

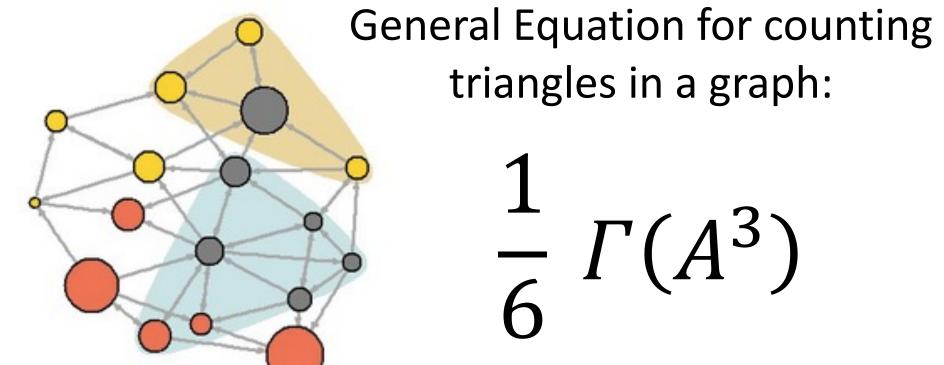
# **GPU Implementation of Triangle Counting Algorithm** without Matrix Multiplication



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## Background

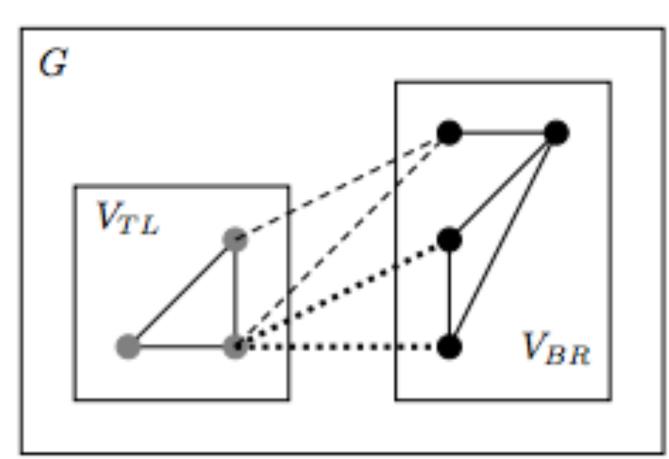




How do you increase the efficiency of counting triangles for large graphs?

## Algorithm

**Linear-Algebra Based Algorithm** without Matrix Multiplication

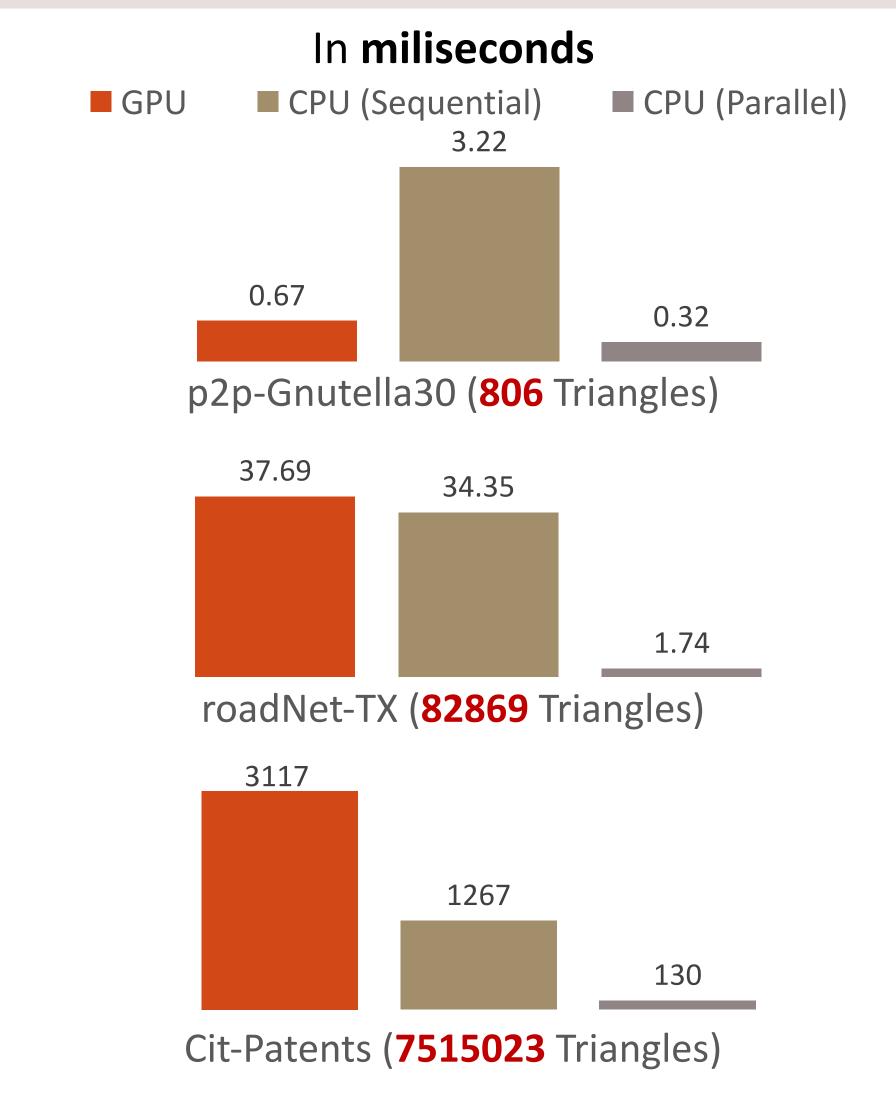


- Place all vertices in V<sub>BR</sub>
- Move an arbitrary vertex v to  $V_{TL}$
- Add the number triangles where v was the last vertex remaining in V<sub>BR</sub> to delta
- Repeat the process until all vertices are placed in  $V_{TL}$

## Linear Algebra Implementation $(a_{01}|A_{02})$ $\Delta = \Delta + a_{12}^T A_{20} a_{01}$ The Adjacency Matrix is stored in **CSR Format** 1050 0 2 4 6 7 Row Start 2 3 0 0 Column Indices 4001 1523412 0020/ **GPU** Implementation CUDA **NUMBA NVIDIA**® CUDA® **BLOCK** $a_{34}$ BLOCK Preventing race condition when updating delta:

cuda.atomic.add(delta,0,1)

### Performance Comparison



#### Conclusion

- As the size of the graph and the number of the triangles increase, the kernel execution time increase exponentially.
- Thread synchronization time required during GPU operation due to varying loop sizes may have caused the GPU implementation to take longer than CPU parallel implementation.
- CUDA Numba also requires the Numba module to compile the kernel in C language, which may have affected the execution time significantly.

### Future Plans

- Further optimization of current parallelism algorithm
- GPU Implementation using CUDA C and comparing results