Loading the Data

```
In [ ]: | ID = 1631938 | Name = 'MIN SOE HTUT' | ID | Name |
```

Part A: Regression

1 Loading the data

```
In [ ]: import numpy as np
import pandas as pd
import sklearn.metrics as skmetric
import seaborn as sns
df = pd.read_csv('https://raw.githubusercontent.com/martianunlimited/compx310_
datasets/main/housing.csv')
df
```

2 Preparing the full data for the regression algorithms:replace any missing values & turn categorical values ('ocean_proximity') into numeric ones

```
In [ ]: # Replace missing values with median
    df = df.fillna(df.select_dtypes(include=['number']).median())

# Convert categorical features to numerical using one-hot encoding
    df = pd.get_dummies(df, columns=['ocean_proximity'])
    df.info()
```

3 Define X as all the numerical features in the dataframe except median_house_value and y to be the target value median_house_value. Split the data into 80% train and 20% test data

```
In [ ]: from sklearn.model_selection import train_test_split

# Define features and target
X = df.drop('median_house_value', axis=1)
y = df['median_house_value']

# Split the data
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, rando m_state=ID)
X_train.shape, X_test.shape
```

4 Define a function called run_reg that takes a regressor and X_train, X_test, y_train, y_test as arguments

```
In [ ]:
        import matplotlib.pyplot as plt
         from sklearn.metrics import mean absolute error
        from sklearn.linear model import SGDRegressor
         # Define the run reg function
         def run reg(regressor, X train, X test, y train, y test):
         # Train the regressor using the train data
         regressor.fit(X train, y train)
         # Compute predictions for the test data
         y_pred = regressor.predict(X_test)
         # Set predictions smaller than 15000 to 15000
         y \text{ pred}[y \text{ pred} < 15000] = 15000
         # Set predictions larger than 500000 to 500000
         y pred[y pred>500000]=500000
         # Compute the MAE for the test data
         mae = mean absolute error(y test, y pred)
         # Scatterplot of true test targets vs. predictions
         plt.scatter(y_test, y_pred)
         plt.xlabel("True Test Targets")
         plt.ylabel("Predictions")
         plt.title(f'MAE = {mae:0.4}')
         plt.show()
         return mae
```

5 Call run_reg each with the following SGDRegressor with the following learning rates [0.00000001, 0.0001]

```
In [ ]: # Define the regressors with different Learning rates
    regressor_a = SGDRegressor(learning_rate='constant', eta0=0.00000001, random_s
    tate=ID)
    regressor_b = SGDRegressor(learning_rate='constant', eta0=0.0001, random_state
    =ID)

# Run the regressors
mae_a_original = run_reg(regressor_a, X_train, X_test, y_train, y_test)
mae_b_original = run_reg(regressor_b, X_train, X_test, y_train, y_test)

print(f"MAE for regressor a with original data: {mae_a_original}")
print(f"MAE for regressor b with original data: {mae_b_original}")
```

6 Scale the features using standard scaler

```
In [ ]: from sklearn.preprocessing import StandardScaler

# Load the scaled data
scaler = StandardScaler()
X_train_scaled = scaler.fit_transform(X_train)
X_test_scaled = scaler.transform(X_test)
```

7 Rerun 5) with X_train_scaled and X_test_scaled instead of X_train and X_test

Comment on the difference in the results in steps A.5 vs A.7

In A.5 the MAE was 174,144.26 suggesting larger prediction errors which is evident from the more scattered points in the corresponding plot.

In A.7 the MAE reduced substantially to 49,862.04 indicating much closer predictions to the actual values as shown by the tighter clustering around the diagonal in the second plot.

Part B: Learning Curves

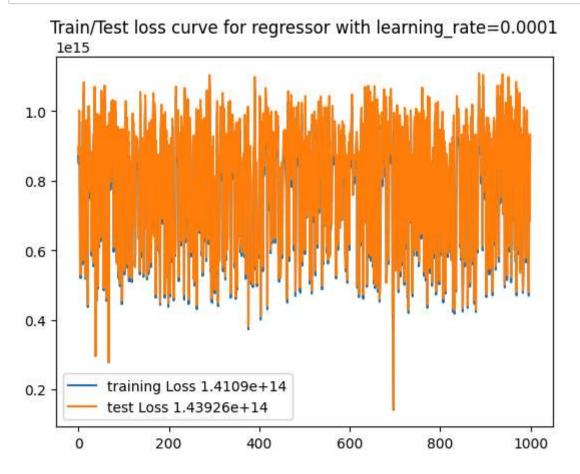
1) Skeleton Code

```
In [ ]:
        import matplotlib.pyplot as plt
        import numpy as np
        from sklearn.linear_model import SGDRegressor
        def run_training_curve(X_train,X_test,y_train,y_test,learning_rate=0.00000000
        1, no epoch=1000):
            sgd=SGDRegressor(random_state=1234567,verbose=0,learning_rate='constant',e
        ta0=learning_rate) # Don't change the random state, this so that we more likel
        y to have meaningful result
            train_loss_list=[]
            test_loss_list=[]
            for epoch in range(no_epoch):
                sgd.partial_fit(X_train,y_train)
                y_pred_train=sgd.predict(X_train)
                y pred test=sgd.predict(X test)
                train_loss_list.append(np.sqrt(np.mean((y_pred_train-y_train)**2)))
                test_loss_list.append(np.sqrt(np.mean((y_pred_test-y_test)**2)))
            plt.plot(train_loss_list,label=f'training Loss {np.min(train_loss_list[50])
        0:]):.6}')
            plt.plot(test_loss_list,label=f'test Loss {np.min(test_loss_list[500:]):.
        6}')
            plt.legend()
            plt.title(f"Train/Test loss curve for regressor with learning rate={learni
        ng rate}")
            plt.show()
```

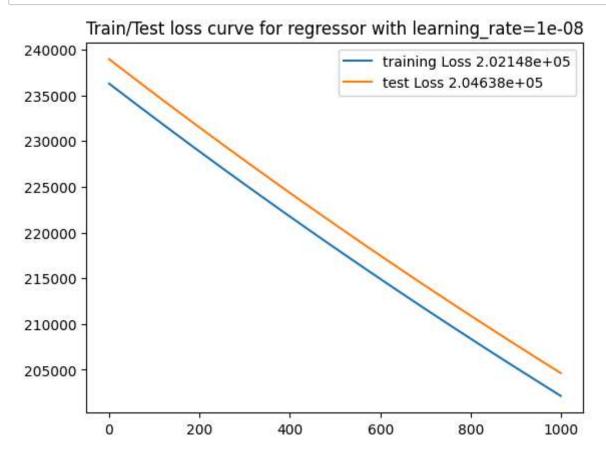
2) Plot the learning curves from cases A to E

```
In [ ]: # Case A
    run_training_curve(X_train, X_test, y_train, y_test, learning_rate=0.00000001)
```

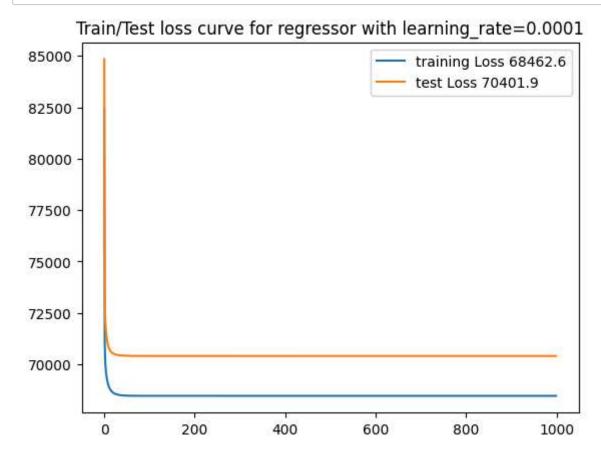
In []: # Case B
 run_training_curve(X_train, X_test, y_train, y_test, learning_rate=0.0001)



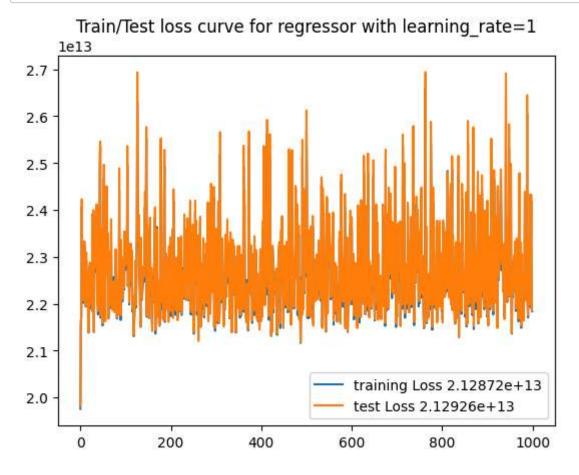
In []: # Case C
 run_training_curve(X_train_scaled, X_test_scaled, y_train, y_test, learning_ra
 te=0.00000001)



In []: # Case D
 run_training_curve(X_train_scaled, X_test_scaled, y_train, y_test, learning_ra
 te=0.0001)



In []: # Case E
 run_training_curve(X_train_scaled, X_test_scaled, y_train, y_test, learning_ra
 te=1)



Comment about the learning curves obtained in step B.2

In Case B (unscaled, 0.0001 learning rate) and Case E (scaled, 1 learning rate), the high learning rates cause the loss to fluctuate, making the training unstable. This prevents the model from converging, indicating that the learning rate needs to be lowered for stable and effective training.

In Case A (unscaled, 1e-8 learning rate), the very low learning rate leads to a slow but steady decrease in loss. The model improves gradually but requires many more epochs to converge. Slightly increasing the learning rate or adding more epochs could speed up convergence.

In Case C (scaled data with a 1e-8 learning rate), the very low learning rate results in slow but stable convergence. The model's progress is steady, but it may take many more epochs to reach an optimal solution. Increasing the learning rate slightly could accelerate convergence without sacrificing stability.

In Case D (scaled data with a 0.0001 learning rate), the learning rate is well-chosen, leading to fast and stable convergence. The model quickly reaches a good solution with fewer epochs, showing that scaling combined with an appropriate learning rate allows for efficient training.

Part C - Simple neural networks (MLP)

1) Load MNIST Dataset

2) split X trainval and y trainval into a 75%/25% training and validation split stratified on y trainval

```
In [ ]: from sklearn.model_selection import train_test_split

# Split into training and validation sets
X_train, X_val, y_train, y_val = train_test_split(X_trainval, y_trainval, test_size=0.25, stratify=y_trainval)
```

3) normalize X_train, X_val and X_test

```
In [ ]: # Normalize the data
X_train=X_train/255
X_val=X_val/255
X_test=X_test/255
```

4) import the keras library and define your model using model=keras.models.Sequential()

```
import tensorflow as tf
In [ ]:
        from tensorflow import keras
        # Define the model using Keras Sequential API
        model = keras.models.Sequential([
            keras.layers.Flatten(input_shape=(28, 28)),  # Flatten the input
            keras.layers.Dense(50, activation='relu'),
                                                         # First hidden layer with
        50 units
            keras.layers.Dense(50, activation='relu'), # Second hidden layer with
        50 units
            keras.layers.Dense(50, activation='relu'),
                                                         # Third hidden layer with
        50 units
            keras.layers.Dense(10, activation='softmax') # Output Layer with 10 uni
        ts (one for each digit)
        ])
```

/usr/local/lib/python3.10/dist-packages/keras/src/layers/reshaping/flatten.p y:37: UserWarning: Do not pass an `input_shape`/`input_dim` argument to a lay er. When using Sequential models, prefer using an `Input(shape)` object as the first layer in the model instead.

super(). init (**kwargs)

5) Set your optimizer as ADAM, and your loss function to sparse_categorical_crossentropy and metrics= ['accuracy']

```
In [ ]: # Compile the model with Adam optimizer and sparse categorical crossentropy to
    ss
    model.compile(optimizer='adam', loss='sparse_categorical_crossentropy', metric
    s=['accuracy'])
```

6) view your model using model.summary()

```
In [ ]: # View the model summary
model.summary()
```

Model: "sequential_8"

Layer (type)	Output Shape
flatten_1 (Flatten)	(None, 784)
dense_11 (Dense)	(None, 50)
dense_12 (Dense)	(None, 50)
dense_13 (Dense)	(None, 50)
dense_14 (Dense)	(None, 10)

Total params: 44,860 (175.23 KB)

Trainable params: 44,860 (175.23 KB)

Non-trainable params: 0 (0.00 B)

7) Fit your model using X train for 30 epoch & to set validation data=(X val,y val).

In [75]: # Train the model on the training data for 30 epochs, with validation data
history = model.fit(X_train, y_train, epochs=30, validation_data=(X_val, y_va
l), verbose=2)

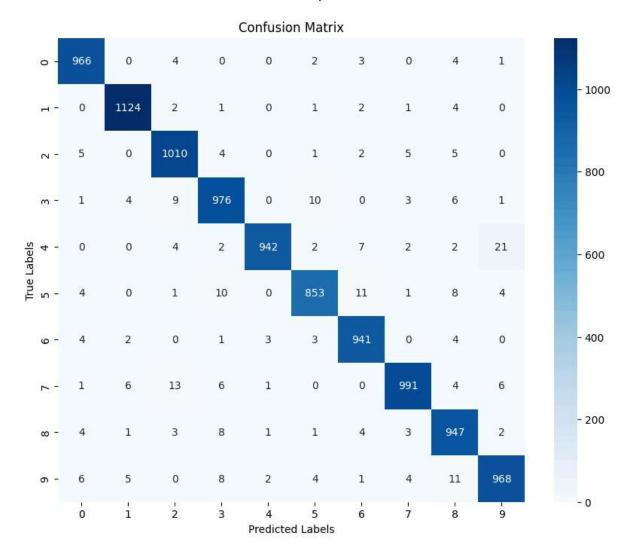
```
Epoch 1/30
1407/1407 - 8s - 6ms/step - accuracy: 0.8986 - loss: 0.3430 - val_accuracy:
0.9383 - val loss: 0.2030
Epoch 2/30
1407/1407 - 9s - 6ms/step - accuracy: 0.9530 - loss: 0.1574 - val_accuracy:
0.9541 - val loss: 0.1479
Epoch 3/30
1407/1407 - 5s - 3ms/step - accuracy: 0.9641 - loss: 0.1154 - val_accuracy:
0.9585 - val_loss: 0.1324
Epoch 4/30
1407/1407 - 4s - 3ms/step - accuracy: 0.9710 - loss: 0.0933 - val_accuracy:
0.9617 - val_loss: 0.1292
Epoch 5/30
1407/1407 - 5s - 4ms/step - accuracy: 0.9751 - loss: 0.0785 - val accuracy:
0.9634 - val_loss: 0.1236
Epoch 6/30
1407/1407 - 5s - 3ms/step - accuracy: 0.9787 - loss: 0.0665 - val_accuracy:
0.9677 - val loss: 0.1112
Epoch 7/30
1407/1407 - 5s - 3ms/step - accuracy: 0.9820 - loss: 0.0562 - val accuracy:
0.9652 - val loss: 0.1258
Epoch 8/30
1407/1407 - 6s - 4ms/step - accuracy: 0.9829 - loss: 0.0504 - val_accuracy:
0.9609 - val loss: 0.1449
Epoch 9/30
1407/1407 - 4s - 3ms/step - accuracy: 0.9848 - loss: 0.0464 - val accuracy:
0.9668 - val loss: 0.1220
Epoch 10/30
1407/1407 - 5s - 3ms/step - accuracy: 0.9873 - loss: 0.0382 - val accuracy:
0.9681 - val loss: 0.1225
Epoch 11/30
1407/1407 - 6s - 5ms/step - accuracy: 0.9878 - loss: 0.0374 - val accuracy:
0.9640 - val_loss: 0.1426
Epoch 12/30
1407/1407 - 5s - 4ms/step - accuracy: 0.9891 - loss: 0.0324 - val accuracy:
0.9666 - val loss: 0.1364
Epoch 13/30
1407/1407 - 7s - 5ms/step - accuracy: 0.9899 - loss: 0.0308 - val accuracy:
0.9704 - val loss: 0.1303
Epoch 14/30
1407/1407 - 4s - 3ms/step - accuracy: 0.9902 - loss: 0.0282 - val accuracy:
0.9698 - val loss: 0.1327
Epoch 15/30
1407/1407 - 6s - 4ms/step - accuracy: 0.9907 - loss: 0.0283 - val_accuracy:
0.9670 - val loss: 0.1441
Epoch 16/30
1407/1407 - 5s - 4ms/step - accuracy: 0.9914 - loss: 0.0251 - val_accuracy:
0.9687 - val loss: 0.1418
Epoch 17/30
1407/1407 - 4s - 3ms/step - accuracy: 0.9928 - loss: 0.0217 - val_accuracy:
0.9681 - val loss: 0.1462
Epoch 18/30
1407/1407 - 7s - 5ms/step - accuracy: 0.9930 - loss: 0.0215 - val_accuracy:
0.9721 - val loss: 0.1417
Epoch 19/30
1407/1407 - 9s - 6ms/step - accuracy: 0.9932 - loss: 0.0197 - val_accuracy:
0.9697 - val loss: 0.1562
```

```
Epoch 20/30
1407/1407 - 5s - 4ms/step - accuracy: 0.9929 - loss: 0.0201 - val_accuracy:
0.9709 - val_loss: 0.1450
Epoch 21/30
1407/1407 - 9s - 6ms/step - accuracy: 0.9938 - loss: 0.0183 - val_accuracy:
0.9713 - val_loss: 0.1519
Epoch 22/30
1407/1407 - 6s - 5ms/step - accuracy: 0.9938 - loss: 0.0173 - val_accuracy:
0.9696 - val loss: 0.1652
Epoch 23/30
1407/1407 - 11s - 8ms/step - accuracy: 0.9939 - loss: 0.0172 - val_accuracy:
0.9695 - val_loss: 0.1693
Epoch 24/30
1407/1407 - 4s - 3ms/step - accuracy: 0.9946 - loss: 0.0172 - val_accuracy:
0.9681 - val_loss: 0.1657
Epoch 25/30
1407/1407 - 4s - 3ms/step - accuracy: 0.9951 - loss: 0.0142 - val accuracy:
0.9693 - val_loss: 0.1827
Epoch 26/30
1407/1407 - 6s - 5ms/step - accuracy: 0.9945 - loss: 0.0175 - val accuracy:
0.9605 - val loss: 0.2195
Epoch 27/30
1407/1407 - 4s - 3ms/step - accuracy: 0.9950 - loss: 0.0152 - val accuracy:
0.9658 - val loss: 0.1828
Epoch 28/30
1407/1407 - 6s - 4ms/step - accuracy: 0.9953 - loss: 0.0139 - val accuracy:
0.9721 - val loss: 0.1674
Epoch 29/30
1407/1407 - 5s - 4ms/step - accuracy: 0.9950 - loss: 0.0150 - val accuracy:
0.9649 - val loss: 0.2045
Epoch 30/30
1407/1407 - 10s - 7ms/step - accuracy: 0.9957 - loss: 0.0141 - val accuracy:
0.9715 - val loss: 0.1643
```

8) prediction of X test, and visualize the confusion matrix

```
In [76]:
         import seaborn as sns
         from sklearn.metrics import confusion_matrix
         import numpy as np
         # Predict on the test set
         y_pred_prob = model.predict(X_test)
         y_pred = np.argmax(y_pred_prob, axis=1)
         # Compute the confusion matrix
         cm = confusion_matrix(y_test, y_pred)
         # Plot the confusion matrix
         plt.figure(figsize=(10, 8))
         sns.heatmap(cm, annot=True, fmt='d', cmap='Blues')
         plt.xlabel('Predicted Labels')
         plt.ylabel('True Labels')
         plt.title('Confusion Matrix')
         plt.show()
```





Comment on the training and validation loss & accuracies and comment on the confusion matrix

The training and validation loss curves typically show a decreasing trend as the model learns indicating effective training. If the validation loss starts to increase while the training loss continues to decrease it is overfitting. A gap between training and validation accuracy curves could indicate the model is performing well on the training data but less so on unseen data, highlighting the importance of monitoring these metrics throughout the training process. The confusion matrix helps to identify where the model might be struggling especially between similar-looking digits.

Part D: Transfer learning

1) set batch_size to 256

```
In [77]: # Define the batch size
batch_size = 256
```

2) load the data, and scaling the features by dividing it by 255.

```
In [78]: from tensorflow.keras.datasets import cifar100

# Load the CIFAR-100 dataset
(X_trainval, y_trainval), (X_test, y_test) = cifar100.load_data()

# Scale the pixel values to the range [0, 1]
X_trainval = X_trainval / 255
X_test = X_test / 255

# Check the shapes of the data
print(X_trainval.shape)
print(X_test.shape)

(50000, 32, 32, 3)
(10000, 32, 32, 3)
```

3) split X trainval into: 80% train and 20% validation

```
In [79]: from sklearn.model_selection import train_test_split

# Split the data into 80% training and 20% validation sets with stratification
X_train, X_val, y_train, y_val = train_test_split(X_trainval, y_trainval, test
_size=0.2, stratify=y_trainval, random_state=ID)

# Check the shapes after splitting
print(X_train.shape)
print(X_val.shape)

(40000, 32, 32, 3)
(10000, 32, 32, 3)
```

4) Select one of the smaller pre-trained models from https://keras.io/api/applications/. (https://keras.io/api/applications/).

```
In [80]: from tensorflow.keras.applications import MobileNetV2
```

5) Load the model without its final layer, include pre-trained weights, "freeze" the model & combine it with a final Dense(100) layer for predicting the 100 classes, using softmax activation.

```
In [81]: from tensorflow.keras import layers, models
         from tensorflow.keras.layers import Resizing
         from tensorflow.keras.applications import MobileNetV2
         # Load the pre-trained MobileNetV2 model without the final layer, include pre-
         trained weights
         base model = MobileNetV2(weights='imagenet', include top=False, input shape=(2
         24, 224, 3))
         # Freeze the base model layers to prevent their weights from being updated dur
         ing initial training
         base model.trainable = False
         # Create the model with a resizing layer and custom layers on top
         model = models.Sequential([
             Resizing(224, 224, input shape=(32, 32, 3)),
             base model,
             layers.GlobalAveragePooling2D(),
             layers.Dense(100, activation='softmax')
         ])
         Downloading data from https://storage.googleapis.com/tensorflow/keras-applica
         tions/mobilenet_v2/mobilenet_v2_weights_tf_dim_ordering_tf_kernels_1.0_224_no
         top.h5
         9406464/9406464
                                            — 0s 0us/step
         /usr/local/lib/python3.10/dist-packages/keras/src/layers/preprocessing/tf dat
         a layer.py:19: UserWarning: Do not pass an `input shape`/`input dim` argument
         to a layer. When using Sequential models, prefer using an `Input(shape)` obje
         ct as the first layer in the model instead.
           super().__init__(**kwargs)
```

6) Compile the model, and produce display model.summary()

```
In [82]: # Compile the model with Adam optimizer and sparse categorical crossentropy to
    ss
    model.compile(optimizer='adam', loss='sparse_categorical_crossentropy', metric
    s=['accuracy'])
# Display the model summary to verify the architecture
    model.summary()
```

Model: "sequential_9"

Layer (type)	Output Shape	
resizing_5 (Resizing)	(None, 224, 224, 3)	
mobilenetv2_1.00_224 (Functional)	(None, 7, 7, 1280)	2
<pre>global_average_pooling2d_7 (GlobalAveragePooling2D)</pre>	(None, 1280)	
dense_15 (Dense)	(None, 100)	

Total params: 2,386,084 (9.10 MB)

Trainable params: 128,100 (500.39 KB)

Non-trainable params: 2,257,984 (8.61 MB)

7) Train the frozen model for 20 epochs.

```
In [2]: # Train the model for 20 epochs with frozen MobileNet Layers
history_frozen = model.fit(X_train, y_train, epochs=20, validation_data=(X_va
l, y_val), batch_size=batch_size)
```

NameError: name 'model' is not defined

8) Unfreeze the model, and train for a further 30 iterations.

9) Plot the accuracy learning curves for train, validation, and test, for both the pretraining stage

```
In [3]: # Unfreeze the MobileNet base model layers for fine-tuning
model.layers[1].trainable = True # Unfreeze the MobileNet model

# Recompile the model with a lower learning rate for fine-tuning
model.compile(optimizer=tf.keras.optimizers.Adam(learning_rate=0.0001), loss
='sparse_categorical_crossentropy', metrics=['accuracy'])

# Fine-tune the model for 30 more epochs with the custom callback
history_fine = model.fit(X_train, y_train, epochs=30, validation_data=(X_val,
y_val), batch_size=batch_size, callbacks=[test_acc_callback])
```

NameError: name 'model' is not defined

Part E

1-4. Predict, Identify Worst Misclassifications, and Plot

```
In [4]: # Get predictions
        preds = model.predict(X test)
        # For each class, identify the worst misclassification
        worst misclassifications = []
        for true_class in range(100):
            X class = X test[y test.flatten() == true class]
            y_class = preds[y_test.flatten() == true_class]
            true_scores = y_class[:, true_class]
            diff = y_class.max(axis=1) - true_scores
            worst idx = diff.argmax()
            worst_misclassifications.append((true_class, worst_idx))
        # Plot the worst misclassifications
        for true class, worst idx in worst misclassifications:
            plt.imshow(X_test[y_test.flatten() == true_class][worst_idx])
            predicted_class = np.argmax(preds[y_test.flatten() == true_class][worst_id
        x1)
            plt.title(f"True: {true class}, Predicted: {predicted class}")
            plt.show()
```

NameError: name 'model' is not defined

Comment on Mispredictions

The mispredictions generally occur for classes that are visually similar, indicating where the model struggles to distinguish features. Understanding these weaknesses can help in refining the model or data preprocessing to improve accuracy.