

Robust Neural Machine Translation with Doubly Adversarial Inputs

Cheng et al.

JungsooPark

Data Mining & Information Systems Lab.

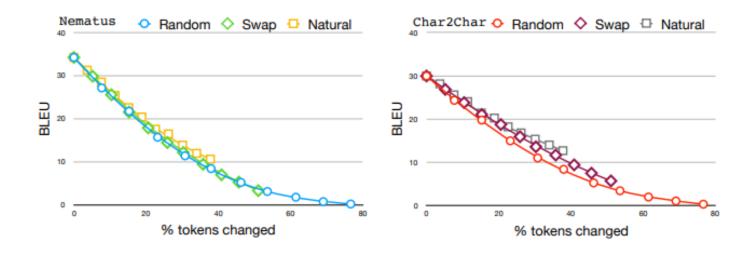
Department of Computer Science and Engineering,
College of Informatics, Korea University

Introduction



Synthetic and Natural Noise Both Break NMT

Belinkov et al. (ICLR 2018)



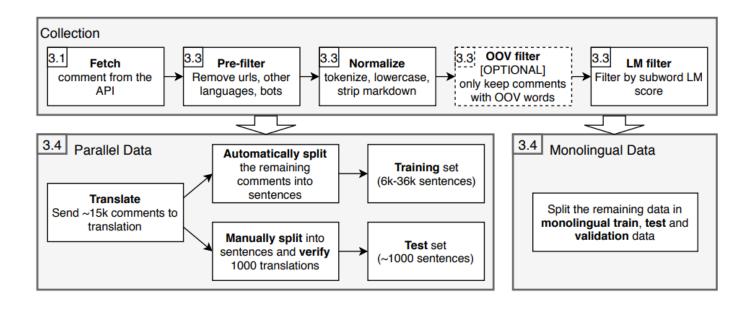
Current NMT models suffer from both synthetic and natural noise

Introduction



MTNT: A Testbed for Machine Translation of Noisy Text

Michel et al. (EMNLP 2018)



A Surge of Interest Towards Building Robust NMT Models to Noisy Text

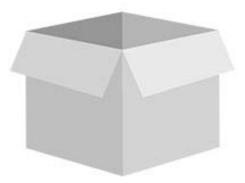
Related Work



Research Trend



- Domain Adaptation
- Designing Synthetic and Natural Noise



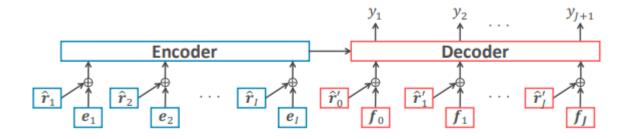
Adversarial Training

Related Work



Effective Adversarial Regularization for NMT

Sato et al. (ACL, 2018)

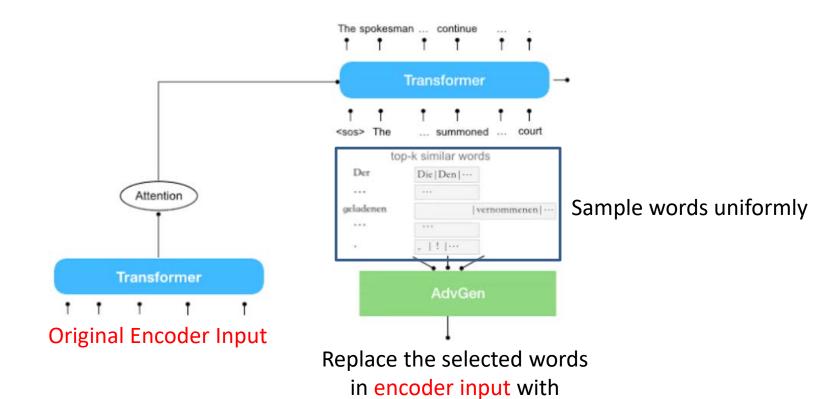


Inject Adversarial Perturbation(Noise) in Embedding Space

$$m{e}_i' = m{E}m{x}_i + \hat{m{r}}_i.$$
 $\hat{m{r}} = \operatorname*{argmax}_{m{r},||m{r}|| \leq \epsilon} \Big\{ \ell(m{X},m{r},m{Y},m{\Theta}) \Big\},$



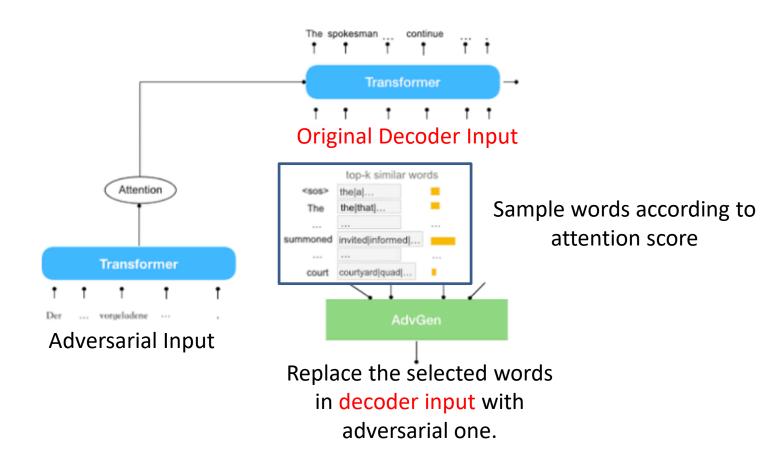
AdvGen (Encoder)



adversarial one.



AdvGen (Decoder)





AdvGen (Encoder)

Adversarial Objective

$$\left\{\mathbf{x}' \mid \mathcal{R}(\mathbf{x}', \mathbf{x}) \leq \epsilon, \underset{\mathbf{x}'}{\operatorname{argmax}} - \log P(\mathbf{y} | \mathbf{x}'; \boldsymbol{\theta}_{mt})\right\}$$

Replacing

$$x'_i = \underset{x \in \mathcal{V}_x}{\operatorname{argmax}} \sin(e(x) - e(x_i), \mathbf{g}_{x_i})$$

 $\mathbf{g}_{x_i} = \nabla_{e(x_i)} - \log P(\mathbf{y}|\mathbf{x}; \boldsymbol{\theta})$

Candidate Minimization

$$Q_{src}(x_i, \mathbf{x}) = P_{lm}(x | \mathbf{x}_{< i}, \mathbf{x}_{> i}; \boldsymbol{\theta}_{lm}^x)$$
$$\mathcal{V}_{x_i} = top_n(Q(x_i, \mathbf{x}))$$



AdvGen (Decoder)

Adversarial Objective

$$\mathbf{z}' = AdvGen(\mathbf{z}, Q_{trg}, D_{trg}, -\log P(\mathbf{y}|\mathbf{x}'))$$

Substitution Candidate Reduction

$$Q_{trg}(z_i, \mathbf{z}) = \lambda P(z | \mathbf{z}_{i}; \boldsymbol{\theta}_{lm}^y) + (1 - \lambda) P(z | \mathbf{z}_{$$

Word Selection Distribution

$$P(j) = \frac{\sum_{i} \mathcal{M}_{ij} \delta(x_i, x_i')}{\sum_{k} \sum_{i} \mathcal{M}_{ik} \delta(x_i, x_i')}, j \in \{1, ..., |\mathbf{y}|\}$$

Experiment



Method	Model	MT06	MT02	MT03	MT04	MT05	MT08
Vaswani et al. (2017)	TransBase	44.59	44.82	43.68	45.60	44.57	35.07
Miyato et al. (2017)	TransBase	45.11	45.95	44.68	45.99	45.32	35.84
Sennrich et al. (2016a)	TransBase	44.96	46.03	44.81	46.01	45.69	35.32
Wang et al. (2018)	TransBase	45.47	46.31	45.30	46.45	45.62	35.66
Cheng et al. (2018)	$RNMT_{lex}$.	43.57	44.82	42.95	45.05	43.45	34.85
	$RNMT_{feat.}$	44.44	46.10	44.07	45.61	44.06	34.94
Cheng et al. (2018)	TransBase f_{eat} .	45.37	46.16	44.41	46.32	45.30	35.85
	TransBase $_{lex}$.	45.78	45.96	45.51	46.49	45.73	36.08
Sennrich et al. (2016b)*	TransBase	46.39	47.31	47.10	47.81	45.69	36.43
Ours	TransBase	46.95	47.06	46.48	47.39	46.58	37.38
Ours + BackTranslation*	TransBase	47.74	48.13	47.83	49.13	49.04	38.61

Evaluation on NIST Test Dataset

Experiment



Method	0.00	0.05	0.10	0.15
Vaswani et al.	44.59	41.54	38.84	35.71
Miyato et al.	45.11	42.11	39.39	36.44
Cheng et al.	45.78	42.90	40.58	38.46
Ours	46.95	44.20	41.71	39.89

Evaluation on Noisy Dataset

\mathcal{L}_{clean}	$ \begin{array}{c c} \mathcal{L}_{robust} \\ \mathbf{x}' \neq \mathbf{x} & \mathbf{z}' \neq \mathbf{z} \end{array} $		\mathcal{L}_{lm}	BLEU	
√				44.59	
\checkmark			✓	45.08	
\checkmark	✓		✓	45.23	
\checkmark		✓	✓	46.26	
\checkmark	✓	✓		46.61	
\checkmark	✓	✓	✓	46.95	

Ablation Study