

AI51801/CSE54501 Deep generative model/Advanced computer vision Quiz 1

Link to this document (shared in the Blackboard/announcement):

https://docs.google.com/document/d/1BydS939JWDDHWZaVEKQsCvskXaJBHOqZT_eGvkC7me8/edit?usp=sharing

Duration: 3/22 (Tue) 4:50PM-6:00PM

Answer sheet link: <https://forms.gle/ggSnZ7p1KsxQ871K9>

(If you need to update your answer, you can modify the original answers or can re-submit by filling only new answers. We will reflect the most recent answer for each problem.)

1. (40pts) Please indicate 'True' or 'False' for the sentences below.

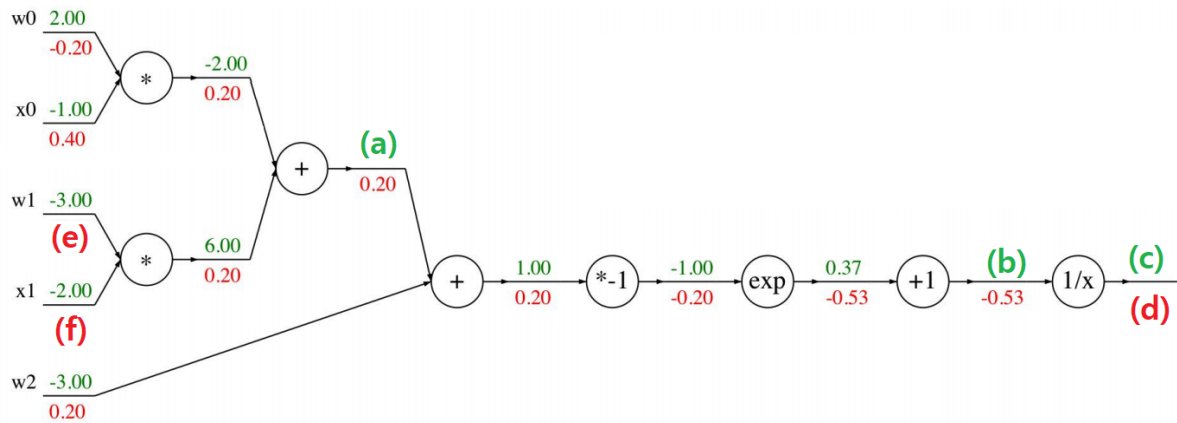
[Scores are given as follows: no answer (0 point), wrong answer (-6 points), correct answer (+10 points)]

- (10pts) Outputs of the 2D convolutional layers are differentiable with respect to their inputs. **(True)**
- (10pts) For the optimizer, optimizer.step() (\rightarrow **loss.backward()**) is a function which is called for calculating gradients and assigning gradients to .grad instance of pytorch variables. **(False)**
- (10pts) Before calling loss.backward(), gradients need to be initialized to NULL and the function called for that purpose is: optimizer.init() (\rightarrow **optimizer.zero_grad()**). **(False)**
- (10pts) Stochastic gradient descent goes many non-optimal steps; however it converges better than gradient descent in practice. **(True)**

2. (60pts)

$$f(w, x) = \frac{1}{1 + e^{-(w_0x_0 + w_1x_1 + w_2x_2)}}$$

Below is the graph built for calculating the forward and backward pass of the above function $f(w, x)$. **Green** and **red** fonts are indicating **forwarded values** and **gradients**, respectively. Given that w_0, x_0, w_1, x_1 and w_2 are initialized to 2.0, -1.0, -3.0, -2.0 and -3.0, please fill (a)-(f) with proper numerical values. (each 10pts.) Calculate until 2 digits are obtained below the floating point.



(a) 4 (sol: $-2.0 + 6.0 = 4.0$)

(b) 1.37 (sol: $0.37 + 1 = 1.37$)

(c) 0.73 (sol: $1/1.37 = 0.73$)

(d) 1 (sol: this is always 1.00, as it is the initial node)

(e) -0.4 (sol: if $f = w_1 * x_1 = -2.0 * x_1$, the gradient for w_1 is $0.2 * df/dw_1 = 0.2 * -2 = -0.4$)

(f) -0.6 (sol: if $f = w_1 * x_1 = w_1 * -3.0$, the gradient for x_1 is $0.2 * df/dx_1 = 0.2 * -3 = -0.6$)

3. (No point.) Please share your opinion: Do you agree with changing this course into an offline course, after the mid-term? Please select 'yes' or 'no' and provide some reasons (You can use Korean to share your opinion).