## MATH 254: Introduction to Statistics

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## Glossary of Statistical Terms

Corresponding Workbook Modules: 3 – 6

## FOR EXAM 2:

Following terms are usually associated with hypothesis testing and/or confidence intervals for both means and proportions.

- $H_0$ : null hypothesis (always has '=' sign, like  $\mu = 10$ )
- $H_A$ : alternative hypothesis (has '\neq', '<', or '>' sign based on problems, like  $\mu > 10$ )
- $\alpha$ : significance level (for hypothesis testing), usually  $\alpha = 0.01$  or 0.05, but it can vary
- z: z-test statistic (calculate it using values like:  $n, \sigma$ , etc.)
- t: t-test statistic (calculate it using values like: n, s, etc.)
- d.f.: degrees of freedom (only used for t). For one-sample and paired two sample, it is n-1. For independent two-sample (not paired), it is  $\min\{n_1-1, n_2-1\}$ .
- $z^*$ : z critical value (used in the z-confidence interval, find it from the t table)
- $t^*$ : t critical value (used in the t-confidence interval, find it from the t table)
- m: margin of error (the one to the right of '±' in the confidence interval)

Following terms are usually associated with inference for a single mean (Module 3).

- N: population size
- n: sample size
- $\mu$ : population mean
- $\mu_0$ : hypothesized population mean for hypothesis testing (values from hypotheses)
- $\bar{x}$ : sample mean
- $\sigma$ : population standard deviation (if known, use z. otherwise, use t.)
- s: sample standard deviation (calculate it from sample)

Following terms are usually associated with inference for a single proportion (Module 4).

- p: population proportion
- $\hat{p}$ : sample proportion  $\left(\frac{x}{n}\right)$  where x is the number of successes.
- $p_0$ : hypothesized population proportion for hypothesis testing (values from hypotheses)
- $p^*$ : given population proportion for the sample size calculation for a desired margin of error (usually one of 0.5,  $p_0$ , or p from the context. it depends on problems)

Lesson 0

## FOR EXAM 3:

Note that  $n, \mu, \bar{x}, \sigma$ , and s can have subscripts for two-sample means cases (Activity 5-1).

- If they have 1 or 2 as subscripts, it means they are for the two independent groups. For example,  $\mu_1$  and  $\mu_2$  would be the population means of first and second group.
- If they have D as subscripts, it means they are for the paired (dependent) groups. For example,  $\bar{x}_D$  would be the sample mean of differences of observations between two paired groups.
- For definitions of  $n, \mu, \bar{x}, \sigma$ , and s, see the front page.

Following terms are usually associated with two-sample proportions cases (Activity 5-3).

- $p_1$ : population proportion for the first group
- $p_2$ : population proportion for the second group
- $\hat{p}_1$ : sample proportion for the first group  $\left(\frac{x_1}{n_1}\right)$
- $\hat{p}_2$ : sample proportion for the second group  $\left(\frac{x_2}{n_2}\right)$
- $\hat{p}$ : pooled sample proportion  $\left(\frac{x_1+x_2}{n_1+n_2}\right)$  (used only in the hypothesis testing. notice that this is not the same as  $\hat{p}$  from the one sample proportion cases)

Following terms are associated with regressions (Module 6).

- x: the explanatory (or independent) variable
- y: the observed response (or dependent) variable (obtained from the data)
- $\hat{y}$ : the predicted response variable (calculated from the regression model)
- $y \hat{y}$ : residual (the vertical distance between y and  $\hat{y}$ )
- $\beta_0$ : population slope of the regression line (usually unknown)
- $\beta_1$ : population y-intercept of the regression line (usually unknown)
- $b_0$ : sample slope of the regression line
- $b_1$ : sample y-intercept of the regression line (Excel outputs under "Coefficients" give both  $b_0$  and  $b_1$ )
- r: correlation coefficient, measures the strength and direction of a linear relationship (see workbook page 148 for more information) (*Excel output "Multiple R"* is the same as |r|, but be careful when r < 0!)
- $r^2$ : r squared, interpretation of this is: the percent of variation in y that is due to (or explained by) the variation in x. (Excel output "R Square" is the same as  $r^2$ )