.030 [7, [7, 600] loss: 0.032
- [8, 100] loss: 0.021 [8, 200] loss: 0.034
- [8, 300] loss: 0.026 [8, 400] loss: 0.026
- [8, 500] loss: 0.024
- [8, 600] loss: 0.027
- [9, 100] loss: 0.016 [9, 200] loss: 0.022
- [9, 300] loss: 0.025
- [9, 400] loss: 0.026
- [9, 500] loss: 0.024
- [9, 600] loss: 0.021
- [10, 100] loss: 0.015
- [10, 200] loss: 0.016
- [10, 300] loss: 0.021 [10, 400] loss: 0.019
- [10, 400] loss: 0.019 [10, 500] loss: 0.021
- [10, 600] loss: 0.020

Finished Training

Improved from 10.32% accuracy to 98.86% accuracy.